# Omni-directional Reconstruction of Human Figures from Depth Data using Mirrors 

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#### Abstract

In this paper we present a method for omni-directional 3D reconstruction of a human figure using a single Kinect while two mirrors provide the $360^{\circ}$ view. We get three views from a single depth (and its corresponding RGB) frame - one is the real view of the human and other two are the virtual views generated through the mirrors. Using these three views our proposed system reconstruct $360^{\circ}$ view of a human. The reconstruction system is robust as it can reconstruct the $360^{\circ}$ view of any object (though it is particularly designed for human figures) from single depth and RGB images. These system overcomes the difficulties of synchronization and removes the problem of interference noise of multi-Kinect system. The methodology can be used for a nonKinect RGB-D camera and can be improved in several ways in future.


## 1 INTRODUCTION

Omni-directional 3D reconstruction is the process of capturing and recreating the shape and appearance of any real object or scene from the captured images / video using the techniques of computer vision and graphics. 3D reconstruction has several applications including modelling, rendering, virtual reality, robot navigation, video games, and computational vision.

In this paper we reconstruct the omni-directional 3D models of human figures using single Kinect ${ }^{1}$ depth frame. The corresponding RGB frame is used to colourise the model. We use Kinect and attempt to reconstruct the model from a single view using two mirrors. There are three major challenges that a 3D reconstruction system needs to address.

1. Estimation of the Depth
2. Capture of the $360^{\circ}$ View
3. Reconstruction of the $360^{\circ}$ view

## Estimation of the Depth

Instead of using multiple optical cameras or costly laser scanner and time-of-flight camera, we use easily available and affordable RGB-D sensor Kinect, which can capture depth and RGB data in real time in a synchronous manner.

[^0]
## Capture of the $360^{\circ}$ View

Usually the $360^{\circ}$ view is obtained from different frames of the recorded data. In these techniques either the camera or the object is rotated, or multiple cameras are used to get multiple views in different frames. But here we use two mirrors to get multiple views (One real view and two virtual views) of the object in a single frame using a single camera.

## Reconstruction of the $360^{\circ}$ View

Finally the reconstruction of the $360^{\circ}$ view involves the alignment of the multiple views based on the overlapping regions (surfaces) and stitching them all together into a single model. Virtual objects, generated through the mirrors, are nearly at twice the actual depth. Hence, a set of affine transformations is performed to bring the virtual views in the coordinate system of the real view. We do an initial registration by estimating the Kinect-mirror geometry (Mallick et al., 2013a). Subsequently Iterative Closest Point (ICP) algorithm (Besl and McKay, 1992) is used for fine alignment of the views by minimizing the error between the overlapping surfaces.

The paper is organized as follows. Section 2 discusses the prior work in this area. We state the problem in Section 3. Section 4 discusses the solution approach. The solution has two parts. First part involves estimation of Kinect-mirror geometry. It is discussed
in section 5. Second part deals with the reconstruction of the 3D human model. It is discussed in Section 6. Experiments and Results are explained in Section 7. Finally, we conclude in Section 8.

## 2 RELATED WORK

3D reconstruction of symmetric objects and small asymmetric objects using a single mirror has been studied extensively. Most of these techniques work for intensity images.

3D reconstruction using mirrors was pioneered by Mitsumoto et al. (Mitsumoto et al., 1992) in 1992. They presented a method for 3D reconstruction of plane symmetric objects from a perspective 2D image using a mirror. In 1998, Zhang and Tsui (Zhang and Tsui, 1998) observed that an arbitrary object and its image in a plane mirror constitute a bilaterally symmetric structure. Using this observation the authors built a 3D reconstruction algorithm with good experimental results. In 2005, Hu et al. (Hu et al., 2005) proposed a technique to reconstruct asymmetric 3D objects. However, it is limited to small table-top objects only. Both the direct and mirror images must be clearly visible in the captured image. Also it is sensitive to object segmentation in the image.

The availability of RGB-D cameras like Kinect, has added an extra dimension to the reconstruction techniques. The depth data is now directly available and the object segmentation process is easier and more reliable. However, Kinect also has a limitation for 3D reconstruction applications because when more than one Kinects are used for reconstruction, their IR's interfere and degrade all the depth images (Mallick et al., 2013b). Particularly if the object is extended (like a human figure), the interference is perceptible and distributed.

Lanman et al. (Lanman et al., 2007) uses an RGBD imaging set-up and mirrors to reconstructs objects in 3D. They use calibration, deal only with small objects, and employ multiple reflections. By the very nature of the scenes handled, they exclude possibility of motion and extended objects like humans with extended limbs. Moreover, the need of calibration restricts the method to a laboratory set-up alone.

Recently, Akay and Akgul (Akay and Akgul, 2014) have proposed a method using Kinect along with a mirror and an RGB camera to reconstruct small objects in 3D. First stereo vision techniques are deployed to obtain the virtual 3D objects (or virtual cameras). Next the real and virtual views are segmented and then a homographic relation between the direct and mirror images are computed. The homo-
graphic relation is used to transform the virtual view to the real view. The Kinect used here for obtaining depth data is calibrated using the standard calibration procedure.

There have been limited work in 3D human reconstruction from Kinect depth data using multiple Kinects. In (Ahmed, 2012) Ahmed has reported a system to acquire a $360^{\circ}$ view of human figures using 6 Kinects. A 3-Kinect set-up is also presented by Tong et al. (Tong et al., 2012) for scanning full human figures in 3D

No work, however, has been done on 3D reconstruction of Human figures by Kinect that uses mirrors. Hence the state-of-the-art motivates us to create a set-up using two mirrors and a Kinect to reconstruct $360^{\circ}$ view of a human. Two mirrors are placed at a certain (about $120^{\circ}$ ) angle so that full human body is visible from a single Kinect ${ }^{2}$.

## 3 PROBLEM STATEMENT

Given the Kinect depth image of a scene containing two mirrors and a human, we intend to extract the human figure and build a $3 \mathrm{D} 360^{\circ}$ point-cloud model for it. The input image contains one direct and two mirror-reflected images of the human figures (Figure 1 ). The output is the reconstructed 3D $360^{\circ}$ pointcloud of the human. We also colourise the model using the RGB image. For proper estimation and validation we make the following assumptions:

1. The human figure or any of its mirror reflections does not occlude the other.
2. The human figure and its two reflections are all within the depth range of Kinect.
3. The background is static.

## 4 SOLUTION APPROACH

To reconstruct the complete 3D model of a standing human figure from a single depth frame with a 2 mirror composition (as shown in Figures 1 and 2), we need to solve the following:

1. Estimation of Kinect-Mirror Geometry: Given any configuration of a Kinect and two mirrors we first need to estimate the position (distance and orientation) of each mirror with respect to the imaging plane of Kinect. These would be used in the reconstruction.

[^1]2. Reconstruction the 3D Human Model: Given the Kinect-mirror geometry (as estimated above), and the depth and RGB images containing the direct image of the human and his two mirror reflections, we reconstruct the 3D point-cloud model of the human figure. We colourise the model from the RGB image.


Figure 1: Sample image of a human and his two mirror reflections. (a) RGB View (b) Depth View.


Figure 2: Schematic view of the 2-Mirrors-1-Kinect set-up
The architecture of the system is given in Figure 3.


Figure 3: The architecture of the 3D Human Reconstruction System. The dotted arrows indicate an iterative flow.

## 5 ESTIMATION OF THE KINECT-MIRROR GEOMETRY

In (Mallick et al., 2013a) Mallick et al. have proposed a simple estimator using depth data to measure the orientation and the distance of a mirror with respect to the Kinect. While most approaches for the estimation of mirror geometry work on pairs of corresponding points - one on the object and the other on its reflection in the mirror; Mallick's estimators use the Kinect depth maps of a spherical ball (for its symmetric shape) and its mirror reflection. The center points of the ball and its mirror reflection in the depth image are used for correspondence to solve the Kinect-Mirror Geometry. We use this method to independently estimate the mirror geometry for each of the two mirrors in Figure 2.

## 6 RECONSTRUCTION OF THE 3D HUMAN MODEL

After estimating the Kinect-mirror geometry, we use the estimated parameters to reconstruct the 3D human model using the set-up shown in Figure 2. From the depth image of such a scene, we extract the human figure and build a 3D $360^{\circ}$ point-cloud model for it. We also register the depth image with the RGB image to colourise the 3D model. The steps for this task are shown in the architecture diagram of the system (Figure 3).

### 6.1 Noise Reduction

Depth images are first processed for noise reduction using Bilateral filter (Tomasi and Manduchi, 1998). It is a non-iterative edge preserving smoothing filter given by the following expressions:

$$
\begin{aligned}
g(p) & =\frac{1}{W_{p}} \sum_{q \varepsilon \Omega(p)}\left[S_{p, q} * f(p)\right] \\
W_{p} & =\sum_{q \varepsilon \Omega(p)} S_{p, q} \\
S_{p, q} & =N_{\sigma_{g}}\left(\|p-q\|_{2}\right) * N_{\sigma_{d}}(|f(p)-f(q)|) \\
N_{\sigma}(t) & =e^{-\frac{t^{2}}{2 \sigma^{2}}}
\end{aligned}
$$

where $f($.$) is the raw (input) depth image, g($.$) is$ the processed (output) depth image, $p$ is the pixel under consideration, $\Omega(p)$ is the spatial support or window of interest around $p, q$ is a pixel in $\Omega(p), W_{p}$ is the normalizing constant as defined above, $\|\cdot\|_{2}$ is the Euclidean $\left(L_{2}\right)$ norm, and $|$.$| is the absolute value.$

Further, $\sigma_{g}$ is the geometric spread and is chosen based on the desired amount of low-pass filtering. A large $\sigma_{g}$ blurs more. Similarly, the depth spread $\sigma_{d}$ is set based on the sharpness in depth that we desire. Naturally a large $\sigma_{d}$ flattens the depth details.

### 6.2 Registration of RGB and Depth Images

Since Kinect uses separate sensors to capture RGB and depth, these images are not aligned ${ }^{3}$ and one image needs to be rotated and translated by the camera intrinsic parameters to register with the other. This needs camera calibration (using some standard scenes) to estimate the intrinsic parameters as arranged in the intrinsic matrix $K$,

where $f_{x}$ and $f_{y}$ are the focal lengths along $X$ and $Y$ axes respectively expressed in pixel units, and $\left(c_{x}, c_{y}\right)$ is a principal point that is usually at the image center.

Incidentally, each Kinect is manufactured with exactly the same specifications and has the same intrinsic matrix (Khoshelham and Elberink, 2012):

$$
K=\left[\begin{array}{ccc}
586.34 & 0 & 320  \tag{1}\\
0 & 586.34 & 240 \\
0 & 0 & 1
\end{array}\right]
$$

We use this matrix to register the RGB image with the depth image. This helps in the following:

1. Masks computed in RGB can be also used for depth. This is useful for segmentation.
2. Colour association provides better visualization of the reconstructed human figure.

### 6.3 Segmentation

Next we segment the patches of depth data of the one direct and two reflected images of the human figure in the scene. This is done by the following steps:

1. We capture the scene in RGB as well as depth with and without the human figure. We register respective pairs of RGB and depth images. We then normalize the RGB images between [0,1] inclusive.
2. We subtract the RGB image of the scene without the human from the RGB image of the scene

[^2]with the human. We binarize this difference image with a small threshold. Since the scene is static, all the background (non-human) areas of the binary image will be black (0) and the human figures will be white (1). We treat this as a mask.
3. We compute the connected components in the binarized difference image. The three largest components correspond to the three views (other components are removed). One of these components (the direct one) would be larger than the other two. So we can mark the human components as real view segment (direct) and virtual view segments (reflected). Naturally we can identify the left virtual human figure from the right by checking the extent of $X$-coordinates (the three views are nonoverlapping). The real human is in the middle.
4. We multiply the depth image (pixel-wise) with the binary mask. This leaves us with a depth image having the three segments corresponding to the three views of the human figure and we know which segment corresponds to which view.
We also tried depth-based method in our experiments. But, as reported by (Mallick et al., 2014), Kinect depth images suffer from lateral noise along the boundary. Hence, segmenting the human figures based from differences in depth images (with and without human) is more prone to error than if the difference is done in RGB and the mask from it is used.

### 6.4 Point-cloud Generation

Kinect is a projective camera where all the rays emanate from the camera center and all the 3D points lying on a ray are projected to the same image pixel. The image point is the point where the ray meets the focal plane of the camera. Thus both the world 3D point and the image 2 D point can be expressed in homogeneous coordinate notation.

A point $A=\left[\begin{array}{ll}X & Y \\ \hline\end{array}\right]^{T}$ in the world coordinate system is represented in the projective space (in the homogeneous coordinate) as $d *\left[\begin{array}{ll}X Y Z 1\end{array}\right]^{T}$, where $d$ is the scale factor. Let the image of point $A$ in the image plane be $A=\left[X_{m} Y_{m} 1\right]^{T}$. The 2D point is transformed to 3D coordinate point as:

$$
\begin{aligned}
& {\left[X_{m k} Y_{m k} Z_{m k}\right]^{T}=K *\left[\begin{array}{lll}
X & Y & Z
\end{array}\right]^{T}} \\
& {\left[\begin{array}{lll}
X_{m} & Y_{m} & 1
\end{array}\right]^{T}=\left(1 / Z_{m k}\right) *\left[X_{m k} Y_{m k} Z_{m k}\right]^{T}} \\
& {\left[\begin{array}{lll}
X & Y & Z
\end{array}\right]^{T}=(K)^{-1} *\left[\begin{array}{lll}
X_{m} & Y_{m} & 1
\end{array}\right]^{T} * Z_{m k}}
\end{aligned}
$$

where $\left[\begin{array}{lll}X_{m k} & Y_{m k} & Z_{m k}\end{array}\right]^{T}$ is the projected point in the image coordinate system, $Z_{m k}$ is the depth at $\left(X_{m k}, Y_{m k}\right)$, and $K$ is the Kinect camera matrix (Equation 1). Thus the 3D point-cloud is computed from 2 D image of depth values.

Point-clouds are first generated for the real view segment and each point is associated with its corresponding color. For the points in the virtual view we scale the image with the respective depth values while generating the point-cloud ${ }^{4}$. With this correction the virtual view segments get to the actual size of the human and get consistent with the real view segment.

### 6.5 Affine Transformations

The orientation and the distance of each mirror from the Kinect imaging plane are estimated using the method (Mallick et al., 2013a) as outlined in Section 5. This method provides the rotational and translational parameters. Using these parameters, each virtual view segment is independently transformed ${ }^{5}$ (rotated, reflected and translated).

The point-cloud generated from the virtual view is rotated by the angle of the mirror with the Kinect's imaging plane. The axis of rotation is the normal direction orthogonal to both the mirror plane and the imaging plane. Using the Rodrigues' Rotation Formula (Murray et al., 1994), the points are rotated as:
$\vec{P}_{\text {rotated }}=\vec{P} * \cos \theta+(\vec{r} \times \vec{P}) * \sin \theta+\vec{r} *(\vec{r} \cdot \vec{P}) *(1-\cos \theta)$
where $\vec{P}_{\text {rotated }}$ is the rotated point, $\vec{P}$ is the point to be rotated, $\vec{r}$ is the unit direction vector of the axis of rotation, and $\theta$ is the angle of rotation estimated from the mirror geometry. After rotation the mirror plane transforms to a plane parallel to the imaging plane. To correct the reflected view through the mirror a reflection is required. The points are reflected as:

$$
\vec{P}_{\text {reflected }}=\vec{P}_{\text {rotated }}-2 * \vec{P}_{\text {rotated }} * \vec{n}^{T} * \vec{n}+2 * \vec{n} * \text { dist }
$$

where $\vec{P}_{\text {reflected }}$ is the reflected point, $\vec{P}_{\text {rotated }}$ is the point to be reflected, $\vec{n}$ is the unit normal to the reflection plane, and dist is the distance of reflection plane from the origin. Next, translation brings the two virtual view in same size as the actual:

$$
\vec{P}_{\text {translated }}=\vec{P}_{\text {reflected }}+\vec{P}_{\text {real }}-\vec{P}_{\text {virtual }}
$$

where $\vec{P}$ is the point to be translated, $\vec{P}_{\text {real }}$ is the 3D correspondence point of the real view, $\vec{P}_{\text {virtual }}$ is the rotated and reflected point of the virtual view corresponding to $\vec{P}_{\text {real }}$, and $\vec{P}_{\text {translated }}$ is the translated point.

These affine transformations (scaling was done earlier) bring virtual view segments to their actual positions and in alignment with the real view segment.

[^3]
### 6.6 Merging of Point-clouds

The three point-clouds are now merged together to form the 3D model. The merged cloud contains the two transformed virtual view point-clouds and the unaltered real view point cloud. The overlapping points between the real and virtual point-clouds are not considered separately.

### 6.7 Fine Alignment using ICP Algorithm

The estimated geometry parameters may be erroneous leading to defects in the transformed views (and the resulting merged point-cloud). Hence to improve the results, regions of overlap are determined between the point-cloud of the real view segment and the pointclouds of the respective virtual view segments. Corresponding pairs of points are then found in the regions of overlap. The Iterative Closest Point (ICP) (Besl and McKay, 1992) algorithm is applied to get a new rotation and translation matrix. The point-clouds are transformed with this new rotation and translation matrix resulting in an improved merged point-cloud.

## Computation of Overlapping Region

The overlapping region needs to be computed carefully as the result depends significantly on the choice of overlap. For example, the overlapping regions between the real view (View 1) and the left view (when the observer faces the Kinect) will occur on their left boundaries and is computed as (Figure 4):

1. Compute the Centroid C for View 1.
2. Compute the leftmost point P on the boundary of View 1. Trace a 1 -pixel boundary from $P$ in clockwise direction.
3. Mark the column at the mid-point between C and P as the Threshold Line.
4. The threshold line intersects the boundary at multiple points. The topmost and bottommost points are taken as the end points.
5. All pixels between the threshold line and the left boundary form the possible region of overlap.
6. Repeat the above steps for View 2.

The overlapped regions as computed are usually highly uneven. So a particular thickness of pixels along the boundary is taken as the region of overlap along the boundary. The length of the boundary segment for possible region of overlap is bounded by the end points.


Figure 4: Computing region of overlap between Real View and Left View.

## 7 EXPERIMENTS AND RESULTS

We have implemented the system in C++ using Windows SDK 1.8 library ${ }^{6}$. We then carried out several experiments to validate our system.

## 7.1-Experimental Set-up

The experimental set-up has been shown in Figures 1 and 2 . Two mirrors are placed at nearly $120^{\circ}$ angle to each other. A Kinect is placed in front of the mirrors along the middle. A human stands between the Kinect and the mirrors. The set-up and image capture satisfy the conditions stated in Section 3.

### 7.2 Results

We reconstruct the 3D point-cloud from the three human figures in the depth image and render the same with the RGB image. In total 5 samples are tested.

We first capture the depth and RGB images without and with the human figure. We subtract the former from the latter to get the patches of human figure. We use bilateral filter on depth image to reduce noise. This is shown in Figure 5.

Next we prepare the mask from RGB images and extract the three segmented views in Figure 6. Using these masks we create the point-clouds for each of the views. Figure 7 shows the point-clouds. We rotate, reflect, and translate each virtual view segment independently using the parameters of the Kinect-mirror geometry. The results are shown in Figure 8.

Outputs after the transformations are used for merging the point-clouds. The alignment of the merged point-cloud is improved through ICP algorithm. Colour is associated with each point in the

[^4]

Figure 5: Noise Reduction. (a) Background depth image (b) Depth image with human (c) Difference depth image after noise reduction.


Figure 6: Segmented Views. (a) Binary Components Mask (b) Real View (c) Virtual Left View (d) Virtual Right View.


Figure 7: Initial Point Clouds.
point-cloud for better visualization. The final pointcloud model is rendered in Meshlab ${ }^{7}$ and rotated to view and validate the 3D human figure from different sides. For the 5 test subjects we find that the model has been correctly constructed. A sample with three rotated views for the running example is shown in Figure 9.

While the Meshlab views provide a qualitative

[^5]

Figure 8: Affine Transformations. (a) After Rotation (b) After Reflection.


Figure 9: Views of the merged point-cloud. (a) View from right (b) View from front (c) View from left.
validation for human reconstruction, we cannot get quantitative estimate of accuracy from them. So to quantitatively estimate the accuracy of our reconstruction algorithm, we repeat the experiment for a simple geometric box object shown in Figure 10. We first take physical measurements of the length, breadth, and height of the box and then estimate these quantities from the 3D reconstructed model in Meshlab. The results are given in the Table 1.


Figure 10: Experiment with a box object. (a) RGB view (b) Depth view (c) Reconstructed model viewed from right (d) From front (e) From left.

Table 1: Validations of Reconstruction Accuracy.

| Box <br> Dimensions | Measurements |  | Error <br> (\%) |
| :--- | :--- | :--- | :---: |
|  | 48.5 | 48.80 | 0.62 |
| Breath | 28.5 | 27.49 | 3.54 |
| Height | 49.5 | 49.93 | 0.87 |

## All dimensions are in cm.

The errors are quite low (less than 5\%) and particularly accurate (less than $1 \%$ ) for length and height.

The error is higher for breadth due to the specific placement of the box in front of the mirrors. The box has three pairs of faces - height $\times$ length, length $\times$ breadth, and breadth $\times$ height. It is placed on one of its breadth $\times$ height faces which obviously is not visible. Hence, fewer faces participate in the estimations of breadth and height than length. Further, the breadth directly faces the view and therefore it has longer parallax error in its estimation. The estimations can be improved if the box is imaged in more than one position by changing the placement face and the orientation angle.

### 7.3 Artefacts of the Reconstructed Model

When we rotate the model in Meshlab (and zoom for details) we find some artefacts. For example, when we zoom in on the model in Figure 11 and view from a certain viewpoint (Viewpoint 1 in Figure 11(a)), the model looks continuous and perfect. However, after we rotate and look from a different viewpoint (Viewpoint 2 in Figure 11(b)) it looks broken and striped.

(a)

(b)

Figure 11: Artefacts in Reconstruction. (a) Continuous View from Viewpoint 1 (b) Striped View from Viewpoint 2.

The stripes result from the different depth levels as sensed by Kinect. Since the virtual views are obtained at a certain angle (the angle of the mirror plane), each stripe is a piece of depth values captured at an angle in order to match the curvature of the point-cloud with that of the human body. All the points at a particular depth lie on a straight line in Viewpoint 2 giving rise to the stripes-with-gaps. Similar artefacts can be seen for the box in Figure 10(c).

## 8 CONCLUSION

In this paper, we reconstruct 3D point-cloud model of a human figure using a Kinect and two mirrors. Single depth and RGB frames are sufficient for the $360^{\circ}$ reconstruction. The omni-directional visibility has been achieved without moving the human or the Kinect and
without using multiple Kinects. Two mirrors have been used to get three views in a single frame - one is the real view of the human and other two are the virtual views generated through the mirrors. We have tested the system for five subjects and found good reconstruction in Meshlab. To quantify the accuracy of the system, we have tested it with a box having known dimensions. We are able to achieve accurate estimations for the length, breath and height of the box after reconstruction. However, the reconstructed model has a few striped artefacts when viewed from oblique angles. These are due to specific placement angles of the mirror.

Our proposed system can be improved in several ways and we are working on some of them:

1. Kinect-Mirror Geometry: The present system uses two mirrors. Use of three or more mirrors can be explored to improve the quality of reconstruction, reduce artefacts (Section 7.3), and relax imaging limitations.
2. Reduction of Artefacts: We intend to explore methods to smooth the artefacts by suitable filtering of the input depth image and output pointcloud. Reconstruction from multiple frames can reduce artefacts and make this method more robust. However, that would increase the computational load.
3. Set-up Constraint Relaxation: We intend to relax some of the constrains of the imaging set-up (Section 3) to allow for:

- Minimal partial occlusion between the human figure and its mirror reflections.
- Slow motion of limbs for continuous reconstruction over multiple frames.

4. Use of non-Kinect camera: The proposed method does not use the human detection and segmentation capability of Kinect. Hence it can be ported to work for other RGB-D cameras.

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[^0]:    ${ }^{1}$ The method will actually work for any RGB-D camera.

[^1]:    ${ }^{2}$ We do not use Kinect's human segmentation algorithm; hence any RGB-D camera can be used in place of Kinect.

[^2]:    ${ }^{3}$ The RGB pixel at $(x, y)$ does not correspond to the depth pixel at $(x, y)$. Registration solves this problem.

[^3]:    ${ }^{4}$ Note that the virtual views are generated through the mirror and hence they are nearly at twice the actual depth.
    ${ }^{5}$ Derivations of transformations from (Rodrigues et al., 2010) are used.

[^4]:    ${ }^{6}$ http://www.microsoft.com/en-in/download/ details.aspx? $\mathrm{id}=40278$

[^5]:    ${ }^{7}$ MeshLab is an open source, portable, and extensible system for the processing and editing of unstructured 3D triangular meshes: http://meshlab.sourceforge.net/.

