

# SEARCHING OPTIMAL SIGMA PARAMETER IN RADIAL BASIS KERNEL SUPPORT VECTOR MACHINE FOR CLASSIFICATION OF HIV SUB-TYPE VIRUSES

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**Abstract:** We propose intelligent methods to classify two different HIV virus types, i.e., R5X4 and R5 or X4 with low computational complexity. Since R5X5 virus has same the features of R5 and X4 viruses, diagnosis of R5X4 can not be determined easily. In this study, the statistical data of R5X4, R5 and X4 was obtained by accessible residues and modelled by Auto-regressive (AR) model. After that the pre-processed data was used for determining the optimal  $\sigma$  value in Radial Basis Kernel of Support Vector Machine (SVM).

## 1 INTRODUCTION

In this work, the statistical data of R5X4, R5 and X4 HIV viruses was obtained by accessible residues and modeled by Auto-Regressive (AR) model for reducing dimension. Hereafter, SVM structures were evolved to determine R5X4 viruses successfully by using the pre-processed data.

In Bioinformatics, the several models have been evolved by using gene sequences to determine HIV sub-type viruses (Berger 1999). By using those models, mostly the artificial neural network (ANN) structures, which have high ability to classify, were developed (Resch 2001, Wang 2003, Brumme 2004, Milich 1993).

Lamers *et. al.* had used HIV-Base software to obtain the data of R5X4, R5 and X4 viruses. By using this data, ANNs had been evolved to classify these viruses. However they had given the training accuracy of ANNs as the classification results. Obviously, the results could not show the real performance of the ANNs. The data should be separated two different datasets as training and testing. Then the test data, which is not used in the training process, should be used for determining the real performance of ANNs (Lamers 2008).

The accessible residues of gene sequences had

been obtained to describe protein identity by Zhou (Zhou 2006), whereas Kong *et. al.* had analyzed accessible residues of HIV-1 genome to design peptide (Kong 2005).

Many bioinformatics researchers have used AR model to process gene data for spectral analyses of short tandem in DNA sequences or for determining period-3 behaviors (Akhtar 2007). G. Rosen had reduced the dimension of gene sequence using AR model (Rosen 2007).

In this work, HIV sequences were converted into numeric data by using accessible residues. Since the dimension of gene sequences was large and different from each other, their dimensions were reduced and equalized by AR model. This pre-processed data was used for training and testing the SVM.

This paper consists of 4 sections. In Section 2, data sets, AR model, SVM and ROC analysis are described. In Section 3, the use of SVM in the proposed scheme is described. The simulation results are also given in this section. In the final section, conclusion and future work are mentioned.

## 2 MATERIALS AND METHODS

In this section, we describe dataset and quantifying

method. AR model is applied to dataset. SVM is employed in classification process. The performance of SVM is analyzed by ROC analysis.

## 2.1 Data Mining

77 R5 sequences, 31 R5X4 and 40 X4 sequences (Lamers 2008) were downloaded from Los Alamos National Laboratory HIV Sequence Database ([www.hiv.lanl.gov/content/hiv-db/main.page.html](http://www.hiv.lanl.gov/content/hiv-db/main.page.html)).

These sequences were converted to numeric data by using accessible residues. Since size of gene sequences is different from each other, SVM could not be applied to this dataset. That can be remedied by AR model.

## 2.2 AR Model

AR model was chosen to model the gene data, since that model represents energy of signals successfully which is defined by all pole filters as follows:

$$H(z) = \frac{G}{1 + \sum_{k=1}^M a_k z^{-k}} \quad (1)$$

where  $M$  is the dimension of AR model. Eq. 1 could be written in time domain as,

$$x_k = \sum_{i=1}^M a_i x_{k-i} + w_k \quad (2)$$

where  $x_k$  is the estimated signal,  $a_i$  is the AR coefficient,  $w_k$  is the computational error, and  $M$  is the number of AR coefficients (Haykin 2002).

In this work, 10-th AR model is applied to dataset for reducing and equalizing size of sequence due to their size is large and different from each other. We tried to minimize  $M$  by maximizing the classification accuracy. We have shown that if  $M$  is chosen as 10, the performance of the algorithm is satisfactory. As  $M$  increases, the computational complexity of the classification scheme also increases.

## 2.3 Evolving SVM

Numeric data of HIV sequences were obtained and modeled by 10-th AR model to reduce size of HIV sequences. In the next step, this pre-processed dataset was used for training and testing SVM with various sigma values to classify R5X4, R5 and X4.

SVM is a learning method introduced by V.

Vapnik (Vapnik 1999). The objective of SVM can also be justified by structural risk minimization: the empirical risk (training error), plus a term related to the generalization ability of the classifier, is minimized. In other words, the SVM loss function is analogous to ridge regression.

Let  $m$ -dimensional inputs  $x_i$  ( $i=1\dots m$ ) belongs to two classes  $y \in \{-1,1\}$ . The aim is finding the best decision boundary hyperplane  $f(x)$  that maximizes the sum of distances to the closest positive and negative training examples. This hyperplane intends to classify, not only train vectors but also the test samples successfully. The hyperplane  $f(x)$  is defined by the following transformation where  $k$  is kernel function and  $b$  is bias value.

$$f(x) = \sum_{i=1}^M y_i \alpha_i k(x, x_i) + b \quad (3)$$

Kernel function can be linear as in Eq. 4, polynomial as in Eq. 5 and radial basis as in Eq. 6.

$$k(x, x_i) = (x, x_i) \quad (4)$$

$$k(x, x_i) = (x, x_i)^d \quad (5)$$

$$k(x, x_i) = \exp\left(-\frac{\|x - x_i\|^2}{2\sigma^2}\right) \quad (6)$$

The sign of  $f(x)$  shows the class membership of  $x$ .  $x_j$  with nonzero  $\alpha_j$  values are called support vectors of the hyperplane.

## 2.4 ROC Analysis

Receiver Operating Characteristic Analysis (ROC Analysis) is related in a direct and natural way to cost/benefit analysis of diagnostic decision making. It is originated from signal detection theory, as a model of how well a receiver is able to detect a signal in the presence of noise. Its key feature is the distinction between hit rate (or true positive rate) and false alarm rate (or false positive rate) as two separate performance measures. ROC analysis has also widely been used in medical data analysis to study the effect of varying the threshold on the numerical outcome of a diagnostic test (Kohavi 1995).

The limitations of diagnostic accuracy as a measure of decision performance require introduction of the concepts of the "sensitivity" and "specificity" of a diagnostic test as shown in Table 1.

Table 1: ROC Block Diagram.

Predicted	Actual	
	T	F
T	True Positives (TP)	False Positives (FP)
F	False Negatives (FN)	True Negatives (TN)

The sensitivity and specificity can be written as follows:

$$Sensitivity = \frac{TP}{TP + FN} \quad (7)$$

$$Specificity = \frac{TN}{TN + FP} \quad (8)$$

### 3 EXPERIMENTAL RESULTS

SVM structure had 10-inputs and one-output. Radial basis kernel function was used to determine the optimal classification accuracy. The parameter  $\sigma$  in radial basis function was assigned 0.1; incremented by 0.1; until 5.

The desired outputs of R5X4 and other genes (R5 or X4) were chosen as -1 and 1 respectively.

In this study, an 3-fold cross validation was used. There were 117 R5 or X4 samples and 31 R5X4 samples in the dataset. Due to one of the classes had much more instances than other, instances of less crowded class were cloned. Thus, both classes had 117 samples. Each class of HIV gene was partitioned into three pieces which consists of 39 R5 or X4 data and 39 R5X4 data respectively. One of the dataset was used for testing SVM, while the remaining was used for training. The training and test sets consisted of 156 and 78 data, respectively. The results were given for 3-fold CV dataset which are called CV1, CV2 and CV3.

The classification accuracy of test step according to the parameter  $\sigma$  was shown in Fig. 1.

The best result was obtained as 100% when the parameter  $\sigma$  was 0.1 for CV2. However, the general sight of Fig. 1 illustrates that the best results were obtained for CV3. Besides, while the parameter  $\sigma$  was increasing, the classification accuracy was decreasing for all datasets.

However, the classification accuracy is not enough to analyze the performance of SVM. Therefore, ROC analysis was applied to these results.

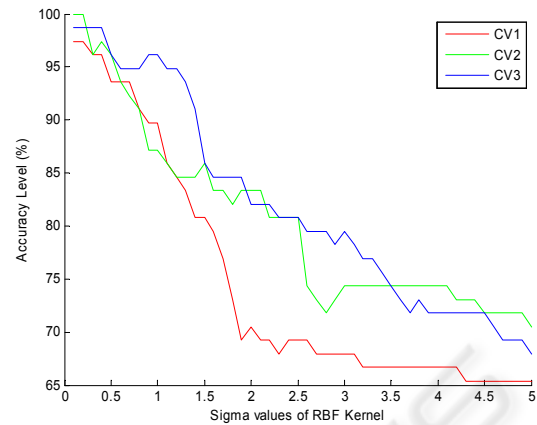


Figure 1: The classification accuracy of SVM.

In this study, "sensitivity" and "specificity" of SVM could be defined as follows:

$$Sensitivity = \frac{R5X4_{True}}{R5X4_{True} + (R5 \text{ or } X4)_{False}} \quad (9)$$

$$Specificity = \frac{(R5 \text{ or } X4)_{True}}{(R5 \text{ or } X4)_{True} + R5X4_{False}} \quad (10)$$

Sensitivity and specificity are given Figs 2 and 3, respectively.

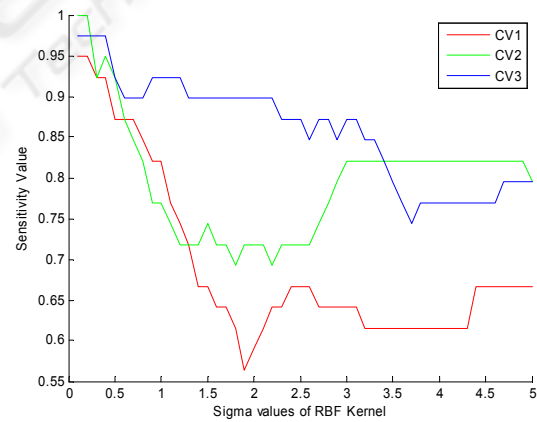


Figure 2: The sensitivity values of SVM

The best results of sensitivity for all datasets were acquired while the parameter  $\sigma$  was 0.1. Beside, according to Fig. 2, the worst sensitivity values were obtained while  $\sigma$  was 1.9 for CV1, 1.8 for CV2 and 3.7 for CV3. Moreover, the minimum specificity values were acquired when  $\sigma$  was larger than 4.4 for all datasets.

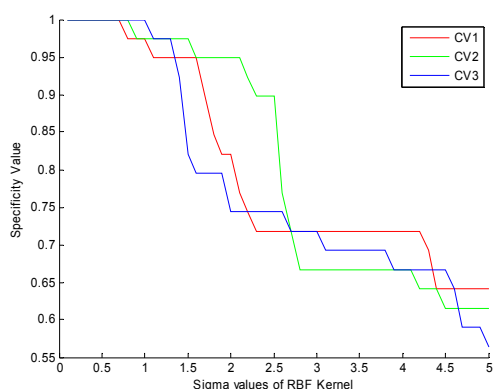


Figure 3: The specificity values of SVM.

## 4 CONCLUSIONS

In this study, the statistical data of HIV subtype genes were obtained by accessible residues and modeled by AR model to reduce the size of HIV sequences. The SVM structure was used to classify HIV sub-type viruses successfully. Thus, the optimal parameter  $\sigma$  in radial basis kernel of SVM was searched by using the pre-processed data.

The training and test dataset were obtained by using 3-fold cross-validation and these datasets were used for training and testing the SVM.

The best classification accuracy was obtained while the parameter  $\sigma$  was 0.1 for all CVs. Moreover, as the parameter  $\sigma$  was increasing, the accuracy levels were decreasing.

Since the classification accuracy is not enough to analyze the performance of SVM, ROC analysis was applied to these results. The sensitivity and specificity were obtained as 1, when the parameter  $\sigma$  was 0.1 for all CVs.

In future work, SVM structure and an incremental Multilayer Perceptron implementation will be compared and the results will be discussed.

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