

MOMENT BASED FEATURES FOR CONTENT BASED IMAGE RETRIEVAL

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Abstract: Content based information retrieval is now a widely investigated issue that aims at allowing users of multimedia information systems to retrieve images coherent with a sample image. A way to achieve this goal is the automatic computation of features such as color, texture, shape, and position of objects within images, and the use of the features as query terms. In this paper we describe some results of a study on similarity evaluation in image retrieval using shape, texture, color and object orientation and relative position as content features. Images are retrieval based on similarity of features where features of the query specification are compared with features of the image database to determine which images match similar with the given features. Feature extraction is a crucial part for any of such retrieval systems.

1 INTRODUCTION

Content based image retrieval (CBIR) techniques are becoming increasingly important in multimedia information systems. CBIR uses (M.S. Lew, 2001) an automatic indexing scheme where implicit properties of an image can be included in the query to reduce search time for retrieval from a large database.

In this paper, a image retrieval method based on the primitives of color, texture and shape moments will be proposed. Color, texture and shapes feature can be described by moment analysis. The basic image retrieval system based on this concept is shown in Figure 1.

For query images, we first compute ROI (Region of Interest) and extract a set of color, texture and shape features.

2 FEATURE EXTRACTION

2.1 Color features

Color has been the most widely used feature in CBIR systems. We use the YUV color model. The YUV

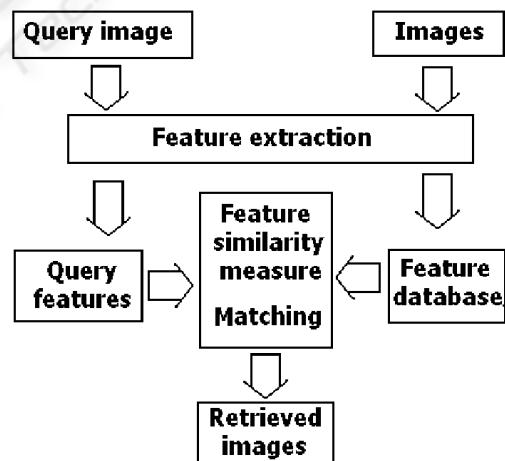


Figure 1: The image retrieval process.

space is widely used in image compression and other applications. Y represents the luminance of a color, and U, V represent the chromaticity of a color. The color distributions of the $Y, U,$ and V components of image can be represented by its color moments.

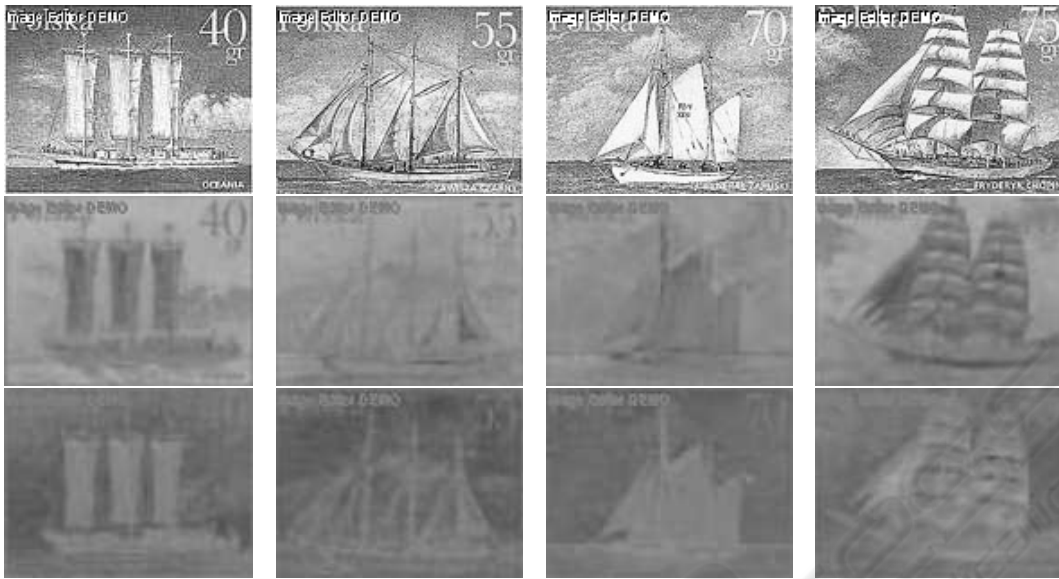


Figure 2: YUV components of database images(3429,3430,3431,3432)

Color moments have been successfully used in many retrieval systems (like QBIC (M.J. Swain, D.H. Ballard, 1991)(W. Niblack et al., 1993), especially when the image contains just the object. The first order (mean), the second (variance) and the third order (skewness) color moments have been proved to be efficient and effective in representing color distributions of images (M. Stricker, M. Orengo, 1995). Mathematically, the first three moments are defined

$$\mu_c = \frac{1}{MN} \sum_{x=1}^M \sum_{y=1}^N f_c(x, y) \quad (1)$$

$$\sigma_c = \left(\frac{1}{MN} \sum_{x=1}^M \sum_{y=1}^N (f_c(x, y) - \mu_c)^2 \right)^{\frac{1}{2}} \quad (2)$$

$$s_c = \left(\frac{1}{MN} \sum_{x=1}^M \sum_{y=1}^N (f_c(x, y) - \mu_c)^3 \right)^{\frac{1}{3}} \quad (3)$$

where $f_c(x, y)$ is the value of the c -th color component of the image pixel (x, y) , and MN is the number of pixels in the image.

Since only 9 (three moments for each of the three color components) numbers are used to represent the color content of each image, color moments are very compact representation compared to other color features.

2.2 Shape features - Zernike moments

There are two types of shape representation: the region based and contour based methods. Contour based are local representations and need further processing. The region-based shape descriptor belongs to the broad class of shape analysis techniques based on moments (A. Khotanzad, 1990)(G. Taubin, D.B. Cooper, 1991). Zernike moment (ZM) sequence, Z_{nm} is uniquely determined by the image $f(x, y)$ and conversely, $f(x, y)$ is uniquely described by Z_{nm} .

Zernike introduced a set of complex polynomials, which form a complete orthogonal set over the interior of the unit circle $x^2 + y^2 = 1$. The polynomials (A. Khotanzad, 1990) have the form

$$V_{nm}(x, y) = V_{nm}(\rho, \theta) = R_{nm}(\rho)e^{jm\theta} \quad (4)$$

where n is a non-negative integer and m is a non zero integer subject to the constraints $n - |m|$ even and $|m| \leq n$, ρ is the length of vector from the origin to the pixel (x, y) and θ the angle between vector ρ and x axis in counter-clockwise direction.

The polar coordinates (ρ, θ) in the image domain are related to the Cartesian coordinates (x, y) as $x = \rho \cos(\theta)$ and $y = \rho \sin(\theta)$. $R_{nm}(\rho)$ are the Zernike radial polynomials in (ρ, θ) polar coordinates defined by (A. Khotanzad, 1990), as follows :

Table 1: Moments of color components

Image	Color components	Mean μ_c	Variance σ_c	Skewness s_c
3429	3429 Y	158,23	2922,03	-0,05
	3429 U	148,07	341,20	-0,33
	3429 V	114,74	136,63	-0,11
3430	3430 Y	168,83	2423,25	-0,64
	3430 U	143,99	151,45	-0,11
	3430 V	108,87	131,91	-0,01
3431	3431 Y	182,81	2194,36	-0,80
	3431 U	136,60	109,34	-0,38
	3431 V	115,87	119,71	0,31
3432	3432 Y	160,64	2841,31	-0,15
	3432 U	134,98	377,52	0,11
	3432 V	123,67	134,44	0,26

$$R_{nm}(\rho) = \sum_{s=0}^{\frac{n-m}{2}} \frac{(-1)^s [(n-s)!] \rho^{n-2s}}{s! (\frac{n+|m|}{2} - s)! (\frac{n-|m|}{2} - s)!} \quad (5)$$

Note that $R_{n,-m}(\rho) = R_{nm}(\rho)$.
The polynomials of (5) are orthogonal

$$\iint_{x^2+y^2 \leq 1} [V_{nm}(x,y)]^* V_{nm}(x,y) dx dy = \frac{\pi}{n+1} \delta_{np} \delta_{mq} \quad (6)$$

where $\delta_{\alpha\beta} = 1$ for $\alpha = \beta$ and $\delta_{\alpha\beta} = 0$ otherwise, is the Kronecker symbol.

Zernike moment of order n and repetition m is defined as (A. Khotanzad, 1990), (G. Taubin, D.B. Cooper, 1991):

$$Z_{nm} = \frac{n+1}{\pi} \iint_{x^2+y^2 \leq 1} V_{nm}^*(\rho, \theta) f(x,y) dx dy \quad (7)$$

where:
- $f(x,y)$ is the continuous image intensity function at (x,y) in Cartesian coordinates.

For a digital image the discrete approximation of equation 7 is given as

$$Z_{nm} = \frac{n+1}{\pi} \sum_x \sum_y f(x,y) V_{nm}^*(\rho, \theta), \quad x^2+y^2 \leq 1 \quad (8)$$

To calculate the Zernike moments of an image $f(x,y)$, the image is first mapped onto the unit disk using polar coordinates, where the center of the image

is the origin of the unit disk. Pixels falling outside the unit disk are not used in the calculation.

We use the Zernike moments modules $|Z_{mn}|$ as the features of shape in the recognition of pattern. The magnitude of Zernike moments has rotational invariance property. An image can be better described by a small set of its Zernike moments than any other type of moments such as geometric moments, Legendre moments, rotational moments, and complex moments in terms of mean-square error. Zernike moments do not have the properties of translation invariance and scaling invariance. The way to achieve such invariance is image translation and image normalization before calculation of Zernike moments.

To characterize the shape we used a feature vector:

$$SFV = (Z_{1m}, Z_{2m}, \dots, Z_{nm}) \quad (9)$$

consisting of the Zernike moments. This vector is used to index each shape in the database. The distance between two feature vectors is determined by city block distance measure.

3 FUZZY MOMENTS

The centroid of the segmented image is found and furthermore, m concentric circles are drawn with the centroid of the image as center such that the radius ρ_j of the j th circle.

The radial and angular fuzzy moments of the segment contained between angles α and $\alpha + \theta$ and between circles of radius ρ_j and ρ_{j+1} are defined as follows

$$\Psi^{\rho_j, \alpha}(k, p, q) = \sum_{\rho_j}^{\rho_{j+1}} \sum_{\alpha}^{\alpha+\theta} \rho^k \mu(F(\rho, \theta)) \cos^p \theta \sin^q \theta \quad (10)$$

where k is order of the radial moments and $(p + q)$ is the order of the angular moments and

$$\mu = \begin{cases} 0 & f \leq a \\ 2 \times \left[\frac{(f-a)}{(c-a)} \right]^2 & a \leq f \leq b \\ 1 - 2 \times \left[\frac{(f-a)}{(c-a)} \right]^2 & b \leq f \leq c \\ 1 & x \geq c \end{cases} \quad (11)$$

4 QUERY PROCESSING

The color image retrieval must be researched in the certain color space. The YUV space is selected to research the color image retrieval therefore we must perform all the operations according to the Y,U,V components.

The general algorithm for color image retrieval is as follows:

1. Calculate the three component images of the color image in the certain color space (i.e. YUV)
2. Calculate the color moments for each component image
3. Calculate the Zernike moments for each component image
4. Calculate the fuzzy moments for each component image
5. Each component image corresponds to feature vectors $V_c = [CMFV_c, SMFV_c, FMFV_c]$ where $CMFV_c$ is color moment feature vector (3 moments for each image components), and $SMFV$ and $FMFV$ are respectively Zernike moments and fuzzy moments for each image components $c = Y, U, V$.
6. Feature vector for color image is $V_{image} = [V_Y, V_U, V_V]$
7. Calculate the distance between each subfeature of one image to the other images and the minimum is selected as the feature distance between color images
8. Take the feature distance as the image similarity to perform the color image retrieval.

Three similarity functions $sim_Y(Q, D)$, $sim_U(Q, D)$ and $sim_V(Q, D)$, respectively accounting for YUV image components, are computed. Each function $sim_X(Q, D)$ between a database image feature, defined by the tuple $D = (d_0, d_1, \dots, d_n)$, and the query image feature, also defined by a tuple

$Q = (q_0, q_1, \dots, q_n)$ is computed using the cosine similarity coefficient, defined as:

$$sim(Q, D) = \frac{\sum d_i q_i}{\sqrt{\sum d_i^2 \times \sum q_i^2}} \quad (12)$$

The resulting coefficients are merged to form the final similarity function as:

$$sim(Q, D) = a \times sim_Y(Q, D) + b \times sim_U(Q, D) + c \times sim_V(Q, D) \quad (13)$$

where a, b and c are weighting coefficient empirically set.

5 CONCLUSION

Currently available large images repositories require new and efficient methodologies for query and retrieval. Content based access appears to be a promising direction to increase the efficiency and accuracy of unstructured data retrieval. We have introduced a system for similarity evaluation based on the extraction of simple features such as color and fuzzy image moments. We considered these features as a simple set perceptually useful in the retrieval from thematic databases, i.e. limited to a common semantic domain.

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