

# MULTIPLE ORGAN FAILURE DIAGNOSIS USING ADVERSE EVENTS AND NEURAL NETWORKS

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Abstract: In the past years, the *Clinical Data Mining* arena has suffered a remarkable development, where *intelligent data analysis* tools, such as *Neural Networks*, have been successfully applied in the design of medical systems. In this work, *Neural Networks* are applied to the prediction of organ dysfunction in *Intensive Care Units*. The novelty of this approach comes from the use of *adverse events*, which are triggered from four bedside alarms, being achieved an overall predictive accuracy of 70%.

## 1 INTRODUCTION

Scoring the severity of illness has become a daily routine practice in *Intensive Care Units (ICUs)*, with several metrics available, such as the *Acute Physiology and Chronic Health Evaluation System (APACHE II)* or the *Acute Physiology Score (SAPS II)*, just to name a few (Teres and Pekow, 2000). Yet, most of these prognostic models (given by *Logistic Regression*) are static, being computed with data collected within the first 24 hours of a patient's admission. This will produce a limited impact in clinical decision making, since there is a lack of accuracy of the patient's condition, with no intermediate information being used.

On the other hand, the *Clinical Data Mining* is a rapidly growing field, which aims at discovering patterns in large clinical heterogeneous data (Cios and Moore, 2002). In particular, an increasing attention has been set of the use of *Neural Networks* (connectionist models that mimic the human central nervous system) in *Medicine*, with the number of publications growing from two in 1990 to five hundred in 1998 (Dybowski, 2000).

The interest in *Data Mining* arose due to the rapid emergence of electronic data management methods, holding valuable and complex information (Hand et al., 2001). However, human experts are limited and may overlook important details, while techniques such as *Neural networks* have the potential to solve some of these hurdles, due to capabilities such as nonlinear learning, multi-dimensional mapping and noise toler-

ance (Bishop, 1995).

In *ICUs*, *organ failure diagnosis* in real time is a critical task. Its rapid detection (or even prediction) may allow physicians to respond quickly with therapy (or act in a proactive way). Moreover, multiple organ dysfunction will highly increase the probability of the patient's death.

The usual approach to detect organ failure is based in the *Sequential Organ Failure Assessment (SOFA)*, a diary index, ranging from 0 to 4, where an organ is considered to fail when its *SOFA* score is equal or higher than 3 (Vincent et al., 1996). However, this index takes some effort to be obtained (in terms of time and costs).

This work is motivated by the success of previous applications of *Data Mining* techniques in *ICUs*, such as *predicting hospital mortality* (Santos et al., 2002). The aim is to study the application of *Neural Networks* for organ failure prediction (identified by high *SOFA* values) of six systems: *respiratory*, *coagulation*, *liver*, *cardiovascular*, *central nervous* and *renal*. Several approaches will be tested, using different *feature selection*, *training* and *modeling* configurations. A particular focus will be given to the use of daily intermediate adverse events, which can be automatically obtained from four hourly bedside measurements, with fewer costs when compared to the *SOFA* score.

The paper is organized as follows: first, the *ICU* clinical data is presented, being preprocessed and transformed into a format that enables the classifica-

tion task; then, the neural models for organ failure diagnosis are introduced; next, a description of the different experiments performed is given, being the results analyzed and discussed; finally, closing conclusions are drawn.

## 2 MATERIALS AND METHODS

### 2.1 Clinical Data

In this work, a part of the *EURICUS II* database ([www.frice.nl](http://www.frice.nl)) was adopted which contains data related to 5355 patients from 42 *ICUs* and 9 European Union countries, collected during a period of 10 months, from 1998 to 1999. The database has one *entry* (or *example*) per each day (with a total of 30570), being its main features described in Table 1:

- The first six rows denote the *SOFA* values (one for each organ) of the patient's condition in the previous day. In terms of notation, these will be denoted by  $SOFA_{d-1}$ , where  $d$  represents the current day.
- The *case mix* appears in the next four rows, an information that remains unchanged during the patient's internment, containing: the *admission type* (1 - Non scheduled surgery, 2 - Scheduled surgery, 3 - Physician); the *admission origin* (1 - Surgery block, 2 - Recovery room, 3 - Emergency room, 4 - Nursing room, 5 - Other *ICU*, 6 - Other hospital, 7 - Other sources); the *SAPSII* score (a mortality prediction index, where higher values suggest a high death probability) and the patient's age. Figure 1 shows the frequency distributions of these attributes.
- Finally, the last four rows denote the intermediate outcomes, which are triggered from four monitored biometrics: the *systolic Blood Pressure (BP)*; the *Heart Rate (HR)*; the *Oxygen saturation (O2)*; and the *URine Output (UR)*. A panel of *EURICUS II* experts defined the normal ranges for these four variables (Tables 2 and 3). Each *event* (or *critical event*) is defined as a binary variable, which will be set to 0 (false), if the physiologic value lies within the advised range; or 1 (true) else, according to the time criterion.

Before attempting modeling, the data was preprocessed, in order to set the desired classification outputs. First, six new attributes were created, by sliding the  $SOFA_{d-1}$  values into each previous example, since the intention is to predict the patient's condition ( $SOFA_d$ ) with the available data at day  $d$  ( $SOFA_{d-1}$ , *case mix* and adverse events). Then, the last day of the patient's admission entries were discarded (remaining a total of 25309), since in this cases, no  $SOFA_d$  information is available. Finally,

the new attributes were transformed into binary variables, according to the expression:

$$\begin{aligned} &0, \text{ if } SOFA_d < 3 \quad (\text{false, no organ failure}) \\ &1, \text{ else} \quad (\text{true, organ dysfunction}) \end{aligned} \tag{1}$$

### 2.2 Neural Networks

In *MultiLayer Perceptrons*, one of the most popular *Neural Network* architectures, *neurons* are grouped into *layers* and only *forward connections* exist (Bishop, 1995). Supervised learning is achieved by an iterative adjustment of the network *connection weights* (the *training procedure*), in order to minimize an error function, computed over the training examples (*cases*).

The state of a neuron ( $s_i$ ) is given by (Haykin, 1999):

$$s_i = f(w_{i,0} + \sum_{j \in I} w_{i,j} \times s_j) \tag{2}$$

where  $I$  represents the set of nodes reaching node  $i$ ,  $f$  the activation function (possibly of nonlinear nature),  $w_{i,j}$  the weight of the connection between nodes  $j$  and  $i$  (when  $j = 0$ , it is called *bias*); and  $s_1 = x_1, \dots, s_n = x_n$ , being  $x_1, \dots, x_n$  the input vector values for a network with  $n$  inputs.

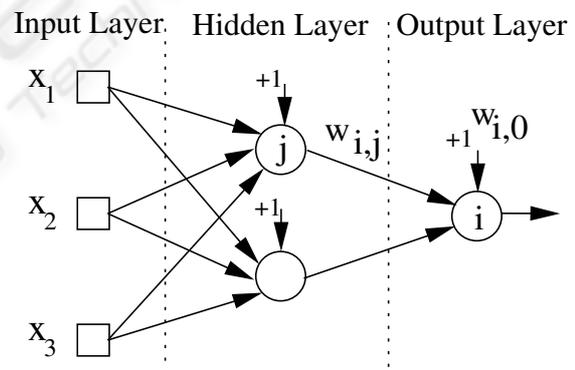


Figure 2: A fully connected network with 3 inputs, 2 hidden nodes, 1 output and *bias* connections.

All experiments reported in this work will be conducted using a neural network object oriented programming environment, developed in *JAVA*.

Fully connected *Multilayer Perceptrons* with *bias* connections, one hidden layer (with a fixed number of hidden nodes) and logistic activation functions ( $f(x) = \frac{1}{1+e^{-x}}$ ) were adopted for the organ failure classification (Figure 2). Only one output node is used, since each organ system will be modeled by a different network. This splitting is expected to facilitate the *Neural Network* learning process. Therefore,

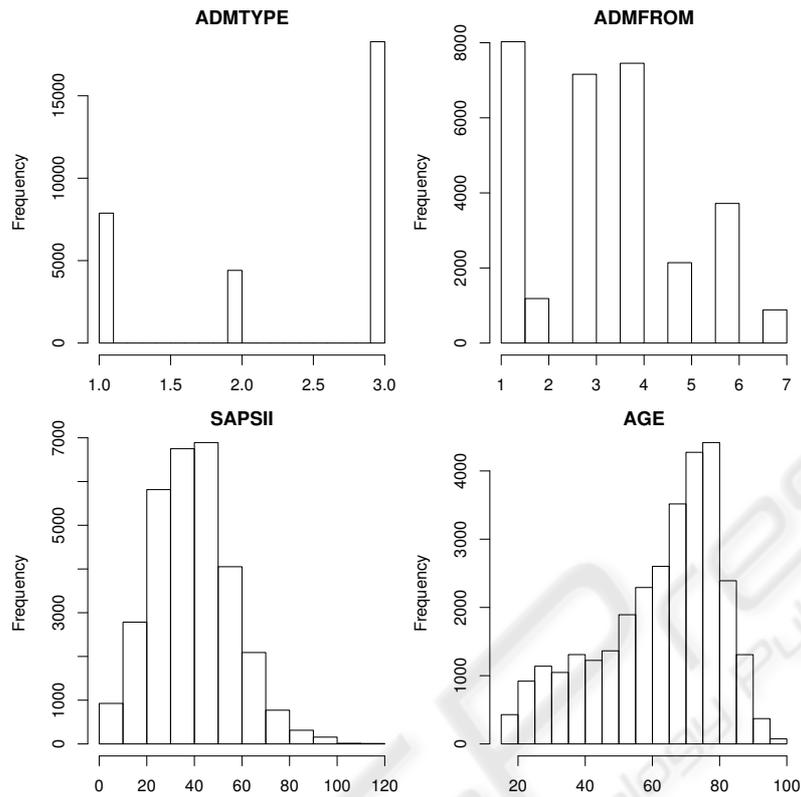


Figure 1: The *case mix* histograms.

Table 1: The clinical data attributes.

Attribute	Description	Domain Values
<b>respirat</b>	Respiratory	{0, 1, 2, 3, 4}
<b>coagulat</b>	Coagulation	{0, 1, 2, 3, 4}
<b>liver</b>	Liver	{0, 1, 2, 3, 4}
<b>cardiova</b>	Cardiovascular	{0, 1, 2, 3, 4}
<b>cns</b>	Central nervous system	{0, 1, 2, 3, 4}
<b>renal</b>	Renal	{0, 1, 2, 3, 4}
<b>admtyp</b>	Admission type	{1, 2, 3}
<b>admfrom</b>	Admission origin	{1, 2, ..., 7}
<b>sapsII</b>	SAPSII score	{0, 1, ..., 160}
<b>age</b>	Patients' age	{18, 19, ..., 100}
<b>NBP</b>	Number of daily <i>BP</i> events and critical events	{0, 1, ..., 28}
<b>NHR</b>	Number of daily <i>HR</i> events and critical events	{0, 1, ..., 26}
<b>NO2</b>	Number of daily <i>O2</i> events and critical events	{0, 1, ..., 30}
<b>NUR</b>	Number of daily <i>UR</i> events and critical events	{0, 1, ..., 29}

the predicted class ( $P_k$ ) for the  $k$  example is given the nearest class value:

$$P_k = \begin{cases} 0, & \text{if } s_{k,o} < 0.50 \\ 1, & \text{else} \end{cases} \quad (3)$$

where  $s_{k,o}$  denotes the output value for the  $o$  output

node and the  $k$  input example.

Before feeding the *Neural Networks*, the data was preprocessed: the input values were standardized into the range  $[-1, 1]$  and a *1-of-C* encoding (one binary variable per class) was applied to the nominal attributes (non ordered) with few categories

Table 2: The *event* time ranges.

Event	Suggested Range	Continuously Out of Range	Intermittently Out of Range
BP (mmHg)	90 – 180	$\geq 10'$	$\geq 10'$ in 30'
O2 (%)	$\geq 90$	$\geq 10'$	$\geq 10'$ in 30'
HR (bpm)	60 – 120	$\geq 10'$	$\geq 10'$ in 30'
UR (ml/hour)	$\geq 30$	$\geq 1$ hour	

Table 3: The *critical event* time ranges.

Critical Event	Suggested Range	Continuously Out of Range	Intermittently Out of Range	Event Anytime
BP (mmHg)	90 – 180	$\geq 60'$	$\geq 60'$ in 120'	BP < 60
O2 (%)	$\geq 90$	$\geq 60'$	$\geq 60'$ in 120'	O2 < 80
HR (bpm)	60 – 120	$\geq 60'$	$\geq 60'$ in 120'	HR < 30 $\vee$ HR > 180
UR (ml/hour)	$\geq 30$	$\geq 2$ hours		$\leq 10$

( $SOFA_{d-1}$ , *admtype* and *admfrom*). For example, the *admtype* variable is fed into 3 input nodes, according to the scheme:

$$\begin{array}{l} 1 \rightarrow -1 \quad -1 \quad 1 \\ 2 \rightarrow -1 \quad 1 \quad -1 \\ 3 \rightarrow -1 \quad -1 \quad 1 \end{array}$$

At the beginning of the training process, the network weights are randomly set within the range [-1,1]. Then, the *RPROP* algorithm (Riedmiller, 1994) is applied, due to its faster convergence and stability, being stopped when the training error slope is approaching zero or after a maximum of *E* epochs (Prechelt, 1998).

### 2.2.1 Statistics

To insure statistical significance, 30 runs were applied in all tests, being the accuracy estimates achieved using the *Holdout* method (Flexer, 1996). In each simulation, the available data is divided into two mutually exclusive partitions, using stratified sampling: the *training set*, used during the modeling phase; and the *test set*, being used after training, in order to compute the accuracy estimates.

A common tool for classification analysis is the *confusion matrix* (Kohavi and Provost, 1998), a matrix of size  $L \times L$ , where *L* denotes the number of possible classes (*domain*). This matrix is created by matching the *predicted (test result)* and *actual (patients real condition)* values. When  $L = 2$  and there are four possibilities (Table 4): the number of *True Negative (TN)*, *False Positive (FP)*, *False Negative (FN)* and *True Positive (TP)* classifications.

From the matrix, three accuracy measures can be defined (Essex-Sorlie, 1995): the *Sensitivity* (also

Table 4: The  $2 \times 2$  *confusion matrix*.

↓ actual \ predicted →	negative	positive
negative	TN	FP
positive	FN	TP

known as *recall* and *Type II Error*); the *Specificity* (also known as *precision* and *Type I Error*); and the *Accuracy*, which gives an overall evaluation. These metrics can be computed using the following equations:

$$\begin{aligned} \text{Sensitivity} &= \frac{TP}{FN+TP} \times 100 (\%) \\ \text{Specificity} &= \frac{TN}{TN+FP} \times 100 (\%) \\ \text{Accuracy} &= \frac{TN+TP}{TN+FP+FN+TP} \times 100 (\%) \end{aligned} \quad (4)$$

## 3 RESULTS

### 3.1 Feature Selection

Four different feature selection configurations will be tested, in order to evaluate the input attribute importance:

- A - which uses only the  $SOFA_{d-1}$  values (1 variable).
- B - where all available input information is used ( $SOFA_{d-1}$  of the corresponding organ system, the *case mix* and the *adverse events*, in a total of 9 attributes);
- C - in this case, the  $SOFA_{d-1}$  is omitted (8 variables); and

**D** - which uses only the four *adverse outcomes*.

Since the *SOFA* score takes costs and time to obtain, in this study, a special attention will be given to the last two settings.

In the initial experiments, it was considered more important to approach feature selection than model selection. Due to time constrains, the number of hidden nodes was set to  $\text{round}(N/2)$ , where  $N$  denotes the number of input nodes ( $N = 5$ ,  $N = 21$ ,  $N = 16$  and  $N = 4$ , for the **A**, **B**, **C** and **D** setups, respectively); and  $\text{round}(x)$  gives nearest integer to the  $x$  value.

The commonly used 2/3 and 1/3 partitions were adopted for the *training* and *test* sets (Flexer, 1996), while the maximum number of training epochs was set to  $E = 100$ . Each input configuration was tested for all organ systems, being the accuracy measures given in terms of the mean of thirty runs (Table 5).

The **A** selection manages to achieve a high performance, with an *Accuracy* ranging from 86% to 97%, even surpassing the **B** configuration. This is not surprising, since it is a well established fact that the *SOFA* is a adequate score for organ dysfunction. Therefore, the results suggest that there is a high correlation between  $SOFA_{d-1}$  and  $SOFA_d$ .

When the *SOFA* index is omitted (**C** and **D**), the *Accuracy* values only decay slightly. However, this measure (which is popular within *Data Mining* community) is not sufficient in *Medicine*. Ideally, a test should report both high *Sensitivity* and *Specificity* values, which suggest a high level of confidence (Essex-Sorlie, 1995). In fact, there seems to be a trade-off between these two characteristics, since when the *SOFA* values are not present (Table 5), the *Sensitivity* values suffer a huge loss, while the *Specificity* values increase.

### 3.2 Balanced Training

Why do the **A/B** selections lead to high *Accuracy* /*Specificity* values and low *Sensitivity* ones? The answer may be due to the biased nature of the organ dysfunction distributions; i.e., there is a much higher number of *false* (0) than *true* (1) conditions (Figure 3).

One solution to solve this handicap, is to *balance* the training data; i.e., to use an equal number of true and false learning examples. Therefore, another set of experiments was devised (Table 6), using random sampling training sets, which contained 2/3 of the true examples, plus an equal number of false examples. The test set was composed of the other 1/3 positive entries. In order to achieve a fair comparison with the previous results, the negative test examples were randomly selected from the remaining ones, with a distribution identical to the one found in the original

dataset (as given by Figure 3).

The obtained results show a clear improvement in the *Sensitivity* values, specially for the **C** configuration, stressing the importance of the *case mix* attributes. Yet, the overall results are still far from the ones given by the **A** selection.

### 3.3 Improving Learning

Until now, the main focus was over selecting the correct training data. Since the obtained results are still not satisfactory, the attention will move towards better *Neural Network* modeling. This will be achieved by changing two parameters: the *number of hidden nodes* and the *maximum number of training epochs*. Due to computational power restrictions, these factors were kept fixed in the previous experiments. However, the adoption of *balanced training* leads to a considerable reduction of the number of training cases, thus reducing the required training time.

Several experimental trials were conducted, using different combinations of hidden nodes ( $H = 4$ , 8, 16 and 32) and maximum number of epochs ( $E = 100$ , 500 and 1000), being selected the configuration which gave the lowest training errors ( $H = 16$  and  $E = 1000$ ). These setup lead to better results, for all organ systems and accuracy measures (Table 6).

To evaluate the obtained results, a comparison with other *Machine Learning* classifiers was performed (Table 7), using two classical methods from the *WEKA Machine Learning* software (Witten and Frank, 2000): *Naive Bayes* - a statistical algorithm based on probability estimation; and *JRIP* - a learner based on "IF-THEN" rules.

Although presenting a better *Accuracy*, the *Naive Bayes* tends to emphasize the *Specificity* values, giving poor *Sensitivity* results. A better behavior is given by the *JRIP* method, with similar *Sensitivity* and *Specificity* values. Nevertheless, the *Neural Networks* still exhibit the best overall performances.

## 4 CONCLUSIONS

The surge of novel bio-inspired tools, such as *Neural Networks*, has created new exciting possibilities for the field of *Clinical Data Mining*. In this work, these techniques were applied for *organ failure diagnosis* of *ICU* patients.

Preliminary experiments were drawn to test several feature selection configurations, being the best results obtained by the solely use of the *SOFA* value, measured in the previous day. However, this score takes much more time and costs to be obtained, when compared with the physiologic adverse events. Therefore, another set of experiments were conducted, in order

Table 5: The *feature selection* performances (in percentage).

Organ	A			B			C			D		
	Acc.	Sen.	Spe.									
respirat	86.3	72.4	90.2	86.2	70.0	90.8	77.9	4.4	98.8	77.6	1.8	99.4
coagulat	97.4	68.8	98.7	97.3	59.6	99.0	95.8	4.6	99.9	95.7	0.0	100
liver	98.3	68.6	99.1	98.3	60.2	99.4	97.3	7.6	99.9	97.3	0.0	100
cardiova	94.2	84.1	96.3	94.2	84.0	96.3	82.8	7.5	99.0	82.2	0.5	99.8
cns	95.7	92.7	96.4	95.7	92.3	96.4	83.5	23.4	97.1	81.6	0.4	99.9
renal	95.5	71.3	97.8	95.3	66.6	98.1	91.4	5.7	99.7	91.1	0.3	100
Mean	94.6	76.3	96.4	94.5	72.1	96.7	88.1	8.9	99.1	87.6	0.5	99.96

Acc. - Accuracy, Sen. - Sensitivity, Spe - Specificity.

Table 6: The balanced C, D and C improved performances (in percentage).

Organ	C			D			C (improved)		
	Acc.	Sen.	Spe.	Acc.	Sen.	Spe.	Acc.	Sen.	Spe.
respirat	61.3	66.4	59.8	67.1	41.1	74.5	63.3	70.4	61.3
coagulat	67.6	66.8	67.7	73.7	41.5	75.1	70.0	72.0	69.9
liver	70.0	71.6	70.0	66.9	36.5	67.8	72.5	77.3	72.4
cardiova	65.9	62.5	66.7	68.2	37.9	74.8	69.1	66.3	69.8
cns	73.6	63.9	75.7	66.8	36.3	73.7	75.2	72.2	75.8
renal	67.8	65.6	68.0	73.2	37.6	76.6	71.9	70.5	72.0
Mean	67.7	66.2	68.0	69.3	38.5	73.8	70.3	71.5	70.2

Acc. - Accuracy, Sen. - Sensitivity, Spe - Specificity.

Table 7: The classifiers performances for the C selection balanced data (in percentage).

Organ	Naive Bayes			JRIP			Neural Networks		
	Acc.	Sen.	Spe.	Acc.	Sen.	Spe.	Acc.	Sen.	Spe.
respirat	73.5	25.2	87.3	62.8	61.9	63.0	63.3	70.4	61.3
coagulat	83.3	24.8	85.8	67.8	62.4	68.0	70.0	72.0	69.9
liver	70.8	54.3	71.2	75.7	73.7	75.7	72.5	77.3	72.4
cardiova	73.4	33.4	82.0	66.6	70.3	65.8	69.1	66.3	69.8
cns	76.3	41.3	84.2	77.6	74.4	78.3	75.2	72.2	75.8
renal	76.8	45.6	79.9	69.1	68.5	69.2	71.9	70.5	72.0
Mean	75.7	37.4	81.7	69.9	68.5	70.15	70.3	71.5	70.2

Acc. - Accuracy, Sen. - Sensitivity, Spe - Specificity.

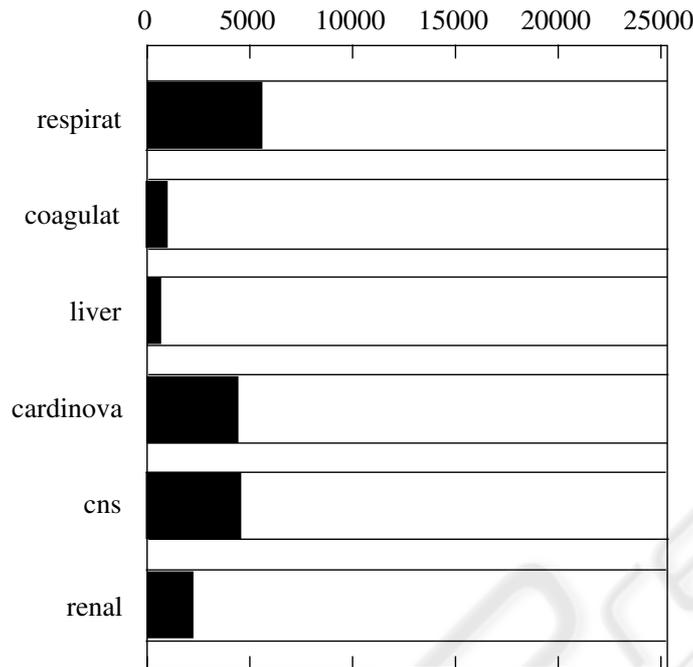


Figure 3: The organ failure true (in black) and false (in white) proportions.

to improve the use of the latter outcomes. First, the training sets were balanced to contain similar proportions of positive and negative examples. Then, the number of hidden nodes and training epochs was increased. As the result of these changes, an improved performance was gained, specially in terms of *sensitivity*.

A final comparison between the SOFA score and the proposed solution (the C improved setup), still favors the former, although the *Sensitivity* values are close (being even higher for the C configuration in the *coagulation* and *liver systems*). Nevertheless, it is important to stress the main goal of this work: to show that is it possible to diagnose organ failure by using cheap and fast intermediate outcomes (within our knowledge this is done for the first time). The results so far obtained give an overall accuracy of 70%, which although not authoritative, still back this claim. In addition, the proposed approach opens room for the development of automatic tools for clinical decision support, which are expected to enhance the physician response.

In future research it is intend to improve the performances, by exploring different *Neural Network* types, such as *Radial Basis Functions* (Bishop, 1995). Another interesting direction is based in the use of alternative *Neural Network* training algorithms, which can optimize other learning functions (e.g., *Evolutionary Algorithms* (Rocha et al., 2003)), since the gradient-

based methods (e.g., the *RPROP* (Riedmiller, 1994)) work by minimizing the *Sum Squared Error*, a target which does not necessarily correspond to maximizing the *Sensitivity* and *Specificity* rates. Finally, it is intended to enlarge the experiments to other *ICU* applications (e.g., predicting *life expectancy*).

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