

# Supporting Detection of Near and Far Pedestrians in a Collision Prediction System

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**Abstract:** This paper proposes a multi-window-based detector to locate pedestrians near and distant. This detector is introduced in a pedestrian collision prediction (PCP) system. We developed an evaluation strategy for the proposed PCP system based on a synthetic collision database, which allowed us to analyze collision prediction quality improvements. Results demonstrate that the combination of different window subdetectors outperforms individual subdetectors' accuracy and YOLO-based detector. Once our system achieved a processing rate of 30 FPS when processing images in HD resolution, results demonstrated an increase in the number of scenarios that the system could entirely avoid a collision compared to a YOLO-based system.

## 1 INTRODUCTION

Pedestrians represent more than half of all the global deaths in transit accidents (Organization, 2018). Pedestrian collision prediction (PCP) systems are fundamental in reducing accidents because they permit efficient and early decision-making (Haas et al., 2020). Camera-based sensors have been widely adopted in PCP systems because they provide high-resolution features that permit PCP systems to understand the pedestrian's behavior and intention (Haas et al., 2020).

Given that automobiles are getting faster and faster, PCP systems capable of predicting pedestrians' collisions over long distances are desirable. The higher the speed, the greater the distance to stop the vehicle. Also, on a wet road, this distance tends to be longer (Li et al., 2020).

Most of the detectors typically perform sliding fixed-size window with HOG-based feature extractors (Dalal and Triggs, 2005). These detectors typically support  $128 \times 64$  windows and work reasonably well with large-sized pedestrians near the camera. However, when the target pedestrians are smaller than  $128 \times 64$  (i.e., more distant), the detector almost always fails to detect any pedestrian.

Thus, this paper presents a PCP system that combines several trained HOG-based subdetectors with

different window sizes to capture pedestrians both near and far. Also, some significant contributions are described as follow:

- We propose an approach for distance estimation that deals with bad-fitted bounding boxes in pedestrian detection and a geometric filtering approach to reduce false positives
- To evaluate PCP systems, we propose synthetic collision scenarios involving an occluded pedestrian crossing in front of the moving car. These scenarios represent most accidents and are challenging because of the need for a fast reaction from the vehicle.
- Our system achieves an 11% miss rate against 42% of the YOLO-based system in real scenarios, and our system predicted a collision faster than the YOLO-based system in 27 out of 35 scenarios.

The paper organization is the following. Section 2 describes some existing vision-based PCP systems and pedestrian detection approaches. Section 3 describes the details of the proposed PCP system. Section 4 presents an evaluation of the proposed system and comparatives with related works, and finally, Section 5 concludes the paper.

## 2 RELATED WORKS

Great efforts have been made to the pedestrian detection task to solve the challenges in developing PCP

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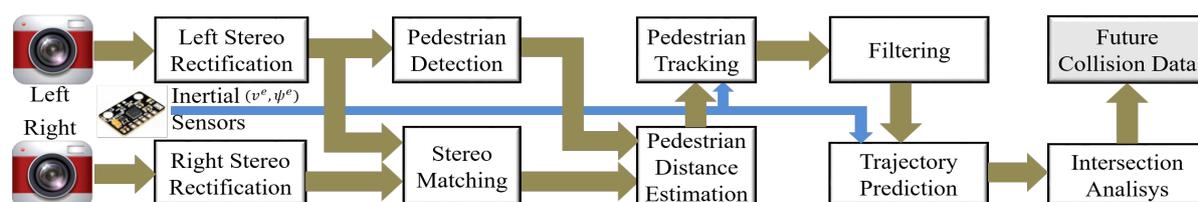


Figure 1: The general architecture of the proposed PCP system.

systems. The histogram of oriented gradient or HOG descriptor by Dalal and Triggs (Dalal and Triggs, 2005) is perhaps the most well-known feature engineering technique constructed for pedestrian detection. HOG served as a base for the emergence of many other techniques (Benenson et al., 2014). HOG has been employed in the PCP system proposed by (Keller et al., 2011) with  $48 \times 96$  windows. With this window size, the authors only detect pedestrians between 10 and 25 meters. Besides, all the steps' processing performance reaches a rate of 15 FPS, operating at VGA image resolution (i.e.,  $640 \times 480$ ).

Other pedestrian detectors category is based on deep convolutional neural networks (CNN) (Krizhevsky et al., 2012). Many variants of CNN-based techniques achieved state-of-the-art pedestrian detection performance, for example, YOLO (You only look once) (Redmon and Farhadi, 2018). YOLO can detect pedestrians at various scales and aspect ratio in the image. However, in the specific case of pedestrians far away, even at high proportions of false positives, YOLO and other CNN-based detectors still have too low recall rates.

One way to work around the deficiency of detecting distant people is to process frames with increasing resolutions. However, CNN-based detectors have a high computational cost that prevents us from obtaining efficient processing solutions (Nguyen et al., 2019). On the other hand, HOG-based approaches combined with shallow linear classifiers such as SVM can achieve high processing rates (Helali et al., 2020) due to their relatively regular and straightforward processing. With the implementation of HOGs efficiently calculating frames at high resolutions, we could explore multiple windows and small window sizes to capture pedestrians further and further away.

### 3 PROPOSED PCP SYSTEM

Figure 1 shows an overview of a PCP system's proposed architecture. We use a stereo camera system attached to the vehicle to capture stereo frame pairs. Vehicle movement data such as speed ( $v^e$ ) and yaw rate ( $\psi^e$ ) are collected from inertial sensors and aligned

with each frame.

Corrections of radial and tangential distortions and horizontal alignment are performed in each frame by the stereo rectification stage (Hartley and Zisserman, 2003). The stereo matching step calculates the disparity map that informs each pixel's distance. We adopted the Semi-Global Matching (SGM) (Hirschmuller, 2008) technique that performs an optimization throughout the entire image, producing more robust and accurate disparity maps for the urban context. Problems of occlusion and mismatched disparities are faced by stereo matching approaches that reduce pedestrian distance estimation accuracy. We use the L/R check technique (Hirschmuller, 2008) to find such pixels. The techniques proposed for the remaining steps are detailed as follows.

#### 3.1 Pedestrian Detection

The pedestrian detection aims to find pedestrians by bounding boxes. We proposed to this step, an approach that combines several trained detectors with different window sizes to capture pedestrians of various sizes and distances, as shown in Figure 2. Each subdetector includes an image pyramid technique, a sliding window, HOG, and a linear SVM. The image pyramid technique with a scale factor of  $\theta_{scale}$  deals with pedestrians with larger dimensions than the detector window dimension. Parameters  $\Delta_u$  and  $\Delta_v$ , from the sliding window, define the shift between detection windows on the axis  $u$  and  $v$ , respectively, in the image.

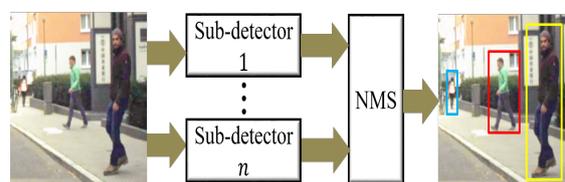


Figure 2: Multi-window-based detector.

Each subdetector returns bounding boxes whose confidence score is greater than  $\sigma_{svm}$ . We perform a Non-Maximum Suppression (NMS) step to remove several neighboring predictions from the same pedes-

trian. Typically, two bounding boxes  $BB_i$  and  $BB_j$  are supposed to correspond to a unique pedestrians if the overlap defined by Equation 1 is above a threshold  $\theta_{nms} = 0.5$ . We select the highest-scoring bounding box and then remove all the bounding boxes with enough overlap.

$$\Gamma(BB_i, BB_j) = \frac{\text{area}(BB_i \cap BB_j)}{\text{area}(BB_i \cup BB_j)} \quad (1)$$

To train each pedestrian detector, we have created, from a given database with labeled pedestrians, a set of cropped images containing pedestrians (i.e., positive sample) and non-pedestrians (i.e., negative sample). Firstly, we select positive samples for constructing a training set. We permit pedestrians to be included in the positive sample even if their dimensions are smaller than the subdetector dimension. To be included, the differences between pedestrian width and detector width and pedestrian height and detector height have to be respectively smaller than  $th_{width}$  and  $th_{height}$  pixels. Thus, each subdetector can detect pedestrians with smaller distances than those permitted in its window dimension.

We perform data augmentation applying horizontal mirroring, image rotation, and contrast changing for each pedestrian location in the left image. When there exist disparity information and stereo image, we also collect cutouts from the right image. We applied a bootstrapping algorithm to increase the negative sample from an initial small negative sample obtained at random positions. The algorithm collects the incorrectly classified samples for the first time, adds these samples to the negative sample set, and retrains the SVM. The process is repeated several times until the detection precision achieves the convergence, or the amount of negative samples equals the amount of positive sample.

### 3.2 Distance Estimation

We calculate each pedestrian's lateral and longitudinal distances in two steps, as shown in Figure 3: (1) search for the greatest disparity value and (2) average of the disparity and lateral distance values.

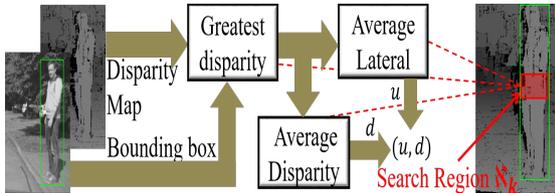


Figure 3: The pedestrian distance estimation approach.

In the first step, we search the greatest valid disparity value in a rectangular region  $\mathfrak{R}_k$  with a width

equal to the bounding box width and height of 5 pixels centered in the middle of the bounding box of a given detected pedestrian  $k$ . We called this value  $disp_{max}^k$ . In the second step, the final disparity and lateral distance of the pedestrian are estimated by averaging, respectively, the disparities and lateral distance within the rectangular region  $\mathfrak{R}_k$  whose absolute disparity difference to  $disp_{max}^k$  is less than a given threshold  $th_{disp}$ . We set  $th_{disp} = 2$  to guarantee selected disparities only belong to the pedestrian.

### 3.3 Pedestrian Tracking

The tracking identifies and labels measurements that belong to the same pedestrian over several consecutive frames. The measurements are the lateral and longitudinal distances. A pedestrian movement model is crucial for the effectiveness of the association of measurements and tracks and trajectory prediction. Thus, we detail the movement model and then the association steps.

#### 3.3.1 Pedestrian Motion Model

The constant velocity (CV) model describes the pedestrian movement through the state variable  $\mathbf{x} = (x, z, v_x, v_z)$ , where  $x$ ,  $z$ ,  $v_x$ , and  $v_z$  describe, respectively, the lateral and longitudinal distances; and the lateral and longitudinal velocities in the camera space. Following the perspective transformation model (Hartley and Zisserman, 2003), the relationship between the distance  $p_c = (x, y, z)$  in camera's coordinates and the distance  $p_i = (u, v, d)$  in image's coordinates is as follows:

$$\begin{pmatrix} u \\ v \\ d \end{pmatrix} = \begin{pmatrix} h_1(p_c) \\ h_2(p_c) \\ h_3(p_c) \end{pmatrix} = \begin{pmatrix} \frac{f \cdot x}{z} + u_0 \\ \frac{f \cdot y}{z} + v_0 \\ \frac{b \cdot f}{z} \end{pmatrix}, \quad (2)$$

where the parameters  $b$ ,  $f$  and  $(u_0, v_0)$  are, respectively, the distance between focal centers, the focal length, and the principal point of the stereo camera system. As we consider the pedestrian position is on the ground plane, so  $v = 0$  and  $h_2$  can be ignored.

To reduce the effect of the measurement noise on the pedestrian's velocity estimate, we used the extended version of Kalman filter (EKF) (Bar-Shalom et al., 2004), which deals with non-linear functions like that in Equation 2. The EKF estimates the state  $\mathbf{x}_k$  at time step  $k$  from measurement  $\mathbf{z}_k$  and previous state  $\mathbf{x}_{k-1}$  with the dynamical model:

$$\hat{\mathbf{x}}_k = \mathbf{A}_k \mathbf{x}_{k-1} + \mathbf{B}_k \mathbf{s}_{k-1} + \boldsymbol{\omega}_{k-1}, \quad (3)$$

where the relation between measurement and state is given by

$$\mathbf{z}_k = \mathbf{H}_k \mathbf{x}_k + \mathbf{v}_k \quad (4)$$

The matrices  $\mathbf{A}_k$  and  $\mathbf{B}_k = I_{4 \times 4}$  are transition matrices for the state  $\mathbf{x}$  and the control input  $\mathbf{s}$ , respectively,  $\omega_{k-1}$  and  $\nu_k$  are white, zero-mean, uncorrelated noise of processes and measurements with covariances  $\omega_{k-1} \sim \mathcal{N}(0, \mathbf{Q})$  and  $\nu_k \sim \mathcal{N}(0, \mathbf{R})$ .  $\mathbf{Q}$  is modeled as discrete white noise acceleration with a standard deviation of  $\sigma_x$  and  $\mathbf{R} = \text{diag}(\sigma_u^2, \sigma_d^2)$  where  $\sigma_u$  and  $\sigma_d$  are, respectively lateral and longitudinal measurement error. Since the transformation function  $h$  in Equation 2 is non-linear, the matrix  $\mathbf{H}_k$  is the Jacobian of  $h$ .

The coordinate system origin moves along with the vehicle. Therefore, to know the accurate pedestrian movement, we need to compensate for the vehicle movement when we calculate the evolution from  $\mathbf{x}_{k-1}$  to  $\mathbf{x}_k$ . This compensation is defined by the matrix  $\mathbf{A}_k$  and by the vector  $\mathbf{s}_k$  described as:

$$\mathbf{A}_k = \begin{bmatrix} \mathbf{R}_{M_c,k} & \mathbf{0}_{2 \times 2} \\ \mathbf{0}_{2 \times 2} & \mathbf{R}_{M_c,k} \end{bmatrix} \mathbf{A}, \quad (5)$$

$$\mathbf{s}_k = \begin{bmatrix} \mathbf{t}_{M_c,k} \\ \mathbf{0}_{2 \times 1} \end{bmatrix}, \quad (6)$$

where  $\mathbf{A}$  is the traditional transition matrix of the CV model,  $\mathbf{R}_{M_c,k} \in \mathbb{R}^{2 \times 2}$  and  $\mathbf{t}_{M_c,k} \in \mathbb{R}^{2 \times 1}$  are respectively rotation and translation matrices at the time  $t_k$ . These matrices are obtained from the inverse ego-motion homography matrix  $\mathbf{M}_c$  described as:

$$\mathbf{M}_c = \mathbf{D}^{-1} \mathbf{M}_v \mathbf{D}, \quad (7)$$

where the matrix  $\mathbf{D}$  defines the relation in homogeneous coordinates between the camera and vehicle coordinate system and  $\mathbf{M}_v$  is the inertial motion matrix in vehicle coordinates (Hartley and Zisserman, 2003).

### 3.3.2 Tracking Association and Management

Figure 4 shows the steps for associating tracks and measurements. For each track kept by a tracks list, we calculate the state prediction by Equation 3. Using the Euclidean distance, we calculate the dissimilarity between the predicted tracks and the new measurements. These dissimilarity values are used in the gating step to exclude unlikely associations whose distance is greater than a fixed threshold of  $t_{gate}$ . We set  $t_{gate} = 2$  because the same pedestrian can not be two meters away between consecutive frames. For the remaining associations, we carry out the so-called Hungarian method to the global one-to-one association of tracks and measurements, resulting in a list of tracks matched with measurements, unmatched tracks, and unmatched measurements.

The tracks manager uses these lists for updating the existing tracks list that is initially empty. For each unmatched measurement, the tracks manager creates

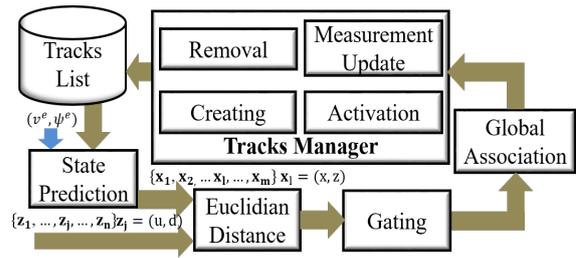


Figure 4: Pedestrian tracking approach.

a new track with the initial state  $\mathbf{x} = (x, z, 0, 0)$  where  $x$  and  $z$  are respectively the lateral and longitudinal distances from the measurement. For each track created  $i$ , there is a counter  $C_i$  that counts the frames number since its last successful association, a counter  $F_i$  that counts the number of successful associations since its creation, and a status to indicate whether the track is confirmed or not.  $C_i$  is incremented during the state forecasting step and reset when the track  $i$  is associated with some measurement. Tracks that exceed a predefined maximum age of  $C_{max} = 4$  probably have left the scene and are excluded from the tracks list.

New tracks have temporary status initially. When  $F_i$  is higher than a fixed value of  $F_{min} = 2$ , the trace  $i$  turns its status into confirmed. However, if any temporary track does not match any measurement in the following frames, it is removed from the tracks list. For each trace  $i$  matched with any measurement, we performed the measurement update of its internal state from EKF and incremented  $F_i$ . The trajectory prediction considers only tracks with confirmed status.

### 3.4 Filtering

We perform two types of filtering when obtaining measurements of pedestrian locations: temporal and geometric. Temporal filtering is performed through the tracking approach. When we consider only confirmed, we are applying time filtering. Geometric filtering considers locality restrictions on the track and restriction of pedestrian dimensions. The following equation describes the geometric filtering function:

$$D(h_k, w_k, f_k) = \begin{cases} 1, & \text{if } (1.2 < h_k < 3.5 \\ & \wedge w_k < 2.0 \wedge \\ & -h_{road} < f_k < h_{road}) \\ 0, & \text{otherwise} \end{cases}, \quad (8)$$

where  $h_k$  and  $w_k$  are, respectively, the height and the width of the pedestrian, and  $f_k$  is the foot's height concerning the camera for the one given pedestrian  $k$  in the camera space. We calculate  $h_k$ ,  $w_k$  from the bounding box's extreme pixels difference converted to the camera space, and  $f_k$  from the bounding box's

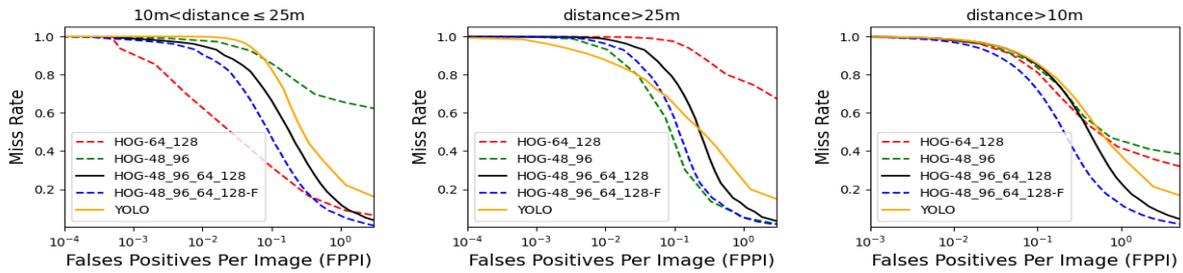


Figure 5: Quality of some detectors when locating pedestrians with distances between 10 and 25 meters (Group 1), above 25 meters (Group 2), and above 10 meters (Group 3). We generated  $\sigma_{sym}$  values in the interval of  $[2.0, 0.0]$  to obtain these results.

lowest point. The term  $h_{road}$  in the equation is defined as the camera's height relative to the vehicle coordinate system plus a tolerance of 1.2 meters. We consider a valid location if this equation is one.

### 3.5 Trajectory Prediction

The confirmed tracks' future trajectories are predicted by executing EKF state prediction steps without the measurement update step. In a recursive process, for each variable  $\hat{\mathbf{x}}_k$  estimated in the time step  $k$ , the next variable  $\hat{\mathbf{x}}_{k+1}$  is predicted to the next time step  $k+1$  using Equation  $\hat{\mathbf{x}}_{k+1} = \mathbf{A} \hat{\mathbf{x}}_k$ . To find future collisions, the pedestrian predicted positions need to be transformed into the vehicle space using Equation  $\mathbf{X}_{\hat{\mathbf{x}}_{\text{hom}}} = \mathbf{D} \mathbf{x}_{\hat{\mathbf{x}}_{\text{hom}}}$ , where  $\mathbf{x}_{\hat{\mathbf{x}}_{\text{hom}}}$  is the location in homogeneous coordinates of the predicted position.

$$X = v^e (\psi^e)^{-1} [1 - \cos(\psi^e t_f)] \quad (9)$$

$$Z = v^e (\psi^e)^{-1} [\sin(\psi^e t_f)] \quad (10)$$

The vehicle's future trajectory is predicted from current measurements of yaw rate  $\psi^e$  and velocity  $v^e$ . Moving in the radius of curve  $r = v^e \cdot \psi^e$ , the lateral (X) and longitudinal (Z) position in a future time  $t_f$  is calculated, respectively by Equations 9 and 10.

### 3.6 Intersection Analysis

We identify possible collision positions when each pedestrian's positions are at the same time in the future, touching the front of the vehicle. If a pedestrian's position  $q$  at the time-step  $k$ ,  $(X_k^q, Z_k^q)$ , touches the line composed by the vehicle's predicted extreme points, we mark this position as a collision position. We repeat this procedure for all pedestrians in all future positions.

## 4 RESULTS

We perform two evaluations: (1) of the pedestrian location component and (2) of the collision prediction

component. In the following, we show the database adopted, the results, and analyses. We also show the processing performance of the proposed PCP system.

### 4.1 Database Overview

We used the database (Schneider and Gavrila, 2013) that provides the ground-truth bounding boxes and distances from the pedestrian to the vehicle in each frame for both training and testing samples. This database consists of 68 samples containing a sequence of stereo frames and the vehicle velocity and yaw rate. The image resolution is  $1176 \times 640$  pixels, and the data capture rate is 16 FPS. The samples also contain scenarios with the vehicle moving or stopped.

### 4.2 System Configuration

To demonstrate improvements when detecting both distant and near pedestrians, we defined two subdetectors that will make up our multi-window-based detector. Subdetector 1 is responsible for detecting pedestrians above 25 meters away. For comparison, we define this subdetector with similar parameters to (Keller et al., 2011). Subdetector 2 is responsible for detecting pedestrians between 10 and 25 meters away. Both detectors parameters are defined in Table 1. We highlight the descriptor's cell dimension has to be small enough to obtain the entire pedestrian's salient features. The process noise parameter  $\sigma_x$  and measurement noise parameters  $\sigma_u$  and  $\sigma_d$  were defined, according to (Schneider and Gavrila, 2013), respectively as 4.0, 6.15, and 0.32.

Table 1: Subdetectors parameters.

Index	Window size <sup>1</sup>	Cell size <sup>1</sup>	Block size <sup>1</sup>	Bins <sup>1</sup>	$\theta_{scale}$	$(\Delta_u, \Delta_v)$
1	$48 \times 96$	$4 \times 4$	$2 \times 2$	9	1.1	(4, 4)
2	$64 \times 128$	$8 \times 8$	$2 \times 2$	9	1.1	(8, 8)

<sup>1</sup> Parameters from HOG approach.

We use the training set to train each subdetector. We create positive and negative patches for each de-

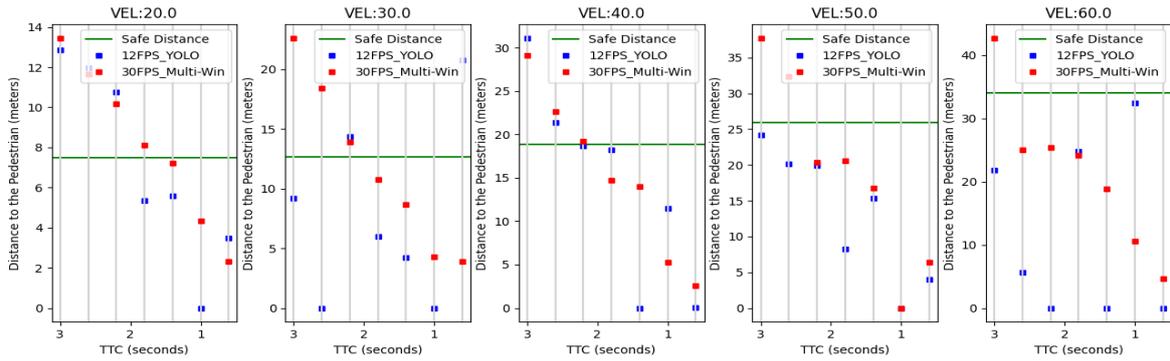


Figure 6: First collision prediction since the pedestrian’s emergence. The comparison was made involving our multi-window detector (Multi-Win) and the YOLO-based detector.

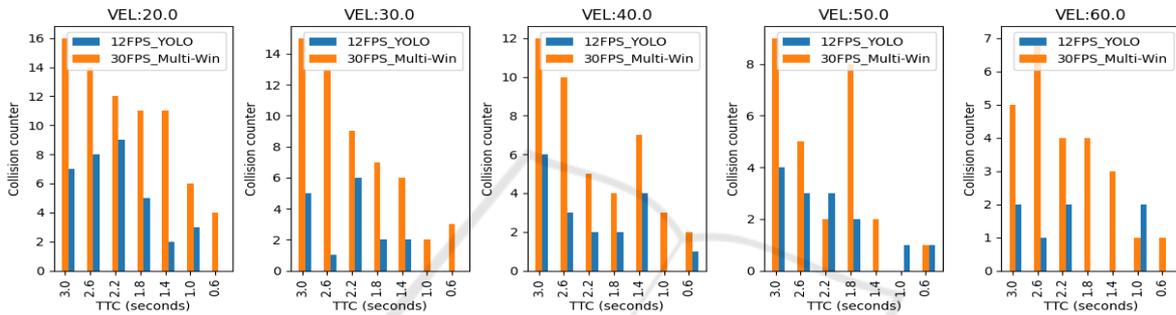


Figure 7: Amount of collision prediction since the the pedestrian’s emergence. The comparison was made involving our multi-window detector (Multi-Win) and the YOLO-based detector.

tor following the strategy defined in Section 3.1. We set  $th_{width}$  and  $th_{height}$  as respectively 40 and 20 pixels. The following data augmentation parameters have been carefully defined to permit the detector accuracy convergence during the training phase.

- Rotation (radian):  $\pm[0.1, 0.15, 0.20, 0.25]$
- Scale:  $+ [0.7, 0.75, 0.80, 0.85, 0.90]$
- Contrast:  $+ [0.7, 0.8, 1.2, 1.3]$

Using this database, it was also possible to obtain clippings in the right image from the disparity provided. For each generation of patches, we also perform horizontal mirroring. Thus, for subdetector 1, we had 9,504 positive clippings and 9,504 negative clippings; for subdetector 2, we had 7,084 positive clippings and 7,084 negative clippings.

### 4.3 Perception Evaluation

To compare system output with ground truth, we specify a localization tolerance, i.e., the maximum positional deviation that permits counting the right system detection. Object localization tolerance is defined as the percentage of distance, for longitudinal and lateral direction (Z and X), concerning the vehicle. For our evaluation of the location component, we

use  $Z = 30\%$  and  $X = 10\%$ , which means that, for example, at 10m distance, we tolerate a localization error of  $\pm 3m$  and  $\pm 1m$  in the longitudinal and lateral position (Keller et al., 2011).

We use the test base defined in Section 4.1 and divide it concerning pedestrian to vehicle distance. We defined Group 1 as being formed by the frames with distances between 10m and 25m, while Group 2 as being formed by frames with distances above 25m. We counted 2432 and 1657 frames for Groups 1 and 2, respectively. Also, we combined the two groups and defined this as Group 3.

Firstly, we evaluated the two subdetectors with windows of  $64 \times 128$  (HOG-64\_128) and  $48 \times 96$  (HOG-48\_96) separately. As shown in Figure 5, for Group 1, the subdetector HOG-64\_128 achieved a better detection performance than the HOG-48\_96. For 1 FPPI (False Positives Per Image), HOG-64\_128 achieved a 17% miss rate while HOG-48\_96 was 70%. On the other hand, for Group 2, the subdetector HOG-48\_96 achieved a better detection performance than HOG-64\_128. For 1 FPPI, HOG-48\_96 achieved an 8% miss rate while HOG-64\_128 was 80%.

When we combined the subdetectors (we called HOG-48\_96\_64\_128), we achieve better results than the individual detectors in all the groups. However,

the combination also introduced the false-positive noises of both subdetectors, which increased the FPPI. This problem is reduced in the approach HOG-48\_96\_64\_128\_F when we add the filtering step defined in Section 3.4.

We also compared our detector with the YOLO detector in version 3 (Redmon and Farhadi, 2018). Following the author’s methods, we train on full images with no negative sample adding from bootstrapping. We employ the same positive sample used to train our subdetectors. We use the Darknet neural network framework for training and testing (Redmon, 2016) that performs multi-scale training, lots of data augmentation, batch normalization, all the standard stuff. We observed that our detector is better than the YOLO detector in all the groups. For 1FPPI, our detector achieves in Group 3 an 11% miss rate while the YOLO detector achieves a 42% miss rate.

#### 4.4 Processing Performance

The processing time was obtained by processing images with a resolution of  $1280 \times 720$ , running in a computer with a general-purpose processor (GPP) core 15-9400F 2.90GHz with 16 GB of RAM, and with an 8 GB RTX 2070 GPU. The pedestrian detection and stereo matching components demand higher system processing costs. We use a ready-made function implemented in GPU provided by the OpenCV library to run each subdetector. Our detector with the two subdetectors takes an average of 15.6 ms to process one frame, while YOLO processing takes an average of 60.8 ms. Also, we adapted the implementation in CUDA language based on (Hernandez-Juarez et al., 2016) and added improvements to support occluded pixels’ detection. The stereo matching processing takes 10.4 ms, on average. In summing the times of all the processing steps, our system achieves approximately 30 FPS. With the YOLO detector, we achieve a rate of approximately 12 FPS.

#### 4.5 Collision Prediction Evaluation

We evaluated the detection component in the PCP system developed in this work. Since we did not find a crash scenario database, we created a database using the CARLA simulator version 0.9.7 (Dosovitskiy et al., 2017). We created collision evaluation scenarios based on (Jurecki and Stańczyk, 2014) as shown in Figure 8 (a). The parameters for the scenarios creating are the speed of the vehicle ( $V_{car}$ ), the time-to-collision (TTC), and the sampling frequency of the frames (FPS). The TTC is determined as the ratio of the vehicle’s distance from an obstacle posing

a collision threat to the vehicle’s velocity (Li et al., 2020). The vehicle also strikes the pedestrian at approximately 50% of the vehicle’s width without any braking action.

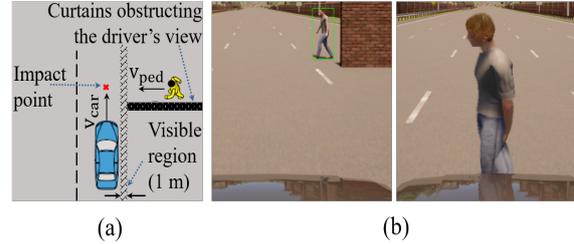


Figure 8: Evaluation scenario from (Jurecki and Stańczyk, 2014): (a) bird’s-eye view (b) Screenshots in the CARLA.

Following (Jurecki and Stańczyk, 2014), the values for  $V_{car}$  are 20, 30, 40, 50, and 60 km/h and the TTC values are 0.6, 1.0, 1.4, 1.8, 2.2, 2.6, and 3.0. For FPS, we set values of 30 FPS and 12 FPS, which are similar rates respectively to our multi-window-based PCP system and YOLO-based PCP system. We create all the combinations between  $V_{car}$  and TTC, totaling 35 scenarios to each FPS with one case per scenario and without added noise to the frames. The use of one case per scenario and no noise in the frames allow us to observe each system’s behavior trend. We created frames with a resolution of  $1280 \times 720$  and annotated, in each frame, the pedestrian bounding box and vehicle’s velocity and yaw rate. Some screenshots of the CARLA scenario are presented in Figure 8 (b).

We analyze the system’s efficiency to predict a collision by a safe distance that ensures that the vehicle will not collide with the pedestrian if the system predicts the collision above that distance. This distance (Cafiso et al., 2017), is defined as:

$$dist_{safe} = \frac{V_{car}^2}{2 \cdot a_b} + T_r \cdot V_{car} \text{ (meters)}, \quad (11)$$

where  $a_b$  is the maximum deceleration of the vehicle measured in  $m/s^2$ , and  $T_r$  is the driver’s reaction time to press the brake pedal measured in seconds. The average driver reaction time is around 1.0 second and average deceleration is around  $-4.5 m/s^2$  (Jurecki and Stańczyk, 2014). We use these values for  $T_r$  and  $a_b$ .

We compared the collision prediction system involving our multi-window-based detector and the YOLO detector. In both detectors, we conducted training similar to what was done in Section 4.3 but now using the synthetic database. As we can see in Figure 6, our system can predict more collisions at a safe distance than an approach involving the YOLO-based detector. We count 13 safe predictions with our detector and 6 using YOLO. One reason is that the lower the rate, the more errors of pedestrian speed es-

timates are introduced in the EKF, which slows down even further to find the correct pedestrian speed.

A critical analysis concerns the number of collision predictions that the system can generate from the moment of the pedestrian's appearance to the collision. As we can see in Figure 7, the number of collision predictions from our system is considerably higher than the system with the YOLO detector, which indicates that our system has a higher chance of predicting a collision before the collision happens.

## 5 CONCLUSIONS

We propose an approach to locate near and distant pedestrians based on a multi-window detector. We also propose a filtering strategy that has made it possible to reduce the number of false positives in our multi-window detector. We integrated this detector to a complete based-vision PCP system running on the vehicle. By combining detectors with different windows, we can outperform accuracy from individual detectors and even the YOLO-based detector. We also proposed the synthetic collision scenarios that permitted evidencing quality improvements in our collision prediction system due to higher processing rates.

We will further seek precision improvements to pedestrian detection using the multi-window strategy and the collision prediction assessment strategy to support multiple pedestrians in future work.

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## REFERENCES

- Bar-Shalom, Y., Li, X. R., and Kirubarajan, T. (2004). *Estimation with applications to tracking and navigation: theory algorithms and software*. John Wiley & Sons.
- Benenson, R., Omran, M., Hosang, J., and Schiele, B. (2014). Ten years of pedestrian detection, what have we learned? In *European Conference on Computer Vision*, pages 613–627. Springer.
- Cafiso, S., Di Graziano, A., and Pappalardo, G. (2017). In-vehicle stereo vision system for identification of traffic conflicts between bus and pedestrian. *Journal of traffic and transportation engineering (English edition)*, 4(1):3–13.
- Dalal, N. and Triggs, B. (2005). Histograms of oriented gradients for human detection. In *2005 IEEE computer society conference on computer vision and pattern recognition (CVPR'05)*, volume 1, pages 886–893. IEEE.
- Dosovitskiy, A., Ros, G., Codevilla, F., Lopez, A., and Koltun, V. (2017). CARLA: An open urban driving simulator. In *Proceedings of the 1st Annual Conference on Robot Learning*, pages 1–16.
- Haas, R. E., Bhattacharjee, S., and Möller, D. P. (2020). Advanced driver assistance systems. In *Smart Technologies*, pages 345–371. Springer.
- Hartley, R. and Zisserman, A. (2003). *Multiple View Geometry in Computer Vision*. Cambridge University Press, New York, NY, USA, 2 edition.
- Helali, A., Ameer, H., Górriz, J., Ramírez, J., and Maaref, H. (2020). Hardware implementation of real-time pedestrian detection system. *Neural Computing and Applications*, pages 1–13.
- Hernandez-Juarez, D., Chacón, A., Espinosa, A., Vázquez, D., Moure, J. C., and López, A. M. (2016). Embedded real-time stereo estimation via semi-global matching on the gpu. *Procedia Computer Science*, 80:143–153.
- Hirschmuller, H. (2008). Stereo processing by semiglobal matching and mutual information. *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 30(2):328–341.
- Jurecki, R. S. and Stańczyk, T. L. (2014). Driver reaction time to lateral entering pedestrian in a simulated crash traffic situation. *Transportation research part F: traffic psychology and behaviour*, 27:22–36.
- Keller, C. G., Enzweiler, M., and Gavrilu, D. M. (2011). A new benchmark for stereo-based pedestrian detection. In *2011 IEEE Intelligent Vehicles Symposium (IV)*, pages 691–696. IEEE.
- Krizhevsky, A., Sutskever, I., and Hinton, G. E. (2012). ImageNet classification with deep convolutional neural networks. In *Advances in neural information processing systems*, pages 1097–1105.
- Li, Y., Zheng, Y., Morys, B., Pan, S., Wang, J., and Li, K. (2020). Threat assessment techniques in intelligent vehicles: A comparative survey. *IEEE Intelligent Transportation Systems Magazine*.
- Nguyen, D. T., Nguyen, T. N., Kim, H., and Lee, H.-J. (2019). A high-throughput and power-efficient fpga implementation of yolo cnn for object detection. *IEEE Transactions on Very Large Scale Integration (VLSI) Systems*, 27(8):1861–1873.
- Organization, W. H. (2018). Global status report on road safety.
- Redmon, J. (2013–2016). Darknet: Open source neural networks in c. <http://pjreddie.com/darknet/>.
- Redmon, J. and Farhadi, A. (2018). Yolov3: An incremental improvement. *arXiv preprint arXiv:1804.02767*.
- Schneider, N. and Gavrilu, D. M. (2013). Pedestrian path prediction with recursive bayesian filters: A comparative study. In *German Conference on Pattern Recognition*, pages 174–183. Springer.