Latent Space Conditioning on Generative Adversarial Networks

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Abstract: Generative adversarial networks are the state of the art approach towards learned synthetic image generation. Although early successes were mostly unsupervised, bit by bit, this trend has been superseded by approaches based on labelled data. These supervised methods allow a much finer-grained control of the output image, offering more flexibility and stability. Nevertheless, the main drawback of such models is the necessity of annotated data. In this work, we introduce a novel framework that benefits from two popular learning techniques, adversarial training and representation learning, and takes a step towards unsupervised conditional GANs. In particular, our approach exploits the structure of a latent space (learned by the representation learning) and employs it to condition the generative model. In this way, we break the traditional dependency between condition and label, substituting the latter by unsupervised features coming from the latent space. Finally, we show that this new technique is able to produce samples on demand keeping the quality of its supervised counterpart.

1 INTRODUCTION

Generative Adversarial Networks (GANs) (Goodfellow et al., 2014) are one of the most prominent unsupervised generative models. Their framework involves training a generator and discriminator model in an adversarial game, such that the generator learns to produce samples from the data distribution. Training GANs is challenging because they require to deal with a minimax loss that needs to find a Nash equilibrium of a non-convex function in a high-dimensional parameter space. This scenario may lead to a lack of control during the training phase, exhibiting non-desired side effects such as instability, mode collapse, among others. As a result, many techniques have been proposed to improve the stability training of GANs (Salimans et al., 2016; Gulrajani et al., 2017; Miyato et al., 2018; Durall et al., 2019).

Conditioning has risen as one of the key technique in this vein (Mirza and Osindero, 2014; Chen et al., 2016; Isola et al., 2017; Choi et al., 2018), whereby the whole model has granted access to labelled data. In principle, providing supervised information to the discriminator encourages it to behave more stable at training since it is easier to learn a conditional model for each class than for a joint distribution. However, conditioning comes with a price, the necessity for annotated data. The scarcity of labelled data is a major challenge in many deep learning applications which usually suffer from high data acquisition costs.

Representation learning techniques enable models to discover underlying semantics-rich features in data and disentangle hidden factors of variation. These powerful representations can be independent of the downstream task, leaving the need of labels in the background. In fact, there are fully unsupervised representation learning methods (Misra et al., 2016; Girardis et al., 2018; Rao et al., 2019; Milbich et al., 2020) that automatically extract expressive feature representations from data without any manually labelled annotation. Due to this intrinsic capability, representation learning based on deep neural networks have been becoming a widely used technique to empower other tasks (Caron et al., 2018; Oord et al., 2018; Chen et al., 2020).

Motivated by the aforementioned challenges, our goal is to show that it is possible to recover the benefits of conditioning by exploiting the advantages that representation learning can offer (see Fig. 1). In particular, we introduce a model that is conditioned on the latent space structure. As a result, our proposed method can generate samples on demand, without ac-
access to labeled data at the GAN level. To ensure the correct behaviour, a customized loss is added to the model. Our contributions are as follows.

- We propose a novel generative adversarial network conditioned on features from a latent space representation.
- We introduce a simple yet effective new loss function which incorporates the structure of the latent space.
- Our experimental results show a neat control on the generated samples. We test the approach on MNIST, CIFAR10 and CelebA datasets.

2 RELATED WORK

2.1 Conditional Generative Adversarial Networks

Generative image modelling has recently advanced dramatically. State-of-the-art methods are GAN-based models (Brock et al., 2018; Karras et al., 2019; Karras et al., 2020) which are capable of generating high-resolution, diverse samples from complex

1Standard approach refers to replace the encoded labels with latent code.
datasets. However, GANs are extremely sensitive to nearly every aspect of its set-up, from loss function to model architecture. Due to optimization issues and hyper-parameter sensitivity, GANs suffer from tedious instabilities during training.

Conditional GANs have witnessed outstanding progress, rising as one of the key technique to improve stability training and to remove mode collapse phenomena. As a consequence, they have become one of the most widely used approaches for generative modelling of complex datasets such as ImageNet. CGAN (Mirza and Osindero, 2014) was the first work to introduce conditions on GANs, shortly followed by a flurry of works ever since. There have been many different forms of conditional image generation, including class-based (Mirza and Osindero, 2014; Odena et al., 2017; Brock et al., 2018), image-based (Isola et al., 2017; Huang et al., 2018; Mao et al., 2019), mask- and bounding box-based (Hinz et al., 2019; Park et al., 2019; Durall et al., 2020), as well as text-based (Reed et al., 2016; Xu et al., 2018; Hong et al., 2018). This intensive research has led to impressive development of a huge variety of techniques, paving the road towards the challenging task of generating more complex scenes.

2.2 Unsupervised Representation Learning

In recent years, many unsupervised representation learning methods have been introduced (Misra et al., 2016; Gidaris et al., 2018; Rao et al., 2019; Milbich et al., 2020). The main idea of these methods is to explore easily accessible information, such as temporal or spatial neighbourhood, to design a surrogate supervisory signal to empower the feature learning. Although many traditional approaches such as random projection (Li et al., 2006), manifold learning (Hinton and Roweis, 2003) and auto-encoder (Vincent et al., 2010) have significantly improved feature representations, many of them often suffer either from being computationally too costly to scale up to large or high-dimensional datasets, or from failing to capture complex class structures mostly due to its underlying data assumption.

On the other hand, a number of recent unsupervised representation learning approaches rely on new self-supervised techniques. These approaches formulate the problem as an annotation free pretext task; they have achieved remarkable results (Doersch et al., 2015; Oord et al., 2018; Chen et al., 2020) and even on GAN-based models as well (Chen et al., 2019). Self-supervision generally involves learning from tasks designed to resemble supervised learning in some way, where labels can be created automatically from the data itself without manual intervention.

3 METHOD

In this section we describe our approach in detail. First, we present our representation learning set-up together with its sampling algorithm. Then, we introduce a new loss function capable of exploiting the structural properties from the latent space. Finally, we have a look at the adversarial framework for training a model in an end-to-end fashion. Fig. 2 gives an overview of the main pipeline and its components.

3.1 Representation Learning

The goal of representation learning or feature learning is to find an appropriate representation of data in order to perform a machine learning task.

Generating Latent Space. The latent space must contain all the important information needed to represent reliably the original data points in a simplified and compressed space. Similar to (Aspiras et al., 2019), in our work we also try to exploit the latent space. In particular, we rely on existing topologies that can capture a high level of abstraction. Hence, we mainly focus on integrating these data descriptors and on evaluating their usability and impact. For this reason, We count on several set-ups where we can sample informative features of different qualities, i.e. level of clustering in the latent spaces.

Our feature extractor block \( E \) is a convolutional-based model for classification tasks. Inspired by (Caron et al., 2018), to extract the features we do not use the classifier output logits, but the feature maps from an intermediate convolutional layer. We refer to these hidden spaces as latent space.

Sampling from Latent Space. Assuming that the feature extractor is able to produce a structured latent space, e.g. semi-clustered features, we can start sampling observations that will be fed to our GAN afterwards. The procedure to create sampling batches is described in Algorithm 1.

3.2 Loss Function

Minimax Loss. A GAN architecture is comprised of two parts, a discriminator \( D \) and a generator \( G \). While the discriminator trains directly on real and generated images, the generator trains via the discriminator model. They should therefore use loss functions
Figure 2: Overview of the processing pipeline of our approach. It contains two main blocks, a feature extraction model and a generative model, more specifically a GAN. This structure allows the generator to incorporate a condition based on the latent space, so that eventually the system can produce images on demand using the latent representation.

Algorithm 1: Creating batches for training the GAN.

1: Sample a batch of images $x$
2: Extract features from it $f = E(x)$
3: Compute distance between all features $D = ||f||_1$
4: for $x_i$ in $x$ do
5: Select $x_i$ and sort the rest according to their distance $d(x_i)$
6: Select nearest neighbour from $x_i$, i.e. $d_{\text{min}}(x_i)$
7: Select the farthest neighbour from $x_i$, i.e. $d_{\text{max}}(x_i)$
8: end for

that reflect the distance between the distribution of the data generated $p_z$ and the distribution of the real data $p_{\text{data}}$. Minimax loss is by default the candidate to carry on with this task and it is defined as

$$\min_G \max_D L(D, G) = \mathbb{E}_{x \sim p_{\text{data}}} \left[ \log(D(x)) \right] + \mathbb{E}_{z \sim p_z} \left[ \log(1 - D(G(z))) \right].$$ (1)

**Triple Coupled Loss.** In the vanilla minimax loss the discriminator expects batches of individual images. This means that there is a unique mapping between input image and output, where each input is evaluated and then classified as real or fake. Despite being a functional loss term, if we hold to that closed formulation, we cannot leverage alternatives such as conditional features or combinatorial inputs i.e. input is not any longer only a single image but a few of them.

We introduce a loss function coined triple coupled loss that incorporates combinatorial inputs acting as a semi-conditional mechanism. The approach lies on the idea of exploiting similitudes and differences between images. In fact, similar approaches have been already successfully implemented in other works (Chongxuan et al., 2017; Sanchez and Valstar, 2018; Ho et al., 2020). In our implementation, the new discriminator takes couples of images as input and classify them as true or false. Unlike minimax case, now we have two degrees of freedom (two inputs) to take advantage of. Therefore, we produce different scenarios to further enhance the capabilities of our discriminator, so that it can also be conditioned in an indirect manner by the latent representation space. We can distinguish three different coupled case sce-
narios and their corresponding losses
\[
x_{\text{adv}} = [x_{\text{real correct}}, x_{\text{fake}}] \rightarrow L_{\text{adv}}
\]
\[
L_{\text{adv}} = \mathbb{E}_{x \sim (p_{\text{data}} \cup p_z)} \left[ \log (1 - D(x_{\text{adv}})) \right]
\]
\[
x_{\text{same}} = [x_{\text{real correct}}, x_{\text{real correct}}] \rightarrow L_{\text{same}}
\]
\[
L_{\text{same}} = \mathbb{E}_{x \sim p_{\text{data}}} \left[ \log (D(x_{\text{same}})) \right]
\]
\[
x_{\text{diff}} = [x_{\text{real correct}}, x_{\text{fake wrong}}] \rightarrow L_{\text{diff}}
\]
\[
L_{\text{diff}} = \mathbb{E}_{x \sim p_{\text{data}}} \left[ \log (1 - D(x_{\text{diff}})) \right]
\]  

We first have \(x_{\text{adv}}\) case which is the combination of one generated image \((x_{\text{fake}})\) and one real that belongs to the target class \((x_{\text{real correct}})\). Then, we have \(x_{\text{same}}\) with two different “real correct” samples. Finally, the last case is \(x_{\text{diff}}\) which combines one “real correct” and one “real wrong”. The latter term is a real image from a different class, i.e. not target class \((x_{\text{real wrong}})\).

In order to incorporate the triple coupled loss, we need to reformulated the Formula 1 adding the aforementioned three case scenarios. As a result, the new objective loss is rewritten as follows

\[
\min_{G} \max_{D} L(D, G) = \lambda_{d} L_{\text{adv}} + \lambda_{s} L_{\text{same}} + \lambda_{d} L_{\text{diff}}
\]  

where \(\lambda_{s}\) are the weighting coefficients.

3.3 Training on Conditioned Latent Feature Spaces

Our approach is divided into two distinguishable elements, the feature extractor \(E\) and the generative model. With the integration of these two components into an embedded system, our model can produce samples on demand without label information.

**Dynamics of Training.** Given an input batch \(x\), the feature extractor produces the latent code \(f\). Then, we generate a vector of random noise \(z\) (e.g. Gaussian) and we attach to it the \(f\), creating in this way the input for our generator \(n\) (see Fig. 2).

The expected behaviour from our generator should be similar to CGAN, where the generator needs to learn a twofold task. On the one hand, it has to learn to generate realistic images by approximating the real data distribution as much as possible. On the other hand, these synthetic images need to be conditioned consistently on \(f\), so that later can be controlled. For example, when two similar\(^{2}\) latent codes are fed into the model, this should produce two similar output images belonging to the same class.

\(^{2}\)Similarity is measured by \(l_1\) distance as described in Algorithm 1.

The discriminator, however, has a remarkable difference with CGAN when it comes to training. While CGAN employs latent codes to condition directly the outcome results, our method uses a semi-conditional mechanism through the coupled inputs. As it is explained in the upper section, the discriminator employs the triplet coupled loss which enforces to respect the latent space structure and binding in this way the output with the conditional information. Algorithm 2 describes the training scheme.

Algorithm 2: Training GAN model.

1: Require: \(n_{\text{iter}}\), the number of iterations. \(n\), the number of iterations of the generator per discriminator iteration. \(\lambda\)'s, the weighting coefficients. \(\theta_{\text{gen}}\), generator’s parameters. \(\theta_{\text{disc}}\), discriminator’s parameters.
2: for \(i < n_{\text{iter}}\) do
3: Sample batch using Algorithm 1
4: \# Train generator \(G\)
5: \(L_{\text{gen}} = L_{\text{adv}}\)
6: \(\theta_{\text{gen}} \leftarrow \theta_{\text{gen}} + \nabla L_{\text{gen}}\)
7: if mod\((i, n) = 0\) then
8: \# Train discriminator \(D\)
9: \(L_{\text{disc}} = \lambda_{d} L_{\text{adv}} + \lambda_{s} L_{\text{same}} + \lambda_{d} L_{\text{diff}}\)
10: \(\theta_{\text{disc}} \leftarrow \theta_{\text{disc}} + \nabla L_{\text{disc}}\)
11: end if
12: end for

4 EXPERIMENTS

In this section, we show results for a series of experiments evaluating the effectiveness of our approach. We first give a detailed introduction of the experimental set-up. Then, we analyse the response of our model under different scenarios and we investigate the role that plays the structure of the latent space and its robustness. Finally, we check the impact of our customized loss function though an ablation study.

4.1 Experimental Set-up

We conduct a set of experiments on MNIST (LeCun et al., 1998), CIFAR10 and CelebA (Liu et al., 2015) datasets. For each one, we use an individual classifier to ensure certain structural properties on our latent space. Next, we extract feature from one intermediate layer, and feed them into our generative model.

**MNIST.** The experiments carried on MNIST are fully **unsupervised** since we do not require any label information. We choose to deploy an untrained AlexNet model (Krizhevsky et al., 2012) as feature...
extractor. As shown in (Caron et al., 2018), AlexNet offers an out-of-the-box clustered space at certain intermediate layer without any need of training. Hence, we extract there the features and no extra processing step is involved.

**CIFAR10.** Despite the fact that CIFAR10 is fairly close to MNIST in terms of amount of samples and classes (10 in both cases), it is indeed a much more complex dataset. As a result, in this case we need to train a feature extractor to achieve a structured latent space. Inspired by the unsupervised representation learning method (Gidaris et al., 2018), we build a classifier which reaches similar accuracy.

**CelebA.** Different from the previous datasets, CelebA contains only "one class" of images. In particular, this dataset is an extensive collection of faces. However, each sample can potentially contain up to 20 different attributes. So, in our experiments we build different scenarios by splitting the dataset into different classes according to their attributes, e.g. man and woman. Moreover, we also test our approach on different resolutions, since the size of the images of CelebA is larger. Similarly to CIFAR10 case, we need to train again a feature extractor.

| Table 1: Validation results in MNIST, CIFAR10 and CelebA. |
|-----------------|-------|-------|-----|
|                  | MNIST | CIFAR10 | CelebA |
|                  | IS    | FID    | IS   |
| baseline         | 9.63  | 28.76  | 2.3  |
| ours             | 9.78  | 29.71  | 2.5  |
| ours (32)        | 7.0   | 29.71  | 2.7  |
| ours (64)        | 7.0   | 11.10  | 2.9  |
| ours (128)       | 7.0   | 13.69  | 2.7  |
| ours (128)       | 7.0   | 37.59  | 2.65 |
| ours (128)       |       |        | 90%  |
| ours (128)       |       |        | 94%  |
| ours (128)       |       |        | 94%  |

**4.2 Evaluation Results**

We compare the baseline model based on Spectral Normalization for Generative Adversarial Networks (SNGAN) (Miyato et al., 2018) to our approach that incorporates the latent code and the coupled input on top of it. The rest of the topology remains unchanged. We do not use CGAN architecture since our framework is not conditioned on labels. Therefore, we take an unsupervised model as a baseline.

3In CelebA, we add one and two layers into the model to be able to produce samples with resolution of 64x64 and 128x128, respectively.
4.3 Impact of the Latent Space Structure

The structure of latent space plays an important role and has a direct effect in the accuracy performance. This is mainly due to the nature of the triple coupled loss. This term relies on having at least a semi-clustered feature space to sample from. Hence, those latent spaces with almost no structure will build many false couples in training time and resulting in bad performance. Notice that the generator model does not use label information directly, but through the extracted features.

We run the evaluations on MNIST, CIFAR10 and CelebA datasets as in the previous section. However, in CelebA’s case there are now two different set-ups. One based on gender (man and woman), and a second one based on hair (blond, black, brown, gray and bold). In order to study the impact of the latent space structure, we need to determine how clustered our space is. Therefore, we compute a set of statistics (see Table 2) that are useful to estimate the initial conditions of the latent structure, and consequently find out the boundaries that our system might not overcome. For example, our model on CIFAR10 reports 70% on 1st neighbour. This value indicates that if we take one random sample from our latent space, 70% of the time its nearest neighbour will belong to the same class. Empirically, we observe the causal effect that the structure of latent space has on the accuracy results. The more clustered, i.e. higher neighbours scores, the better the accuracy. In other words, neighbourhood information helps to understand the upper-bounds fixed by the latent space.

Fig. 6 compares two identical set-ups with different latent spaces. On the one hand, we have the semi-clustered space produced by an untrained AlexNet.
This scenario achieves good accuracy scores despite the border effect. On the other hand, we have an extreme case with a fully-clustered space. As expected, all the scores are dramatically improved at the cost of having a perfect space.

4.4 Robustness of the Latent Space

In this section, we analyse how our approach behaves when we introduce noisy labels, and we compare it to CGAN performance. This analysis allows us to quantify how robust our system is. We start the experiments having a set-up free of noise. Then, we gradually increase the amount of noise by introducing noisy labels. Fig. 7 shows the accuracy curves evolution for both cases. We observe how CGAN has almost a perfect lineal relationship between noise and accuracy. Every time that noise increases, the accuracy decreases in a similar proportion. This demon-

Table 2: Statistics of the latent space’s structure for different scenarios.

<table>
<thead>
<tr>
<th>Dataset</th>
<th>Classes</th>
<th>Accuracy</th>
<th>1st neighbour</th>
<th>2nd neighbour</th>
<th>3rd neighbour</th>
</tr>
</thead>
<tbody>
<tr>
<td>MNIST</td>
<td>baseline</td>
<td>10</td>
<td>10%</td>
<td>10%</td>
<td>10%</td>
</tr>
<tr>
<td></td>
<td>ours</td>
<td>10</td>
<td>72%</td>
<td>89%</td>
<td>84%</td>
</tr>
<tr>
<td>CIFAR10</td>
<td>baseline</td>
<td>10</td>
<td>10%</td>
<td>10%</td>
<td>10%</td>
</tr>
<tr>
<td></td>
<td>ours</td>
<td>10</td>
<td>68%</td>
<td>70%</td>
<td>68%</td>
</tr>
<tr>
<td>CelebA</td>
<td>baseline</td>
<td>2</td>
<td>50%</td>
<td>50%</td>
<td>50%</td>
</tr>
<tr>
<td></td>
<td>ours (32)</td>
<td>2</td>
<td>90%</td>
<td>88%</td>
<td>86%</td>
</tr>
<tr>
<td></td>
<td>ours (64)</td>
<td>2</td>
<td>94%</td>
<td>95%</td>
<td>94%</td>
</tr>
<tr>
<td></td>
<td>baseline</td>
<td>5</td>
<td>20%</td>
<td>20%</td>
<td>20%</td>
</tr>
<tr>
<td></td>
<td>ours (32)</td>
<td>5</td>
<td>80%</td>
<td>89%</td>
<td>87%</td>
</tr>
<tr>
<td></td>
<td>ours (64)</td>
<td>5</td>
<td>78%</td>
<td>96%</td>
<td>95%</td>
</tr>
</tbody>
</table>

4 Notice that for this experiment we take a feature extractor and we train it from scratch each time that we change the percentage of noise.
(a) Semi-clustered latent space.

(b) Full-clustered latent space.

Figure 6: t-SNE visualizations from two different latent spaces on MNIST. First row displays the classes and second row the accuracy from our approach.

Figure 7: Robustness evaluation on MNIST using accuracy curves.

strate the necessity of CGAN of labels to produce the desired output and the incapacity to deal with noise. Therefore, its robustness against noise very is limited. On the other hand, our approach shows a more robust behaviour. In this case, there is not lineal relationship, and the system is able to maintain the accuracy score independently of the level of noise. Only a notable decrease happens when the percentage of noisy labels surpasses the barrier of 90%.

4.5 Analysis of Triple Coupled Loss

The triple coupled loss is designed to exploit the structure of the latent space, so that the generative model learns how to produce samples on demand, i.e. based on the extracted features. Fig. 8 shows the itemized losses and FID learning curves for minimax loss (baseline) and for triple coupled loss (ours). We can confirm a similar behaviour between our model and the baseline, having as a side-effect an increase of convergence training time. In exchange for this delay, the proposed system has control over the outputs through the extracted features.

5 ABLATION STUDY

In this section, we quantitatively evaluate the impact of removing or replacing parts of the triple coupled loss. We do not only illustrate the benefits of the proposed loss compared to minimax loss, but also present a detailed evaluation of our approach. Table 3 presents how the loss function behaves when we modify its components. First, we check whether the sub-optimal loss leads the system to convergence, i.e. it is able to generate realistic images. And second, for those functions that have the capacity of generating, we check their accuracy score. Notice that ideally we would achieve 100% which means producing the desired output all the time.

Based on the empirical results from the previous
table, we can see the importance of each term in the loss function. In particular, we observe how $L_{\text{same}}$ is essential to achieve convergence, and how the combination of all three terms brings the best result.

6 CONCLUSIONS

Motivated by the desire to condition GANs without using label information, in this work, we propose an unsupervised framework that exploits the latent space structure to produce samples on demand. In order to be able to incorporate the features from the given space, we introduce a new loss function. Our experimental results show the effectiveness of the approach on different scenarios and its robustness against noisy labels.

We believe the line of this work opens new avenues for feature research, trying to combined different unsupervised set-ups with GANs. We hope this approach can pave the way towards high quality, fully unsupervised, generative models.

REFERENCES


