

Regression Analysis of Historical Blood Donors to Improve Clinic Scheduling

Geoffrey Pond^a and Isabelle Turner

Department of Management, Royal Military College of Canada, Kingston, Ontario, Canada

Keywords: Healthcare, Scheduling, Overbooking, Regression.

Abstract: The Canadian Blood Services (CBS) is responsible for the collection, storage and distribution of blood products throughout the country. Like all civilian hospitals and medical facilities, the Canadian Armed Forces (CAF) Health Services System relies on CBS to provide it with required blood products through the Canadian Armed Forces Blood Distribution System. Under normal circumstances, CBS collects all blood products through organized events including mobile and permanent clinics, where prospective donors attend via either pre-booked appointments or unscheduled walk-ins. Of those who make appointments, only a portion show-up for their appointment and of these only some yield a successful donation. As donation clinics are capacity-constrained by both the labour-force and infrastructure, CBS is motivated to maximize the utilisation of existing resources through implementation of an overbooking policy. Leveraging historical data, a statistical analysis was conducted to identify factors influencing conversion rates to aid in developing an improved scheduling policy. The location of the centre, the day of the week as well as demographic groups were included as candidate independent variables in a regression model to forecast the proportion of pre-booked appointments that are attended and yield a collection.


1 INTRODUCTION

CBS is responsible for the collection, storage and distribution of blood products throughout the country, except in the province of Québec. Its storage and distribution extends to the CAF domestically and during expeditionary engagements. CBS currently has forty permanent sites across the country and holds up to 20,000 donor clinics annually (Smith et al., 2011).

Even after extensive recruiting campaigns, the number of donors consistently remains low and reflects roughly three to four percent of the Canadian population (Smith et al., 2011). Although one in two Canadians is eligible to donate, only one in sixty makes a donation. While some individuals are unable to make donations for medical reasons ranging from fresh tattoos or recent travel to specific countries, others simply choose not to donate because of religious beliefs or a fear of needles. An aging population and supplying transfusions of a wide range of critical medial conditions including surgeries, cancer treatments and organ transplants are prime examples of why there is an increased requirement for blood

products. It is anticipated that the demand for blood will continue to increase and potentially surpass the amount collected. In addition to efforts to grow the donor pool, all members involved in the provision and transfusion of blood components are attempting to limit their waste and improve their utilization.

The physical limits within the clinic itself are the number of beds available and the number of staff. The staff required to operate the clinic is a combination of reception staff, DCAs, RNs and volunteers. Ideally, to optimize the operating costs of the clinic to the donation ratio, all available collection capacity slots should be filled. As previously mentioned, even if the number of pre-booked appointments reaches the collection capacity of a specific clinic, not all pre-booked donors attend their appointments. These no-shows can potentially lead to wasted resources if they are not filled with walk-in donors. In addition, it is not as simple as identifying how many pre-booked donors attend their scheduled appointment because not all pre-booked donors who attend their scheduled appointments yield a successful donation. The prospective donors may not meet all eligibility criteria or they may not successfully donate the required 450 millilitres required which result in a deferral. The total

^a  <https://orcid.org/0000-0001-5069-0845>

number of deferrals for each clinic varies widely. The number of estimated deferrals will not be considered in the developed regression model.

1.1 Literature Review

In (Muthuraman and Lawley, 2008), a stochastic optimization model is developed where patient service times are exponentially distributed and individual patients categorized by similar attributes share a common no-show probability. The work is theoretical in nature and, as such, the authors do not posit on what attributes might be used to cluster patients and how a no-show probability might be developed for that cluster. The objective function of the optimization model is to maximize profit and consequently, the model is applicable only to environments having a profit motive. In (Li et al., 2019), the optimization model of (Muthuraman and Lawley, 2008) is leveraged with a no-show probability unique to each individual patient based on a variety of socio-demographic and contextual parameters. Most notably, a patient's historical propensity to not show up for an appointment is a strong indicator of future no-shows. Monte Carlo simulation of empirical patient records suggest the combination of these models is effective in maximizing clinic profit. The motivations of Canadians in donating blood is specifically explored by Smith et al. ((Smith et al., 2011)). Through extensive donor interviews, their research suggests that none of the above socio-demographic variables are influential to an individual's propensity to donate blood. Nor do Canadian blood donors subscribe to individual altruism. Rather, they are motivated by aspirations to fit within normative behaviour defined by social or workplace groups. It's common for sports teams, clubs, or workplaces to organize and commit to blood donation events. In this context, it is neither altruism nor socio-demographic variables that are the most valuable of predictors but what social groups the individual belongs to.

A utility function first proposed in (LaGanga and Lawrence, 2007) was later applied to the overbooking policy of a medical clinic in (LaGanga and Lawrence, 2012). This utility function consider the time patients spend waiting, overtime of medical staff, and consequently represents a tradeoff between the costs associated with overbooking (wait and overtime) versus no-shows (resource idleness). In this case, a common no-show probability was applied uniformly across all patients. As in (Muthuraman and Lawley, 2008), appointment slots are also of consistent length. These same costs are included in the model presented in (Chen et al., 2018) but, here, the authors adopt flexible appointment start times in lieu of fixed appointment

slots. Zacharias and Pinedo (2014) present a similar model but includes weights for patients representing differing costs by patient. In (Kros et al., 2009), an additional cost is included in the utility function - that is the cost of burnout among service providers resulting from sustained overbooking. Liu et al. (N. and Ziya, 2014) consider policies meant to encourage patient attendance (e.g., reminder phone calls) and their associated costs as part of the objective function.

A game theoretic approach is adopted in (Zeng et al., 2009) and (Zeng et al., 2013) where the probability of the patient not showing up for the appointment is a function of the overbooking strategy itself. As the clinic overbooks more aggressively, the increased patient waiting time dissuades patients from showing up to the appointment. Zeng et al. (2010) also demonstrate that when the traditional problem formulation includes homogeneous patients having a common no-show probability, the objective function (to minimize costs - or maximize profit) is convex. For heterogenous patients, the authors propose a local neighbourhood search solution strategy.

In both (Huang and Zuniga, 2012) and (Huang and Hanauer, 2014) the no-show probability is considered dynamic. Various scenarios are simulated and ANOVA (in conjunction with the Tukey post-hoc test) to identify strategies having significantly better results. It also considers patients to be homogeneous in this regard. The focus of (Huang and Hanauer, 2014) was to predict the patient's probability of no-show as a function of a variety of socio-demographic and contextual parameters, as in (Li et al., 2019). Unlike in (Li et al., 2019), the authors of (Huang and Hanauer, 2014) translated this probability to a binary show/no-show variable by minimizing the error rate (rather than the system's total cost).

Other notable works include a discrete event simulation is leveraged by (Fan et al., 2016) to establish the optimal length of schedule slots and the optimal number of patients to schedule in those slots. Both booked appointments and walk-in patients are considered in (Kim and Giachetti, 2006) where the paper's aim is to develop the stochastic functions leading to a mean patient no-show probability. Despite the prolific use of overbooking strategies within the tourism industry, (Riasi et al., 2019) noted that few hotels have adopted the theoretically superior risk-based models similar to those described above. Instead, a deterministic approach is chosen based on the ratio of hotel capacity to historical show rates.

Notwithstanding the prevalence of these problems throughout the extant literature, most authors have focused on largely theoretical applications having untested utility or objective functions. The long-

lasting negative bias among consumers resulting from overbooking strategies detailed in (v. Wagenheim and Bayon, 2007) casts doubt on these utility functions. The above works also limited by the assumption that no patients balk - assuming the patient shows up to the appointment, he or she is committed to system.

The current problem diverges from the above in the following two ways:

- i. Canadian donors are not financially compensated. The problem is therefore not one that can be optimized by maximizing cash flows. Further, the organization is a not-for-profit. Consequently, donors have no financial motivation to give blood.
- ii. Canada is geographically and culturally diverse. Patient behaviour in one region cannot be assumed to be identical to that of another. In many of the previous works, one model was developed on an aggregate level assuming all clinics behave in a similar fashion.
- iii. An appointment isn't necessary. Walk-ins account for a substantial portion of available slots. With the exception of (Kim and Giachetti, 2006), the above works consider only booked appointments.

In summation, the models used throughout the extent literature cannot be applied to the current problem for one or more of the aforementioned challenges. Notwithstanding, many of the same themes will be applied in the development of a model unique to the current problem.

2 BLOOD DONATION IN CANADA

CBS divides into 13 separate regional centres across the country except for Héma-Québec, which provides blood products to the province of Québec. The regional centres are the following:

1. British Columbia - Yukon (BCY)
2. Calgary
3. Edmonton
4. Halifax
5. Hamilton
6. London
7. New Brunswick
8. Newfoundland
9. Ottawa

10. Sudbury
11. Saskatchewan
12. Toronto
13. Winnipeg

All thirteen centres offer a combination of both permanent and mobile sites for blood product collection. These centres have a variety of different active donor bases. The term active donors represent those who have made a successful donation within the last eighteen months.

Blood donors are volunteers and they do not receive any financial or negative repercussions if they do not show up for their scheduled appointments. A predetermined number of slots are available per day which depends on the number of clinic staff, the hours available and the size of the clinic. While many medical facilities can easily increase capacity by providing overtime pay to staff members, as a non-for-profit organisation that depends substantially on volunteer staff, this alternative is simply not an attractive option for CBS. Therefore, it is critical that CBS make best use of the available time to manage productivity. An additional point to highlight is that blood products have a specific shelf-life, which varies depending on the component. CBS takes into consideration their current inventory when conducting mobile clinics and can try to target specific blood types in shortages.

We consider that the total number attending a blood donation clinic (a) is equal to the total number of booked appointments (b) less those who are no-shows (n) plus those who didn't book an appointment but 'walk-in' to the clinic (w). The ultimate goal is to maximize the utilization of clinic resources by ensuring the total attendance (a) is as close to the clinic's capacity as possible. Among the variables b, n , and w , the only controllable factor is the number of booked appointments (b). By extension, the question becomes one of how many appointments to book for a clinic in order to accommodate an expected number of walk-in donors but also make up the difference for any booked appointments that are no-shows. This paper lays the foundation for an overbooking policy by developing models to forecast the number of no-shows and walk-ins.

$$a = b - n + w \quad (1)$$

In order to account for no-shows and deferred prospective donors, an overbooking strategy supporting clinic attendance will be explored. Blood clinics, both fixed and mobile sites, also offer the possibility of walk-ins, therefore the ratio of the walk-ins filling the collection capacity will be considered.

2.1 Walk-ins

By days of the week, the number of walk-ins at clinics throughout the country are illustrated in Figure 1. In these boxplots, the whisker length is one-and-a-half times the interquartile range. Points beyond the inner fence are either mild or extreme outliers. Extreme outliers are those more than three times the interquartile range beyond the third quartile or below the first quartile. Walk-in donors present in higher volumes on Sundays. This is largely due to the mobile events run on weekends (e.g., “blood drives”) that are attended primarily by donors not having appointments. Conversely, fixed permanent clinics are primarily attended by donors having booked appointments. Also clear from Figure 1 is a skewed dataset. Some large mobile clinics attract a large number of walk-in donors, albeit this is uncommon. As these variables are also non-negative, the result is substantial skewness.

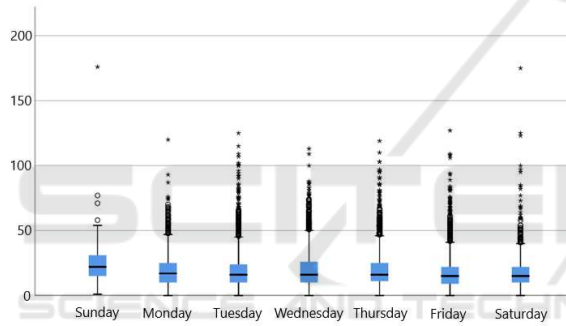


Figure 1: The number of walkins attending CBS clinics throughout 2018, by day of the week.

Figure 2 illustrated the distribution of walk-in volumes by region within the country. Interestingly, differences by region suggest that donor behaviour varies by region of the country. The prairie region (Edmonton, Calgary, and Winnipeg) tends to attract more walk-in donors than any other area of the country.

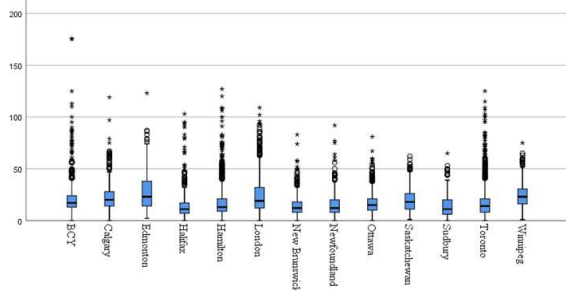


Figure 2: The number of walkins attending CBS clinics throughout 2018, by region.

2.2 No-shows

While Sundays are appealing to a large donor base, it appears, from Figure 3 that appointments booked on this day are the least often actually attended. Naturally, part of this high number of skipped appointments is due simply to the higher number of booked appointments on the same day - and as a consequence, the two variables are not independent.

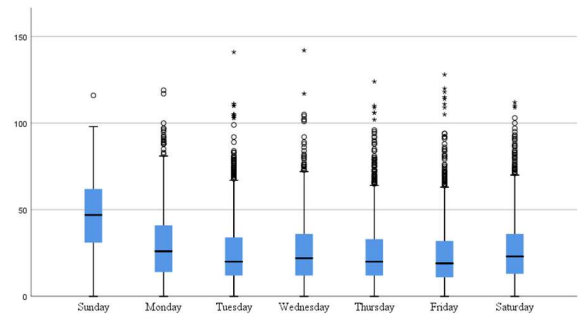


Figure 3: The number of no-shows attending CBS clinics throughout 2018, by day of the week.

In the same way, skipped appointments are more prevalent in the prairie regions - as depicted in Figure 4. This was the same region of the country that enjoyed a large donor base attending clinics without a booked appointment (see Figure 2). Again, there appears to be a high correlation between the two figures.

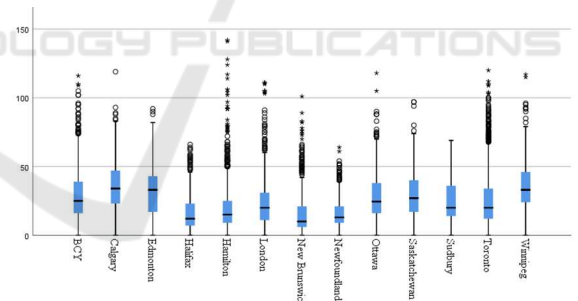


Figure 4: The number of no-shows attending CBS clinics throughout 2018, by region.

3 REGRESSION MODELS

The descriptive statistics (boxplots) presented in the previous section suggest that another factor underlies the strong correlation between the number of walk-ins or no-shows (as functions of either region or day of the week). We posit that to be the size of the surrounding donor base. Each of these regions consists of numerous permanent clinics and hundreds of mobile clinics having various sizes to accommodate the local donor base. Unfortunately, the size of the local

donor base to a specific clinic is not available and so the clinic’s capacity was used in our regression models as a proxy measure.

Two regression models were developed: one to forecast the number of walk-in donors and the other to forecast the number of no-shows. Given that a clinic would know with certainty the number of booked appointments in advance of donation date, little is gained by attempting to develop a forecast model for that variable. The regression model for walk-in donors (\hat{y}_w) is as follows:

$$\begin{aligned} \hat{y}_w = & \alpha + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 + \beta_4x_4 + \beta_5x_5 \\ & + \beta_6x_6 + \beta_7x_7 + \beta_8x_8 + \beta_9x_9 + \beta_{10}x_{10} + \beta_{11}x_{11} \\ & + \beta_{12}x_{12} + \beta_{13}x_{13} + \gamma_1x_{14} + \gamma_2x_{15} + \gamma_3x_{16} \\ & + \gamma_4x_{17} + \gamma_5x_{18} + \gamma_6x_{19} + \gamma_7x_{20} + \delta x_{21} \end{aligned} \quad (2)$$

where:

- α is the vertical axis intercept
- β_i is the coefficient for regressor x_i representing the region i
- γ_j is the coefficient for regressor x_{j-13} representing day of the week $j - 13$
- δ is the clinic’s nominal capacity (in daily availability of donor slots)

The ordering of days starts with Monday, $j = 14$, and proceeds sequentially through Sunday, $j = 20$. The ordering of regions follows Figure 4 where region $i = 1$ is British Columbia - Yukon (BCY).

The regression model for the number of no-shows is quite similar:

$$\begin{aligned} \hat{y}_n = & \alpha + \beta_1x_1 + \beta_2x_2 + \beta_3x_3 + \beta_4x_4 + \beta_5x_5 + \beta_6x_6 \\ & + \beta_7x_7 + \beta_8x_8 + \beta_9x_9 + \beta_{10}x_{10} + \beta_{11}x_{11} + \beta_{12}x_{12} \\ & + \beta_{13}x_{13} + \gamma_1x_{14} + \gamma_2x_{15} + \gamma_3x_{16} + \gamma_4x_{17} \\ & + \gamma_5x_{18} + \gamma_6x_{19} + \gamma_7x_{20} + \delta_1x_{21} + \delta_2x_{22} \end{aligned} \quad (3)$$

but includes the additional variable x_{22} representing the number of pre-booked appointments having corresponding coefficient δ_2 . Integrating with Equation 1 the number of extended attendees (\hat{y}_a) is:

$$\hat{y}_a = b - \hat{y}_n + \hat{y}_w \quad (4)$$

4 RESULTS

Pearson’s correlation coefficient (commonly known as r) is .855 suggesting a reasonably good model for predicting the number of no-shows by using the model described in the previous section. Variables having a statistically significant influence on \hat{y}_n and

the corresponding coefficient values are provided in Table 1. Unfortunately, for the walk-in model, a value of 0.335 was obtained for r suggesting the model has relatively little value. This is a somewhat curious result, suggesting that the independent variables found to be useful in forecasting the number of no-shows are of limited value in predicting the number of walk-ins.

The current model is limited in that it doesn’t consider donor demographics. The age and sex of a donor is known to influence the propensity of a donor to balk. Further, it is not known whether walk-in donors were successful in making a donation (many are screened out for a variety of risk factors - recent international travel, illness, recent tattoos, sexual practices, etc.). The model also considers all clinics within a specific region equally while it is known that urban donors behave differently from rural donors and by extension, results for clinic utilization is different. Rather than using the clinic capacity as a proxy for the size of the surrounding population, the model may be improved by representing each clinic individually rather than treating all clinics within a region equally. Finally, whether the clinic is a mobile or permanent clinic should also be considered.

5 CONCLUSIONS

Simple multiple linear regression yields a satisfactory model forecasting the number of donors who have booked appointments to donate blood but fail to show up for the appointment. Influential factors are demonstrated to include the day of the week, the clinic’s region throughout the country, the total number of booked appointments for that event, and the clinic’s capacity. A similar model developed to forecast the number of walk-in donors failed to yield useful results. Other potential factors influencing the number of walk-ins are posited and should be considered in future development of this model.

Given the highly skewed boxplots presented for attendance by day or region, it is likely that the residuals are not distributed normally. Other models (beta-regression or log-linear regression) will also be attempted to improve the model performance.

REFERENCES

- Chen, Y., Kuo, Y.-H., Fan, P., and Balasubramanian, H. (2018). Appointment overbooking with different time slot structures. *Computers & Industrial Engineering*, 124:237–248.

- Fan, P., Fan, D., Kuo, Y., and Chen, Y. (2016). Modeling and evaluation of overbooking rules for primary health care clinic with different patient behavior. In *Proceedings of the 2016 IEEE International Conference on Industrial Engineering and Engineering Management*.
- Huang, Y. and Hanauer, D. (2014). Patient no-show predictive model development using multiple data sources for an effective overbooking approach. *Applied Clinical Informatics*, 5(3):836–860.
- Huang, Y. and Zuniga, P. (2012). Dynamic overbooking scheduling system to improve patient access. *Journal of the Operational Research Society*, 63(6):810–820.
- Kim, S. and Giachetti, R. (2006). A stochastic mathematical appointment overbooking model for healthcare providers to improve profits. *IEEE Transactions on systems, man, and cybernetics - Part A: Systems and humans*, 36(6):1211–1219.
- Kros, J., Dellana, S., and West, D. (2009). Overbooking increases patient access at east carolina university's student health services clinic. *Interfaces*, 39(3):271–287.
- LaGanga, L. and Lawrence, S. (2007). Clinic overbooking to improve patient access and increase provider productivity. *Decision Sciences*, 38(2):251–276.
- LaGanga, L. and Lawrence, S. (2012). Appointment overbooking in health care clinics to improve patient service and clinic performance. *Production and Operations Management*, 21(5):874–888.
- Li, Y., Tang, S., Johnson, J., and Lubarsky, D. (2019). Individualized no-show predictions effect on clinic overbooking and appointment reminders. *Production and Operations Management*, 28(8):2068–2086.
- Muthuraman, K. and Lawley, M. (2008). A stochastic overbooking model for outpatient clinical scheduling with no-shows. *IIE Transactions*, 40(9):820–837.
- N., L. and Ziya, S. (2014). Panel size and overbooking decisions for appointment-based services under patient no-shows. *Production and Operations Management*, 23(12):2209–2223.
- Riasi, A., Schwartz, Z., and Beldona, S. (2019). Hotel overbooking strategy: who and how? *International Journal of Hospitality Management*, 82:1–4.
- Smith, A., Matthews, R., and Fiddler, J. (2011). Blood donation and community: Exploring the influence of social capital. *International Journal of Social Inquiry*, 4(1):45–63.
- v. Wagenheim, F. and Bayon, T. (2007). Behavioural consequences of overbooking service capacity. *Journal of Marketing*, 17(4):36–47.
- Zeng, B., Zhao, H., and Lawley, M. (2009). Clinic overbooking and patient responses a game theoretical approach. In *Proceedings of the 2009 industrial engineering research conference*.
- Zeng, B., Zhao, H., and Lawley, M. (2013). The impact of overbooking on primary care patient no-show. *IIE Transactions on Healthcare Systems Engineering*, 3(3):147–170.

APPENDIX

Table 1: Regressors having statistical significance in the model predicting the number of no-shows.

Descriptor	Variable	Value	Significance
Constant	α	.832	.000
Calgary	β_2	-1.588	.000
Edmonton	β_3	-2.086	.000
Halifax	β_4	-1.349	.000
Hamilton	β_5	.696	.003
London	β_6	2.329	.000
NFLD	β_8	2.847	.000
Sudbury	β_{11}	5.080	.000
Toronto	β_{12}	2.786	.000
Winnipeg	β_{13}	2.824	.000
Tuesday	γ_{15}	-.880	.000
Friday	γ_{18}	.764	.000
Saturday	γ_{19}	1.083	.000
Sunday	γ_{20}	7.847	.000
Num Prebooked	δ_1	.380	.000
Clinic Capacity	δ_2	-.057	.000