

Forest Fire Area Estimation using Support Vector Machine as an Approximator

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Abstract: Forest fire is critical environmental issue that can cause severe damage. Fast detection and accurate estimation of forest fire burned area can help firefighters to effectively control damage. Thus, the purpose of this paper is to apply state of the art data modeling method to estimate the area of forest fire burning using support vector machine (SVM) algorithm as a tool for area approximation. The dataset is real forest fires data from the Montesinho natural park in the northeast region of Portugal. The original dataset comprises of 517 records with 13 attributes. We randomly sample the data 10 times to obtain 10 data-subsets for building estimation models using two kinds of SVM kernel: radial basis function and polynomial function. The obtained models are compared against other proposed techniques to assess performances based on the two measurement metrics: mean absolute error (MAE) and root mean square error (RMSE). The experimental results show that our SVM predictor using polynomial kernel function can precisely estimate forest fire damage area with the MAE and RMSE as low as 6.48 and 7.65, respectively. These errors are less than other techniques reported in the literature.

1 INTRODUCTION

Forest fire is a severe disaster for humans and other wild lives. The fires, either intentionally manmade or a natural phenomenon, are unwanted situation and they should be getting into control as fast as possible in order to reduce loss. Predicting accurately the spread of the fires is one effective way to control and limit the burned area. In practice, controlling the fire area is based on the experience of firefighters. At present, with the advance of computational modeling methods, estimating the burned area can be made more accurate with the new technology.

Computational modeling efficiency is mainly due to the advancement in machine learning technology. The recent invention of support vector machine (Cortes and Vapnik, 1995; Vapnik, 2013) has made machine being able to learn both linear and non-linear classification models based on the application of specific kind of kernel functions. Support vector machine, or SVM, has been proven an efficient learner and extensively applied in environmental science and other numerous research

areas. Some examples of SVM applications to support natural phenomenon study includes the estimation of horizontal global solar radiation (Baser and Demirhan, 2017), landslide assessment due to rainfall effect (Lin *et al.*, 2017), and the prediction of wind power (Yuan *et al.*, 2017).

However, it is not a straightforward task to apply SVM successfully in every domain because SVM is a parametric learning approach that needs a proper setting of parameters best suitable for each specific data domain. Data analysts, therefore, need some experiences and prior knowledge regarding the nature of SVM before applying it efficiently.

In this work, we propose an empirical study of applying SVM to estimate the burned area of forest fires in the largest natural park of Portugal, named Montesinho. We show in our experimental setting that using different kinds of kernel function results in different yields. We explain major characteristics of SVM as a background knowledge for general readers in the next section. We then explain our modeling method and SVM setting in section 3. The

experimental results are shown in section 4 and the conclusion is provided in section 5.

2 SVM CHARACTERISTICS

SVM is a very fast and effective algorithm for learning a classification model. The term model means a concise form that can be used to classify future data into their correct class. SVM learns to build a model and represents it as a plane or a linear line. This line is called a *classifier*. Figure 1 illustrates the idea of learning SVM classification model from the available data of mixed classes: the one that is represented by dark dot, and the other class shown by light dot. The learning objective of SVM is to find a linear line being able to separate correctly data of one class from another.

In this simple example, a classification model is represented as a linear blue line in the middle of the figure. There are many possible linear lines being qualified to be a classifier, but there is only one optimal classifier. Optimality is judged from the farthest distance between the classification line and the data at the border lines. In Figure 1, the dashed lines on both sides of the classification line are boundaries for selecting the optimal model in such a way that the distance between the classification line to both borders are the widest one. Data on the dashed lines are called *support vectors*.

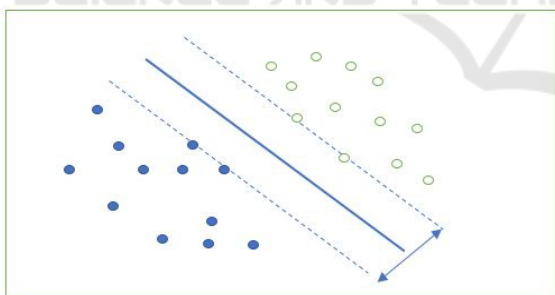


Figure 1: SVM learning on linearly separable data.

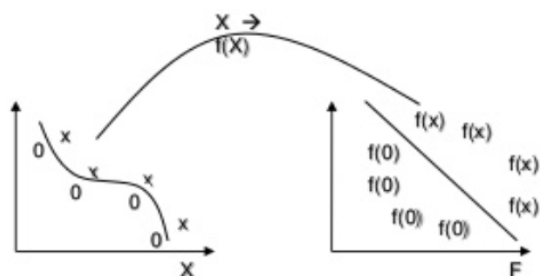


Figure 2: The application of kernel function to learn classifier for non-linear separable data.

For data that cannot be separated easily with the linear line, some transformation function is needed to change the orientation of data to be conveniently separable through the straight line. Figure 2 illustrates the idea of data transformation. The function that transforms data from normal plane to a hyperplane is called a *kernel function*. With the power of data transformation through the application of proper kernel function, SVM can efficiently learn classifier that can classify non-linear data.

There are many possible kernel functions to transform data to be in a higher feature space that can help SVM linearly separating data. Among many existing functions, the most applicable one is the radial basis function. Its computation (Cristianini and Shawe-Taylor, 2000) is shown in (1) and (2). In our work, we also consider a simpler kernel function, called polynomial, as shown in (3).

$$f(X_i, X_j) = \exp(-\gamma(X_i - X_j)^2) \tag{1}$$

$$\gamma = -\frac{1}{2\sigma^2} \tag{2}$$

$$f(X_i, X_j) = (\gamma X_i X_j + \theta)^q \tag{3}$$

where γ is gamma parameter, X_i is a vector of input variables, X_j is the target variable, σ is a free variable, q is the degree of polynomial function, and θ is the bias.

3 RESEARCH METHODOLOGY

3.1 Study Area and Data Preparation

The forest fire data used in our study are historical events occurred at the Montesinho natural park (Figure 3).

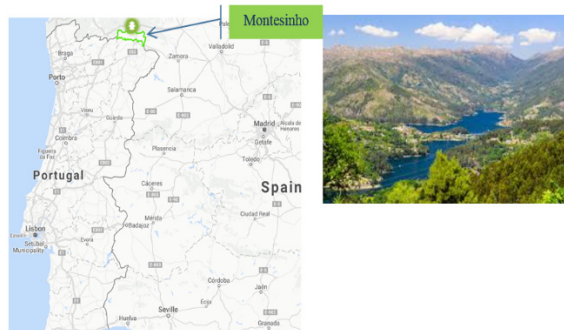


Figure 3: Location of Montesinho natural park in the northeast of Portugal.

This park covers 748 km², or 74,229 ha, in the mountainous region of the northeast Portugal with altitude ranges from 438 m in the lower valley to 1481 m over the mountain top (Castro *et al.*, 2010).

The forest fire data are publicly available at the UCI machine learning repository (<https://archive.ics.uci.edu/ml/datasets/forest+fires>). Fire data had been collected from January 2000 to December 2003 comprising of 517 records with 13 attributes in each record. In our study, we select only 9 attributes to be used in the modeling process. The attribute details are summarized in Table 1.

Table 1: Forest fire data attributes and meaning.

Attribute name	Description	Unit
FFMC	Fine Fuel Moisture Code	--
DMC	Duff Moisture Code	--
DC	Drought Code	--
ISI	Initial Spread Index	--
Temp	Temperature	°C
RH	Relative Humidity	%
Wind	Wind speed	km/h
Rain	Rain volume	mm/m ²
Area	Total burned area	ha

The attributes FFMC, DMC, DC, ISI are parts of major components to compute the danger rating scales of forest fires (Taylor and Alexander, 2006). The FFMC determines influence of litters for the ignition and spread of fire. The DMC and DC identify fire intensity, while ISI correlates to the fire velocity spread. The other four attributes (temp, RH, wind, rain) are meteorological data that can also affect fire spread. The target of our modeling is the last attribute, area.

3.2 Modeling Techinque

Prior to the modeling process of fire area estimation, we have to explore the distributions of our data. From data exploration, we have found that from the 517 records, there are 247 records (almost 48%) that burned area is zero. This is due to the data collection threshold that burned area less than 100 m² shall not be recorded. We, therefore, have to rescale the burned area with the formula shown in (4).

$$burned_area = \ln(area + 1) \quad (4)$$

The comparison of original burned area and the new one after transformation is graphically shown in Figure 4. The transformation makes data less skew and hence can increase correctness on burned area prediction.

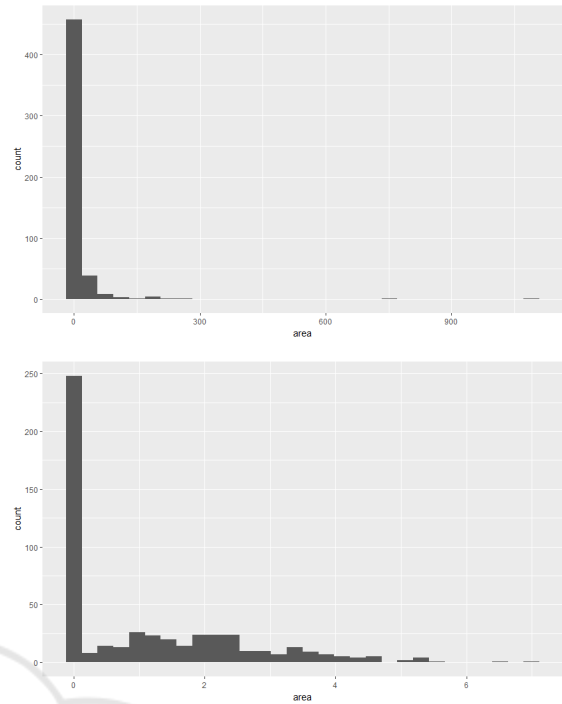


Figure 4: Distributions of the burned area in the original data (above) compared to the area after logarithmic scaling (below), where vertical axis is frequency of fires and horizontal axis is the burned area.

We then randomly select ten datasets of equal size for the purpose of ten iterations of train SVM to build model and test the built model (10-fold cross validation). For the SVM learning with radial basis kernel function, we set the gamma (γ) parameter to be 80. For the SVM training with polynomial kernel function, the learning parameters $q = 7$, $\gamma = 1$, and $\theta = 1$.

The model testing has been performed ten times and the model's performances are evaluated with the mean absolute error (MAE) and root mean square error (RMSE) metrics. The computations (Al Janabi, Al Shourbaji, and Salman, 2017) of MAE and RMSE are shown in (5) and (6), respectively.

$$MAE = \frac{\sum_{i=1}^n |Y_i - \hat{Y}_i|}{n} \quad (5)$$

$$RMSE = \sqrt{\frac{\sum_{i=1}^n (Y_i - \hat{Y}_i)^2}{n}} \quad (6)$$

where Y_i is the actual value of burned area, \hat{Y}_i is the estimated burned area, and n is the number of data records.

4 RESULTS AND DISCUSSION

The results of forest fire burned area prediction from the ten iterations of SVM learning algorithm using polynomial and radial basis kernel functions are illustrated in Table 2. For the specific application of natural phenomenon prediction such as forest fires, polynomial kernel produces more accurate estimation than the radial basis function. The prediction results are graphically shown in Figure 5.

Table 2: Error evaluation results from the ten iterations of SVM-polynomial and SVM-radial basis kernel functions.

No.	MAE		RMSE	
	SVM-polynomial	SVM-radial basis	SVM-polynomial	SVM-radial basis
1	6.4814	11.0621	7.6575	56.0906
2	6.4813	11.0619	7.6577	56.0906
3	6.4814	11.0618	7.6578	56.0906
4	6.4814	11.0620	7.6576	56.0906
5	6.4813	11.0624	7.6575	56.0907
6	6.4813	11.0621	7.6574	56.0906
7	6.4812	11.0619	7.6574	56.0906
8	6.4814	11.0623	7.6577	56.0907
9	6.4816	11.0620	7.6577	56.0906
10	6.4815	11.0620	7.6577	56.0907
Avg.	6.4814	11.0620	7.6576	56.0906

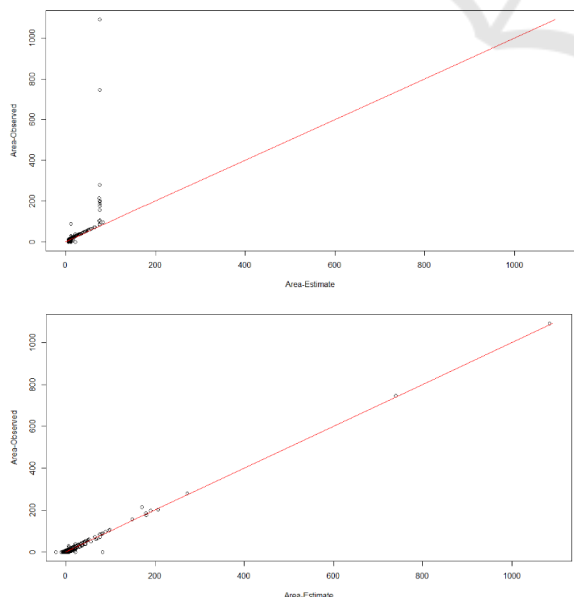


Figure 5: Comparative plots showing estimation errors of radial basis kernel (above) and polynomial kernel (below).

From the prediction plots in Figure 5, it is noticeable that the radial basis kernel cannot predict correctly burned area wider than 100 ha. To analyze absolute errors, we show the boxplot in Figure 6 and the errors made by radial basis kernel are from the too high approximation.

The SVM learning using exactly the same set of forest fire data also appears in the literature (Al Janabi, Al Shourbaji, and Salman, 2017; Cortez and Morais, 2007). But the kernel application, the data attribute selection, and SVM parameter setting are different from our work. The prediction results of our work as compared to others are also summarized and shown in Table 3.

From the comparative results, it is our SVM with polynomial kernel model that performs the most accurate prediction of forest fire burned area.

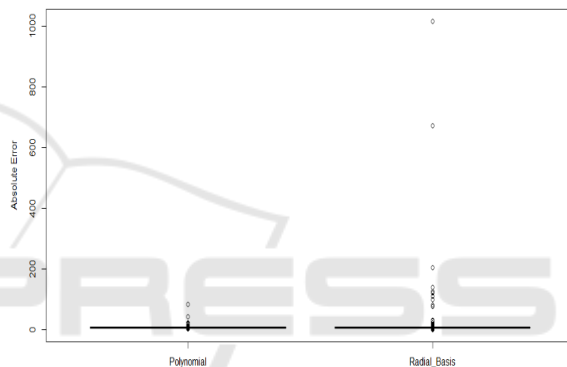


Figure 6: Boxplot showing absolute errors of polynomial kernel (left) against the radial basis kernel (right).

Table 3: Comparative performance of SVM predictors.

Modeling method	RMSE	MAE
Our SVM with polynomial kernel	7.65	6.48
Our SVM with radial basis kernel	56.09	11.06
SVM by Cortez and Morais (2007)	64.70	12.71
SVM by Al Janabi <i>et al.</i> (2017)	54.00	282.40

5 CONCLUSIONS

In this work, we study the performance of support vector machine (SVM) algorithm when it has been applied to the environmental domain to predict burned area of the forest fires. SVM and other computational models such as logistic regression, artificial neural network, and particle swarm intelligence have recently been applied to the

modeling of forest fire spread and intensity. The advantage of accurate prediction with computational models is to efficiently control the damage caused by forest fires.

It has been reported by many research teams that SVM yield the most promising results. But most applications of SVM employ a sophisticated radial basis function as the kernel of SVM. We demonstrate in our experiment that for some specific application, a simpler kernel such as polynomial function performs better than the complex one. The polynomial SVM predicts correctly burned area with the root mean square error as low as 7.65, whereas the radial basis kernel yields higher error at 56.09.

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