How Effective Are Aggregation Methods on Binary Features?

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Abstract: During the last decade, various local features have been proposed and used to support Content Based Image Retrieval and object recognition tasks. Local features allow to effectively match local structures between images, but the cost of extraction and pairwise comparison of the local descriptors becomes a bottleneck when mobile devices and/or large database are used. Two major directions have been followed to improve efficiency of local features based approaches. On one hand, the cost of extracting, representing and matching local visual descriptors has been reduced by defining binary local features. On the other hand, methods for quantizing or aggregating local features have been proposed to scale up image matching on very large scale. In this paper, we performed an extensive comparison of the state-of-the-art aggregation methods applied to ORB binary descriptors. Our results show that the use of aggregation methods on binary local features is generally effective even if, as expected, there is a loss of performance compared to the same approaches applied to nonbinary features. However, aggregations of binary feature represent a worthwhile option when one need to use devices with very low CPU and memory resources, as mobile and wearable devices.

1 INTRODUCTION

During the last few years, local descriptors, as for instance SIFT (Lowe, 2004), SURF (Bay et al., 2006), BRISK (Leutenegger et al., 2011), ORB (Rublee et al., 2011), to cite some, have been widely used to support effective CBIR and object recognition tasks.

Executing image retrieval and object recognition tasks, relying on local features, is generally resource demanding. Each digital image, both queries and images in the digital archives, are typically described by thousands of local descriptors. In order to decide that two images match, since they contain the same or similar objects, local descriptors in the two images need to be pairwise compared, in order to identify matching patterns. This poses various problems when local descriptors are used on devices with low resources, as for instance smartphones, or when response time must be very fast even in presence of huge digital archives. On one hand, the cost for extracting local descriptors, storing all descriptors of all images, and performing pairwise matching between two images must be reduced to allow their interactive use on devices with limited resources. On the other hand, compact representation of local descriptors and ad hoc index structures for similarity matching (Zezula et al., 2006) are needed to allow image retrieval to scale up with very

large digital picture archives. These two issues, have been addressed by following two different directions.

To reduce the cost of extracting, representing, and matching local visual descriptors, researchers have investigated the use of *binary local descriptors*, as of instance BRISK (Leutenegger et al., 2011) or ORB (Rublee et al., 2011). Binary features are built from a set of pairwise intensity comparisons. Thus, each bit of the descriptors is the result of exactly one comparison. Binary descriptors are much faster to be extracted, are obviously more compact than non-binary ones, and can also be matched faster by using the Hamming distance (Hamming, 1950) rather than the Euclidian distance. However, note that even if binary local descriptors are compact, each image is still associated with thousand local descriptors, making it difficult to scale up to very large digital archives.

Reduction of the cost of image matching on a very large scale has been addressed by defining methods for quantizing and/or aggregating local features.

Quantization methods, as for instance the bag of words approach (BoW) (Sivic and Zisserman, 2003), define a finite vocabulary of local descriptors, that is a finite set of local descriptors to be used as representative. Every possible local descriptors is thus represented by its closest representative, that is the closest element of the vocabulary. In this way images are

566

Amato, G., Falchi, F. and Vadicamo, L.

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described by a set (a bag) of identifiers of representatives, rather than a set of vectors.

Aggregation methods, as for instance Fisher Vectors (FV) (Perronnin and Dance, 2007) or Vectors of Locally Aggregated Descriptors (VLAD) (Jégou et al., 2010b), analyze the local descriptors contained in an image to create statistical summaries that still preserve the effectiveness power of local descriptors and allow treating them as global descriptors. In both cases index structures for approximate or similarity matching (Zezula et al., 2006) can be used to guarantee scalability on very large datasets.

Recently, some approaches that attempt to integrate the binary local descriptors with the quantization and aggregation methods were proposed in literature. In these proposals, aggregation and quantization methods were directly applied on top of binary local descriptors. The objective is to leverage on the advantages of both approaches, by reducing, or eliminating the disadvantages.

In this paper we perform an extensive comparisons and analysis of the aggregation and quantization methods applied to binary local descriptors. To the best of our knowledge, there is not such a complete analysis of these methods in the literature.

The results of our experiments show that the use of aggregation and quantization methods with binary local descriptors is generally effective even if, as expected, performance is slightly worse than the application of the aggregation and quantization methods directly to the non-binary features.

This paper is organized as follows. Section 2 surveys the works related to local features and aggregation methods. Section 3 outlines how existing aggregation methods can be used with binary local features. Experimental results are discussed in the fourth section and conclusions are drawn in the final section.

2 RELATED WORK

One of the most popular aggregation method is the *Bag-of-Word* (BoW), initially proposed in (Sivic and Zisserman, 2003; Csurka et al., 2004) for matching object in videos. BoW uses a *visual vocabulary* to quantize the local descriptors extracted from images and represents each image as a histogram of occurrences of visual words. From the very beginning words reductions techniques have been used and images have been ranked using the standard *term frequency-inverse document frequency* (tf-idf) weighting. In order to improve the efficiency of BoW, several approaches for the reduction of visual words have been investigated (Thomee et al., 2010; Amato

et al., 2013). Search results obtained using BoW in CBIR has also been improved by exploiting additional geometrical information and applying re-ranking approaches (Philbin et al., 2007; Zhao et al., 2013; Tolias and Jégou, 2013). To overcome the loss in information about the original descriptors, due to the quantization process, more accurate representation of the original descriptors and alternative encoding techniques have been used, as for example *Hamming Embedding* (Jégou et al., 2008) and *soft/multiple-assignment* (Philbin et al., 2008; Van Gemert et al., 2010; Jégou et al., 2010a).

Recently, other aggregation schemes, such as the *Fisher Vector* (FV) (Perronnin and Dance, 2007; Jaakkola and Haussler, 1998) and the *Vector of Locally Aggregated Descriptors* (VLAD) (Jégou et al., 2010b), have attracted much attention because of their effectiveness in both image classification and large-scale image search. Both FV and VLAD use some statistics about the distribution of the local descriptors in order to transform an incoming set of descriptors into a fixed-size vector representation.

The basic idea of FV is to characterize how a sample of descriptors deviates from an average distribution that is modeled by a parametric generative model. A Gaussian Mixture Model (GMM), estimated on a training set, is typically used as generative model and might be understood as a "probabilistic visual vocabulary". While BoW counts the occurrences of visual words and so takes in account just 0-order statistics, the FV offers a more complete representation by encoding higher order statistics (first, and optionally second order) related to the distribution of the descriptors. FV results also in a more efficient representation, since smaller visual vocabularies are required in order to achieve a given performance. However, the vector representation obtained using BoW is typically quite sparse while that obtained using FV is almost dense. This leads to some storage and input/output issues that have been addressed by using techniques of dimensionality reduction, as Principal Component Analysis (PCA) (Bishop, 2006), compression with product quantization (Jégou et al., 2011) and binary codes (Perronnin et al., 2010a).

The VLAD approach, similarly to BoW, uses a visual vocabulary to quantize the local descriptors of an image. The visual vocabulary is learned using a clustering algorithm, as *k*-means. Compared to BOW, VLAD exploits more aspects of the distribution of the descriptors assigned to a visual word. In fact, it encodes the accumulated difference between the visual words and the associated descriptors, rather than just the number of descriptors assigned to each visual word. As common post-processing step VLAD is power and ℓ^2 normalized. Furthermore, PCA dimensionality reduction and product quantization have been applied and several enhancements to the basic VLAD have been proposed (Arandjelovic and Zisserman, 2013; Chen et al., 2011; Delhumeau et al., 2013; Zhao et al., 2013)

Aggregation methods have been defined and used almost exclusively in conjunction with non-binary local features, as SIFT (Lowe, 2004) and SURF (Bay et al., 2006). The cost of extraction and the memory consumption of these local features become an issue in the concurrent effort to use visual search on mobile devices and to scale to even larger datasets. To contrast this, binary local descriptors, as BRIEF (Calonder et al., 2010), ORB (Rublee et al., 2011), BRISK (Leutenegger et al., 2011) and FREAK (Alahi et al., 2012) have been introduced. These features have a compact binary representation that is computed directly from pixel-intensity comparisons. This make them an attractive solution to reduce the computational effort for the detection and the comparison of local features.

Few works have addressed the problem of modifying the state-of-the-art aggregation methods to work with the emerging binary local features. In (Galvez-Lopez and Tardos, 2011; Zhang et al., 2013; Grana et al., 2013; Lee et al., 2015), the use of ORB descriptors has been integrated in the BoW model by using various clustering algorithms. In (Galvez-Lopez and Tardos, 2011) the visual vocabulary is calculated by binarizing the centroids obtained using the standard kmeans. In (Zhang et al., 2013; Grana et al., 2013; Lee et al., 2015) the k-means clustering has been modified to fit the binary features by replacing the Euclidean distance with the Hamming distance, and by replacing the mean operation with the median operation. In (Van Opdenbosch et al., 2014) the VLAD image signature is tested with binary descriptors: kmeans is used for learning the visual vocabulary and the VLAD vectors are computed in conjunction with an intra-normalization and a final binarization step.

In this work we present how the state-of-the-art aggregation methods can be used with binary features and we perform a complete comparison of their performances on the benchmark INRIA Holidays (Jégou et al., 2008) dataset.

3 AGGREGATION METHODS

In this section, we describe the most popular quantization and aggregation methods, namely BoW, VLAD and Fisher Vector, that aim to produce a single vector representation of an image starting from a set of local descriptors. We also review how these methods can been adapted to work with the emerging binary local features.

3.1 Bag of Word

The traditional Bag of Words (BoW) model, used for text retrieval (Salton and McGill, 1986), has been initially applied to images in (Sivic and Zisserman, 2003) for matching objects throughout a movie database. Thereafter, BoW has been widely used for classification and CBIR tasks (Csurka et al., 2004; Jégou et al., 2010a; Jégou et al., 2010b).

As for text documents, BoW uses a "visual vocabulary" to represent each image as a vector of word frequencies. The visual vocabulary is built by clustering the local descriptors of a dataset, e.g. by using *k*-means. The cluster centers, named *centroids*, act as *visual words* of the vocabulary and they are used to quantize the local descriptors extracted from images. Specifically, each local descriptor of an image is assigned to its closest centroids and the image is represented by a histogram of occurrences of the visual words.

The retrieval phase is performed using text retrieval techniques, where visual words are used in place of text word, and considering a query image as disjunctive term-query. Typically, the cosine similarity measure in conjunction with a term weighting scheme, e.g. tf-idf, is adopted for evaluating the similarity between any two images.

The BoW scheme has been extended to work with binary features by following two main directions. On one hand, a naive approach is to treat binary vectors as a particular case of floating-point vectors, so that traditional BoW (k-means + quantization) can be used. On the other hand BoW can be adapted to cope with binary features by considering cluster algorithms (e.g. k-medoids and k-majority) able to deal with binary strings and Hamming distance.

The *k*-medoids (Kaufman and Rousseeuw, 1987) algorithm is suitable for binary data since each cluster center is chosen as one of the input data points (instead of the mean of the cluster elements). However, it requires a computational effort to calculate a full distance matrix between the elements of each cluster.

An alternative is to use the k-majority (Grana et al., 2013) that exploits the Hamming distance and a voting scheme to compute the centroids of a set of binary vectors. Initially the centroids are randomly selected and each vector of the collection is associated with its nearest centroid (computed by using the Hamming distance). Subsequently, for each cluster, a new centroid is computed by assigning 1 to its *i*-th

component if the majority of the binary vectors in the cluster have 1 in their *i*-th component. The algorithm iterates until no centroids are changed during the previous iteration. After that, the BoW aggregation can be performed in the usual manner, by using the Hamming distance rather than the Euclidean.

Also in (Zhang et al., 2013; Lee et al., 2015), the BoW model and the *k*-means clustering have been modified to fit the binary features by replacing the Euclidean distance with the Hamming distance, and by replacing the mean operation with the median operation. However, the resulting representation is equivalent to the BoW based on *k*-majority.

3.2 Vector of Locally Aggregated Descriptors

The Vector of Locally Aggregation Descriptors (VLAD) was initially proposed in (Jégou et al., 2010b). As for the BoW, a visual vocabulary $\{\mu_1, \ldots, \mu_K\}$ is first learned using a clustering algorithm (e.g. *k*-means). Each local descriptor x_t of a given image is then associated to its nearest centroid $NN(x_t)$ in the vocabulary. For each cluster, the residual vectors (i.e. the difference between the centroid and the associated descriptors) are accumulated:

$$v_i = \sum_{x_t:NN(x_t)=\mu_i} x_t - \mu_i.$$
 (1)

Finally the sum of the residual are concatenated into a single vector, referred to as VLAD: $V = [v_1^\top \dots v_K^\top]$. All the residuals have the same size *D* which is equal to the size of the used local features. Thus the dimensionality of the whole vector *V* is fixed too and it is equal to *DK*. Power-law and ℓ^2 normalization are usually applied and Euclidean distance has been proved to be effective for comparing two VLADs. Since VLAD descriptors have high dimensionality, PCA can been used to obtain a more compact representation (Jégou et al., 2010b).

VLAD can be applied to binary local descriptors by treating binary vectors as particular case of floating-point vectors. In this way, the *k*-means algorithm can be used to build the visual vocabulary and the difference between the centroids and the descriptors can be accumulated as usual. This approach has also been used in (Van Opdenbosch et al., 2014), where a variation to the VLAD image signature, called BVLAD, has been defined as the binarization (by thresholding) of a VLAD obtained using power-law, intra-normalization, ℓ^2 normalization and multiple PCA.

Similarly to BoW, various binary-cluster algorithms (e.g. k-medoids and k-majority) and the Hamming distance can be used to build the visual vocabulary and associate each binary descriptor to its nearest visual word. However, the use of binary centroids may provide less discriminant information during the computation of the residual vectors.

3.3 Fisher Vector

The Fisher Kernel is a powerful framework initially used in (Jaakkola and Haussler, 1998) for classifying DNA splice site sequences and to detect homologies between protein sequences. In (Perronnin and Dance, 2007), the Fisher Kernel has been proposed, in the context of image classification, as efficient tool to aggregate image local descriptors into a fixed-size vector representation.

The goal of the Fisher Kernel method is to derive a function that measures the similarity between two sets of data X and Y, as the sets of local descriptors extracted from two images. To this scope a probability distribution $p(\cdot|\lambda)$ with some parameters $\lambda \in \mathbb{R}^m$ is first estimated on a training set and is used as generative model over the space of all the possible data observations. Then each sample X of observations, is represented by a vector, named Fisher Vector (FV), that indicates the direction in which the parameter λ of the probability distribution $p(\cdot|\lambda)$ should be modified to better fit the data in X. In this way, two samples are considered similar if the directions given by their respective FV are similar. The Fisher Vector $\mathcal{G}_{\lambda}^{X}$ of sample set X is defined as the gradient of the sample's log-likelihood with respect to the parameters λ , scaled by the inverse square root of the Fisher Information Matrix (F_{λ}) , i.e.

$$\mathcal{G}_{\lambda}^{X} = L_{\lambda} \nabla_{\lambda} \log p(X|\lambda), \qquad (2)$$

where $L_{\lambda} \in \mathbb{R}^{m \times m}$ is a matrix such that

$$F_{\lambda}^{-1} = L_{\lambda}^{\top} L_{\lambda} \tag{3}$$

and

$$F_{\lambda} = \mathbb{E}_{x \sim p(\cdot|\lambda)} \left[\nabla_{\lambda} \log p(x|\lambda) \left(\nabla_{\lambda} \log p(x|\lambda) \right)^{\top} \right].$$
(4)

The FV is a fixed size vector whose dimensionality only depends on the number *m* of the parameter λ . The FV is further divided by |X| in order to avoid the dependence on the sample size (Sànchez et al., 2013).

The similarity between two set *X* and *Y* is measured by using the dot-product of their relative FV or, equivalently, the dissimilarity is evaluated by using the Euclidean distance whenever the FVs are ℓ^2 normalized (Perronnin et al., 2010b).

In the context of image retrieval and classification the FV are usually ℓ^2 -normalized since, as proved in (Perronnin et al., 2010b; Sànchez et al., 2013), this is a way to cancel-out the fact that distinct images contain different amounts of image-specific information (e.g. the same object at different scales). Moreover, a power-law normalization step is generally applied to improve the performance of FV, as highlighted in (Sànchez et al., 2013).

To the best of our knowledge the Fisher Vector has mainly been applied to non-binary local features, such as SIFT (Lowe, 2004), using a Gaussian Mixture Model (GMM) to represent the average distribution $p(\cdot|\lambda)$. In our experiments, we tested the baseline FV based on GMM by using the naive approach of treating binary features as floating-point vectors.

4 EXPERIMENTS

In the following we evaluate and compare the different methods described in Section 3 for aggregating binary local features. We first introduce the dataset used in the evaluations and we describe our experimental setup. We then report results and their analysis.

4.1 Dataset

Experiments were conducted using the *INRIA Holidays* dataset (Jégou et al., 2008), that is publicly available and often used in the context of image retrieval (Jégou et al., 2010b; Zhao et al., 2013; Arandjelovic and Zisserman, 2013; Perronnin et al., 2010a; Jégou et al., 2012).

The INRIA Holidays is a collection of 1491 images, 500 of them being used as query. The images are of high resolution and encompass a large variety of scene type (natural, man-made, water, fire effects, etc). Each query represents a distinct scene or object and a list of positive results is provided with the dataset.¹

As in many other works we used an independent dataset, namely *Flickr60k* (Jégou et al., 2008), for all the learning stages (clustering, PCA evaluation, etc). The *Flickr60k* dataset is composed of 67714 images extracted randomly from Flickr. Compared to Inria Holidays, Flickr60k includes also low-resolution images and more photos of humans.

4.2 Experimental Setup

In the experiments we used ORB (Rublee et al., 2011) binary feature, extracted with OpenCV (Open Source Computer Vision Library)². For INRIA Holidays we

detected up to 2000 ORBs per image, while for the training dataset we used up to 1000 ORBs per image.

Several aggregation methods were tested, i.e. BoW, VLAD and FV, each of them parametrized by an integer *K*. It corresponds to the number of visual words (centroids) used in BoW and VLAD, and to the number of mixture components of GMM used for the FV computation. We used K = 20000 for BoW and K = 64 for VLAD and FV. All the learning stages were performed using in order of 10^6 descriptors randomly selected from all the ORBs extracted from the training set.

Both *k*-medoids and *k*-majority algorithms were tested to build the visual vocabularies used for BoW and VLAD aggregations. We also tested the naive approach of treating binary vectors as floating-point vectors and learning the visual vocabularies via *k*-means.

The binary vectors were treated as floating-point vectors also for the GMM and FV computation. For the FV representation, we had only used the components associated with the gaussian mean vectors, since, similarly to the non-binary case, we observed that the components related to the mixture weights do not improve the results. The GMM parameters (mixture weights, mean vectors, diagonal covariance matrices) were learned by optimizing a maximumlikelihood criterion with the Expectation Maximization (EM) algorithm (Bishop, 2006). As stopping criterion for the estimation of the GMM we used the convergence in ℓ_2 -norm of the mean parameters. As suggested in (Bishop, 2006), the GMM parameters used in EM algorithm were initialized with: (a) 1/K for the mixing coefficients; (b) centroids precomputed using k-means, for the mean vectors; (c) mean variance of the clusters found using k-means, for the diagonal elements of the covariance matrices.

As a common post-processing step (Perronnin et al., 2010b; Jégou et al., 2012), the FV and VLAD vectors were power-law normalized and subsequently ℓ^2 -normalized. The power-law normalization is defined as $x \rightarrow |x|^{\alpha} \operatorname{sign}(x)$. In our experiments we used $\alpha = 0.5$. We also applied PCA to reduce the dimensionality of VLAD and FV. The projection matrices were estimated on the training dataset.

The similarity between BoW representations is evaluated using the cosine similarity in conjunction with tf-idf weighting scheme. VLAD and FV image signatures are compared using the Euclidean distance.

For completeness, we also evaluate the retrieval performance of the brute-force matching strategy as alternative to the aggregation approaches. To compute matches between the images we adopt the distance ratio criterion (Lowe, 2004; Heinly et al., 2012),

¹http://lear.inrialpes.fr/ jegou/data.php

²http://opencv.org/

Table 1: Performance evaluation on INRIA Holiday dataset of various aggregation methods applied on ORB binary features and comparison with the state-of-the-art counterpart methods applied on SIFT features (both full-size SIFTs and PCA-reduced to 64 components). *K* indicates the number of centroids used in BoW and VLAD and the number of mixture components of GMM used in FV; *Dimensionality* is the number of components of each vector representation (expressed in function of the used local feature). The results related to SIFT and SIFTPCA are reported from (Jégou et al., 2010b) and (Jégou et al., 2012).

Method	Learning	K		Dimension	ality	mAP			
	methou		ORB	SIFT	SIFTPCA64	ORB	SIFT from (Jégou et al., 2010b)	SIFTPCA64 from (Jégou et al., 2012)	
BoW	k-means	20 000	20 000	20 000	20 000	40.2	40.4	43.7	
BoW	k-majority	20000	20 000	-	-	38.2	-	-	
BoW	k-medoids	20 000	20 000	-	-	34.8	-	-	
VLAD	k-means	64	16 384	8 192	4 0 9 6	40.9	52.6	55.6	
			\xrightarrow{PCA} 128	128	128	40.7	51.0	55.7	
VLAD	k-majority	64	16384	-	-	29.5	-	-	
VLAD	k-medoids	64	16 384	-	-	30.7	-	-	
FV	GMM	64	16 384	8 192	4 0 9 6	35.1	49.5	59.5	
			\xrightarrow{PCA} 128	128	128	37.8	49.2	56.5	

Table 2: Retrieval performances after PCA reduction of VLAD and FV aggregations of ORB binary features. K indicates the number of centroids used in VLAD and the number of Gaussian mixture components used in FV; D is the number of components of each vector representation and D' is the dimensionality after PCA reduction.

Method	Learning method	K	D	mAP						
				D' = D	\rightarrow D'=1024	\rightarrow D'=512	\rightarrow D'=256	\rightarrow D'=128	\rightarrow D'=64	\rightarrow D'=32
VLAD	k-means	64	16384	40.9	45.7	43.7	43.3	40.7	39.9	36.9
FV	GMM	64	16 384	35.1	38.9	38.1	37.1	37.8	36.6	35.1

i.e. for each local feature of a query a candidate match is found by identifying its nearest neighbor in the database and the match is discarded if the ratio of the distances between the two closest neighbors is above a threshold of 0.8. In this case the similarity of two images is defined as the percentage of the features detected on the query that are identified as match.

The retrieval performance of each tested method was measured by the mean average precision (mAP), with the query removed from the ranking list.

4.3 Results

In Table 1, we summarize the retrieval results obtained using BoW, VLAD and FV on ORB binary features and we compare their performance with the counterpart aggregations techniques applied on SIFT (both full-size SIFT and PCA-reduced to 64 components). As expected, aggregation methods exhibit better performance in combination with SIFT then with ORB. However, binary features have been proposed and used to improve efficiency, even though they are always outperformed by the SIFT descriptor in terms of effectiveness (Heinly et al., 2012).

The purpose of this paper is to explore the effectiveness of aggregation methods, when binary local features have to be used. Thus, we are interested in identifying which aggregation method is more suitable for binary features.

Both for VLAD and BoW, the naive approach of using k-means to cluster also binary vectors, works better than using specific binary-clustering algorithm, such as k-medoid and k-majority.

Specifically, we obtained a mAP of 40.9% for VLAD and 40.2% for BoW wen using a visual vocabulary learned via k-mean, respectively with K = 64 and K = 20000 visual words. The performance degradation observed when using binary-clustering algorithms is limited in the case of BoW: in fact we get a mAP of 38.2%/34.8% when k-majority/kmedoids are used for the learning stages.

For BoW approach, k-means and k-majority performs almost equally better than k-medoids. However, k-majority is preferable since the cost of the quantization process is significantly reduced by using the Hamming distance, rather than Euclidean one.

The less effective performance are those of FV (mAP of **35.1%**) and VLAD in combination with vocabularies learned by *k*-medoids (mAP of **30.7%**) and *k*-majority (mAP of **29.5%**). For the computation of VLAD, the use of *k*-majority/*k*-medoids results less effective than *k*-means clustering, since the use of binary centroids gives less discriminant information during the computation of the residual vectors.

The reduced accuracy obtained using FV may reflect the fact that a Gaussian Mixture Model is not entirely adequate to represent the probability distribution of binary vectors.

In Table 2 we investigate the impact of PCA dimensionality reduction for VLAD and FV. PCA results effective since it can provide a very compact image signature (even smaller than one single local feature) with just a slightly loss in accuracy. Dimension reduction does not necessarily reduce the accuracy. Conversely, limited reduction tend to improve the retrieval performance for both VLAD and FV representations. Moreover, the VLAD reduced to 1024 components achieves the best retrieval performance (that is **45.7%**) among all the aggregation methods tested on binary features.

It is generally interesting to note that full-size VLAD and PCA-reduced VLAD, computed using *k*-means, perform better than BoW methods relying on SIFT and SIFTPCA, which are typically considered as a reference for comparisons.

It is also worth noting that the state-of-the-art FV and VLAD get considerable benefit from the PCA reduction (before the aggregation phase) of SIFT local descriptors. This suggest that techniques, as VLAD with k-means and FV, that treat binary vectors as floating-point vectors, may also benefit from the use of PCA before the aggregation phase.

Actually, in the context of image retrieval, the most common way of using binary features is the brute-force matching strategy. In our experiments, the mAP achieved on INRIA Holiday using the brute-force matching of ORB descriptors was of **41.3%**. Thus our results shows that choosing to aggregate binary features is generally effective and aggregations outperforms also brute-force matching both in efficiency and effectiveness.

5 CONCLUSIONS

This paper has performed an extensive comparisons of techniques that mix together aggregation methods and binary local features. Combining the two approaches allows, at the same time, executing image retrieval on a very large scale and to reduce the cost for feature extraction and representation.

Experiments show that performance is just slightly degraded with respect to the use of aggregation on non-binary vectors. However, with these methods we can get both advantages of aggregation methods and binary local features.

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