# A New Metric for Multimedia Retrieval in Structured Documents

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Abstract: Most documents available in Textual Database or in Internet are strongly structured. This is the case for example for scientific papers or written documents using markup languages (HTML, XML). This information provided by the structure can be exploited by systems of information retrieval to define the granularity of elements to return in response to a request made by a user or to improve the relevance of these results. In this article, We are interested in recovering multimedia elements. Like this, we propose a new metric for multimedia retrieval in XML documents which is based on computing a geometric distance between XML nodes while taking into account kinship ties and proximities between them. This measure will introduce a new source of evidence for multimedia retrieval in structural documents which aims at finding relevant multimedia element that focus on the user information need. Experiments have been undertaken to show the effectiveness of our method.

### **1 INTRODUCTION**

Today, digital documents have become more and more complex by integrating heterogeneous textual, structural, and multimedia metadata. The generic markup language XML (eXtensible Markup Language) has gradually established itself as a support tool not only for data exchange but also for storage. Managing XML documents requires the development of new methods to efficiently analyse such complex information and so to facilitate personalized access to XML corpuses (Bray et al., 2003).

In this context, XML retrieval is a straightforward framework that requires such methods. XML retrieval consists of retrieving potentially relevant document fragments for a given information need. These fragments include multiple information types such as textual or multimedia elements in a structured way.

In this article, we focus on the presentation of a new metric which is essentially based on structure of XML document that specifies the relevance of a media element without recourse to its physical content (audio, video, and image). Indeed, the structure of XML document is used to identify and describe the various components of textual and non-textual. In addition, the structure describes nature of elements and relations between them. Therefore, the distance between a pair of nodes in XML document plays an important role for determining the relevant elements. In this context, we took advantage of this hypothesis to compute a new metric based on the geometric distance between nodes.

This article is organized as follows: in the second section, we present an overview of existing work in the field of multimedia retrieval in XML document. In the third section, we describe our approach of calculating distances between nodes in an XML document that focuses on defining a set of proximity relations with the geometric distances to best meet user needs (specificity and completeness). In the fourth section, we exploit the results of the application of our method on INEX 2007. The fifth section, we conclude this paper and we discuss our future work.

#### 2 STATE OF THE ART

The advent of structured documents has caused new problems in information retrieval world, and more specifically in multimedia elements retrieval. These problems are strongly related to nature of these documents that provide the structure as a new source of evidence. Thus, nowadays, XML documents include multimedia elements of different types (audio, video and image)implicitly embedded in the textual elements. These multimedia elements (such as physical objects) do not contain enough information to be able to answer a given query. Therefore, the com-

240 Fakhfakh S., Tmar M. and Mahdi W.. A New Metric for Multimedia Retrieval in Structured Documents. DOI: 10.5220/0004443302400247 In *Proceedings of the 15th International Conference on Enterprise Information Systems* (ICEIS-2013), pages 240-247 ISBN: 978-989-8565-60-0 Copyright © 2013 SCITEPRESS (Science and Technology Publications, Lda.) pute of relevance score of multimedia element must be based on the information made textual and structural of other nodes XML neighboring (Hliaoutakis et al., 2006).

Several works with deal XML document as a flat source of information and ignore the structure of XML documents. In this context, (Schlieder and Holger, 2002) say: "Ignore the document structure is to ignore its semantics". Indeed, XML document is used to describe a set of data by a structure that provides a semantic lexicon. Thus, it facilitates the presentation of information in terms of interpretation and exploitation. Replying to this need, new works appear in the field of multimedia retrieval that takes into account the structure as source of relevant information.

Existing work in structured retrieval of multimedia elements is decomposed in two classes. The first class includes some works which proceed to adopt some traditional technical of retrieval information as language model. In this context, the team *CWI/UTwente* performs a step of filtering results to keep the fragments containing at least one multimedia element (Westerveld et al., 2007)(Tsikrika et al., 2008).

The second class includes the specific work to be structured multimedia retrieval. This class uses the structure as a source of evidence in the process of selection of multimedia elements. As first step, (Kong and Lalmas, 2005) proposed a method which combines structure of XML document (XPath) with the use of links (XLink). This method is to divide XML document into regions. Each region represents an area of ancestors of the multimedia element. Its score is calculated in function of the scores of each region. This method exploits vertical structure only. In a second time, (Torjmen et al., 2010) have used the addition of horizontal structure to the notion of hierarchy. (Torjmen et al., 2010) use a method called "CBA" (Children, Brothers, Ancestors), which takes into consideration the information carried by the children, brothers and fathers nodes for calculate the relevance of multimedia elements. The authors propose an alternative method "OntologyLike" which is based on the identification of XML document to ontology. To calculate the similarity between nodes the authors use similarity measures (Rada et al., 1989)(Hirst and St-Onge, 1997)(Wu and Palmer, 1994) that are mainly based on the number of edges to calculate the distance between nodes.

There are other approaches to multimedia retrieval based on exploiting the links in XML document (Awadi and Torjmen, 2010). This work was improved by proposing a hybrid approach that combines structure with using of links that are considered as semantic links (Aouadi et al., 2012). This method above to divide the document into regions according the hierarchical structure and the location of image in document. This factor plays a role in the weighting of links for compute the score of image.

In this paper, we propose a new metric for multimedia retrieval in XML documents which involves the use of geometric distances to calculate the relevance of each node from the multimedia node. This method consists of placing the nodes of XML document in Euclidean space and define each node by a vector of coordinates to calculate then the distance between each pair of nodes. This distance will play a beneficial role to calculate the score of multimedia element.

#### **3 PROPOSED APPROACH**

The structure of XML document, which is composed by a root, a set of nodes with elements and attributes, influences the relevance of an XML fragment. The notion of structure is also to identify and describe the various components of textual and non-textual, which is structured document. Relevant elements retrieval can then be based on these elements rather than the element itself. In this direction, we focused on proximity, kinship and nesting relations by defining a set of geometric distances to best represent multimedia elements according to their vicinity. Determining the degree of contribution of each text node in the calculation of relevance of the multimedia element is mainly carried of depending in distance between the node itself and the multimedia element.

In this paper, we present a new source of evidence "geometric" dedicated to multimedia retrieval which is based on intuition that each textual node contains information that describes semantically a multimedia element. And the participation of each text node in the score of a multimedia element varies with its position in there XML document.

For compute the geometric distance, we initially place the nodes of each XML document in a Euclidean space for calculate the coordinates of each node by the algorithm 1 defined below. Then, we compute the score of a multimedia element depending on the distance between each textual node.

For presentation of structural information, we analyzed the structure of XML documents and its representation in the tree form and we choose a new geometric metric for the representation elements of XML document. Each node must be presented in a Euclidean space and distance will be calculated between the multimedia element and textual node.

#### **3.1** The properties of an XML Tree

An XML tree is described by a set of relationships between nodes. Formally an XML tree is a pair A = (E,R) where *E* is a set of XML elements and  $R \subset E^2$ ,  $((p,q) \in R \text{ if } p \text{ is the parent of } q)$  is a set of relations satisfying:

$$\exists ! r \in E, \forall q \in E - \{r\}, (r,q) \in R$$
 (1)  
With *r* is the root of the tree.

 $\forall p \in E - \{r\}, \exists ! q \in E, (p,q) \in R$ 

Each node has a parent except the root r.

Table 1: Checking properties of an XML tree.



In Table 1, we present some trees (we see that A is the root element in the four examples). The first is an XML tree, but others are not because they do not satisfy the properties specified by equations 1 and 2.

 $\forall n \in \mathbb{N}^*$ , we define the function  $A_n$  according to the hierarchy operated and descendants of the element explored by:

$$\forall q \in E, \\ A_n(q) = \begin{cases} \{q\} \text{ if } n = 0 \\ A_{n-1}(p) \text{ if } \exists p \in E, \ (p,q) \in R \text{ and } n > 0 \\ \emptyset \text{ else} \end{cases}$$

The depth of the tree A = (E, R) is defined by:

$$depth(E,R) = \underset{q \in E, n \in \mathbb{N}, A_n(q) \neq \emptyset}{\arg \max} n \tag{3}$$

#### 3.2 Exploitation Relationships of Proximity and Kinship

The XML tree representation allowed us to unveil certain relationships of neighboring, brotherhood and offspring. Indeed, the distance d which separate two or more brothers with their common ancestors iteratively is the same. And brothers of the same hierarchical level are equidistant. These distances are defined according to the relationship of contiguity and semantic similarity between nodes. These distances are not quantized but will be extracted in function of the position of each textual node in XML tree.

All these properties result in: For all  $q_i = (x_{i1}, x_{i2} \cdots x_{im})$  and  $q_j = (x_{j1}, x_{j2} \cdots x_{jm})$  where Q is a set of vectors in  $\mathbb{R}^m$ .

• In the same hierarchy, if there are more than two brothers then these adjacent nodes are equidistant: property 1

$$orall q_i, q_j, q_k \in Q, \ if \ A_1(q_i) = A_1(q_j) = A_1(q_k) \ d(q_i, q_j) = d(q_i, q_k)$$

• The distance between any node and its descendants is the same: property 2

$$\forall q_i, q_j, q \in Q, n \in \mathbb{N}, A_n(q_i) = A_n(q_j) = q$$
  
 $d(q_i, q) = d(q_j, q)$ 

Example:

(2)

Figure 2 shows the representation of the different relationships that exist in XML tree. From these relationships, we can generate system of equations taking into account for kinship relationships nodes based on hierarchy and adjacency. These relationships are decried by equalities in this order (these equations are only examples):

$$\begin{array}{rcl} d(n_1,n_2) &=& d(n_1,n_3) \\ d(n_1,n_2) &=& d(n_1,n_4) \\ d(n_1,n_2) &=& d(n_1,n_5) \\ d(n_2,n_3) &=& d(n_2,n_4) \\ d(n_2,n_3) &=& d(n_3,n_5) \\ d(n_2,n_3) &=& d(n_2,n_5) \\ d(n_2,n_3) &=& d(n_4,n_5) \\ d(n_1,n_{14}) &=& d(n_1,n_{15}) \\ d(n_1,n_{14}) &=& d(n_1,n_{16}) \\ d(n_{14},n_{15}) &=& d(n_{15},n_{16}) \end{array}$$



Figure 1: Example of the application of the  $A_n$  on an XML tree.



Figure 2: Schematization relations of proximity and kinship between nodes.

We proceeded to make distributions necessary to group unknown in one side and numbers on the other side so we try to associate each XML node coordinate vector and we replaced the distance d a dissimilarity distance. We obtain a system of equations:

$$\begin{split} \sqrt{\sum_{i=1}^{m} (n_1 - n_2)^2} &- \sqrt{\sum_{i=1}^{m} (n_1 - n_3)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_1 - n_2)^2} &- \sqrt{\sum_{i=1}^{m} (n_1 - n_4)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_1 - n_2)^2} &- \sqrt{\sum_{i=1}^{m} (n_1 - n_5)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_2 - n_3)^2} &- \sqrt{\sum_{i=1}^{m} (n_2 - n_4)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_2 - n_3)^2} &- \sqrt{\sum_{i=1}^{m} (n_3 - n_5)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_2 - n_3)^2} &- \sqrt{\sum_{i=1}^{m} (n_2 - n_5)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_2 - n_3)^2} &- \sqrt{\sum_{i=1}^{m} (n_4 - n_5)^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_1 - n_{14})^2} &- \sqrt{\sum_{i=1}^{m} (n_1 - n_{15})^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_{14} - n_{15})^2} &- \sqrt{\sum_{i=1}^{m} (n_{14} - n_{16})^2} = 0 \\ \sqrt{\sum_{i=1}^{m} (n_{14} - n_{15})^2} &- \sqrt{\sum_{i=1}^{m} (n_{15} - n_{16})^2} = 0 \end{split}$$

With *m* is the dimension of the Euclidean space.

#### **3.3** Properties of Geometric Distances between XML Elements

Once we have defined these relations, we obtain a system of nonlinear equations. Initially, the objective is to identify the number of equations is equal to  $N_1 + N_2$  where  $N_1$  (respectively  $N_2$ ) is the number of equations generated by the property 1 (respectively property 2):

$$N_{1} = \sum_{\substack{p \in Q \\ |\{q \in Q, (p,q) \in R\}| \ge 3}} C_{2}^{|\{q \in Q, (p,q) \in \mathbb{R}\}|} - 1$$
(4)

$$N_{2} = \sum_{p \in \mathcal{Q}} \sum_{n \in \mathbb{N}^{*}} \sum_{\substack{q \in \mathcal{Q}, A_{n-1}(q) = \{p\} \\ |\{s \in \mathcal{Q}, (q,s) \in R\}| \ge 2}} (|\{s \in \mathcal{Q}, (q,s) \in R\}| - 1)$$
(5)

The resulting system is nonlinear, its resolution requires the use of an approximate resolution multidimensional method where we used iterative solution method (see Algorithm 1). The process begins by assigning to each XML node a random vector coordinates. Trying to improve the coordinate values of each node according to an error value (the sum of the squared deviations). At each iteration, the coordinates are improved together with the minimization of this error. The algorithm stops when the error reaches its minimum value (no improvement is possible). Let Qthe set of vectors obtained at a given iteration during the course of the algorithm, the error is defined by:

$$error(Q) = \sum_{\substack{q_i,q_j,q_k \in Q, \\ A_1(q_i) = A_1(q_j) = A_1(q_k)}} (d(q_i,q_j) - d(q_i,q_k))^2 \\ + \sum_{\substack{q_i,q_j,q \in Q, n \in \mathbb{N}, \\ A_n(q_i) = A_n(q_j) = q}} (d(q_i,q) - d(q_j,q))^2$$

**Algorithm 1:** Resolution algorithm approximate nonlinear system of equations.

**Require:**  $(Q = (q_1, q_2...q_{|Q|}), R)$  :an XML tree as  $q_i = (q_{i1}, q_{i2} \dots q_{im}) \quad \forall i \in [1, |Q|]$ *m*:dimension for  $(i, j) \in [1, |Q|]^2$  do  $q_{ij} \leftarrow$  random value end for  $Q_1 \leftarrow (q_1, q_2 \dots q_{|Q|})$ repeat  $P \leftarrow Q_1$ for  $(i, j) \in [1, |Q|]^2$  do  $Q_2 \leftarrow (q_1, q_2 \dots q_{i-1}, q_i + d_j(1), q_{i+1} \cdots q_{|Q|})$  $Q_3 \leftarrow (q_1, q_2 \dots q_{i-1}, q_i + d_j(\varepsilon), q_{i+1} \cdots q_{|\mathcal{Q}|})$  $Q_4 \leftarrow (q_1, q_2 \dots q_{i-1}, q_i + d_j(1-\varepsilon), q_{i+1} \cdots q_{|\mathcal{Q}|})$  $t \leftarrow 0$ while  $error(Q_1) > error(Q_2) > error(Q_3) >$  $error(Q_4)$  do  $Q_4 = (q_1, q_2 \dots q_{i-1}, q_i + 2^t d_i(1), q_{i+1} \dots q_{|O|})$ t=t+1end while  $t \leftarrow 0$ while  $error(Q_1) < error(Q_2) < error(Q_3) <$  $error(Q_4)$  do  $Q_1 = (q_1, q_2 \dots q_{i-1}, q_i - 2^t d_i(1), q_{i+1} \dots q_{|O|})$ t=t+1end while while  $|error(Q_1) - error(Q_2)| > \varepsilon$  do  $Q_5 \leftarrow \frac{Q_1 + Q_2}{2}$ let  $Q_5 = (p_1, p_2 \dots p_{|Q|})$ if *error* $(p_1, p_2...p_{i-1}, p_i)$  $d_i(\varepsilon), p_{i+1} \cdots p_{|Q|})$  $error(p_1, p_2...p_{i-1}, p_i + d_j(\varepsilon), p_{i+1}\cdots p_{|Q|})$ then  $Q_1 \leftarrow Q_5$ else  $Q_2 \leftarrow Q_5$ end if end while end for until  $P = Q_1$ 

With  $\forall v \in \mathbb{R}$ ,  $D_j(v) = (d_1, d_2 \cdots d_m)$  is as:  $d_k = \{ \begin{array}{l} 0 \text{ if } k \neq j \\ v \text{ otherwise} \end{array} \}$ 

#### 3.4 Presentation of the Multimedia Element

A multimedia element (eg *image*) does not contain textual content. His score is based on textual nodes in its neighborhood (Figure 3). The transition from the XML tree structure representation of elements in Euclidean space, where we exploit the dissimilarity distances separating a multimedia node and other textual nodes, is performed by extracting the equations satisfying the properties defined in the section 3.2 and the application of the algorithm 1 defined in section 3.3(Figure 3 and Figure 4).







Figure 4: Representation of multimedia element *H* based on geometric information.

To calculate the distance between a node n and multimedia element H, it suffices to calculate the Euclidean distance between their respective feature vectors  $q_n$  and  $q_H$ :

$$dist(n,H) = \sqrt{\sum_{i=1}^{m} (q_n - q_H)^2}$$
 (6)

With *m* is the dimension of the Euclidean space.  $q_n$  is defined by:  $q_n = (xn_{i1}, xn_{i2} \dots xn_{im})$  with *xn* are the coordinates comprising the vector characteristics of node *n*. And  $q_H$  is defined by:  $q_H = (xH_{i1}, xH_{i2} \dots xH_{im})$  with *xH* represent the coordinates compose the vector characteristics of a node *H*.

For the exploitation of textual information, we have passed by the steps of removing stopwords and the radicalization through the Porter algorithm (Porter, 1980). We calculated the score for each textual node depending on the frequency of each term

compose (tf) and the number of elements in the corpus according to the number of elements containing the term (idf).

A textual node is presented by:  $n = (n_1, n_2 \cdots n_{|v|})$ where  $n_i$  is the weight of the term  $t_i$ , v is the set of indexing terms and defined by:

$$n_i = tf(t_i, n) \times idf(t_i) \tag{7}$$

With

$$idf(t_i) = log(\frac{N}{N_i}) \tag{8}$$

Where *N* is the total number of XML elements in the corpus,  $N_i$  is the number of elements that contain the term  $t_i$  and  $t f(t_i, n)$  is the frequency of the term  $t_i$  in *n* node.

The score of textual node depends on the weight of each index term. A query is made by the list:  $v = (v_1, v_2 \cdots v_{|v|})$  where  $v_i = \{0, 1\}$  according membership  $t_i$  at the query.

The score of textual node n for the query q is defined by:

$$rsv(q,n) = q \times n^{T} = \sum_{i=1}^{|V|} q_{i} \times n_{i}$$
(9)

Where  $\mu$  is the set of textual elements. The score of multimedia node *H* is defined by:

$$rsv(q,H) = \sum_{n \in \mu} \frac{rsv(q,n)}{dist(n,H)}$$
(10)

With dist(n, H) is the distance between the feature vectors corresponding to the nodes n and H.

This equation leads to assign the importance of cooperation of all nodes in computing the score of multimedia element that shows its beneficial impact in the step of retrieving and interrogation.

#### **4 EVALUATION AND RESULTS**

For the evaluation we developed a system for indexing and retrieving multimedia MXS - index (MIR-ACL Structural XML Indexing) essentially based on exploitation of a new measure founded on the geometric structure an XML document as a source of evidence.

MXS – *index* methodology as schematized in Figure 5 consists of four main steps: term extraction, structural metric, node weighing and multimedia element weighing. The first step is to extract terms

from each node. This step represent a textual indexing who use a few NPL (natural processing language) tools such as: Pruning stop words, radicalization using the PORTER algorithm ...

The second step consists to extracting the geometric property from the representation of the structure of the XML document as tree. The node coordinates are generated by approximative resolution method.

The third step is a significant and fundamental step in information retrieval process and it is traditionally determined through term frequency (tf) and inverse document frequency (IDF). In structured retrieval information, The score of node is computed as sum of weight each term in textual element.

The last step consist to compute the rsv of multimedia element in function of set of the textual nodes in proximity.

Collection used is extracted from the company INEX (Initiative for the Evaluation of XML Retrieval). **INEX 2007** is composed of XML documents extracted from "Wikipedia". This collection consists of 659,388 heterogeneous documents. The Ad-hoc XML collection is composed of Wikipedia XML documents containing multimedia fragments affiliates in a textual context. (Fuhr et al., 2007) described this collection and give these statistics described in Table 2.

Table 2: Collection XML Ad Hoc.

Total number of XML documents	659,388
Total number of images	246,730
Average depth of the document structure	6.72
Average number of XML nodes per document	161.35

In this paper, we investigate the use of two types of queries:

- Queries made by keywords and only ask in return only images. This task is called "Content-only" : CO.
- Queries composed by keywords and structural information and ask in return fragments multimedia. This task is called "Content and structure" : CAS.

Table 3: Results of the impact of geometric metric on the INEX 2007 based in the *MAP*(Mean Average Precision).

	Content-only	Content and structure
MAP	0.2814	0.3102

The evaluation results show that this method provides a MAP which is equal to 0.2814. This value increases to 0.3102 by adding another factor in the evaluation of our method. This factor is the addition of structural information in the query where performance improvement. We also found that the metric



geometry is a relevant factor in retrieving multimedia. This factor is used to classify the nodes in order of relevance to the distance that separates them from the multimedia(Table 3).

### **5** CONCLUSIONS

In this paper, we are interested in multimedia retrieval in structured documents (without specific multimedia). For this, we proposed a method that supports the impact of different nodes in an XML document element defining a new multimedia distance between nodes. Each node is described by a vector which is used in definition of a Euclidean space. The score of a multimedia element is calculated according to the distance between each node. All these factors should improve the level of satisfaction in the interrogation phase. This method combines the textual context implicitly and structural elements an XML document presented as a to tree.

The use of another source of evidence seems beneficial. Indeed, from the contents of a multimedia element, we can extract a set of descriptors that provide visual or other specific information about the item itself according to its kind (audio, video or image). We have experimentally validated our proposal on the collection used in the retrieval of structured documents provided by the company **INEX 2007**.

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