

Reducing Power Consumption in Hydrometric Level Sensor Networks using Support Vector Machines

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Abstract: Environmental monitoring is a challenging task for both researchers and technical operators. Data loggers for ultrasonic hydrometric level sensors are compact devices equipped with microprocessor input channels and data storage. One of the critical issues that electronic engineers have to face in designing this kind of sensors is the energy consumption during the sensor startup phase preceding the level measurement. In this paper we propose a new methodology to reduce the power consumption by decreasing the sensor sampling rate when no flood events are occurring. This procedure allows the sampling rate to dynamically self-adapt based on the error between observed and predicted water level time-trend. Support Vector Machines are used to predict the hydrometric level given a limited number of previous samples. The method effectiveness has been tested on a real-world stage-discharge dataset.

1 INTRODUCTION

The interaction with the physical world is the key role of embedded software (Lee, 2002). The design of software for programmable embedded systems is crucial in real-time or near real-time devices (Graaf et al., 2003).

Data loggers are used to collect readings from sensors for environmental parameters such as temperature, pressure, humidity, wind speed and direction, incoming solar radiation or stream flow water level.

In this work we focus our attention on data loggers for hydrometric level sensors. One of the critical issues that engineers have to face in designing ultrasonic water level sensors is the energy consumption during the sensor startup phase.

Water level time-trend of a stream flow has high frequency components for short periods of time and low frequency components for relatively long periods (i.e., when no flood events are occurring at a given stream cross section). Many natural signals are often of this type.

Here we propose a methodology allowing a sensor to dynamically adjust the data logger sampling strategy in order to reduce its energy consumption. In particular, the sensor sampling rate

will be decreased when no flood events are occurring, and then re-established so as to be able to measure a flood peak as accurate as possible.

As a consequence, the objective is to predict the water level time-trend based on previous measurements only. The sampling period is then adapted depending on the error committed by the predictor.

The two main groups of techniques currently used in modelling hydrological processes and generating synthetic stream-flows include physically based conceptual models and time-series models. Such methodologies are deficient due to: (i) instability and lack of convergence in the numerical solution of the highly nonlinear flow equations (Tayfur and Singh, 2006), (ii) nonlinear dynamics inherent in the transformation of rainfall to runoff (Zealand et al., 1999).

In a recent work (Pellegrini et al., 2012) we assessed the feasibility of using Support Vector Machines (SVMs) in embedded software systems for predicting hydrometric level time-trend applying radial basis function on sample data.

The paper is organized as follows. An overview of SVMs is given in Section 2. Data from a real-world monitoring sensor network have been used to build and test the SVM models. The dataset is described in Section 3 together with the results

obtained from the practical application of SVMs. Section 4 presents the adaptive sampling strategy and finally our conclusions are reported.

2 SUPPORT VECTOR MACHINES

Support Vector Machines are a very effective technique based on statistical learning theory (Vapnik, 1998). SVMs basic idea is to map the original input data using a nonlinear kernel function into a high dimensional feature space and determine an optimal separating hyperplane. Algorithms based on SVMs can be applied to both classification (SVC) and regression (SVR) problems. In a classification problem the aim is to find an optimal hyperplane that separates sample data into two classes. In a regression problem the normal to the hyperplane defines a function for which the target and the estimated values are as close as possible (Smola and Schölkopf, 2004).

The objective in a SVR problem is to estimate a function based on a given data set. Considering a set of N data points $D = \{(x_1, t_1), \dots, (x_N, t_N)\}$ where x_i represents the input vector and t_i is the corresponding sample datum, the general form of v-SVR (Schölkopf et al., 2000) estimating function is:

$$f(x) = w^T \phi(x) + b \quad (1)$$

where $\phi(x)$ is the nonlinear map to the feature space and coefficients w and b are obtained by solving the following minimization problem:

$$\min \frac{1}{2} \|w\|^2 + C(v \varepsilon + 1/N \sum_N (\xi_i + \xi_i^*)) \quad (2)$$

subject to

$$\begin{aligned} (w^T \phi(x_i) + b) - t_i &\leq \varepsilon + \xi_i \\ t_i - (w^T \phi(x_i) + b) &\leq \varepsilon + \xi_i^* \\ \xi_i, \xi_i^* &\geq 0, i = 1, \dots, N, C > 0, \varepsilon \geq 0 \end{aligned}$$

where C is the regularization parameter, $0 \leq v \leq 1$, ξ_i and ξ_i^* are slack variables and the ε -insensitive loss function means that no loss is assumed if $f(x)$ is in the $[t \pm \varepsilon]$ range.

Nonlinear v-SVR in its dual formulation is given by (Chang and Lin, 2002):

$$\min \frac{1}{2} (\alpha - \alpha^*)^T Q (\alpha - \alpha^*) + t^T (\alpha - \alpha^*) \quad (3)$$

subject to

$$\begin{aligned} e^T (\alpha - \alpha^*) &= 0, \\ e^T (\alpha + \alpha^*) &\leq Cv, \\ 0 \leq \alpha_i, \alpha_i^* &\leq C/N, i = 1, \dots, N \end{aligned}$$

where $Q(x_i, x_j) = \phi(x_i)^T \phi(x_j)$ represents the kernel, α_i and α_i^* are the Lagrange multipliers and e is the vector with all components equal to 1.

In this study v-SVR is used to predict hydrometric level averaged over six hours at a given location. The period of six hours has been chosen to be easily used in combination with location-specific rainfall nowcasting (Wilson, 2006). When the dynamics of the underlying experiment are nonlinear, it is known (Sakhanenko et al., 2006) that SVR with Gaussian Radial Basis Function (RBF), where

$$Q(x_i, x_j) = \exp(-\gamma \|x_i - x_j\|^2) \text{ with } \gamma > 0, \quad (4)$$

trains faster and returns more satisfactory results than polynomial kernel. Therefore, in this paper RBF kernel was adopted. All v-SVR computations were performed using the open source scikits.learn Python module (Pedregosa et al., 2011).

3 PRACTICAL APPLICATION

Marche Region (East-central Italy) meteorological-hydrological SIRMIP database (available on line at <http://84.38.48.145/so1>) includes readings of several weather parameters recorded with a sample rate of 30 minutes (15 minutes for rain data). Hydrometric level data of Marche Region for a period of five years (2006–2010) have been used to build SVM models, and data for year 2011 have been used for testing.

Data have been pre-processed in order to obtain time series representing the averages over six hours at any given stream cross-section and then min-max normalized to scale them into the $[0, 1]$ range. The objective was to predict 6-hours average of hydrometric level at a stream cross-section based on n previous 6-hours averages.

Since the rainfall occurred in the last 5 days is a crucial information to define the antecedent moisture condition (SCS, 1993), a value of $n=20$ was adopted.

The performance of the SVM models has been verified after de-normalizing the output generated by the models and computing the Mean Square Error (MSE):

$$MSE = 1/N \sum_N (f(x_i) - t_i)^2 \quad (5)$$

where $(f(x_i) - t_i)^2$ represents the i th squared error (SE) between v-SVR predicted and measured values. In this work the sample datum t_i is computed as

$$t_i = 1/k \sum_k m_j \quad (6)$$

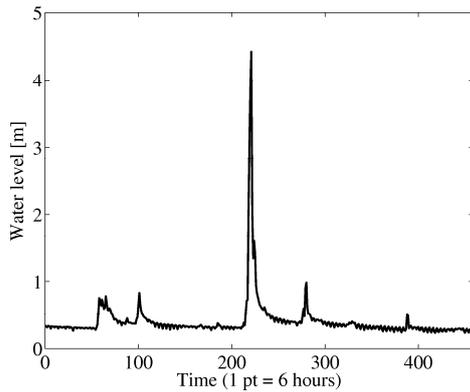


Figure 1: Aspigo Terme (SIRMIP station code: 113) averaged water level from January to April 2011.

where m_j is the effective measured hydrometric level and k is the number of measurements between two consecutive predictions (i.e., 12 samples in 6 hours).

The following parameters have been found to be optimal for the SVM training phase: $C=0.5$; $\nu=0.5$ and $\gamma=0.1$. Such values have been obtained using a coarse/fine grid search in the parameters space.

As an example to illustrate the performance of the algorithm, six-hours averages of water level measured at Aspigo Terme section (few kilometres far from Ancona city) during the test period (from January to April 2011) are reported in Figure 1. First sample corresponds to the average of 2011, January 6 from midnight to 6 AM local time (UTC+1).

Figure 2 shows the squared error between measured and ν -SVR predicted values together with the MSE obtained during the SVM model optimization. It is possible to observe that only when the water level rises rapidly and a flood peak occurs, the corresponding SE results greater than MSE.

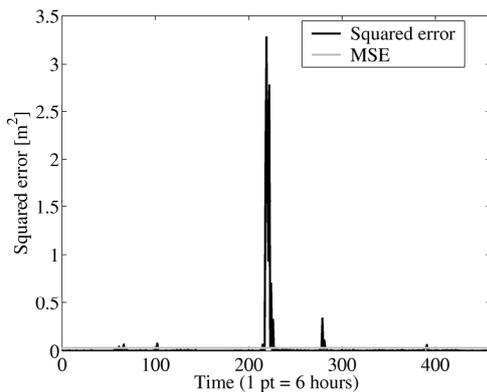


Figure 2: Squared error between SVM predicted and measured water level at Aspigo Terme during the test period (black line) and MSE obtained in the training phase (gray line).

Based on the prediction error, in the next section a self-adaptive strategy is presented to adjust the sensor sampling rate in order to reduce the power consumption when no flood event is occurring. In particular, the current sampling rate for the sensor is decreased when SE is less than MSE and increased again when SE results greater than MSE for a 6-hours averaged hydrometric level.

4 PROPOSED SAMPLING STRATEGY

The goal of the proposed event-driven sampling strategy is to provide a cost effective monitoring of a stream level. The basic idea of the method is the exploitation of the considerable prediction error committed by the SVM model only during a flood event.

When SE_i is greater than MSE for a 6-hours averaged hydrometric level, it means that

$$|f(x_i) - t_i| > RMSE \quad (7)$$

or equivalently

$$\begin{aligned} \sum_k m_j &< T_- \\ \sum_k m_j &> T_+ \end{aligned} \quad (8)$$

where RMSE is the root mean square error and the thresholds T_{\pm} are defined as

$$T_{\pm} = k(f(x_i) \pm RMSE) \quad (9)$$

The proposed strategy consists of the following steps:

- a. calculate and keep in memory 20 previous 6-hours averaged levels;
- b. run the regression model in order to predict next 6-hours averaged level;

each time a new measurement m_j is taken

1. compare the partial sum of levels with threshold T_+ to test for an under-prediction;
2. increase the sampling rate if T_+ is exceeded;
3. compare the total sum of levels with threshold T_- to test for an over-prediction;
4. hold the sampling rate increased if at least one of the two inequalities in (8) is verified;
5. decrease the sampling rate when (7) is not verified.

According to the proposed strategy, only 19 samples out of 460 exceeded the RMSE threshold level during the four-months test period at Aspigo Terme section. In other words, flood events occurred during the test period lasted less than 5% of the whole time.

For example halving the sampling rate when no flood events are occurring, more than 47% of the overall power consumption can be saved.

5 CONCLUSIONS

In this paper an event-driven adaptive sampling strategy is proposed for embedded software systems.

Since Support Vector Machines can be successfully used in time series regression, a new efficient sampling strategy for sensor was devised based on the difference between measured and predicted level.

Although the method is also suitable for other natural signals, we assumed that hydrometric level sensors equipped with embedded software and data storage are available.

SVMs model was built using real world hydrometric data minimizing the mean square error, and the model was then used to predict the water level average over six hours. The system sample rate can be so self-adapted using information from the SVM optimization.

The proposed method does not require any a priori information such as catchment characteristics or alert flood thresholds.

Future research activity will face the feasibility of combining information from different sensors to improve prediction quality. In fact, when a sensor is part of a larger hydrometric monitoring network, information coming from available upstream level sensors can be helpfully used in order to improve the effectiveness of the sampling strategy.

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