

# SMOOTH BLOCKS-BASED BLIND WATERMARKING ALGORITHM IN COMPRESSED DCT DOMAIN

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**Abstract:** A novel blind watermarking scheme based on smooth blocks in compressed DCT domain is proposed. The smooth blocks are detected by a criterion which uses a relation between the quantized DC coefficients and the variance of AC coefficients in the block and deduced from the Weber's Law. In the approach, the watermark is embedded by modifying the average value of some low-frequency DCT coefficients in selected blocks, and recovered by the sign of the mean value of corresponding coefficients in detected blocks and there is no need for original image. The experimental results demonstrate that almost no perceptible distortion is found in the watermarked images, and the watermark is robust to some image processing operations such as scaling, noise, filtering and JPEG compression.

## 1 INTRODUCTION

Many DCT-based watermarking schemes have been proposed as a solution to the copyright protection of multi-media recently. Suhail et al propose a digital watermarking based on image segmentation (Suhail, 2003). Peter Wong et al hide data only in the texture blocks (Wong, 2001). In block-based algorithms, good care must be taken to avoid smooth (or non-textured) blocks and edge blocks as modification of these leads to annoying artifacts in the watermarked image (Holliman, 1998).

Actually, we find that if we do some changes to the low-frequency DCT coefficients of appropriate smooth block, perceptible distortions would be hardly found in the watermarked images. Moreover, the watermark inserted in these smooth blocks is robust to some image processing operations such as filtering and JPEG compression. In this paper we develop a new watermarking algorithm based on the smooth blocks. A criterion is presented according to the Weber's Law to select these blocks. Different tests are conducted to verify the performance of the scheme under different types of attacks. The method appears to be very robust to most image processing operations. The paper is organized as follows. Section 2 describes the embedding and extracting techniques in details and Section 3 elaborates various experimental results. Finally, Section 4 gives the conclusions.

## 2 PROPOSED WATERMARKING TECHNIQUE

In this section we describe our watermarking scheme in detail, which is block-based and shares same features with the JPEG standard for still image compression. The quantized DC and the AC coefficients denote the average luminance and the different frequency band of a block which could reflect its texture respectively (Jianmin, 2002). A new approach to select the appropriate smooth blocks is given as follows:

### 2.1 Classifying Smooth blocks

In this paper, we introduce a similar criterion (Lin, 2005) based on the quantized DC coefficients and variance of AC coefficients, which is deduced from the well-known Weber's Law (Gonzalez, 2002).

$$\frac{\Delta I}{I} \approx 0.02 \quad (1)$$

Where  $\Delta I$  denotes the object, and  $I$  denotes the background. This equation is true only when the range of  $I$  is in the middling intensity, which is clearly shown in the **Fig.1**. The proposed classified method bears a resemblance to the Weber's Law: Considering the average luminance and the texture of a block as the background and the object mention-

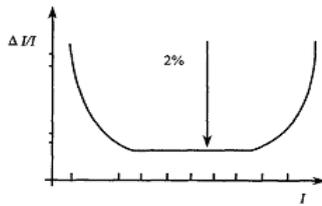


Figure 1: Weber curve.

ed in the Weber’s Law, respectively. We can get a similar equation from Eq. (1):

$$\frac{\sigma}{DC} \approx 0.02 \tag{2}$$

Where DC is the quantized DC coefficients of a block, and  $\sigma$  is the standard deviation of all the AC coefficients in a block.

The Weber ratio mentioned in formula (2) is just a critical value which can be used for classifying blocks. Then we can get a general formula to select the smooth blocks apart from other blocks.

$$\sigma \leq 0.02 \times DC \tag{3}$$

We can get an easy formula as follows after squaring the both side

$$\text{var}(AC) \leq (0.02 \times DC)^2 \tag{4}$$

Where  $\text{var}(AC)$  and DC are the variance of the 63 quantized AC coefficients and the quantized DC coefficient of a block, respectively.

In order to avoid selecting texture blocks we should strictly choose the number of the smooth blocks to improve this method. Here we adopt a variable instead of the constant value 0.02 as the following formula:

$$\text{var}(AC) \leq (\alpha \times DC)^2 \tag{5}$$

Where  $\alpha$  is an adaptive value according to the feature of the image and  $\alpha \leq 0.02$ .

However, some high intensity blocks are so sensitive that they are not fit for watermark embedding, which would cause severe visual artefacts. Hence, a formula is given for excluding these high intensity blocks as follows:

$$DC \leq \text{aver\_gray} \times \frac{\alpha}{0.02} \tag{6}$$

Where  $\text{aver\_gray}$  denotes the average gray-scale of the whole image.

As lower luminance blocks are less sensitive to human eyes as can be seen from Fig.1, we should reserve these lower intensity blocks which are appropriate for embedding:

$$\text{If } DC < 30, DC = 30 \tag{7}$$

Where the modified DC is just used for computation, in some sense, and the original DC is recovered when the selection of the block is completed.

## 2.2 Selecting Smooth Blocks

Smooth blocks are selected depending on formula (5), (6) and (7). The number of smooth blocks we choose is based on the size and characteristic of the image. The detail steps of selecting appropriate smooth blocks are described as follows:

- 1) First set  $\alpha = 0$ , and set  $n = 0$ , where  $n$  is the number of actually selected blocks.
- 2) The  $\alpha$  is gradually increased by a step of  $\Delta\alpha = 0.00025$ , and  $\alpha \leq 0.02$ . According to the formula (5), (6) and (7). Record the value of  $n$  when  $\alpha$  is increasing.
- 3) Thirdly, the loop is continued if  $\alpha \leq 0.02$  and  $n \leq N$ . Or, the loop is terminated. Then  $n$  selected blocks are obtained.

Appropriate blocks are selected according to the three steps mentioned above. The number of selected blocks is determined by the adaptive factor  $\alpha$  and no less than  $N = 200$ , decided empirically, while the total blocks of the standard image are 1024.

## 2.3 Watermark Embedding

Let  $X$  be an original gray-level image of size  $N_1 \times N_2$ , and the watermark  $w$  be a random bipolar binary sequence that uniformly from  $\{1, -1\}$ , of which the length is  $L = (N_1 \times N_2) / 64$ . During insertion,  $X$  is performed  $8 \times 8$  DCT. Then the quantized DCT coefficients are sorted in zigzag order.  $F(i, j)$  denotes the  $j^{\text{th}}$  quantized coefficients in zigzag order of the  $i^{\text{th}}$   $8 \times 8$  block. Three steps for embedding are as follows:

- 1) Choose the smooth blocks depending on the Section 2.2. In this situation, we should promote  $\Delta\alpha = 0.0005$ , so that we could selected more blocks than that of the extracting.
- 2) Assume the  $i^{\text{th}}$   $8 \times 8$  block is the smooth block that we choose. Considered the robustness and invis-

bility, the coefficients for modification are  $F(i,2)$ ,  $F(i,3)$ ,  $F(i,5)$  empirically. The average value of the three coefficients:

$$aver\_AC = [F(i,2) + F(i,3) + F(i,5)]/3 \quad (8)$$

**If the watermark  $w(i) = 1$** , we should promote the average value to the positive. The details are as follows:

if  $aver\_AC \geq 1$ , do not need to modify;

else if  $0 \leq aver\_AC < 1$ ,

$$F'(i, j) = F(i, j) + (1 - aver\_AC) \quad (9)$$

Where  $F'(i, j)$  is the modified coefficient,  $j=2, 3, 5$ .

else,  $aver\_AC < 0$ ,

$$F'(i, j) = F(i, j) - floor(aver\_AC) \quad (10)$$

Where  $floor(*)$  denotes the maximum integer that is less than  $(*)$ , and  $j=2, 3, 5$ .

**If the watermark  $w(i) = -1$** , we should demote the average value to the negative. The details are as follows:

if  $aver\_AC \leq -1$ , do not need to modify;

else if  $-1 < aver\_AC \leq 0$ ,

$$F'(i, j) = F(i, j) + (-1 - aver\_AC) \quad (11)$$

else  $aver\_AC > 0$ ,

$$F'(i, j) = F(i, j) - ceil(aver\_AC) \quad (12)$$

Where  $ceil(*)$  is the minimum integer that is greater than  $(*)$ , and  $j=2, 3, 5$ .

- 3) Repeat Step-2 until selected blocks are embedded with watermarks. For the non-selected blocks, the corresponding watermarking bit has no need to be inserted. Then perform inverse DCT for those blocks and finally obtain the watermarked image.

## 2.4 Watermark Extraction

The watermark extracting can be performed without knowledge of the original image. Here are the steps as follows:

- 1) Perform DCT compressed for each  $8 \times 8$  block. Select  $n$  blocks as mentioned in Section 2.2. Here the  $\Delta\alpha = 0.00025$  is less than that of the inserting, so some embedded blocks will be excluded as

the step halved of that of the embedding. We can extract the information from these blocks.

- 2) **For each selected block**, the average of some coefficients is computed as follows:

$$Aver\_AC = [F'(i,2) + F'(i,3) + F'(i,5)]/3 \quad (13)$$

Where  $Aver\_AC$  denotes the average value of the three quantized AC coefficients, and  $F'(i, j)$  denotes the  $j^{th}$  quantized coefficients in zigzag scanning order of the  $i^{th}$   $8 \times 8$  block in the watermarked image. The detected watermarking bits are extracted according to sign of the average value:

$$w'(i) = sign(Aver\_AC) \quad (14)$$

Where  $w'(i)$  indicate the extracted watermark, and  $sign(*)$  is signed function.

**For non-selected blocks** such as those edge and texture blocks, while the one is the  $i^{th}$  block of the whole blocks, we set the corresponding detected watermark information:

$$w'(i) = 0. \quad (15)$$

Repeat this step for every block till the whole detected watermarking sequence is obtained. Then we can get the extracted watermark sequence  $w'$  from  $\{1, 0, -1\}$ , with the length of  $L$  the same as the number of all the blocks. When the detected watermark is from  $\{1, -1\}$ , it means we get the **valid watermark** information; else if is  $\{0\}$ , the corresponding watermark bit is useless.

- 3) To evaluate the similarity of the extracted and the original, we measure the similarity by the following correlation function :

$$NC = \frac{\sum_{i=1}^L w(i)w'(i)}{\sum_{i=1}^L w'(i)^2} \quad (16)$$

Where  $L$  is the length of the watermark sequence, which is same as the number of the whole blocks,  $w(i)$  is the original watermark and  $w'(i)$  is the extracted.  $NC$  is the normalized correlation, which range from -1 to 1. If  $NC > T$ , it implies that there is a watermark existing in the testing image, where  $T$  is an experimental value.

## 3 EXPERIMENTAL RESULTS

Several common image processing operations and geometric distortions were applied to these images to evaluate whether the correlation output of detector



Figure 2: Original (right) and watermarked “Lena”(left) , PSNR=31.89db.

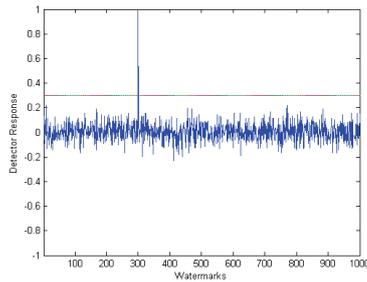


Figure 3: Bipolar detector output for Lena image, NC=1.00.

can reveal the existence of watermarking in the images. Here we only show the result of “Lena” in detail. Fig.2 shows both the original and the watermarked images. Fig.3 illustrates uniqueness of the watermark. The response of a given mark is compared to  $T$  ( $T=0.3$ , an experimental value) to decide whether the watermark is present or not.

Some attacks such as common image processing operations and geometric distortions, are described in Table 1. The check threshold is  $T=0.3$ . Due to the space limitation of the paper, many other detailed results and discussions are omitted. As shown in the table, it can be indicated that the correlation output is 1.0 for the three images when attack-free, and PSNR is also appropriate, and both PSNR and NC will drastically decline when the watermarked images have some distortions. But NC is always no less than the threshold ( $T=0.3$ ), which means that the watermark can be correctly detected even there are

some distortions. From this table, the robustness of proposed scheme could be demonstrated.

## 4 CONCLUSION

Avoiding modifying smooth (or non-textured) blocks and edge blocks during the watermarking process is a traditional view. This paper proposes an idea that watermarking can be embedded in smooth blocks. Experimental results show that this technique is robust to many standard image processing operations and some geometric distortions. It is clearly that robustness against median filtering and Gaussian noise was achieved when the watermarked images were seriously degraded. Some geometric attacks can be resisted by the scheme. Moreover, the proposed method doesn’t need to use the original images during extracting watermark. In addition, the proposed technique can also be extended to insertion of invisible watermarks in digital video.

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Table 1: (PSNR/Bipolar NC) of Watermarked Images Under Various Attacks.

Test images	Water-maked images	Attacks(our threshold T=0.3)					
		Median filter (7×7)	Histogram equalization	Gaussian Noise	Affine Transform (261×261)	Randomly move lines (230×230)	Scale down to 0.3 of it’s Original size
Lena	31.89/1.00	24.77/0.44	15.80/0.84	24.04/0.65	19.80/0.54	22.21/0.86	22.49/0.49
Camera	31.19/1.00	22.34/0.53	18.28/0.51	24.41/0.64	18.71/0.56	21.97/0.80	21.90/0.63
Bridge	25.24/1.00	19.23/0.30	18.06/0.58	22.96/0.76	16.65/0.47	19.15/0.58	19.21/0.33