BEST-ACTION PLANNING FOR REAL-TIME RESPONSE An approach in ORICA

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Abstract: A planner for real-time response aims at building a plan to safely guide the world to its goal state by guaranteeing response deadlines. Ideally, it should find the paths most suitable for guaranteeing real-time behaviour and goal achievement. To achieve this ideal behaviour, it must possess maximum information about the world behaviour and be able to plan the responses of the system under-control to its advantage. It should be able to reason about one path with respect to the other, based on the execution duration, the amount of resources used and the system safety. In this paper, we present the ORICA (OSIRIS¹ real-time intelligent control architecture) real-time response planner, which builds plans that permit the real-time system to strive to achieve its goal in un-guaranteed environment behaviour, while still ensuring system safety. It does heuristic reasoning for comparison of different paths when a choice of path is possible.

1 INTRODUCTION

Like most classic AI problems, a real-time AI system for control application is given the current world state and it plans actions to lead the world to a goal state. However, it needs to combine the properties of predictability and response deadline guarantee of a real-time system with the intelligent reasoning. Thus, it must provide the best response that can satisfy the given response-time deadline and safely lead the system to its goal.

Different approaches have been used to handle this problem. Precompiled structures using search-based reasoning are predictable, but impractical for complex world problems. Reactive behaviour of reasoning and selecting a response within the deadline, like "Anytime" and "design-to-time" (Garvey, 96) algorithms are useful but compromise the response precision to respect the response deadline. Planning systems like PRS (Ingrand, 01) and CIRCA (Goldman, 00) build plans of responses that can take the world to the goal state.

Planning systems can permit more organized response to world events through reasoning over the future possible world behaviour. The responses can be selected based on their usefulness under a given situation.

Ideally, the best response plan for a real-time control application is the one that can lead the world to its desired goal state safely by meeting all response deadlines and minimizes system resource

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occupation. Two important factors affecting the quality of reasoning of a planner are:

1. Knowledge representation semantics for realtime world behaviour and ease of reasoning about temporal deadlines and responses.

2. Heuristic measure of different factors to determine most suitable real-time response paths, i.e., cost of execution, safety etc.

In this paper, we present the real-time response pathplanner, as implemented in ORICA. The AI planning module of ORICA is very similar to that of CIRCA, but supports augmented knowledge representation semantics, threat perception and heuristic reasoning for planning the best real-time response.

In the following sections, we discuss how the ORICA planner handles the best-action selection problem through its knowledge representation semantics, reasoning around threat of failure and heuristic measurement of the quality of paths that are lead to by a selected response action.

2 REASONING ABOUT REAL-TIME WORLD BEHAVIOUR

ORICA uses a states space planner (SSP) which starts from the initial world state and identifies all reachable states, i.e., the states that can be reached through fireable transitions from the current state. A

¹ OSIRIS is an implementation of the p-type model

presented by (Simonet,94)

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transition is defined by a set of preconditions and postconditions. It is said to be applicable from a state if its preconditions are satisfied by the state.

The planner recursively identifies all reachable states from each state and plans actions when possible in order to guide the world towards the goal state. An applicable transition from a state may lead to a failure state, e.g., a robot falling off a cliff. To ensure system safety, the planner guarantees that no failure transition fires from a state.

ORICA uses the world state space model as presented below, to define the real-time behaviour of the world.

2.1 World State Space Representation

World state space is a set of possible world states. Each state has transitions leading to other states.

If $s_1, s_2 \in S$ where S is finite set of world states,

 $s_1 \neq s_2$ and $t \in T$ where *T* is the set of all possible world transitions then:

 $t:s_1 \rightarrow s_2$ and $\nabla(t) = s_1$, $\Re(t) = s_2$

where ∇ and \Re are the domain and range functions on a transition. ORICA segregates the transitions into five categories, as given below:

 $T = t_e \bigcup t_{re} \bigcup t_t \bigcup t_{rt} \bigcup t_a$

Each transition t has two time intervals $min\Delta(t)$ and $max\Delta(t)$, measured from the instant the world enters ∇ (t). The former represents the minimum duration after which t can fire, and the latter the maximum duration before which t must fire. Their respective min Δ and max Δ are given as:

Transition	Symbol	min∆	max∆
Event	t _e	0	00
Guaranteed event	t_{re}	firing time	firing time
Temporal	t_t	> 0	00
Guaranteed	t_{rt}	> 0	$< \infty$
temporal			
Action	t_a	bcet(ta)	Sensing
			delay+wcet(ta)

where $0 < firing time < \infty$, $bect(t_a)$ and $wcet(t_a)$ represent the best-case and the worst-case execution times of the action transition. The event, temporal and guaranteed temporal transitions, represent the environmental events. An event transition may fire at any instant as the world enters the domain state. However, it is not guaranteed to fire. A temporal transition is guaranteed not to fire before a finite time delay, while a guaranteed temporal transition is guaranteed to fire between min Δ and max Δ delays.

The guaranteed event and action transitions represent the agent's responses. The guaranteed event guarantees that the system will react at predefined deadline after the domain state of the transition is reached. The action guarantees that the system will respond before a finite time deadline.

Two types of sub-regions are defined in the world state space, i.e., the safe region and the threat region. The "safe region" is a set of "safe states" from which direct failure is impossible. The threat region consists of the failure states and "threat states", states from which failure is possible.

The AI planner may build a plan leading to a state inside a threat region, in order to achieve the goal. However, it must ensure that a guaranteed path will take the world to safe region by pre-empting the failure transitions in the threat region. This is done by planning a guaranteed transition, i.e., an action, a guaranteed event or a guaranteed temporal transition, which will fire before failure can occur, i.e.,

 $max\Delta(gt(s)) < min\Delta(ttf(s))$

where gt(s) and ttf(s) are respectively guaranteed and temporal transition to failure from state s.

A guaranteed event is like a watch-dog timer set when the world reaches its domain state. It enables the system to modify its beliefs about the world state when no external event occurs by a finite time.

2.3 Dependent Temporal Transitions to Failure

All transitions inside a threat region, taking the world from a threat state to another, consume a finite amount of time (except for an event transition which may be instantaneous). Inside the threat region the world moves towards a failure.

The time to failure from a threat state is represented as a dependent temporal transition to failure (dttf) and ORICA states that it depends on the length of previous transitions in the threat region and their effect on the cause leading to failure (Omar, 04), e.g., throwing water on fire may reduce its spread but throwing oil will speed it up.

If the previous state s_{i-1} is more threatening than the currents state s_i then the time to failure from the current state is given as:

 $\min\Delta(dttf(s_i)) =$

$$\min \Delta(ttf(s_i)) \times \left\lfloor \frac{X}{\min \Delta(ttf(s_{i-1}))} \right\rfloor - \max \Delta(t_a(s_{i-1}))$$

Otherwise it is given as:
$$\min \Delta(dttf(s_i)) = \min \Delta(ttf(s_i)) \times \left\lfloor \frac{X - \max \Delta(t_a(s_{i-1}))}{\min \Delta(ttf(s_{i-1}))} \right\rfloor$$

Where
$$X = \begin{cases} \min \Delta(ttf(s_1)) & for \quad i = 2 \\ \min \Delta(dttf(s_{i-1})) & for \quad 3 \le i \le n \end{cases}$$

The dependent temporal transition relationship exists only when the world moves from a threat state to another threat state, within the same threat region.

3 HEURISTIC ACTION QUALITY MEASUREMENT

The choice of the best action from a set of actions possible from a state does not only depend on the action's execution length, resource utilization and safety of the destination state, but also on the paths it leads to.

Since, the "brute force" approach of tracing all paths from all possible actions is a costly operation in resource and time, a heuristic approach of "N-step look ahead" is used by the ORICA planner. It does depth-wise path search to the next N states and calculates "cost of path-section" for each of the paths based on their safety, execution length and length of actions employed. Action leading to least average cost paths is selected.

3.1 Threat Factor

The threat factor for a path section is defined as "how close the world gets to failure, while moving along that path". It is calculated as the sum of the costs of successive transitions inside the threat region. The higher the threat factor, the shorter will be the real-time response deadline, leading to more load on system resources to detect and react to the states along that path. It is represented as TF(Pi) for a path-section Pi and calculated as:

$$TF(P_i) = \sum_{i=1}^{n} \frac{\max \Delta(t_i)}{\text{deadline}(s_i)}$$

where P_i is a path composed of n successive threat states and deadline(si) is the shortest time to failure from the state si.

The $TF(P_i)$ is a positive value and varies in the interval [0,1]. The threat factor equal to one guarantees that the path will lead to failure.

3.2 Length Factor

The length factor for a path section measures "the maximum time taken to cover that path section". The maximum length of all fireable transitions from a state is less than the max Δ of the first guaranteed

transition in the set or the shortest time to failure from the state (state deadline).

The length factor $LF(P_i)$ is thus given as:

$$LF(P_i) = \frac{\sum_{i=1}^{n} \max \Delta(s_i)}{n * \max \Delta(t_{\max})}$$

where P_i is a path section composed of n states, max $\Delta(s_i)$ is the maximum time for which the world can stay in the state si and t_{max} is the maximum finite length transition in the set of all transitions of knowledge base.

3.3 Actions Factor

The actions factor is a measure of "length of all actions along the path section". It is important as the real-time execution system must detect the state in time to take the necessary planned action and meet the response deadline. Shorter actions factor means either less actions or actions with less execution length, limiting the occupation of system resources. It is given as:

$$AF(P_i) = \frac{\sum_{i=1}^{n} wcet(a_i)}{n \times wcet(a_{\max})}$$

where *n* is the number of action states in the path-section and a_{max} is the action with the maximum worst case execution time in the set of all actions in the knowledge base.

3.4 Cost of the path-section

The above three factors permit a heuristic measure of quality of a path section for real-time response. Their weighed sum gives the cost of a path-section:

$$C(P_i) = \frac{\left[A \times TF(P_i)\right] + \left[B \times LF(P_i)\right] + \left[C \times AF(P_i)\right]}{A + B + C}$$

where the values of the constants A,B and C are assigned empirically. ORICA assigns higher priority to the threat factor to ensure safe real-time behaviour and hence assigns A twice the value of B and C.

For all possible responses from the current state, an average cost of all paths originating from it is calculated and the response with least cost is selected. However, being heuristic calculation limited to N states, the selected response does not guarantee safety and goal achievement over the complete path. If a path fails, either because it does not take the system to the goal or it cannot guarantee safety, then the planner backtracks to a previous state and selects the second best response from it.



Figure 2: Planning for a robot to move from point 1 to 2.

4 EXAMPLE

To demonstrate the reasoning capability of the ORICA planner we consider a mobile robot at point 1. It receives a "low battery" event (passage from state A to state B). It must reach point 2 (see bottom right box in figure 2) to charge its batteries. The knowledge about the robot can only guarantee minimum motion duration before the batteries discharge completely, based on charge level of the batteries. However, complete discharge is a failure condition which it must avoid.

The planner starts building a plan to reach point 2. The reliable temporal transitions from state C and F guarantee that the robot will reach point 2 before failure (i.e., 20 sec and 30 sec). The two paths B,C,G,H and B,F,G,H will have same threat and action factor but the length factor will be less for the path B,C,G,H and hence the planner will select it.

If the knowledge base cannot guarantee the passage of the robot from state C to state G before the transition to failure occurs (i.e., a temporal transition exists between state C and state G, instead of the reliable temporal transition) then the planner will build a guaranteed event transition from state C to state D. Since state C and D are in same threat region, the dependent temporal transition from state D to failure will have a min Δ equal to 3 seconds (50 - 47). The action transition from D to E is guaranteed to fire in 2 seconds, thus it will pre-empt the dependent transition to failure, preserving the safety of the robot, even though the goal is not reached.

Thus, although the knowledge base was not able to guarantee that the robot could reach its goal, because of imprecise knowledge of the path length the planner still made it possible for the robot to strive to reach point 2, while ensuring that the failure is avoided at all costs.

5 SUMMARY AND FUTURE WORK

We have presented the ORICA planner for real-time response planning with its knowledge representation semantics and heuristic reasoning. The planner can build plans to permit the agent to strive to reach its goal without compromising safety, when no guaranteed path is available. The heuristic analysis permits a piece-wise comparison of paths based on factors most useful for real-time response.

Current implementation of ORICA has a Java based AI module for reasoning and planning while the real-time module is being built in C and will run on a QNX platform. Our future objectives include testing the model in real environment and comparing our results with the other real-time AI models.

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