NEW FAST TRAINING ALGORITHM SUITABLE FOR HARDWARE KOHONEN NEURAL NETWORKS DESIGNED FOR ANALYSIS OF BIOMEDICAL SIGNALS

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Abstract: A new optimized algorithm for the learning process suitable for hardware implemented Winner Takes Most Kohonen Neural Network (KNN) has been proposed in the paper. In networks of this type a neighborhood mechanism is used to improve the convergence properties of the network by decreasing the quantization error. The proposed technique bases on the observation that the quantization error does not decrease monotonically during the learning process but there are some ‘activity’ phases, in which this error decreases very fast and then the ‘stagnation’ phases, in which the error does not decrease. The stagnation phases usually are much longer than the activity phases, which in practice means that the network makes a progress in training only in short periods of the learning process. The proposed technique using a set of linear and nonlinear filters detects the activity phases and controls the neighborhood in such a way to shorten the stagnation phases. As a result, the learning process may be 16 times faster than in the classic approach, in which the radius R decreases linearly. The intended application of the proposed solution will be in Wireless Body Sensor Networks (WBSN) in classification and analysis of the EMG and the ECG biomedical signals.

1 INTRODUCTION

Application of Artificial Neural Networks (ANNs) in medical diagnostic tools may be observed for many years, e.g. in classification of biomedical ECG, EMG signals (Ossowski, 2001), (Ghongade, Ghatolfor, 2007), segmentation and analysis of brain or mammography images (Wismüller et al., 2002) and many others.

In most cases ANNs are realized using software platforms that is very convenient, but such networks cannot be used in low power diagnostic devices.

Authors recently designed an experimental Kohonen network in CMOS technology that enables parallel data processing (Długosz et al., 2008), (Długosz and Kolasa 2008). Networks of this type may be hundreds times faster than networks realized in software, consuming much less energy.

Various optimization techniques of the learning algorithm for KNN have been proposed (Zeb Shah, Salim, 2006), (McInerney, Dhawan 1994) but these techniques are not suitable for hardware networks due to large computational complexity. In this paper a new optimized learning algorithm is proposed that bases on simple filters, which makes this technique much easier to implement in hardware. This technique will be used in a next prototype of the KNN in analysis of biomedical ECG and EMG signals in Wireless Body Sensor Networks (WBSN).

Extracting the useful features of the ECG and the EMG signals for use with ANNs is the problem itself, which has been addressed by many papers e.g. (Ghongade, Ghatolfor, 2007). In this paper example simulation results are presented for selected training data that are representative for different applications, but can easily be adopted to biomedical data.
2 KOHONEN NEURAL NETWORK

Kohonen neural networks typically consist of a single layer of neurons arranged as a map, with the number of outputs equal to the number of neurons, and the number of inputs equal to the number of weights in neurons. In practical applications 2-D maps are the most commonly used, since they allow for good data visualization (Kohonen 2001).

Training data files in such networks consist of \( m \) \( n \)-elements patterns \( X \), where \( n \) is the number of the network inputs. The competitive learning in KNN is an iterative process. During each iteration, called an epoch, all \( m \) vectors are presented to the network in a random order. The full learning process requires even hundreds thousands presentations of a single pattern.

Once a single pattern is presented to the network, several calculation steps may be performed by the network. In the first step a distance between a given pattern \( X \) and the weights vector \( W \) in every neuron in the map is calculated, using, for example, the Euclidean or the Manhattan metric. In the next step the winning neuron is identified, and this neuron in the following step is allowed to adapt its weights. In the Winner Takes All (WTA) learning method only the winning neuron, whose vector \( W \) is the closest to the pattern \( X \), is allowed to adapt the weights, while in the Winner Takes Most (WTM) approach also neurons that belong to the winner’s neighborhood change the weights.

The WTA algorithm offers poor convergence properties, especially in case of large number of neurons. In this approach some neurons remain dead i.e. they absorb the computational resources, but never win and never become representatives of any data class. The WTM algorithm, on the other hand, is more complex, since it additionally involves the neighborhood mechanism, which increases the computational complexity, but this mechanism usually activates all neurons in the network (Mokriš 2004), thus minimizing the quantization error. This error is defined as follows (\( w_u \) are weights of the winning neuron):

\[
Q_{err} = \frac{\sum_{l=1}^{m} \sum_{i=1}^{n} (x_{il} - w_{ui})^2}{m} \tag{1}
\]

The main problem in the WTM algorithm is very large number of operations, especially in case of large number of patterns and epochs. In hardware implementations effective methods to minimize the number of operations are therefore required.

3 THE PROPOSED TECHNIQUE

In a typical WTM learning algorithm the neighborhood radius \( R \) at the beginning of the training process is set up to the maximum possible value so it covers an entire map. After each epoch the radius \( R \) decreases linearly by a small value to zero. In practice, as number of epochs usually is much larger than the maximum value \( (R_{\text{max}}) \) of the neighborhood radius \( R \), therefore the radius decreases always by ‘\( 1 \)’ after the number of epochs equals to:

\[
l = \text{round}\left(\frac{l_{\text{max}}}{R_{\text{MAX}}}\right) \tag{2}
\]

In equation (2) \( l_{\text{max}} \) is the total number of epochs in the learning phase. Value of the \( l \) parameter usually is in the range between 20 and 200, depending on the network’s dimensions. In case of an example map with 10x10 neurons and the rectangular neighborhood \( R_{\text{max}} \) equals to 19 (Dlugosz and Kolasa, 2008).

To verify this ‘linear’ approach authors designed a software model of the WTM KNN. Simulations have been performed for different network dimensions and different training data files. Observation of the quantization error in the time domain shows that the ‘linear’ approach is not optimal. The example illustrative waveforms of the Q_error are in this case shown in Fig. 1 for an example training data file with 1000 patterns \( X \), for selected network dimensions 20x20, 10x10 and 4x4 neurons. The quantization error is calculated after each epoch i.e. always after presentation of 1000 training patterns \( X \). This does not increase significantly the computational complexity of an entire learning process.

The first important observation is that when the neighborhood radius \( R \) is larger than some critical value, the quantization error does not decrease, which means that in this period the network does not make the progress in training. This critical value is usually small, between 4 and 7 for different network dimensions as illustrated in Fig. 1. The important conclusion at this point is that the learning process may start with the value of the radius \( R \), which is much smaller than the maximal value \( R_{\text{max}} \). This significantly shortens the entire training process.

The second important observation is that the error does not decrease monotonously with time, but there are some distinct activity phases, just after the radius \( R \) is switched to the smaller value, in which it decreases abruptly and then some stagnation phases, in which it does not decrease. The length of a single activity phase usually is between 2-4 epochs independently on the network dimensions.

The optimization technique proposed by authors eliminates these stagnation phases by incorporation of the multistage filtering of the quantization error in
time domain and a special decision mechanism that automatically switches over the radius $R$ just after a given activity phase is finished. This starts a new activity phase, but for smaller value of the radius $R$.

![Figure 1: Typical ‘linear’ training process](image)

The next step is the highpass filtering operation that detects edges in the smoothed error waveform. This filter may be very simple, with the length not exceeding 4. In presented example a filter with the coefficients $h_{HP} = \{1, 1, -1, -1\}$ has been employed. The resultant waveform is illustrated in Fig. 2 (b). The spikes in this waveform indicate the activity phases. The problem here is that the ‘noise’ present in the initial error waveform is a source of additional undesired spikes, which often are as high as the ‘activity’ spikes, although usually are narrower than the ‘activity’ spikes. To overcome this problem a nonlinear median filter has been additionally applied. The length of this filter has been selected in such a way to even the height of the ‘activity’ spikes and to eliminate the ‘noise’ spikes. For example, the length of 5 allows to eliminate the ‘noise’ spikes with the width equal to 2, as shown in Fig. 2 (c).

Both the highpass and the median waveforms are then used by a decision mechanism that automatically switches over the radius $R$ to the smaller value. The decision procedure starts when the value of the ‘median’ waveform becomes larger than some
threshold value, which is high enough to exclude the ‘noise’ spikes. The decision about switching over is made when the signal in the ‘highpass’ waveform becomes falling, which means that the training process is just entering the stagnation phase.

It is worth noticing that the proposed algorithm must cooperate with the classic ‘linear’ method. This is necessary in a situation, in which an activity spike in the median waveform would be too small to activate the decision procedure. In this case the ‘linear’ method will switch over the radius $R$ after $l$ iterations that will stop a given stagnation phase.

The illustrative simulation results in case of the optimized training process are shown in Fig. 3 for an example network with 10x10 neurons. In this case the entire training process has been shorten 16 times from initial 1000 epochs to 60 epochs.

Figure 3: Training process after optimization, for an e.g. map with 10x10 neurons: (a) original signal and after the lowpass, (b) the highpass and (c) the median filtering.

4 CONCLUSIONS

A new simple learning algorithm for WTM KNNs designed for low-power devices has been described in the paper. The proposed technique bases on the multistage filtering of the quantization error, which is calculated after each epoch of the training process.

The proposed algorithm detects the periods in the training process, in which the error decreases i.e. in which the network makes a progress in training and then automatically switches over the neighborhood radius $R$ just after the training process enters the stagnation phase, thus shortening this phase.

The simulations show that this technique is able to shorten the training process by more than 90%. The proposed algorithm will be used in hardware KNNs, designed for analysis of biomedical the ECG and the EMG signals in Wireless Body Sensor Network (WBSN) applications.

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