

Simulation-Based Analysis of A*, RRT*, Genetic Algorithm, and Ant Colony Optimization for Autonomous Robot Path Planning in Obstacle-Dense Maps

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Abstract: This paper presents a comparative performance evaluation of four distinct path planning algorithms *A**, Rapidly-exploring Random Tree Star (*RRT**), Genetic Algorithm (GA), and Ant Colony Optimization (ACO) for autonomous navigation in static, grid-based environments. We assessed each algorithm's efficacy based on path optimality, computational efficiency, and success rate across maps with varying obstacle densities. Empirical results show that the *A** algorithm provides optimal paths with the lowest computation time in low-to-moderate complexity environments. *RRT** demonstrates superior flexibility in more complex topologies, while the metaheuristic GA and ACO approaches can solve highly complex problems but at a significant computational cost and with high sensitivity to parameter tuning. These findings establish an environment-contingent framework for algorithm selection, underscoring the trade-off between path optimality and computational resources.

1 INTRODUCTION

Path planning remains a cornerstone of autonomous robotics and intelligent systems, with extensive research spanning from medical applications to mobile robotics and autonomous driving. A comprehensive survey in (Zhang et al., 2025) reviews algorithms for steerable flexible needles (SFNs) in minimally invasive surgery, classifying them into mathematical, inverse kinematics, sampling, and intelligence-based approaches, while (Ugwoke et al., 2025) presents a simulation-driven review of classical, heuristic, and metaheuristic algorithms for autonomous robots, outlining their principles, applications, and challenges. Similarly, (Reda et al., 2024) analyzes 275 papers on autonomous driving systems, with particular attention to 162 works on path planning, and categorizes methods into traditional, learning-based, and metaheuristic techniques, highlighting their advantages and limitations. General overviews, such as (Sánchez-Ibáñez et al., 2021) and (L. Liu et al., 2023), provide broad classifications of global and local planning strategies ranging from cell decomposition and

roadmaps to intelligent methods like fuzzy logic, neural networks, and evolutionary algorithms—while also pointing to emerging trends and future prospects.

Beyond reviews, several studies offer comparative analyses and methodological innovations. The work in (Noreen et al., 2016) evaluates RRT variants (RRT, RRT*, RRT*-Smart) under different performance criteria, while (Aksoy et al., 2024) compares *A**, Dijkstra, *RRT**, and PRM in multi-level indoor environments using metrics such as computation time, memory, and path length. To standardize evaluation, (Hsueh et al., 2022) introduces PathBench, a benchmarking framework enabling systematic integration and comparison of algorithms. Hybrid and improved approaches have also been proposed: (Li et al., 2025) combines Dijkstra with the Timed Elastic Band (TEB) algorithm to generate smoother and safer paths, [(Elshamli et al., 2004) applies genetic algorithms for adaptive planning in dynamic environments, and (J. Liu et al., 2016) enhances ant colony optimization with pheromone diffusion and geometric local optimization for faster convergence and better path quality. Collectively, these works underscore the diversity of path planning approaches,

the importance of benchmarking, and the ongoing shift toward intelligent and hybrid solutions for increasingly complex environments.

In this study, one representative algorithm was selected from each of the first two categories, while an additional collective-intelligence-based method (ACO) was also included, resulting in four algorithms being evaluated in detail. The algorithms were applied on fixed-size grid environments and analyzed across five map scenarios with different levels of structural complexity. This enabled the assessment of their respective advantages, disadvantages, and overall performance under specific environmental conditions. Throughout the study, the structure, working principles, and results of the algorithms are supported by visualizations and comparative graphics, providing not only theoretical insights but also practical guidance for algorithm selection in engineering applications.

2 PRELIMINARIES

The core challenge in autonomous robot navigation is determining an optimal or feasible trajectory from a start point to a goal within an environment constrained by obstacles. The selection of a path planning algorithm is a critical design decision, heavily influenced by the nature of the environment, the required solution quality, and the available computational resources. This study provides a rigorous comparative analysis of four distinct algorithmic paradigms: the deterministic A* search, the probabilistic sampling-based RRT*, and the metaheuristic approaches of GA and ACO. This section delineates the foundational principles, mathematical formalisms, and critical operational parameters of each algorithm, establishing the theoretical basis for their subsequent empirical evaluation in complex, obstacle-dense environments.

2.1 A* Algorithm

The A* algorithm is a cornerstone of deterministic graph search path planning. It efficiently combines the systematic completeness of Dijkstra's algorithm with the directed search of a Best-First Search through a heuristic function, guaranteeing an optimal path provided one exists.

The algorithm's core mechanism involves the minimization of a cost function for each node, expressed in Eq.1.

$$f(n) = g(n) + h(n) \quad (1)$$

where $g(n)$ represents the exact cumulative cost from the start node to the current node n , and $h(n)$ denotes a heuristic estimate of the cost from n to the goal. For the solution to be optimal, the heuristic function must be admissible, meaning it never overestimates the true cost, and consistent, ensuring monotonicity. The Euclidean distance is a common choice for a consistent heuristic in continuous spaces.

The performance of A* is heavily influenced by several key parameters. The selection of the heuristic function, such as Euclidean or Manhattan distance, directly impacts search efficiency. A common tuning technique involves using a weighted heuristic, formulated as $f(n) = g(n) + \epsilon \cdot h(n)$ with $\epsilon > 1$, which can significantly expedite the search at the expense of optimality, transforming the algorithm into a suboptimal but highly efficient variant. Furthermore, strategies for breaking ties between nodes with identical $f(n)$ values can affect the number of node expansions; favoring nodes with a higher $g(n)$ value often leads to expansions closer to the goal, potentially improving overall efficiency. The underlying graph representation, whether a 4-connected or 8-connected grid, also influences the algorithm's branching factor and the smoothness of the resulting path.

2.2 RRT* Algorithm

The RRT* algorithm addresses the scalability limitations of graph-based search in high-dimensional continuous spaces. As an extension of the Rapidly-exploring Random Tree (RRT), RRT is probabilistically complete, meaning the probability of finding a feasible path approaches one as the number of iterations increases (Noreen et al., 2016). Crucially, it is also asymptotically optimal, guaranteeing that its solution will converge to the true optimum as computational time approaches infinity. RRT* differs from the classical RRT algorithm in that it rewrites the tree after each new node is added to minimize the path cost, thereby asymptotically converging toward an optimal (shortest or least-cost) solution.

The algorithm operates by incrementally building a tree structure rooted at the start configuration. For each randomly sampled point in the configuration space, the algorithm executes a series of steps. It then generates a new node by moving from this nearest node towards the random sample by a predefined step size. The central innovation of RRT* over RRT lies in the subsequent steps: it identifies a set of neighbor nodes within a certain radius of the new node and then connects the new node to the neighbor that provides

the lowest cumulative cost from the start according to the cost-minimization criterion. The expression x_{min} shown in Eq.2 determines the most suitable parent for the newly generated node x_{new} . This selection is made by choosing the node among the neighbors that minimizes the total path cost from the starting point.

$$x_{min} = \arg \min_{x_{near} \in \text{Near}(x_{new})} [c(x_{near}, x_{new}) + \text{Cost}(x_{near})] \quad (2)$$

Finally, it rewrites the tree, checking if the new node can serve as a better parent for any of its neighbors, thereby continuously optimizing the tree structure and reducing path costs over time. The RRT* algorithm rewrites the tree to determine whether the newly added node can serve as a better parent for its neighbors, continuously optimizing the structure and reducing path costs. Its performance depends on key parameters such as step size, neighborhood radius, and goal bias. The step size balances exploration speed and precision, while the neighborhood radius decreases with node density to ensure asymptotic convergence and computational efficiency. The goal bias allows occasional direct sampling of the goal to accelerate convergence but must be used carefully to avoid local minima in complex environments.

2.3 Genetic Algorithm (GA)

Genetic Algorithms (GA) belong to a class of stochastic, population-based metaheuristic methods inspired by the principles of Darwinian evolution. These algorithms operate on a population of candidate solutions, referred to as "chromosomes." The population evolves over successive generations through processes such as selection, crossover, and mutation(Elshamli et al., 2004). In this evolutionary process, each new generation aims to produce better solutions those with higher fitness values than the previous one.

In the context of path planning, a chromosome typically represents a potential route encoded as a sequence of waypoints or actions. Each chromosome corresponds to a possible trajectory that enables the robot to move from its starting position to the goal. The driving force of evolution, known as the fitness function, quantitatively evaluates how good each path is. This evaluation may consider factors such as path length, the number of obstacle collisions, energy consumption, or the smoothness of motion.

As shown in Eq. (3) a standard fitness function in genetic algorithms can be defined to evaluate and guide the optimization process.

$$Obj(p) = \frac{1}{w_1 \text{Path}(p) + w_2 \text{Obstacle}(p)} \quad (3)$$

$\text{Path}(P)$ represents the total length of the path, while $\text{Obstacle}(P)$ is a penalty term calculated based on the degree of collision between the path and obstacles. The coefficients w_1 and w_2 are weighting factors that determine the relative importance of these two components in the optimization process. A higher w_2 value prioritizes obstacle avoidance, whereas increasing w_1 emphasizes the selection of shorter paths. Consequently, the genetic algorithm is guided to generate paths that are both short and safe.

2.4 Ant Colony Optimization(ACO)

Ant Colony Optimization (ACO) is a swarm intelligence-based metaheuristic inspired by the collective foraging behavior of real ant colonies. In nature, ants find the shortest path between their nest and a food source by depositing and sensing chemical pheromones along their routes (J. Liu et al., 2016). This decentralized communication mechanism, known as stigmergy, enables the colony to collectively adapt and optimize its behavior over time. In computational analogues, artificial ants cooperatively construct solutions, with each ant representing a potential path. The colony then reinforces high-quality solutions through pheromone updates, allowing the algorithm to converge toward near-optimal routes.

The probability that an artificial ant located at node i will move to node j at time t depends on two main factors: (1) the pheromone intensity $T_{ij}(t)$ on the edge connecting nodes i and j , and (2) the heuristic desirability η_{ij} which typically represents the inverse of the distance between the nodes $\eta_{ij} = \frac{1}{d_{ij}}$. This probability is given in Eq.4

$$P_{ij} = \frac{[T_{ij}]^\alpha [\eta_{ij}]^\beta}{\sum_{k \in N_i} [T_{ik}(t)^\alpha] [\eta_{ik}]^\beta} \quad (4)$$

where α and β are weighting parameters controlling the influence of pheromone and heuristic information, and N_i is the set of feasible neighboring nodes. This rule ensures that paths with higher pheromone intensity and shorter distance are more likely to be selected. After all ants complete their tours, pheromone trails are updated in Eq. 5.

$$T_{ij}(t+1) = (1 - \rho)T_{ij}(t) + \Delta T_{ij} \quad (5)$$

where ρ is the pheromone evaporation rate and ΔT_{ij} is the pheromone deposited, typically defined as

$\Delta T_{ij}^k = \frac{Q}{L_k}$ if the k -th ant used edge (i, j) , where Q is a constant and L_k is the path length.

Parameter tuning strongly influences ACO performance. A higher α increases dependence on pheromone trails (exploitation), whereas a higher β emphasizes heuristic guidance (exploration). A large evaporation rate ρ accelerates the search for new paths but may slow convergence. The number of ants determines the number of solutions generated per iteration, balancing search diversity and computation time.

Through this dynamic balance of pheromone reinforcement, heuristic influence, and evaporation, ACO efficiently discovers near-optimal paths in complex environments.

3 PERFORMANCE ANALYSIS OF THE METHODS

In this section, four algorithms A*, RRT*, GA, and ACO were tested on five grid environments of varying difficulty levels. Each algorithm was executed under identical experimental conditions, with the same start and goal positions, and with specific parameter settings to ensure fairness. For each grid, the results were compared in terms of several metrics, including path length, execution time, success rate, visual quality of the generated path, and algorithmic stability. Screenshots and visual outputs were also provided for each test, and the analyses were supported by numerical data.

The experiments were conducted on a computer with the following specifications: Intel 12th Gen Core™ i5-12500H 3.10 GHz processor, 8 GB DDR4 RAM, and an NVIDIA GeForce RTX 3050 Ti GPU. All algorithms were implemented in Python and executed within the same operating system and programming environment to ensure consistency in comparison.

To allow a comprehensive performance evaluation, all four algorithms were tested on the same set of grid maps under identical conditions. The test scenarios were designed with different structural complexities, enabling detailed analysis of algorithm performance across multiple environments. In this study, the paths obtained from deterministic and probabilistic methods are analyzed and compared across Map 1, Map 2, Map 3, and Map 4.

3.1 Map 1: Medium-Density Obstacle Structure and Performance Analysis

In this scenario, the performance of four algorithms was evaluated within a grid environment containing medium-density obstacles. The workspace was defined as a 25×50 grid, with the start point set at $(0,0)$ and the goal point at $(6,31)$. Obstacles were strategically positioned along the horizontal and vertical axes to partially block the direct line toward the goal. This configuration was designed to assess the algorithms' capabilities in obstacle detection, environmental awareness, and alternative path generation.

Each algorithm was configured according to its methodological principles. The A* algorithm employed the Manhattan distance heuristic and four-directional movement, generating fast and optimal paths. The RRT* algorithm was executed with 800 iterations, a step size of 1 unit, and a neighborhood radius of 4 units, enabling rapid exploration of the environment through random sampling. The Genetic Algorithm (GA) utilized a population of 300 individuals, a maximum path length of 80 steps, 500 generations, and a mutation rate of 10%, ensuring population diversity and guiding the search toward near-optimal solutions. The Ant Colony Optimization (ACO) algorithm was run with 60 artificial ants over 200 iterations, applying a 60% pheromone evaporation rate and parameters of $\alpha = 1$ and $\beta = 2$, thereby integrating pheromone-based reinforcement with heuristic guidance.

The results revealed clear differences among the four methods. The A* algorithm consistently produced the shortest and smoothest paths with the lowest execution time, achieving a 100% success rate across all trials. The RRT* algorithm also reached the goal in every run; however, due to its sampling-based nature, its paths were more irregular and computationally more expensive compared to A*. The Genetic Algorithm achieved a similarly high success rate but required significantly longer computation times. The ACO algorithm successfully generated feasible paths in all tests, though its routes occasionally included indirect detours, and its execution time was higher than that of the other methods.

Overall, the results for Map 1 indicate that the A* algorithm is the most efficient and stable method for environments with medium obstacle density. Although RRT* achieved a comparable success rate, it exhibited lower efficiency in terms of path smoothness and computation time. Both GA and

ACO successfully reached the goal but, due to their population-based and pheromone-based nature, tended to explore a broader solution space before converging. Consequently, both algorithms incurred higher computational costs and longer convergence times. Figure 1 shows the path planning of the compared algorithms on Grid 1. A* algorithm provided the fastest, most stable, and shortest path solutions in this environment, whereas RRT*, GA, and ACO demonstrated greater flexibility and adaptability but were limited by their computational overhead. A comparative summary of algorithmic performance on Map 1 is presented in Table 1.

Table 1: Performance Analysis on Grid 1

Algorithm	Path Length (steps)	Execution Time (ms)	Success Rate	Stability
A*	54	0.9	100%	High
RRT*	52.5	1.9	100%	Medium
Genetic Algorithm	57	3386	100%	Medium
Ant Colony Optimization	57	16553	100%	Medium

3.2 Map 2: High-Density Obstacle Structure and Performance Analysis

In this test scenario, the performance of four path planning algorithms was evaluated in a complex environment with high obstacle density. The grid was designed with 25 rows and 50 columns, with the start point located at (1,1) and the goal at (23,48). Obstacles were strategically positioned to form narrow passages and maze-like barriers, creating bottlenecks and obstacle clusters that made direct routes impossible. This configuration was specifically designed to test not only the ability of the algorithms to find short paths but also their capacity to develop robust strategies in highly constrained environments. Each algorithm was tested under carefully selected parameter settings appropriate to its structure. The A* algorithm used four-directional neighborhood and the Manhattan heuristic, maintaining simplicity and speed while producing efficient routes in the cluttered space.

RRT* was applied with a step size of 1 unit, a neighborhood radius of 4 units, and a maximum of 800 iterations, expanding its branching structure to search for feasible solutions. The Genetic Algorithm was executed with an initial population of 800 individuals, a maximum path length of 170 steps, 700 generations, and a mutation rate of 10%, allowing a

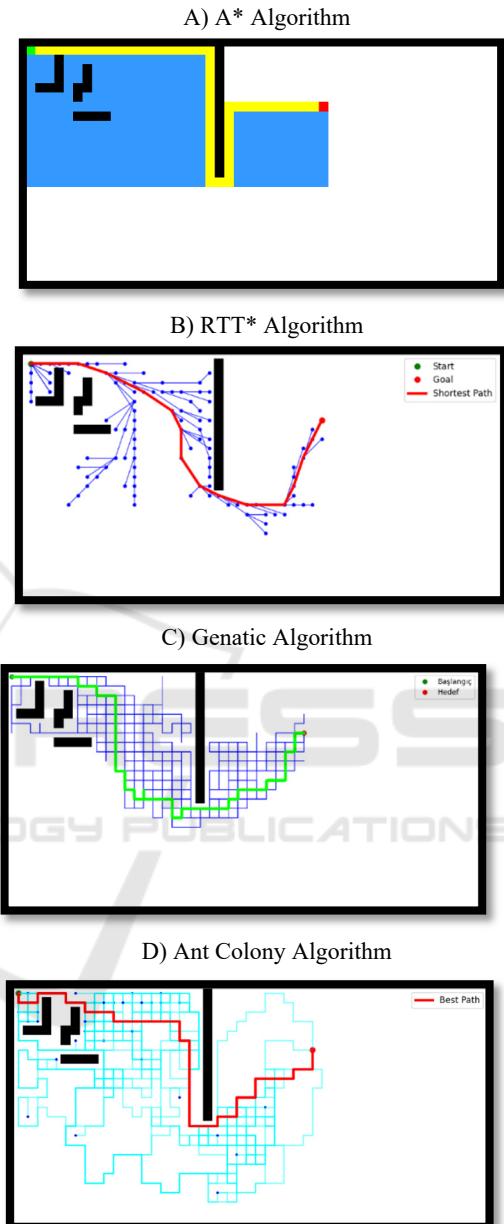


Figure 1: Performance Analysis on Grid 1.

diverse exploration of more complex routes. The Ant Colony Optimization method was tested with 60 ants, 200 iterations, a pheromone evaporation rate of 60%, and parameter values of $\alpha=1$ and $\beta=2$, ensuring a balance between pheromone reinforcement and heuristic guidance.

The results demonstrated that all four algorithms achieved a 100% success rate in this high-density grid; however, significant differences were observed in computation time and path quality. The A* algorithm once again produced short and stable paths, while RRT* found even shorter solutions but required noticeably longer runtimes. Figure 2 shows the path planning of the compared algorithms on Grid 2. The Genetic Algorithm successfully reached the goal but incurred very high computational costs and generated paths that were zigzagged and indirect due to the complexity of the environment. Similarly, Ant Colony Optimization produced valid solutions but at a considerable computational expense.

RRT* was applied with a step size of 1 unit, a neighborhood radius of 4 units, and a maximum of 800 iterations, expanding its branching structure to search for feasible solutions. The Genetic Algorithm was executed with an initial population of 800 individuals, a maximum path length of 170 steps, 700 generations, and a mutation rate of 10%, allowing a diverse exploration of more complex routes. The Ant Colony Optimization method was tested with 60 ants, 200 iterations, a pheromone evaporation rate of 60%, and parameter values of $\alpha=1$ and $\beta=2$, ensuring a balance between pheromone reinforcement and heuristic guidance.

The results demonstrated that all four algorithms achieved a 100% success rate in this high-density grid; however, significant differences were observed in computation time and path quality. The A* search for feasible solutions. The Genetic Algorithm was executed with an initial population of 800 individuals, a maximum path length of 170 steps, 700 generations, and a mutation rate of 10%, allowing a diverse exploration of more complex routes. The Ant Colony Optimization method was tested with 60 ants, 200 iterations, a pheromone evaporation rate of 60%, algorithm once again produced short and stable paths, while RRT* found even shorter solutions but required noticeably longer runtimes. The Genetic Algorithm successfully reached the goal but incurred very high computational costs and generated paths that were zigzagged and indirect due to the complexity of the environment. Similarly, Ant Colony Optimization produced valid solutions but at a considerable computational expense. A comparative summary of the performance results on Grid 2 is presented in Table 2. The results obtained from this test demonstrate that in highly cluttered environments, deterministic methods (particularly A*) exhibit more consistent performance in terms of speed and accuracy, while sampling-based and intelligence inspired approaches require significantly longer computation times and

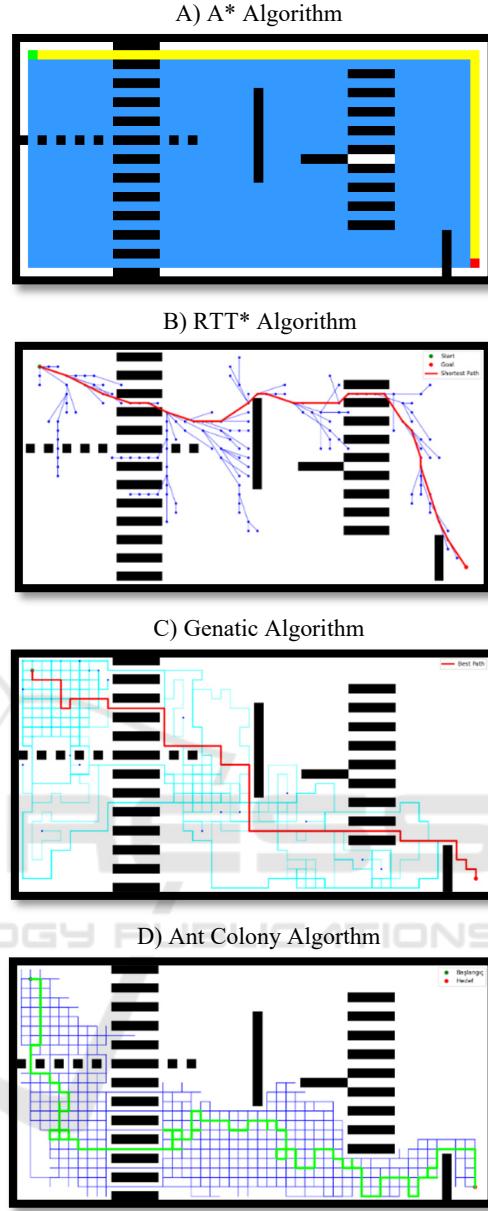


Figure 2: Performance Analysis on Grid 2.

tend to generate more complex paths. Nevertheless, these methods can still be considered as valuable alternatives due to their capability to cope with highly complex structures.

Table 2. Performance Analysis on Grid 2.

Algorithm	Path Length (steps)	Execution Time (ms)	Success Rate	Stability
A*	70	2.5	100%	High
RRT*	66.3	14.2	100%	Medium
Genetic Algorithm	134.9	17,551	100%	Medium
Ant Colony Optimization	79	13,885	100%	Medium

3.3 Map 3: Low-Density Obstacle Structure and Performance Analysis

In this test, the performance of four different path planning algorithms was evaluated on a grid with low obstacle density. The grid consists of 25 rows and 50 columns, with the start point at (0, 0) and the goal point at (24, 49). Obstacles were sparsely placed, leaving wide open areas across the grid. The purpose of this structure is to assess the ability of the algorithms to generate the shortest and most accurate paths in free spaces. Specifically, the obstacles were positioned to partially block the direct route, allowing observation of whether the algorithms could effectively utilize open spaces to find efficient paths.

Each algorithm was executed with parameters tailored to its principles. In A*, the Manhattan distance heuristic with four-directional neighborhood connectivity was employed. RRT* was run with a step size of 1 unit, a neighborhood radius of 4 units, and an iteration limit of 800. For the Genetic Algorithm, anticipating the possibility of longer paths in this structure, a population of 300 individuals was initialized, the maximum step length was increased to 110, and evolution was performed over 500 generations with a mutation rate of 10%. In the Ant Colony Optimization algorithm, 60 artificial ants and 200 iterations were used, with a pheromone evaporation rate of 60%, and $\alpha = 1$, $\beta = 2$ parameters. These values allowed the ants to balance the exploitation of previously successful paths with proximity to the goal. According to the test results, all algorithms achieved the target with a 100% success rate. The A* algorithm once again produced the shortest and most stable paths with high speed, while the RRT* algorithm, despite its randomized sampling nature, generated efficient paths that were even slightly shorter. The Genetic Algorithm successfully reached the goal but required significantly longer computation times compared to the other methods. Figure 3 shows the path planning of the compared algorithms on Grid 3. The Ant Colony Optimization algorithm was the slowest method in this scenario, as

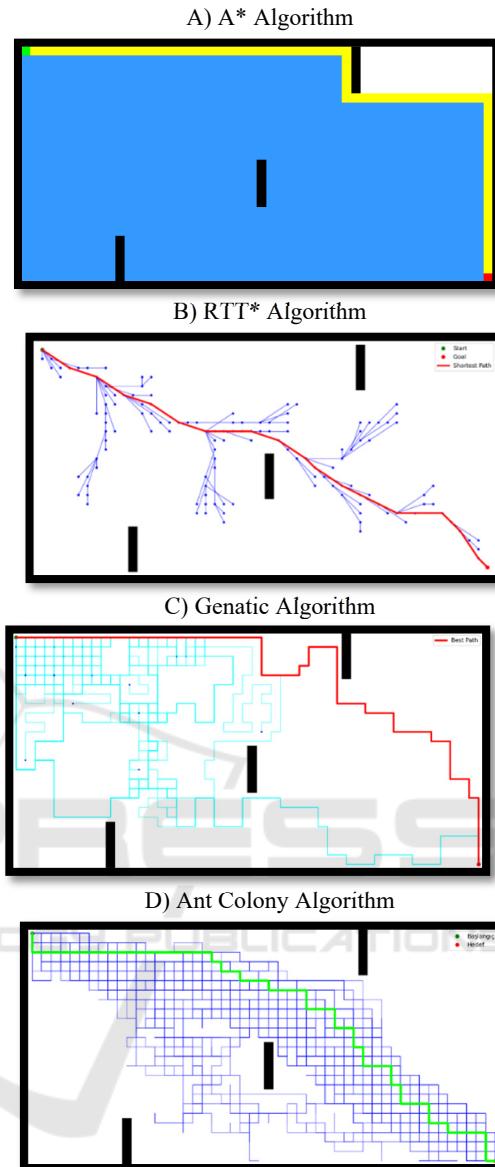


Figure 3: Performance Analysis on Grid 3

wider free areas demanded more exploration and pheromone accumulation, resulting in higher iteration counts and longer execution times. A comparative summary of the performance results on Grid 3 is presented in Table 3.

Table 3. Performance Analysis on Grid 3.

Algorithm	Path Length	Execution Time (ms)	Success Rate	Stability
A*	74 steps	3.0 ms	100%	High
RRT*	65.4 steps	3.19 ms	70%	Medium
Genetic Algorithm	74 steps	6395 ms	80%	Medium
Ant Colony	81.2 steps	11629 ms	100%	Medium

These results indicate that in environments with sparse obstacles and large open spaces, deterministic methods (particularly A*) are capable of producing high-quality paths in a very short time. RRT* has shown a tendency to generate efficient paths in free regions due to its sampling-based exploration. On the other hand, Genetic Algorithm and Ant Colony Optimization required significantly longer execution times because of their exploration and optimization processes. It is clearly observed that in such spacious and low-obstacle environments, deterministic algorithms provide a direct advantage.

3.4 Map 4: Vertical Barriers and Performance of Path Planning Algorithms

This test scenario was conducted on an environment where vertical barriers were densely placed, making direct passage more difficult. The grid consisted of 25 rows and 50 columns, with the start point defined as (2, 2) and the target point as (22, 48). Vertical obstacles were positioned to block large areas of the grid, requiring the algorithms to identify feasible routes through narrow corridors. This structure was specifically designed to evaluate the algorithms' ability to navigate confined passages and optimize path planning under restrictive conditions.

All algorithms were executed using fixed parameters suitable for their respective characteristics. The A* algorithm employed four-directional connectivity and the Manhattan heuristic to ensure fast and stable path generation. The RRT* algorithm was run with a step size of 1 unit, a neighborhood radius of 4 units, and an iteration limit of 800, aiming to discover feasible paths through random sampling and rewiring processes. The Genetic Algorithm was tested with an initial population of 800 individuals, a maximum step limit of 500, and 500 generations, while maintaining solution diversity with a 10% mutation rate. The Ant Colony Optimization (ACO) method was implemented with 100 ants, 300 iterations, a pheromone evaporation rate of 50%, $\alpha = 1$, $\beta = 2$, and a reinforcement of 200 pheromone units for each successful path.

The results revealed that the A* algorithm consistently produced reliable, short, and fast solutions, even in this complex configuration. The RRT* algorithm achieved a 100% success rate and generated path lengths comparable to A*, but with noticeably higher computation time. The Genetic Algorithm successfully produced valid paths in 75% of the tests; however, both the path length and execution time remained relatively high. The Ant

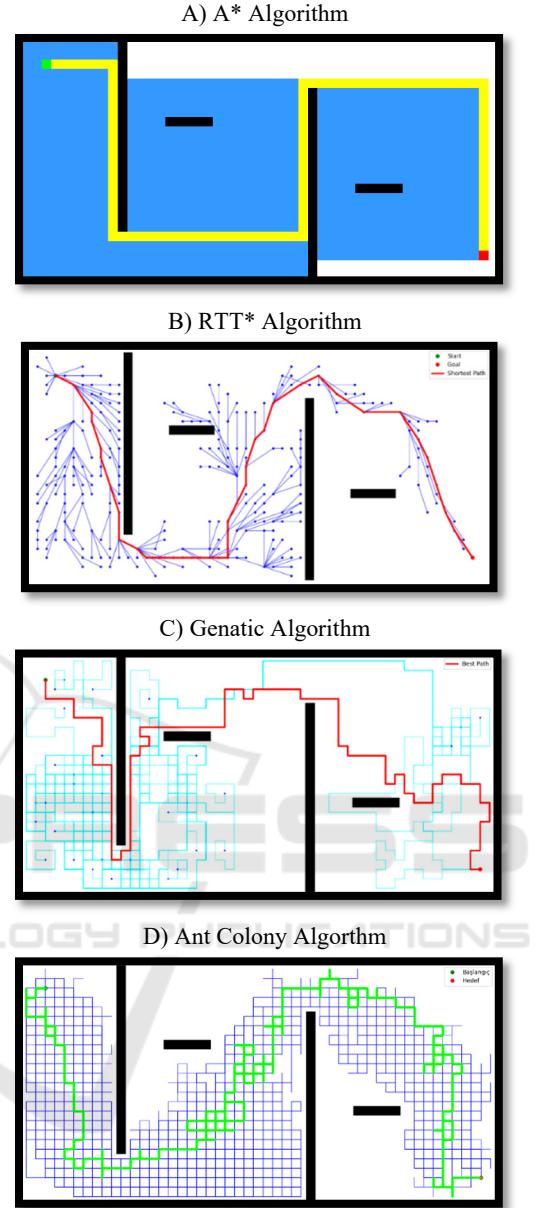


Figure 4: Performance Analysis on Grid 4.

Colony Optimization method achieved success in all runs, but generated the longest and most computationally expensive paths. Nevertheless, the routes produced by ACO displayed smooth navigation through obstacles, albeit via indirect detours. Figure 4 shows the path planning of the compared algorithms on Grid 4.

Table 4. Performance Analysis for Grid 4.

Algorithm	Path Length(steps)	Execution Time (ms)	Success Rate	Stability
A*	99	2.5 ms	100%	High
RRT*	96.6	17.2 ms	100%	Medium
Genetic Algorithm	171.2	26,537 ms	75%	Medium
Ant Colony Optimization	102.33	25,316 ms	100%	Medium

This test demonstrates that in complex environments with dense vertical obstacles, deterministic methods (particularly the A* algorithm) still provide a strong and reliable solution, while sampling-based and intelligence-inspired approaches are more costly in terms of computation time and path length. Nevertheless, these methods remain valuable alternatives due to their flexibility in generating feasible and alternative routes through obstacle-rich areas.

4 RESULTS AND DISCUSSION

In this study, the performance of four widely used path planning algorithms for autonomous robot navigation A*, RRT*, Genetic Algorithm, and Ant Colony Optimization was thoroughly compared across four different grid environments. The algorithms were evaluated based on key performance metrics such as path length, computation time, and success rate. Additionally, they were conceptually categorized into search-based, sampling-based, and intelligence-inspired methods for further interpretation.

Among the search-based methods, the A* algorithm consistently found the shortest or near-shortest paths across all tested grids while achieving the lowest computation times. Particularly in grids with low and medium obstacle density, A* demonstrated a 100% success rate, producing reliable and well-structured paths. However, in environments with higher complexity and dense vertical barriers, the path length and computation time increased, although the success rate remained high. This indicates that while A* benefits from its systematic search and heuristic-driven guidance, the computational cost grows with the expansion of the search space in complex environments.

The RRT* algorithm, representing the sampling-based category, exhibited flexibility in complex scenarios due to its random sampling and rewiring principles. It successfully generated feasible paths in all tested grids; however, the path quality and computation time varied significantly. In highly

cluttered environments with narrow passages, RRT* produced shorter paths compared to A*, but at the expense of higher computation times. The performance of RRT* was strongly influenced by parameter settings such as iteration count and step size.

Within the intelligence-inspired methods, the Genetic Algorithm demonstrated a capacity to explore alternative solutions, particularly in highly complex environments. Nevertheless, its performance was more sensitive to parameter tuning compared to the other methods. With properly set population size, number of generations, and mutation rate, feasible and reasonable paths could be obtained. However, in most cases, GA incurred the highest computational costs in terms of both path length and execution time. Its success rate also tended to decrease in complex structures, and the generated paths were often indirect.

The Ant Colony Optimization algorithm, leveraging pheromone-based exploration and exploitation mechanisms, achieved near-perfect success rates across all grids. However, it was one of the most computationally expensive methods in terms of execution time and path quality. Although increasing the number of ants and iterations improved performance, it also significantly raised computational costs. ACO showed a tendency to generate feasible yet indirect paths, particularly in wider grids with multiple alternative passages.

Overall, this study highlights the critical importance of algorithm selection depending on the application conditions. For low to moderately difficult environments, the A* algorithm emerges as the most advantageous solution in terms of both speed and accuracy. In contrast, RRT* and Ant Colony Optimization provide flexible alternatives in more complex structures with narrow corridors, while the Genetic Algorithm requires extensive parameter tuning and remains the most computationally demanding method. These findings suggest that instead of relying on fixed algorithms, hybrid and adaptive approaches may offer more effective solutions for future autonomous robot navigation tasks. Furthermore, parametric optimization and learning-based adaptation mechanisms represent promising directions for improving the performance of existing algorithms.

5 CONCLUSION

This study's empirical investigation of A*, RRT*, Genetic Algorithm, and Ant Colony Optimization

confirms that the optimal path planning algorithm is intrinsically linked to the operational environment's complexity. A fundamental trade-off exists between computational efficiency and solution robustness. The A* algorithm consistently demonstrated superior speed and optimality in low-to-medium complexity environments, establishing it as a benchmark for structured spaces. In contrast, RRT* offered greater flexibility in navigating intricate, non-convex topographies, while the metaheuristic GA and ACO approaches proved capable of solving the most complex scenarios, albeit at a significant computational cost and with high sensitivity to parameter tuning.

Future research should prioritize the development of hybrid methodologies that synergistically combine the deterministic efficiency of algorithms like A* with the exploratory strengths of RRT* or ACO. Furthermore, extending this comparative analysis to dynamic and three-dimensional environments, alongside integrating machine learning for adaptive parameterization, remains a critical next step for advancing autonomous navigation systems.

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