Parameter Estimation of PID Controller Using Machine Learning

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Abstract: DL (Deep Learning) method of approach towards PID (Proportional-Integral-Derivative) parameter tuning is

inspired by the improvisation of Ziegler-Nichols method and linear regression. For any varying values of characteristics of a PID controller i.e, Ess (Steady State Error), peak overshoot, settling time, and rise time; a unique solution is obtained for k_p , k_i , and k_d . This is demonstrated by the means of a more efficient method which is DL. Research is proposed to acknowledge which of the three mentioned methods provides the best fit for a model. Using the older methods for PID parameter tuning can be proven to slower the rate of process or cause human error. Hence, to avoid this an advanced tuning method is proposed via machine learning

1 INTRODUCTION

A PID controller is widely used in control systems and industrial applications due to its flexibility and versatility. The history began since 1911 when the first evolution of PID controller was developed by Elmer Sperry. Popularity grew when Ziegler and Nichols tuning rules were brought into the limelight.

However, it came with back-leashes such as time consumption, and the method does not guarantee reaching a robust and stable solution; hence, to overcome the cons, a much efficient and advanced method is proposed using machine learning. In this paper, three methods of PID controller parameter tuning are collated, namely Ziegler-Nichols, linear regression and DL.

2 LITERATURE SURVEY

2.1 Survey on PID Controller Tuning Using Machine Learning

PID controllers are a staple in industrial control systems due to their simplicity and effectiveness. However, manual tuning of PID parameters can be time-consuming and inefficient, especially in complex systems. ML (Machine Learning) techniques, such as

DL and reinforcement learning, are increasingly being employed to automate and enhance PID tuning. These approaches promise adaptive, efficient, and robust performance across various applications(Rahmat et al., 2023).

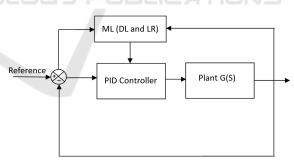


Figure 1: Block diagram for PID parameter estimation using ML

A PID controller can be used on its own or as a combination of its three modes. Fig.1 shows the block diagram of the PID controller. It consists of a controller that makes decisions and ML block for autonomous tuning via two methods.

2.2 DL for PID Tuning

Use of DL in tuning PID controllers for electromechanical systems is presented in a paper. The model utilized a neural network trained on system response data, enabling real-time parameter optimization and superior performance in terms of stability and speed compared to traditional methods. This approach significantly reduced overshoot and settling time, making it ideal for complex control environments (Saini et al., 2023).

2.3 Reinforcement Learning for Autonomous PID Tuning

RL (Reinforcement Learning) has emerged as a dominant tool for adaptive PID tuning. Recent research explored RL-based approaches where agents learn optimal control strategies by interacting with the environment. For instance, one study utilized model-based RL to achieve robust PID tuning. The method effectively handled non-linearity and uncertainties, demonstrating robust performance under varying conditions (Trujillo et al., 2022).

2.4 Hybrid Approaches Combining ML and Classical Methods

Several papers propose hybrid approaches that integrate ML with traditional PID tuning techniques. For example, researchers employed RLS (Recursive Least Squares) for system identification and ANN (Artificial Neural Networks) for parameter estimation. This combination ensured precise tuning and reduced computational overheads (Dogru et al., 2022).

2.5 Application-Specific Implementations

Industrial Systems: Studies on electromechanical actuators showed how ML-based tuning could improve operational efficiency. One example involved tuning a 3-stage cascaded PID for BLDC (Brush Less Direct Current) motors, which yielded a 90 percent, improvement in overshoot and reduced energy consumption.

Process Control: In chemical and thermal process industries, ML-based PID tuning has been applied to optimize control loops, resulting in improved energy efficiency and product quality (Jesawada et al., 2022).

Neural networks are seen to outperform some other intelligent methods in terms of PID adaptive and tuning (Lazar et al., 2004), (Iplikci, 2010).

Collection of the accurate data labels can be demanding in actual engineering problems (Guan and Yamamoto, 2020).

ML methods have gained widespread attention since they are data driven and real-time capable and

the literature has focused on diagnosing PID controller performance issues. Machine Learning classifiers such as SVM (Suport Vector Machine), decision trees, and neural networks have been used to detect performance degradation in the absence of detailed system models. Other studies delve into hybrid configurations that integrate conventional control alongside ML to enhance reliability in several fields, notably in manufacturing, power plants, and aerospace. Future work entails handling more complex datasets for higher accuracy, developing explainable models, and evolving to predictive maintenance to apply maintenance actions before the problem and prevent the faults. (Yağcı et al., 2024).

This study utilizes the use of neural networks and reinforcement learning to develop an adaptive PID controller to control pressure drops in non-linear fluid systems. The method integrates Hammerstein identification for system identification and actor-critic learning to enable real-time PID tuning. This hybrid approach improves adaptability and robustness, achieving better performance than traditional PID controllers in simulation. This study reveals that a combination of neural networks and ML can lead to modern nonlinear environment control solutions, which is a scalable and is advanced solution for complex industrial fluid systems (Bawazir et al., 2024).

The authors present a generalized and readily tunable method to discriminate between acceptable and poor closed-loop performance. Their approach defines optimal but feasible closed-loop performance based on intuitive quality factors. A diversified set of CPI (Control Performance Indices) serve as discriminative features for the offline generated training set. Thus, the proposed system is intended to be used immediately without further learning (i.e, during regular operation) (Grelewicz et al., 2023).

The paper explores usage of neural networks for PID tuning. The challenge discussed is selection of training sample and suggests replacement of PID controllers with the stated PID tuning method, for better control (Zhilov, 2022)

DRL (Deep Reinforcement Learning) based PI gain tuning in robot driver system is proposed, which utilizes simulation training. D3QN is implemented to reduce errors and optimize gains. A significant improvement is seen in the performance as compared to older fuzzy logic controllers in testing of vehicles (Park et al., 2022)

A PID controller is compared to gradient descent tuning and CNN-based cloning. The study concludes that PID control displays more accurate and stable results when tested (Abed et al., 2020)

2.6 Challenges and Opportunities

Challenges: ML-based PID tuning requires large datasets for training, which may not always be feasible. Additionally, deploying ML models in real-time systems involves computational constraints and the risk of over-fitting.

Opportunities: Advances in lightweight ML models and cloud-based computation open avenues for broader application of these techniques. Future work could focus on integrating ML-based tuning with IoTenabled devices for real-time adaptability.

Conclusion and Future Directions: Machine learning offers trans-formative potential for PID controller tuning, addressing limitations of manual and heuristic approaches. As ML models are more robust and computationally efficient, their integration into industrial control systems will likely become mainstream. Future research should explore scalable solutions, ensuring compatibility with diverse industrial applications and hardware constraints.

3 PROPOSED METHODOLOGY

Methodology for the problem statement proposed in this research, first, consists generating a dataset of a total of seven parameters, including both inputs and outputs; and filtering it. Second, it incorporates training the model to evaluate the values of k_p , k_i , and k_d by all the three mentioned tuning techniques, that is, Ziegler-Nichols, linear regression, and DL; when steady-stare error, overshoot, rise time and settling time are given. Then, a comparison is made to find best of the three mentioned tuning methods.

3.1 Data collection

• To perform parameter tuning, MATLAB generates a dataset comprising 15,000 values using a Python code. It consists of two sets of variable parameters. The input parameters comprise rise time, steady-state error, maximum overshoot, and settling-time; while the response parameters for the PID system are k_d (derivative component), k_i (integral gain) and k_p (proportional gain).

3.2 Data Processing

• It consists of normalizing the input and output data to train model efficiently. The system response characteristics (overshoot, Ess, settling and rise time) are drawn out by the code as input characteristics that are stored in variable X. PID

- gains $(k_p, k_i \text{ and } k_d)$ are stored as output targets in variable Y. Input and output data are normalized using "StandardScaler".
- The obtained normalized data is split into testing and training sets. 80% of the data is utilized in training set while the rest 20% in test set.

3.3 Model training

- A Linear Regression model is defined and trained with "fit() method", this minimizes error.
- For DL, a neural network architecture is defined that will be used for the prediction of PID controller gains. Model compilation is done by an optimizer, MSE (Mean Squared Error) and MAE (Mean Absolute Error). The defined DL model is trained on the training data. The "fit() method" is used for training. Model undergoes 100 epochs, with a batch size of 16.
- Model is composed using MSE. It measures the average squared difference between the predicted values and the actual values of a dataset; which is calculated by the formula given below in equation (1).

$$MSE = \frac{1}{N} \sum_{i=1}^{N} (x_i - \hat{x}_i)^2$$
 (1)

MSE = Mean Squared Error

N = Number of data points

 x_i = observed values

 \hat{x}_i = predicted values

 MAE is evaluated by equation (2), which gives the average of absolute value of difference between the actual and predicted values.

MAE =
$$\frac{\sum_{i=1}^{N} |x_i - y_i|}{N}$$
 (2)

MAE = mean absolute error

 $x_i = prediction$

 y_i = true value

N = total number of data points

3.4 Model Evaluation

 Once trained, model predicts the PID values in the test set. Model performance is evaluated using two error metrics namely MSE and MAE. Accuracy calculation is done by the equation given below (3):

Accuracy (%) =
$$100 - \left(\frac{\text{MAE}}{\text{Mean of true values}} \times 100\right)$$
(3)

3.5 Visualization

After obtaining the predicted outcomes, visuals are provided for the pre-requisite parameters, which allows easy elucidation of data. This way comparison can be made between the three methods for tuning of PID controller.

4 RESULTS AND ANALYSIS

The model is run by entering values for system parameters, according to the user requirement to obtain values of k_p , k_i and k_d . The predicted output is obtained and visual representation of the same is provided. This way an easy contrast can be made.

The below equation is a closed loop transfer function (4):

$$1 + G_p(S) * G_c(S) * H(S) = 0$$
 (4)

The transfer function considered for validation of results in the proposed research is given below in (5).

$$1 + (K_p + \frac{K_i}{S} + K_d S) * \frac{1}{(1 + 0.1S)(0.2S + 1)} * 1 = 0$$
(5)

Hence, the characteristic equation obtained is as given in equation (6):

$$0.02s^3 + (0.3 + K_d)s^2 + (K_p + 1)s + K_i = 0 (6)$$

Step input is given as "1" in Simulink (MATLAB), for both the samples considered in Table 1.

Table 1: Data for Sample 1 and Sample 2

Sample	T_r	T_s	MP %	Ess
1	3	5	10	0.05
2	7	5	12	0.052

Table 2: Response for Sample 1

Method	K_p	K_i	K_d	ISE
ZN	5.5	0.495	10	0.1195
LR	9.9607	30.9843	11.6628	0.006748
DL	142.2267	318.0241	38.5982	0.004228

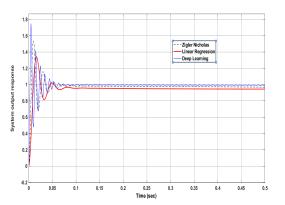


Figure 2: Output Response for Sample 1

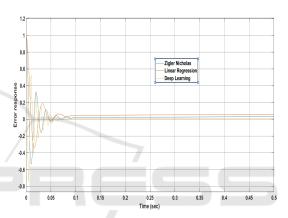


Figure 3: Error Response for Sample 1

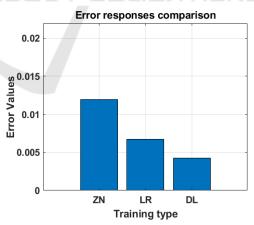


Figure 4: Error comparison for Sample 1

Considering values of Sample 1 (Table 1), the predicted output is stated in Table 2. From Fig.2 it can be observed that out of all the three mentioned methods, DL method displays the most accurate results. Since the step input is given as 1, expected output for an efficient model should be same as the input; this is observed along the output line representing DL (which

is closest to 1). The error response of all the three methods is displayed in Fig 3 which is the least in DL method. ISE of DL for Sample 1, can be visualized from Fig.4, which is the least when compared to the other two methods i.e.0.004228 < 0.1195 and 0.004228 < 0.006748. This results in better performance of the system, and an enhanced performance in terms of precision and stability.

Table 3: Response for Sample 2

	Method	K_p	K_i	K_d	ISE
ĺ	ZN	11.4874	0.90581	20	0.03635
ĺ	LR	6.6725	20.6890	7.6736	0.008989
	DL	42.61	67.31	82.45	0.004251

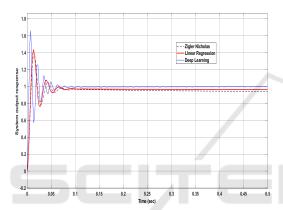


Figure 5: Output Response for Sample 2

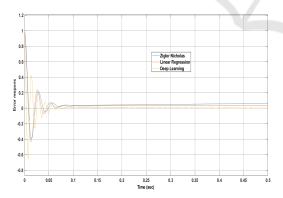


Figure 6: Error Response for Sample 2

The above stated conclusions can be supported by considering Sample 2 (refer Table1). The output response is stated in Table 3, visuals of which can be observed in Fig.5 which depicts that line representing DL is nearly equal to 1, when compared to the other two. Error of DL is the least i.e, nearly equal to 0; which can be visualized from Fig.6 pointing to the fact that DL is more efficient. The visuals of

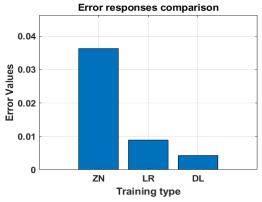


Figure 7: Error comparison for Sample 2

ISE are provided in the form of a bar graph in Fig.7, which depicts that ISE is the least in DL method i.e, 0.004251 < 0.008989 and 0.004251 < 0.03635.

5 CONCLUSION

In this paper we propose an advanced PID parameter tuning method which minimizes error, and provides accurate and stable output response for a system.

It can hence be concluded that DL is seen as a better approach for PID parameter tuning; for the reason that it can be used for modeling complex models while linear regression and Ziegler-Nichols can only be used for the training of simpler models. This clearly shows that this method is more efficient, faster and convenient than Ziegler-Nichols and linear regression method.

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