Reevaluating Stock Price Prediction: The Influence of Machine Learning on Forecast Accuracy

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Abstract:

Due to the complexity and volatility of financial markets, traditional methods have often failed, prompting the adoption of advanced machine learning techniques that leverage vast datasets and sophisticated algorithms for improved forecast accuracy. This research aims to compare traditional and advanced machine learning techniques in predicting equity premiums, a crucial metric in financial economics. Using a comprehensive dataset encompassing various economic and financial indicators, this study initially implemented a rolling linear regression model as a baseline, followed by more sophisticated models, including Bagged Trees. Model performance was assessed using Out-of-Sample (OOS) R-squared (R²), Mean Absolute Error (MAE), and Root Mean Squared Error (RMSE). The results showed that the Bagged Trees model exhibited the most reliable performance, the Rolling Linear Regression model followed, with the Long Short-Term Memory (LSTM) model being the least effective. The inherent unpredictability of equity premiums is attributed to limited access to comprehensive market information, the noisy and complex nature of financial markets, and the over-fitting tendency of advanced models. To enhance predictive accuracy, future research should consider integrating alternative data sources, employing advanced noise-filtering techniques, developing hybrid models, applying robust regularization methods and creating dynamic models that adapt to evolving market conditions.

1 INTRODUCTION

In the dynamic world of finance, accurately predicting stock prices has long been a challenging yet essential endeavor for investors, analysts, and financial institutions. Traditional methods, relying heavily on historical data and linear models, have often fallen short in capturing the complex and volatile nature of stock markets (Mehra et al., 2003). In this situation, the advent of machine learning has ushered in a new era of stock price prediction (Gu et al., 2020). By leveraging advanced algorithms and vast datasets, machine learning techniques promise to enhance forecast accuracy significantly.

Within the prediction of different metrics in financial economics, equity premiums have always been a longstanding topic. The equity premium refers to the excess return that investing in the stock market offers over a risk-free rate. Researchers have explored various models and methods to predict equity premiums, yielding mixed results. Early studies on equity premium prediction primarily focused on historical averages. Numerous studies have explored the use of economic and financial

indicators to predict equity premiums. Fama and French demonstrated that dividend yields and earnings-price ratios possess predictability for future equity premiums (Fama et al., 1996). Similarly, Campbell and Shiller showed that the ratio of stock prices to dividends could forecast long-term returns (Campbell et al., 1988).

Despite these findings, the predictability of such indicators remains debated. Goyal and Welch critically reviewed several predictive variables and found that many failed to outperform simple historical averages Out-Of-Sample (OOS) (Welch et al., 2008). Their findings cast doubt on the reliability of traditional economic and financial indicators for equity premium prediction. Researchers have also investigated the role of macroeconomic variables in predicting equity premiums. Lettau and Ludvigson proposed the consumption-wealth ratio as a predictor, demonstrating its effectiveness in forecasting future returns (Lettau et al., 2001). However, the predictability of macroeconomic variables is not universally accepted. Ang and Bekaert found that while certain macroeconomic factors could predict IS returns, their OOS performance was often poor

(Ang et al., 2007). This inconsistency has fueled ongoing debates about the practical utility of macroeconomic variables in equity premium prediction.

Over the past decade, artificial intelligence has advanced rapidly, leading to the creation of increasingly sophisticated data analysis techniques. Recent advancements in machine learning and statistical methods have opened new avenues for predicting equity premiums. For instance, Gu et. al. utilized machine learning techniques to analyze a vast array of predictors, demonstrating improved OOS performance compared to traditional models (Gu et al., 2020). Their findings suggest that machine learning can uncover complex patterns in the data that conventional methods might miss. Recurrent Neural Networks (RNNs) and bagged trees are widely used in various fields. For example, when predicting the future probability environmental factors, RNNs serve as an effective tool, combining the learning capabilities of feedforward neural networks with enhanced expressive power through dynamic equations (Chen et al., 2018); bagged tree model can be used to map landslide susceptibility (Wu et al., 2020). Given the success of these models in predicting time-dependent variables in different contexts, there is significant potential for using these models to predict equity premiums, which are also timedependent variables.

This study aims to introduce linear regression model and advanced machine learning techniques to predict stock prices for performance comparison. The predictions are, in turn, evaluated with OOS R-squared value (R²), Mean Absolute Error (MAE), and Root Mean Squared Error (RMSE).

2 METHOD

2.1 Dataset Preparation

In this study, the equity premium dataset is used for stock prices' evaluating (Welch et al., 2008). The data is related to equity premium with prominent variables, which stores 1, 620 records (i.e., one instance per month) and covers 17 columns. All variables are numerical fields. Based on the equity premium dataset, 14 different explanatory variables are recreated such as inflation and stock variance (Welch et al., 2008).

In order to understand the extreme values and temporal trend of the data, the data was plotted, as shown in Figure 1.

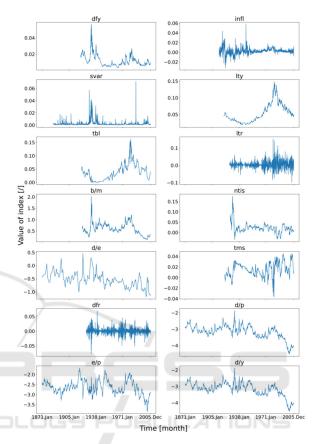


Figure 1: Explanatory variable against time (1871 - 2005) (Welch et al., 2008).

2.2 Machine Learning-based Prediction

In this part, rolling linear regression model is used to replicate and verify the conclusions in the work carried out by Welch et al. (Welch et al., 2008). Then, two advanced models (RNNs and bagged tree) are used to improve and recreate R², RMSE and MAE values.

2.2.1 Linear Regression-based Prediction

Rolling linear regression model fits regressions to a window of data, continuously updating the model as the window shifts forward over time. The illustration of rolling multiple linear regression model is shown in Figure 2.

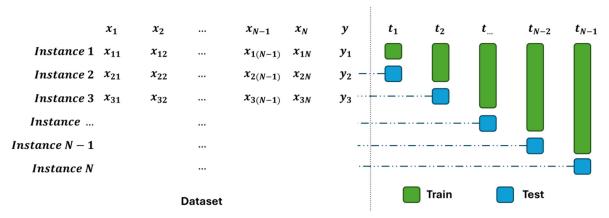


Figure 2: Illustration of the Model (Photo/Picture credit: Original).

Using a rolling linear regression model offers several advantages. This approach allows for dynamic analysis by enabling model parameters to change over time, thus capturing evolving relationships between variables. It also aids in detecting structural changes or breaks in the data, providing insights into periods of instability or shifts in underlying processes. Additionally, it improves model robustness by reducing the impact of outliers and anomalies, ensuring reliability even with unusual data points. In this part, the model does not require the determination of any extra parameters.

2.2.2 LSTM

RNNs generate and retain memory of previous states throughout the feed-forward process. The mechanism of Long Short-Term Memory (LSTM), a specific type of RNN, is illustrated in Figure 3.

LSTM models offer several advantages, such as managing long-term dependencies and overcoming the vanishing gradient problem typical in traditional RNNs. Additionally, LSTMs can handle variable-length sequences and provide robust performance in both directions.

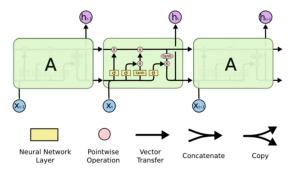


Figure 3: Interacting layers in an LSTM (Thorir, 2021).

In this part, the model is trained with a hidden state of 256 neurons, learning rate of 6×10^{-4} , weight decay of 5×10^{-6} , 15 epochs. All data points are used at each epoch.

2.2.3 Bagged Trees Model

Bootstrap aggregating, commonly known as bagging, is an ensemble meta-algorithm in machine learning that enhances the stability and accuracy of algorithms used for classification and regression. While typically applied to decision tree methods, bagging can be utilized with any machine learning algorithm (Opitz et al., 1999).

Decision tree models offer several advantages. Firstly, they are easy to understand and interpret. This makes decision trees particularly useful for explaining model predictions to stakeholders. Additionally, they can handle non-linear relationships between features and target variables, which is beneficial for datasets with complex interactions. Lastly, decision trees are versatile and can be used with both numerical and categorical data, adding to their flexibility and ease of use in various applications.

In this part, a bagging ensemble model uses decision trees to predict the equity premium, where the base estimators are set to 500; when looking for the best split, number of features to consider is set to 0.5.

3 RESULTS AND DISCUSSION

3.1 Model Performance

The true data and predicted values of each model is plotted against time, are shown in Figure 4, Figure 5,

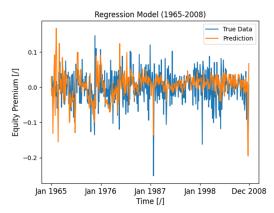


Figure 4: Performance for linear regression (1965-2008) (Photo/Picture credit: Original).

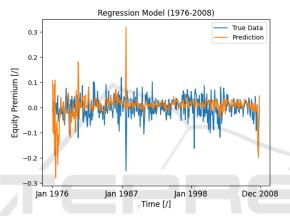


Figure 5: Performance for linear regression (1976-2008) (Photo/Picture credit: Original).

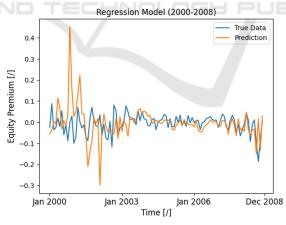


Figure 6: Performance for linear regression (2000-2008) (Photo/Picture credit: Original).

Figure 6, Figure 7, Figure 8, Figure 9, Figure 10, Figure 11 and Figure 12.

From the plots of rolling linear regression shown in Figure 4, Figure 5 and Figure 6, the true data and predictions align closely, suggesting potential overfitting in the model. During the 1965-2008 period, the actual data shows the highest equity premium around 1987, whereas the model's predictions

indicate peaks around 1965 and 2008. In the 1976-2008 period, the true label of the largest equity premium (negative) occurs around 1987, but the model predicts the highest premiums around 1976 (positive) and 2008. For the 2000-2008 period, the true data exhibits relatively stable equity premiums, while the model forecasts significant peaks in 2001 (positive) and 2002 (negative).

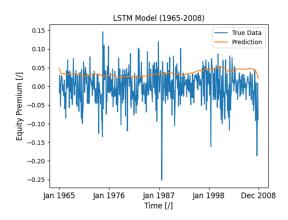


Figure 7: Model performance for LSTM (1965-2008) (Photo/Picture credit: Original).

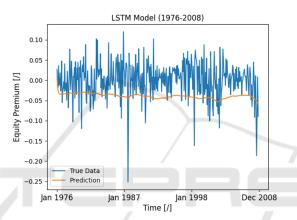


Figure 8: Model performance for LSTM (1976-2008) (Photo/Picture credit: Original).

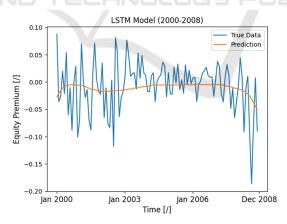


Figure 9: Model performance for LSTM (2000-2008) (Photo/Picture credit: Original).

The plots shown in Figure 7, Figure 8 and Figure 9 demonstrate that the bidirectional LSTM model no longer exhibits over fitting but fail the capture the trend across most of the periods studied. In the 1965-2008 and 1976-2008 periods, as well as the 2000-2008 period, the predictions generally do not follow the rise and fall of the actual equity premium.

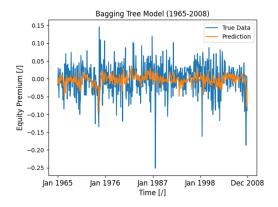


Figure 10: Performance for bagged trees (1965-2008) (Photo/Picture credit: Original).

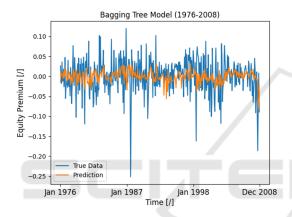


Figure 11: Performance for bagged trees (1976-2008) (Photo/Picture credit: Original).

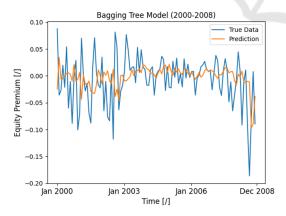


Figure 12: Performance for bagged trees (2000-2008) (Photo/Picture credit: Original).

The plot shown in Figure 10, Figure 11 and Figure 12 shows that while the predictions from the decision tree model generally follow the same pattern as the true data, there are frequent and abrupt fluctuations in the predictions that do not align

smoothly with the equity premium's trend. Although the model captures some of the general rise and fall of the true data, these frequent, jagged movements suggest that the decision tree model is not a suitable method for reliable equity premium forecasting. The irregular pattern of the predictions suggests that this model is overly sensitive to changes in the training data and does not capture the underlying market dynamics consistently or meaningfully.

3.2 Evaluation Metrics

A horizontal comparison of metrics for model evaluation was calculated, as listed in Table 1, Table 2 and Table 3.

Table 1: R-squared distributions.

Period	Rolling Linear Regression model	LSTM model	Bagging Tree model
1965- 2008	0.034	-0.673	-0.0810
1976- 2008	-0.837	-0.8195	-0.092
2000- 2008	-2.312	0.0648	-0.1617

Table 2: RMSE distributions.

Period	Rolling Linear	LSTM	Bagging
	Regression model	model	Tree model
1965-	0.043	0.0569	0.0021
2008			
1976-	0.059	0.0589	0.0021
2008			
2000-	0.081	0.0437	0.0024
2008			

Table 3: MAE distributions.

Period	Rolling Linear	LSTM	Bagging
	Regression model	model	Tree model
1965-	0.032	0.0440	0.0342
2008			
1976-	0.037	0.0493	0.0344
2008			
2000-	0.049	0.0332	0.0351
2008			

The bagging tree model is the most reliable, despite its negative R-squared values, followed by the rolling linear regression model, with the LSTM model being the least effective.

The performance differences among the models can be attributed to several factors. The rolling linear regression model tends to overfit historical data, capturing noise rather than underlying trends, and lacks the flexibility to model non-linear relationships and complex market dynamics. Additionally, its

assumption of parameter stability over time does not hold well in the volatile stock market, reducing predictive accuracy. The LSTM model, while designed to handle long-term dependencies, struggled with capturing equity premium trends due to its high data and hyperparameter tuning requirements, and its sensitivity to sequence length. The bagged trees model, on the other hand, benefits from capturing complex interactions and non-linear relationships through ensemble learning, reducing over-fitting and variance. However, it exhibited frequent abrupt fluctuations, indicating noise sensitivity and potential over-fitting to training data, along with insufficient temporal adaptation, affecting its long-term prediction reliability. These differences indicated by its negative R-squared values, which highlight the inherent unpredictability of the equity premium.

3.3 Discussion

The unpredictability of the equity premium is due to several factors: limited access to comprehensive information in real-world markets, the inherent noise and complexity of financial markets exhibiting non-stationary and chaotic behaviors, and the simplicity of the models used in the analysis, which lack the sophisticated optimization of Genetic Algorithms-enhanced (GAs-enhanced) models. Additionally, the tendency of complex models to over-fit historical data can result in poor generalization in OOS predictions.

The current implementation is not without areas to improve. First, incorporating alternative data sources, such as sentiment from social media or news, could provide more insights and improve predictions. Second. advanced noise-filtering techniques like wavelet transforms or Kalman filters could help isolate useful patterns from market noise. Third, using hybrid models and advanced optimization techniques like GAs may enhance model performance. Moreover, future research should also focus on preventing over-fitting by applying better regularization methods and using robust validation techniques. Developing dynamic models that adapt to changing market conditions, such as those using reinforcement learning, could also lead to more accurate predictions.

4 CONCLUSIONS

This study reevaluated stock price prediction by comparing the performance of traditional and

advanced machine learning techniques. A rolling linear regression model and advanced models such as LSTM and bagged trees were used to predict equity premiums, evaluating their performance using OOS-R², RMSE, and MAE. This study concludes that while advanced machine learning models offer improved performance metrics, the equity premium remains fundamentally challenging to predict accurately. Contributing factors to unpredictability include limited access comprehensive information, the inherent noise and complexity of financial markets, the simplicity of models used, and the over-fitting tendency of complex models on historical data. To improve future predictions, incorporating alternative data sources, advanced noise-filtering techniques, hybrid models, and better regularization methods, as well as developing dynamic models that adapt to changing market conditions, are recommended.

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