Machine Learning for Smart Cities: LSTM Model-Based Taxi OD Demand Forecasting in New York

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Abstract:

This study delves into the realm of advanced machine learning techniques, with a particular focus on employing the Long Short-term Memory Network (LSTM) model for forecasting Taxi Origin-Destination (OD) demand in New York City. In the quest for the most accurate predictive model, this paper conducted a comparative analysis between the Decision Tree (DT), Random Forest (RF), and the aforementioned LSTM model. The findings of this study reveal that the LSTM model outperforms its counterparts in both prediction accuracy and generalization capability. The model's coefficient of determination (R2) stands at an impressive 0.9657, signifying that it captures a substantial 96.57% of the variance within the dataset. Through model optimization, this study has further minimized the error index, highlighting the sensitivity of the model to its configuration and the potential for enhanced performance. As looking towards the horizon, future research endeavors will concentrate on overcoming current limitations and bolstering the robustness and applicability of the LSTM model. The further study plans to extend its application to various urban settings and integrate real-time data streams to augment its predictive prowess. Additionally, examining the model's efficacy in a multi-modal traffic context and exploring the synthesis of LSTM with other machine learning algorithms to forge hybrid models could lead to the development of more sophisticated and precise demand forecasting tools. These advancements will be instrumental in facilitating smarter urban transport planning and management, thereby revolutionizing the way approaching Taxi OD demand forecasting in the era of machine learning.

1 INTRODUCTION

The progression of smart city development has positioned the sophistication and efficacy of urban transportation systems as key performance indicators of urban advancement. In the vibrant epicenter of global economic and cultural activity that is New York City, the fine-tuning of its transportation infrastructure is of utmost importance. Since the turn of the decade, there has been a discernible downturn in the prevalence of the iconic yellow taxis, while the adoption of app-based ride-hailing services has experienced a meteoric rise, culminating in a record 92.5 million passengers in 2016 (New York City Government, 2017). This surge is mirrored by a twofold increase in the registration of rental vehicles, including both taxis and private car services, which underscores the burgeoning demand for a multiplicity of rental vehicle services. These data collectively

delineate a trend where the sharing economy and the proliferation of mobile technology are propelling a pronounced preference for the convenience and efficiency of online ride-hailing services.

The forecasting of Taxi Origin-Destination (OD) demand is a pivotal component of intelligent transportation systems, tasked with the precision prediction of taxi service demand at specific temporal and spatial junctures. Traditional forecasting methodologies have demonstrated efficacy in the analysis of linear time series data but have encountered limitations when confronted with the intricacies of nonlinear relationships and the amalgamation of multi-source datasets. The incursion of machine learning into this domain has heralded a new epoch of forecasting approaches. For instance, Guo et al. adeptly harnessed the Gradient Boosting Decision Tree (GBDT) model to predict future taxi demand trends with considerable success (Guo and

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Shen, 2018). Similarly, Saadi et al. have integrated a plethora of external factors (Saadi and Wang, 2017), such as pricing and meteorological conditions, into their predictive models, employing a diverse array of algorithms including decision trees, ensemble decision trees, and random forests. The foray of deep learning into this realm has marked a significant leap in forecasting capabilities due to their excellent performance in many tasks (Lin, 2024; Wang, 2019). Ke et al. have adeptly integrated deep learning with machine learning techniques, employing Long Short-Term Memory networks (LSTM) to encapsulate temporal dependencies and Convolutional Neural Networks (CNN) to model spatial correlations (Ke and Zheng, 2017). Li has introduced Radial Basis Function (RBF) neural network model, optimized via quantum particle swarm optimization, which takes into account an array of influencing factors such as historical demand, traffic congestion indices, and meteorological conditions (Li and Wen, 2018).

Despite these methodological advancements, the ubiquitous challenge of reconciling supply and demand in taxi services persists, adversely affecting the operational efficiency of transportation systems and the commuting experience of urban dwellers. This paper aims to address this challenge by conducting a comparative analysis of five distinct taxi OD demand forecasting methodologies, utilizing data analytics and machine learning algorithms, and culminating in the identification of the LSTM model as the most efficacious predictive instrument.

The rest of this paper is segmented into three chapters, with the principal content of each chapter delineated as follows: the method section details the dataset and analytical methods; the results and discussion section evaluate the performance of Decision Tree (DT), LSTM, and random forest models; and the conclusion reviews the research, discusses limitations, and suggests future directions.

2 METHOD

2.1 Dataset Preparation

The dataset used in this study is sourced from the Microsoft Azure Open Dataset. It encompasses a vast collection of taxi trip records from 2009 to 2018, totalling approximately 80 million entries (TPSearchTool, 2022). Each entry is rich with details such as precise latitude and longitude of pick-up and drop-off locations, service dates and times, trip distances, and fare amounts. The dataset's extensive temporal and spatial coverage provides a

comprehensive view of taxi travel patterns in New York City, offering valuable insights for urban transportation planning and taxi service optimization. The dataset includes several features such as Pickup and Dropoff Latitude/Longitude, Passenger Count and Payment Type.

The target variable for this study is the Taxi OD demand, which is calculated by grouping data by start and end points, demand date, and demand time, and counting the number of orders from the same start point to the same end point within the same hour.

This study also conducted a series of data preprocessing steps on this dataset to ensure the effectiveness of model training and the accuracy of predictions. Initially, normalization was implemented by applying the MinMaxScaler technique, which scales the data to a range suitable for model training, typically between 0 and 1. Following this, this paper performed a train-test split, dividing the dataset into a training set, which accounts for approximately 65% of the total data, and a test set, comprising the remaining 35%. This division is crucial for evaluating the model's generalization capabilities. Additionally, this study carried out data cleaning by filtering out outliers based on geographical location and logical inconsistencies within the data. For instance, records with negative values for fare amount or passenger count were identified and excluded to ensure the quality and consistency of the dataset. Finally, to reduce data dimensionality and facilitate model training, K-Means clustering was employed. Using this algorithm, this paper grouped the geographical coordinates into seven distinct classes, streamlining the data structure and enhancing the model's efficiency in processing the information. This enables model to predict Taxi OD demand more accurately and provide robust data support for intelligent transportation systems and urban planning.

The preprocessing steps were implemented using Python, with libraries such as Pandas for data manipulation, Scikit-learn for scaling and splitting the dataset, and Matplotlib for visualization. Figures illustrating the clustering results before and after applying K-Means provide a visual representation of the geographic distribution of taxi pick-up and dropoff points. Figure 1 and Figure 2 below show the location visualization after K-means clustering.

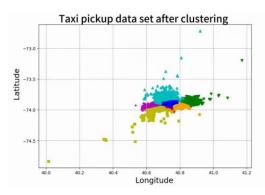


Figure 1: Distribution of taxi pick-up locations after clustering (Photo/Picture credit : Original).

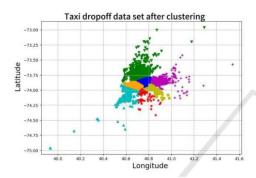


Figure 2: Distribution of taxi drop-off locations after clustering (Photo/Picture credit : Original).

2.2 Machine Learning-based Prediction

This study employed several machine learning models to predict Taxi OD demand, including Decision Trees, Random Forests, and Long Short-Term Memory networks. The models were evaluated using metrics such as Mean Squared Error (MSE), Root Mean Squared Error (RMSE), and Mean Absolute Error (MAE) to assess prediction accuracy and generalization. The models were implemented using popular machine learning libraries such as Scikit-learn for DT and Random Forest (RF), and TensorFlow for LSTM due to its capability to handle complex neural network architectures.

Decision Trees shown in Figure 3 is an intuitive and non-parametric supervised learning method used for both classification and regression. It splits the dataset into homogenous subsets recursively, creating a tree-like model of decisions. The core principle of DT is to partition the data space into regions that are as pure as possible with respect to the target variable.

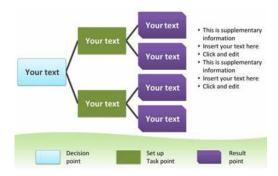


Figure 3: Schematic diagram of Decision tree (TPSearchTool, 2022).

Random Forests shown in Figure 4 is an ensemble learning method that constructs multiple DTs and merges them to improve prediction accuracy and control overfitting. RF reduces the variance of the model by averaging the predictions of multiple trees, each trained on a different subset of the data.

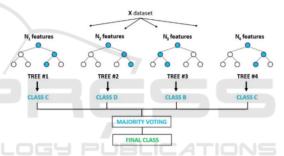


Figure 4: Schematic diagram of random forest algorithm (Lee, 2020).

Long Short-term Memory network shown in Figure 5 is a type of recurrent neural network (RNN) capable of learning long-term dependencies. It is particularly suited for time series prediction and tasks requiring the memory of information over extended periods. Critical LSTM hyperparameters include units for the number of neurons in the LSTM layer, batch_size for the number of samples per gradient update, and epochs for the number of times the training dataset is fed forward and backward through the neural network.

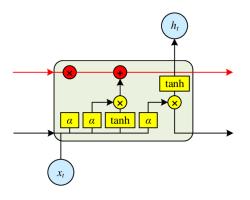


Figure 5: Schematic diagram of Long Short-term Memory network (Wang, 2024).

The paper specifies a single LSTM layer in the model architecture. The LSTM layer is configured with four neurons, which are designed to capture the long-term dependencies within the time series data. LSTM layers use the hyperbolic tangent or a similar

function for the cell state activation. The output layer, which is a Dense layer with a single output dimension, likely uses a linear activation function since this is a regression task. The model was compiled using the MSE loss function, which is standard for regression problems. The Adam optimization algorithm was chosen for training the LSTM model. Adam is known for its effectiveness in handling different kinds of optimization problems and is widely used due to its adaptive learning rate properties. The model underwent 50 epochs of iterative training. Each epoch processes the entire dataset once.

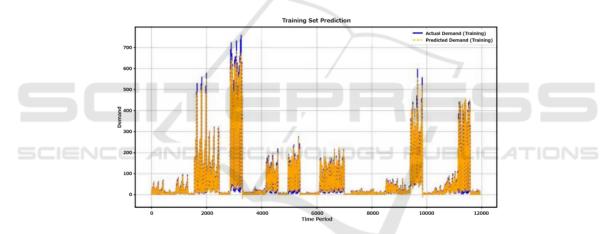


Figure 6: Fitting effect of LSTM model on training set (Photo/Picture credit: Original).

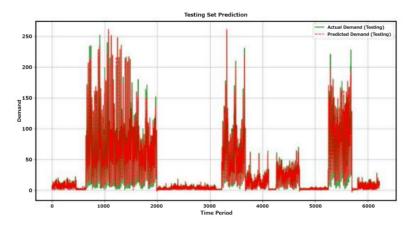


Figure 7: Fitting effect of LSTM model on test set (Photo/Picture credit: Original).

3 RESULTS AND DISCUSSION

The results of this study offer compelling insights into the predictive capabilities of the LSTM model for forecasting taxi OD demand in New York City. The model's performance was rigorously evaluated through a series of metrics, including MSE, RMSE, and MAE. The LSTM model demonstrated outstanding precision, with an MSE of 340.94, an RMSE of 18.46, and an MAE of 9.46%. These results were graphically represented in Figure 6 and Figure 7, which illustrate the model's fitting effects on both the training and testing datasets, respectively.

The determination coefficient (R²) of the LSTM model was calculated to be 0.9657, indicating that the model accounts for approximately 96.57% of the variance in taxi OD demand. This high R² value underscores the model's proficiency in capturing the complex spatiotemporal dynamics inherent in the data. The LSTM model's superior performance over the DT and RF models is evident when comparing the evaluation metrics. The DT model reported an MSE of 6857.76, an RMSE of 82.81, and an MAE of 50.67%, while the RF model showed an MSE of 6280.10, an RMSE of 79.25, and an MAE of 48.59%. The LSTM model's significantly lower error metrics suggest its enhanced ability to model the intricate patterns of taxi demand.

The LSTM model's success can be attributed to its architecture, which is adept at uncovering long-term dependencies within the data. This is particularly beneficial in the context of taxi demand forecasting, where understanding patterns that extend over extended periods is crucial. The model's ability to learn from historical data and adapt to the temporal dynamics of demand is a key factor in its predictive accuracy. The discussion for drawbacks of decision tree and random forest.

In optimizing the LSTM model, adjustments to the hyperparameters, such as the sliding window size and the number of iterations, were made. The first optimization increased the number of iterations to 100, resulting in a stable model loss and no significant changes in performance metrics. The second optimization adjusted the sliding window to 450, leading to a slight decrease in MSE, RMSE, and MAE, and a final model loss of 6.1441e-04. These adjustments highlight the model's sensitivity to its configuration and the potential for further refinement. Table 1 shows the complete results.

Table 1: OD demand prediction results of different models.

Method	MSE	RMSE	MAE
DT	357.76	19.81	13.63
RF	373.52	26.25	7.43
LSTM	340.94	18.46	9.46

While this study focuses on the application of the LSTM model to taxi OD demand in New York City, it is worth noting the broader context of demand forecasting research. Traditional methods, such as time series analysis, have been eclipsed by machine learning approaches, which offer more nuanced predictions. The LSTM model's performance in this study aligns with the growing body of literature that supports the use of deep learning for time series forecasting, particularly in the transportation sector. The LSTM model is superior to RF and DT, possibly because LSTM, as a deep learning model, is able to capture long-term dependencies in time series data, with which OD demand prediction is often correlated. This ability of the LSTM model may allow it to more accurately capture trends in the data when making predictions, thus performing better on the average absolute error. If there are large outliers in the prediction error, MSE and RMSE will be greatly affected because they calculate the square or square root of the error. The sensitivity of MAE to outliers is low. Also, LSTM may overfit during training, which will also result in lower performance on the test set than RF and DT.

The findings of this study lead to the conclusion that the LSTM model is a robust tool for predicting taxi OD demand. Its high R² value and low error metrics indicate a strong correlation between the model's predictions and actual demand patterns. The model's ability to generalize, as evidenced by its performance on the test dataset, suggests that it can be effectively applied to other cities and traffic scenarios with potential adjustments.

Future research should consider expanding the LSTM model's application to diverse urban environments and integrating real-time data streams for enhanced predictive power. Additionally, exploring the model's performance in a multi-modal transportation context could provide a more comprehensive understanding of urban mobility patterns. The integration of real-time data sources, such as traffic flow monitoring, weather changes, and major events, could further enhance the model's adaptability and accuracy in dynamic traffic conditions. Moreover, the potential for combining the LSTM model with other machine learning algorithms to create hybrid models should not be overlooked.

Such hybrid models could leverage the strengths of multiple algorithms to improve predictive performance. The exploration of these avenues could pave the way for more sophisticated and accurate demand forecasting tools that can support smarter urban transportation planning and management.

4 CONCLUSIONS

In conclusion, this study effectively harnesses the power of the LSTM model to predict the Origin-Destination demand for taxis in New York City, presenting a notable contribution to the field of urban transportation planning. The primary methodology used in this study encompasses the utilization of sophisticated data analytics techniques and machine learning algorithms, culminating in the development of an LSTM model that surpasses other models in terms of predictive accuracy and generalization capability. The results not only validate the LSTM model's superior predictive prowess but also highlight its ability to capture intricate demand patterns, as evidenced by a high R² of 0.9657.

While the study has made significant strides, it also acknowledges the limitations that accompany such an advanced model. Among these is the model's sensitivity to hyperparameter tuning, which can be a complex process requiring extensive computational resources and expertise. Additionally, the model's performance is contingent upon access to large volumes of high-quality historical data, which may not always be readily available or up-to-date. In the future, efforts will be directed towards improving the model's generalizability, enabling it to perform effectively across a variety of urban settings with diverse traffic patterns and characteristics. This will involve testing the model in different cities and under various traffic conditions to ensure its predictions remain reliable and accurate.

REFERENCES

- Guo, X., & Shen, Y. 2018. Demand prediction of e-taxi based on gradient lifting regression tree [In Chinese]. In Proceedings of the 2018 World Transport Congress (pp. 310-320). Beijing, China.
- Ke, J., Zheng, H., Yang, H., et al. 2017. Short-term forecasting of passenger demand under on-demand ride services: A spatio-temporal deep learning approach. Transportation Research Part C: Emerging Technologies, 85, 591-608.

- Lee, K., Claridades, A. R. C., & Lee, J. 2020. Improving a street-based geocoding algorithm using machine learning techniques. Applied Sciences, 10(16), 5628.
- Li, J., Wen, H., Lin, L., et al. 2018. Prediction model of carhailing demand based on QPSO_RBF Neural Network [In Chinese]. Journal of Guangxi University (Natural Science Edition), 43(2), 272-281.
- Lin, Z., Zhu, G., Deng, Y., Chen, X., Gao, Y., Huang, K., & Fang, Y. 2024. Efficient parallel split learning over resource-constrained wireless edge networks. IEEE Transactions on Mobile Computing.
- New York City Government. 2017. New York City Mobility Report.
- Saadi, I., Wong, M., Farooq, B., et al. 2017. An investigation into machine learning approaches for forecasting spatio-temporal demand in ride-hailing service. arXiv preprint arXiv:1703.02433.
- TPSearchTool. 2022. How to make a decision tree in Excel:
 A free template decision tree images. Retrieved August
 7, 2024, from https://www.tpsearchtool.com/
 images/how-to-make-a-decision-tree-in-excel-a-freetemplate-decision-tree
- Wang, F., Casalino, L. P., & Khullar, D. 2019. Deep learning in medicine—promise, progress, and challenges. JAMA internal medicine, 179(3), 293-294.
- Wang, J. 2024. Study on the influencing factors of the development of art education in colleges and universities based on the deep learning model. Applied Mathematics and Nonlinear Sciences.