# **Regression Models for Bike Rental Prediction Based on External** Factors

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#### Keywords: Data Mining, Regression Model, Intelligent Transportation.

Abstract: Recently public bike systems have been more and more popular for its environmental effects and accessibility for daily use. Various researches have been conducted to improve all elements of the bike rental business, such as determining the requirements for bikes in each bike station and designing the bike recycling route. In order to develop more efficient bike systems, this paper applied two different kinds of regression models to predict the demand for rental bikes considering weather and temporal factors based on actual data in a big city. Three model frameworks are used in this paper, which are the backward stepwise selection model, ridge regression and lasso. These models show that holidays, weather situations and humidity are negative factors affecting the count while the weekday, working day, and feeling temperature are positive factors. The decision tree models are used and show better performances than linear models. The result shows that the random forest model has the best effect in predicting the demand for bikes. The study will contribute to the bike system managers to determine the redistribution of bikes depending on external factors and utilize the total amount of bikes placed in the system over a long period of time.

### **1** INTRODUCTION

Many countries have been running public bike systems, such as New York's city bike system and Beijing's shared bike system. The emergence of a public bike system not only plays an important role in environmental and health issues but effectively deficiency compensates for the of public transportation as well. Users can rent a bike from one location and return it to a different bike station with ease and this can save lots of time in travelling. Apart from the convenience of the bike system, the distribution of the bike system is also worth paying attention to. The accessibility of public bikes for residential areas and working places means that the number of bikes at each location should be distributed fairly and adequately. To avoid situations where there are no bikes or slots at a bike station, it is important to predict how many bikes will be needed in the future since accurately predicting the demand of shared bicycle users helps to achieve the matching of supply and demand of shared bicycles.

The affecting reasons for public bikes demand vary a lot with internal factors and external factors. People's preference to rent bikes for travelling and commuting, how clean and the bikes look and how comfortable bike users feel while in riding, are several

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kinds of internal factors that influence people's choices of bike riding. These factors mostly represent people's perspectives about bike riding and they inherent many aspects of views about ideas and incentives, which implies that people's need are irrational, formed over a long time, affected by many complex factors and it is difficult to capture by measuring and setting variables and hared to predict further. Thus, to accurately predict the future using of bikes, using external data better fits the purpose and statistical methods. One advantage of external data is that many companies have shared their data, giving access to data about time, weather and how the bikes are used. What's more, since people tend to react quickly to the external factors, predictions based on them can reflect the rental demand in a short term, usually within a day, which can improve the accuracy of the prediction. The bike managers can make very timely and effective changes to the bike distribution.

This paper will propose multiple factors regressions to predict the amount of bike renting in a bike system using open-source data. First, this paper will extract and explore the data of external factors, such as weather condition, time and temperature and sort them by day. Then, this paper will describe two kinds of models--the linear regression models and tree regression models. In each kind of model, this paper will provide an improved version of the basic model so that the model's accuracy is increased and the error is reduced, improving the model's prediction accuracy. Finally, this paper will evaluate two kinds of models and compare their predicting outcomes through MSE,  $R^2$  and CV errors. The best model among all the considered models will be given and used to predict the bike rental number in a short period of time.

### **2** LITERATURE REVIEW

Bike-sharing systems have become a popular research topic in recent years. To develop more efficient bikesharing systems, researchers have examined the distribution strategy of bikes, accessibility for users, and predicting rental bike demand. The station areas of Madrid's bike-sharing system were improved by using a technique based on a geographic Information System (GIS) that updated the information on population and employment to estimate the distribution of spatial needs (García-Palomares et al., 2012). The problem was divided into two parts: finding the needs for each level of station management and contriving the best routes to design the bicycle inventory (Schuijbroek et al., 2016).

Foreseeing the demand of bike users is essential for managing the total supply and allocation of shared bikes. Thus many researchers have concentrated on the relative factors of bike demand. Zheng et al. studied the influencing factors and utilized a cluster strategy with similar patterns to simulate the effect of weather conditions on usage numbers (Zheng et al., 2018). An unobserved component model has been applied to calculate the forecast of monthly rentals of bikes of a BSS in Germany (Wirtgen et al., 2022). With the deep neural network, the accuracy of prediction can be improved and the flexible fitting of the model can be achieved (Thirumalai and Koppuravuri, 2017). Although numerous researchers have investigated the overall demand and accessibility of public bike-sharing systems, not many researches focused on explaining certain influencing factors, such as weather conditions and dates. In this study, this paper will focus on predicting problems in public bike rental demand considering weather and temporal conditions.

In this paper, six algorithms will be used: (a). Backward selection regression model (b) Ridge regression (c)Lasso (d) Bagging (e) Random forest (f) Boosting. As for the method, the boosting algorithm presented very excellent performances in demands of free-floating car service prediction (Alencar et al., 2021). R. Simon et al. developed and compared the state-of-the-art Random Forest algorithm and Convolutional Neural Networks to better predict short and long-term bike rental count (Ruffieux et al., 2017). MLR and ARIMAX have been applied to predict the travel time in BSS of Washington (Salih-Elamin and Al-Deek, 2020). Li developed a BRNN through linear regression to predict bikes and used GA to minimize the schedule cost (Li, 2020).

The cross-validation method will be applied to the training data and test data to find the best hyperparameter. Then this study will consider which is the best model with its corresponding performance. In the last part, a variable importance analysis will be carried out to determine which factor occupies the most essential part of the regression model.

## 3 DATA PREPARATION AND EXPLORATORY ANALYSIS

This research uses two-year data from the Rental Bike Sharing Data Set that was obtained from the Kaggle website (Fanaee-T and Gama, 2014). The data set time starts from 2011, January and ends at 2012, December and records the number of rental bikes for each hour and each day. Table 1 shows the rental bike-sharing data set variables and their corresponding description.

Table 1: Description	of Variables in	the Rental Bike	Sharing Data Set.

Parameters	Abbr.	Classification	
Date and time	Hourly Date and timestamp	Y-M-D	
Number of total rentals	Count	Continuous Variable	
Hour	Hour	Continuous Variable	
Temperature	Temp	Continuous Variable	
"feel like"temperature	Atemp	Continuous Variable	
Relative Humidity	Hum	Continuous Variable	
Wind speed	Wind speed	Continuous Variable	
Season	Season	Categorical Variable	
Holiday	Holiday	Categorical Variable	
Workingday	Workingday	Categorical Variable	
Weather	Weathersit	Categorical Variable	
Week status	Wstatus	Categorical Variable	
Day of the week	Weekday	Categorical Variable	

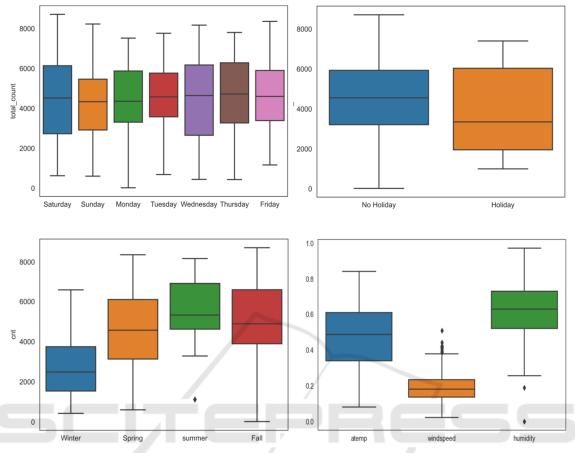


Figure 1: Boxplots for rental bike sharing data (Picture credit: Original).

Figure 1 represents the boxplots of the count of rental bikes depending on the day of the week, working day, season, and the distribution of weather conditions. The rental count in holiday is less than that in no holiday time and this can be witnessed in the top right panel. The figure on bottom left of figure 1 presents rental bike use in winter is less than that in other seasons, which reveals the seasonal effect of weather use. This is probably because people use fewer bikes to commute on holidays. Since the traffic highly depends on weather conditions, the count corresponding weather, such as little clouds (including clear weather), mist, drizzle, snowstorm, recorded in the data will significantly change the bike use demand. In this study, the measurable weather factors such as temperature, wind and humidity factors will also be considered because they are important weather indicators as well. The bottom right panel shows the distribution of normalized measurable weather data. It is worth noting that the temp and atemp are highly positively correlated, which shows that they contain the same information. Hence this paper is going to ignore temp and use atemp in the following analysis.

In short, the predictors that will be considered mainly include the temporal reasons and climate reasons and the variables are Atemp, Hum, Wind speed, Holiday, Working day, Weather, and Weekday.

The grid search method suggests choosing the best settings by arranging all possible grids in the space of parameters. Each grid axis represents a parameter of the algorithm, and each point in the grid corresponds to a specific combination of parameters (Ve and Cho, 2020). The bike rental data will be split into training data set and a test data set using a 10-fold validation test to find the best hyperparameters. Thus the data set will be divided into two parts, each part containing half of the full data set. 10 rounds of training and validating will be applied and all the result validation errors will be averaged to reduce the mean square error. Such predictive accuracy and MSE control are optimized.

## 4 ANALYSIS OF INFLUENTIAL FACTORS OF BIKE RENTAL DATA BASED ON LINEAR REGRESSION MODEL

### 4.1 Methodology

Backward stepwise selection and forward stepwise selection are two easily applicable methods to calculate the coefficients and quickly establish a model using different counts of predictors. To the characteristics of the backward method, backward stepwise selection begins with the full least square model that includes all predictors, and then eliminates the predictor that is the least helpful one by one.

Since the variables satisfy that there are less variables than the samples, this paper can apply backward stepwise selection to the data.

The values that minimize the ridge regression  $\hat{\beta}$ 

coefficient  $\beta_{\text{estimates (Ridge) are}}$ 

$$\sum_{i=1}^{n} (y_i - \beta_0 - \sum_{j=1}^{p} \beta_j x_{ij})^2 + \lambda \sum_{j=1}^{p} \beta_j^2$$
(1)

 $\lambda \ge 0$  represents a parameter in (2) (James et al.,

 $\lambda \sum \beta_i^2$ 

2011). The second term  $\overline{j=1}$  is called a shrinkage penalty. Ridge regression improves the over least squares because the ridge coefficient. estimates lead to a substantial reduction in the variance of predictions

The lasso coefficients  $\beta$  (Lasso) minimize

$$\sum_{i=1}^{n} (y_i - \beta_0 - \sum_{j=1}^{p} \beta_j x_{ij})^2 + \lambda \sum_{j=1}^{p} |\beta_j|$$
(2)

The Lasso model has advantages in finding key predictors because it can perform variable selection.

### 4.2 Model Development

The backward stepwise selection regression requires us to determine how many variables k are to be applied in the model. The test MSE in the training set is a measure of fitting outcome. The lower the test MSE, the better the model. Figure 2 shows the test MSE for models corresponding with their numbers of variables. The model with seven variables has the lowest test MSE, which means it is the best model among the ones considered. Table 2 shows the coefficients in the 7-variable model.

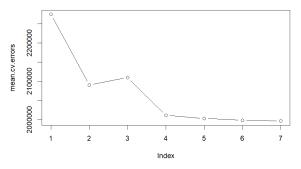


Figure 2: Test MSE (Picture credit: Original).

The ridge regression and lasso select the hyper parameter  $\lambda$  which results in the smallest test MSE and this paper can minimize the cross-validation error through the grid searching process. The process is displayed in figure 3,4 and the coefficient outcome is shown in table 3 and 4.

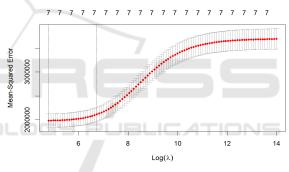


Figure 3: Grid search result for ridge regression (Picture credit: Original).

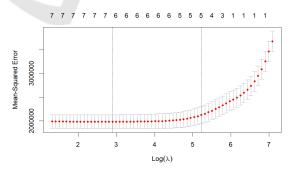


Figure 4: Grid search result for Lasso (Picture credit: Original).

Table 2: Coefficients of BSS.

Predictors	(intercept)	Holiday	Weekday	Working day	Weathersit	Atemp	Hum	Wind speed
Value	3451.77	-481.79	64.06	108.25	506.73	7164.10	-1856.16	-3808.24

Table 5. Coefficients for Ruge Regression.								
Predictors	(intercept)	Holiday	Weekday	Workingday	Weathersit	Atemp	Hum	Wind speed
value	3514.29	-467.52	61.02	111.46	-528.10	6716.66	-1612.89	-3285.63
Table 4: Coefficients for Lasso.								
Predictors	(intercept)	Holiday	Weekday	Workingday	Weathersit	Atemp	Hum	Wind speed
value	3377.84	-404.70	56.36	78.45	-500.88	7064.51	-1691.33	-3540.10

Table 3: Coefficients for Ridge Regression.

From the ridge regression model, it can be seen that when the holiday increases by one unit, the total count of bikes (TCB) decreases by 467.52 units; this is probably because on holiday people use less public transportation to commute between workplace to home. When the weekday increases by 1 unit, the TCB increases by 61.02 unit; when working day increases by 1 unit, the TCB increases by 111.46 unit; when weathers increase by 1 unit, the TCB decreases by -528.10 units; the coefficient outcome between weather and TCB shows that extreme weather conditions hold more people indoor. When atemp increases by 1 unit, the TCB increases by 6716.66 units; when humidity increases by 1 unit, the TCB decreases by 1612.89 units. Such an outcome reveals that people tend to choose bike riding when the weather gets warmer and drier. The overall outcome shows that holidays, weathers and humidity are negative factors affecting the TCB, while the weekday, and working day atemp are positive factors.

From the lasso model, it is the same for the ridge regression model that holiday, weather and humidity are negative factors affecting the TCB, while the weekday and workingday atemp are positive factors. However, different from the ridge regression, the atemp, humidity, and wind speed take up larger importance in the lasso model.

The lasso regression coefficient estimates for the bike rental data are displayed in figure 5. As  $\lambda$  increases, the L1 Norm decreases. All coefficients increases as the L1 Norm increases.

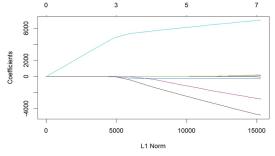


Figure 5: Lasso coefficients with L1 norm (Picture credit: Original).

## 5 BIKE RENTAL DEMAND PREDICTING MODEL BASED ON TREES REGRESSION MODEL

### 5.1 Model Introduction

Bagging is a general and efficient method for lowering the variance in a statistical learning procedure. The bagging algorithm can be expresses as the following form (James et al., 2011):

$$\hat{f}_{bag}(x) = \frac{1}{B} \sum_{b=1}^{B} \hat{f}^{*b}(x).$$
(3)

Random tree can enhance the bagged trees through making a small tweak that makes the trees more diverse. At each split of the tree, a subset of m (m $\leq$ p) predictors is randomly selected from the total set of p predictors as split candidates. This paper choosed m=

 $\sqrt{p}$  here in our model consideration.

Boosting fits small trees to the residuals and adds new decision trees to the fitted function, which improves the model where it is weak.

Since there are 4 qualitative predictors in the chosen 7 predictors of the model, this paper may apply tree models to the data to improve the predicted result. Trees are very explainable for the predictors and they can more easily simulate the real decision-making scenario for bike renting.

#### 5.2 Model Development

The ordinary decision tree suffers from high variance. Bootstrap aggregation can be a very useful method to reduce the variance. This paper constructs B regression trees using B bootstrapped training sets and averages the resulting predictions. The individual tree goes deep and is not pruned leading its high variance. However, they also have rather low bias and to compensate for the rising variance, averaging these trees is necessary. In this way, trees are obtained in proper range of variance and bias. In the bagging procedure, mtry value of 7 is chosen. In contrast, when a random forest model is applied, the commonly acceptable mtry is 3 here.

The hyperparameters in boosting are B,  $\lambda$ , and d. B is the number of trees,  $\lambda$  is the shrinkage parameter, and d is the number of splits in each tree. They determine the complexity of the boosted ensemble. A single split in each tree makes it a stump, which works well when d=1. The optimal hyperparameters for B and  $\lambda$  is 50 and 0.2. The hyper parameter tuning output is shown in figure 6.

## 6 RESULTS & DISCUSSION

After training all the regression models, the performance of each of them in the Rental Bike Sharing Data is evaluated through MSE,  $\frac{R^2}{R}$  and CV errors. The model performs with the lowest MSE and CV and highest  $R^2$  value is the best one. As table 5

shows, the tree model performs better than linear models in the test result. Among the tree models the random forest tree model performs best between other tree models. The backward selection model has the worst performance of the six models.

Variance importance analysis helps to identify the most important features for each model. As it is shown in figure 7, atemp, humidity and windspeed factors are the most influential variables in the random tree model and atemp is the most significant factor in all seven predictors, which shows that temperature takes up most of people's consideration when choosing public bikes.

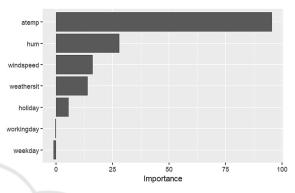


Figure 7: Variance importance error for random forest model (Picture credit: Original).

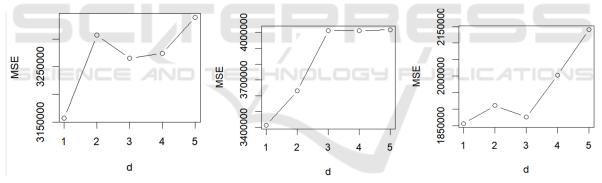


Figure 6: Lasso coefficients with L1 norm grid search result for boosting regression(Left Side: $\lambda$ =0.05;Middle : $\lambda$ =0.2;Right Side: $\lambda$ =0.5) (Picture credit: Original).

Table 5: Model Performance	ce.
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		Testing			
Models	Hyperparameter	MSE	$R^2$	CV	
Backward Selection Regression	k=7	2117970	0.51	1996719	
Ridge regression	λ=121	2024368	0.53	1913997	
Lasso	λ=35	2022813	0.57	1906772	
bagging	mtry=7	1894905	0.65	1781000	
Random Forest	mtry=3	1828957	0.79	1671845	
boosting	d=1,B=50,\lambda=0.2	1879793	0.71	1742764	

This paper also produces the partial dependence plot for atemp variable. After accounting for all the variables, the marginal effect of the selected variables is illustrated in Figure 8. As the paper presumed, the count of bikes first increases with atemp and at about 0.6 it reaches the climax, then decreases with atemp.

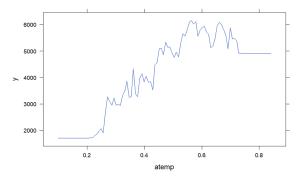


Figure 8: Partial independence plot for a temp variable (Picture credit: Original).

Figure 9 shows the fitted values and the actual values of the data by the random forest model. The model fitting effect is good, as the two lines in the comparison chart are very close. This can be illustrated through that the model's fitted value is much around to the actual value.

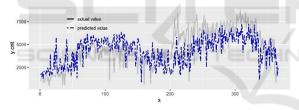


Figure 9: Fitting plot for random forest (Picture credit: Original).

### 7 CONCLUSION

The study mainly focuses on the bike renting count prediction using the Bike Rental Sharing Data Set. The analyzing outcome shows find that random forest model improves the predicting result and its mean square value,  $\frac{\mathbb{R}^2}{\mathbb{R}^2}$  and cross validation error best compared to backward stepwise selection regression, ridge regression, lasso,bagging, and boosting. This leads to the conclusion that the random forest model can be seen as a useful tool to predict bike demand. From the result variance importance analysis, it can infer that the most influential factors of bike rental demand are temperature, humidity, and wind speed. This conclusion can contribute to bike system operation to predict the bike using demand more accurately and determine the redistribution of bikes more precisely.

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