First Experiments on Speaker Identification Combining a New Shift-invariant Phase-related Feature (NRD), MFCCs and F0 Information

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Abstract: In this paper we report on a number of speaker identification experiments that assume a phonetic-oriented segmentation scheme exists such as to motivate the extraction of psychoacoustically-motivated phase and pitch related features. MFCC features are also considered for benchmarking. An emphasis is given to an innovative shift-invariant phase-related feature that is closely linked to the glottal source. A very simple statistical modeling is proposed and adapted in order to highlight the relative discrimination capabilities of different feature types. Results are presented for individual features and a discussion is also developed regarding possibilities of fusing features at the speaker modeling stage, or fusing distances at the speaker identification stage.

1 INTRODUCTION

Automatic speaker identification involves using real-time or recorded samples of the voice of different speakers, building speakers models, and finding distances between those speakers models. In closed-set speaker identification, speaker models for all speakers are available. In this case, a successful identification is simply determined by finding the minimum distance between the model of a test speaker and the different speaker models of all speakers that are built during the training (or enrolment) phase. In open-set speaker identification, not all speakers are known and therefore a special ‘general’ (or average) speaker model is needed that is frequently referred to as Universal Background Model (UBM) (Raynolds, 1997). In this case, the distance between a test speaker model and the general speaker model is also computed, in addition to the distances found between the test speaker model and the models of all known speakers. Successful identification is achieved if the distance between the test speaker model and that of a known speaker is safely shorter (i.e. smaller) than the distance to the general speaker model (this is usually evaluated using Likelihood Ratios -LR (Ramachandran et al., 2002, page 2808)). If this happens not to be the case, speaker identification is inconclusive. Automatic speaker identification may also be characterized and influenced by other important contextual and application factors such as matched or mismatched conditions in the communication channel and signal acquisition equipment during training and testing, or such as text-dependent or text-independent assumptions during training and testing. For a comprehensive treatment on the subject of speaker identification, the reader is referred to (Hansen and Hasan, 2015).

In this paper, we assume closed-set speaker identification as well as channel-matched and text-independent training and testing. Deliberately, these are simplifying assumptions allowing us to minimize variability factors affecting the voice signal and that are external to the speaker, and to focus instead exclusively on the diversity of voiced sounds, i.e. those sounds (e.g. voiced vowels and voiced consonants) that involve phonation as a result of the vibration of vocal folds. In this case, the vocal source excitation has a pattern which is periodic in the time domain, and has a harmonic structure in the spectral domain which is also manifested in the voice signal that is captured by means of a microphone (Sundberg, 1987). In turn, the harmonic structure has an underlying phase structure relating all harmonics and whose speaker discriminative potential is the main aspect studied in this paper.

Differently from automatic speech recognition, automatic speaker identification focuses on acoustic aspects of the voice signal that reflect either idiosyncratic traits due to the vocal source signal, i.e. the glottal excitation, or idiosyncratic traits due to the in-
fluence of supra-laryngeal structures, notably the vocal tract and nasal tract resonances. Dynamic aspects of voice expression are also idiosyncratic and include articulation gestures related for example to formants trajectories (i.e. trajectories of the vocal and nasal tract resonant frequencies and that can be easily identified, for example, in spectrograms of diphthong regions of the speech signal) and consonant-to-vowel (and vowel-to-consonant) co-articulation gestures.

Concerning the signal analysis and feature extraction front-end, the dominant approach in current speaker identification technology involves capturing speaker-specific voice and articulation traits by means of signal features that are extracted from the speech signal. Feature extraction is usually performed using i) a simple signal segmentation strategy that simply tries to exclude silence and non-speech sounds, and ii) using exclusively the magnitude of a spectral representation of short signal segments -in the order of 20 ms-, for example through such features as Mel-Frequency Cepstral Coefficients (MFCCs) (Davis and Mermelstein, 1980) or parameters extracted from Linear Predictive Coding (LPC) analysis (Rabiner and Juang, 1993).

This approach reflects however two assumptions we believe are not entirely correct. The first assumption is that the same idiosyncratic voice traits persist in all phonetic realizations by the same speaker, irrespective of their nature being voiced vowels or unvoiced consonants, for example. In a previous study, we have shown that using phonetic-oriented signal segmentation and conventional MFCC and GMM speaker modeling, speaker identification performance improves significantly relatively to the case where just uniform, blind, signal segmentation is used (Mendes and Ferreira, 2012). We therefore argue that speaker-specific vocal traits are highly localized in time according to the specificity of the categorical phonetic realization. It can be argued however that GMM accommodates this because in a GMM ‘A unimodal Gaussian density can be thought of as modeling an acoustic class representing a phonetic event (like vowel, nasals and fricatives)’ (Ramachandran et al., 2002, page 2808). Although this is plausible, to a significant extent we think this can also be a matter of belief since MFCCs have an intrinsic low resolution at high frequencies and are therefore not tailored to capture the subtleties that make for example a sibilant a special case of a fricative. Although strategies for phonetic-oriented signal segmentation are not the focus of this paper, we presume one such strategy exists that leads to the segmentation of vowel-like sounds only, which are those for which it makes sense to extract features that are related to the phases of the signal harmonics.

The second incorrect assumption is that phase is irrelevant in the voice signal analysis and feature extraction process and, thus, has no useful potential in speaker discrimination. Fortunately, this aspect has been extensively tackled in the literature and many authors have addressed the speaker discriminative potential of phase-related features, with positive results, e.g. (Alam et al., 2015; Wang et al., 2010; Wang et al., 2009; Nakagawa et al., 2007; Rajan et al., 2013; Padmanabhan et al., 2009). Taking as a reference the speaker identification performance that is achieved using MFCC-related features alone, which have proven so far to be the most effective acoustic features and, therefore, constitute a benchmarking standard easily offering above around 70% correct identification, it has been concluded that, in general, phase related features help to improve the MFCC-based scores between 0.0% and less than 10.0%, e.g. (Wang et al., 2010).

The novelty of our paper lies in the nature of the phase-related features. In fact, our approach is based on a phase-related feature involving the accurate phase relationships between the relevant harmonic components in a quasi-periodic signal. We named this feature as Normalized Relative Delay (NRD). In short, NRD coefficients are equivalent to the parametric phase of the harmonics when a Fourier analysis is performed for any periodic signal. Together with the accurate magnitudes of those harmonics, they fully characterize the shape invariance of any periodic waveform. Section 3.1 provides additional information on the NRD feature.

This paper is a follow-up to a previous paper (Ferreira, 2014) in which we concluded NRD coefficients (NRDs) possess the potential to discriminate between speakers because NRDs exhibit essentially the same profile even for different vowels uttered by the same speaker, i.e. they reflect the idiosyncratic nature of the glottal pulse of a specific speaker rather than the contribution of the vocal/nasal tract filter which obviously changes for different vowels because it is their spectral envelope that conveys the linguistic meaning. This is a conclusion which we believe also brings innovative insights as we discuss in (Ferreira and Tribolet, 2018). In this paper, however, we take as a reference other results in the literature that also address phase-related features.

For example, (Nakagawa et al., 2007; Wang et al., 2009; Wang et al., 2010) use the phase of the first 12 coefficients of a DFT analysis which is made relative to the phase of the 1 kHz reference DFT bin. This relative phase is projected into the coordinates of a unit circle and the result is subject to Gaussian Mix-
ture Modeling (GMM). The speaker identification decision is obtained at the score level by combining the likelihoods due on one hand to the GMM modeling of MFCCs, and due on the other hand to the GMM modeling of the projected phase.

The modified group delay (MODGD) is used in (Padmanabhan et al., 2009) to indirectly model phase and the result is further converted into cepstral features (MODGDF). Both MFCCs and MODGDF are modelled using GMMs. Interestingly, the authors mention that MODGDF and MFCCs are significantly related which suggested they are not independent. Features are not combined neither are feature scores. Speaker identification performance is graphically illustrated by means of the Equal Error Rate (ERR) for the NIST 2003 database and, interestingly, MODGDFs appear to offer around EER=17% which surpasses the EER achieved by MFCCs.

In (Alam et al., 2015) MODGD features are also used although in an indirect way: they are extracted from the LPC model that fits the signal under analysis and then they are converted into (18) cepstral coefficients. Speaker modeling uses a GMM-UBM approach and results on the NIST 2010 database indicate that the EER performance varies between 10% and 23% for LPC-based MODGD features, while for MFCC features the EER performance varies between about 7% and 35%.

In (Rajan et al., 2013) the authors also follow a similar approach but also consider other feature sets including MODGD and LPC-based MODGD features and study several score fusion variations. GMM-UBM modeling is also used and EER performance results indicate that MODGD may achieve a performance similar to that of MFCCs (including $\Delta$ and $\Delta\Delta$), and that their combination may reach sub 1%.

It is interesting to note that all of these studies avoid phonetic signal segmentation or dedicated harmonic analysis. Also, all studies mention that diagonal covariance matrices are used.

The remaining of the paper is organised as follows. In Sec. 2 we describe the database and characterize its specificities and, in Sec. 3, we describe the four types of features under focus in this paper. The simple performance criteria used in this paper are addressed in Sec. 4. In Sec. 5 we present and discuss results characterizing the performance of individual features. Section 6 describes our attempts to combine different feature types in the same feature vector that is used for speaker modeling, and Sec. 7 presents and discusses our results combining distances arising from separate speaker models based on individual features. Finally, Sec. 8 concludes this paper.

2 THE SPEAKERS DATABASE

In total, our database includes in total the speech/voice recordings of 37 speakers, 20 female and 17 male. The particularities of this database have been described in (Fernandes and Ferreira, 2017; Ferreira and Fernandes, 2017). For example, it includes 5 pairs of twin brothers or sisters, and 9 triplets of twins and a relative of the same gender and about the same age. In addition, it includes two independent conversations, one conducted over a GSM channel, and another one conducted over a VoIP channel. Both telephonic-quality and full-quality versions of the same conversation are available as contemporaneous recordings made at the subject end, and at the interviewer end. In both conversations, in addition to a simulated dialogue lasting more than 2 minutes, the subjects were also asked to utter a sequence of five sustained vowels each one lasting about 1 second. In this paper, we are using only the high-quality versions of the vowel recordings which were manually segmented and labelled. Thus, in this paper, for each speaker, we use the five sustained vowels of one conversation to build a speaker model, and we use the vowels of the other conversation to test the speaker model. This way all data is mutually exclusive. In this paper, the sampling frequency of all recordings is 22050 kHz, and the sample resolution is 16 bit.

3 NRD, MFCC & F0 FEATURES

In this section, we address the three types of features under study in this paper, and place an emphasis on the time-shift invariant phase-related NRD feature.

3.1 The NRD Feature

We have introduced the NRD concept in (Sousa and Ferreira, 2010), and have been using it in singing voice analysis (Sousa and Ferreira, 2011), glottal source modeling (Dias et al., 2011; Dias and Ferreira, 2013; Dias and Ferreira, 2014), speaker identification (Mendes and Ferreira, 2012; Ferreira, 2014), parametric audio coding (Ferreira and Sinha, 2016) and dysphonic voice reconstruction (Ferreira, 2016).

Smooth phase descriptors for harmonic signals that are similar to NRD were also proposed by Stylianou in 1996 (phase envelope (Stylianou, 1996, page 44)) and Saratxaga in 2009 (Relative Phase Shift -RPS (Saratxaga et al., 2009)).

The Normalized Relative Delay (NRD) feature results from the accurate estimation of the absolute
phase of each harmonic pertaining to a periodic waveform, which is further converted to a relative phase taking as a reference that of the fundamental frequency. This makes that the NRD is time-shift invariant and, by definition, the NRD of the fundamental frequency is always zero. The result is further normalized taking into consideration the accurate period (in samples) of each harmonic. Thus, for each harmonic, the NRD is a real number between \(-1\) and \(+1\). Because it is a number which represents a faction of the half-period of that harmonic, it expresses how much that harmonic is ‘delayed’ to build the time shape of the periodic waveform it belongs to. In short, the NRD is a phase-related feature that is relative to the phase of the fundamental frequency and that is further normalized by the accurate period of the harmonic it is associated with. Hence, the NRD is intrinsically time-shift invariant, and is independent of the period and overall amplitude of the periodic waveform. Illustrative examples are provided in (Sousa and Ferreira, 2010; Ferreira, 2014). Still, NRDs preserve the properties of phase which means phase wrapping and phase unwrapping also applies.

Figures 1 and 2 represent the unwrapped NRD feature vectors that were extracted from a sustained vowel (about 1 second long) uttered by a male and a female speaker, respectively. These figures are quite representative of many other examples that can be extracted for different vowels and speakers and essentially lead to the conclusion that a stable and consistent trend is perfectly identifiable for harmonics orders up to 20, as we have already anticipated and illustrated in (Ferreira, 2014). The fact that inconsistencies arise in the unwrapped NRDs for very high harmonic orders is mainly due to two reasons: i) the magnitude of those harmonics is extremely low which means they are significantly affected by noise which makes the accurate phase estimation process more difficult, and ii) the accurate period of each harmonic, which is computed individually accounting for some degree of inharmonicity, is extremely short, e.g. less than three samples, which makes the NRD estimation even more difficult. This, however, is not problematic because the most important NRD trend is defined by the lower order and stronger harmonics. The lower 20 harmonics represent a spectral region easily encompassing the first three and even four formant frequencies. If higher order NRDs are needed, as in parametric voice or audio synthesis, for example, (Ferreira, 2016; Ferreira and Sinha, 2016), they can be simply extrapolated from the lower order harmonics.

In (Ferreira and Tribolet, 2018) we describe NRDs in more detail and we highlight that NRD reflect essentially phase attributes due to the vibration of the vocal folds.

3.2 MFCC Features

As we mentioned in section 1, MFCC features are standard benchmarking features that are very important to assess the relative performance of new features. We use the `melcepst()` function that is available in the popular and freely available Voicebox tool box. The `melcepst()` function is very convenient because we can configure the analysis parameters so that they are comparable to the analysis parameters involved in NRD computation. In both cases, we use 22050 Hz sampling frequency and the maximum number of both MFCC and NRD coefficients is 19. It should be noted that because our training and testing
conditions are quite simplistic (vowel sounds only, total duration about 5 sec. both for training and testing), we are not using $\Delta$ or $\Delta\Delta$ MFCC coefficients.

3.3 F0-related Features

Fundamental frequency estimation can be implemented using any accurate and robust algorithm, e.g. (de Cheveigné and Kawahara, 2002). In this paper, we use an algorithm we have developed for accurate singing analysis (Ventura et al., 2012) and general audio and harmonic-based sounds (Ferreira and Sousa, 2010; Ferreira and Sinha, 2016). Using this algorithm, the average fundamental frequency is found for each speaker and vowel signal (F0) as well as its standard deviation, which we represent as F0std.

4 PERFORMANCE CRITERIA

In this paper, we are not aiming at state-of-the-art performance. We are instead motivated by a pragmatic approach that was suggested by Hansen and Hasan: ‘Ideally, if features could be designed in such a way that no intra-speaker variation is present while inter-speaker discrimination is maximum, the simplest methods of modeling might have sufficed’ (Hansen and Hasan, 2015, page 85) and ‘if acoustic features are improved, simple modeling techniques will be sufficient’ (Hansen and Hasan, 2015, page 86). Thus, we follow a simple approach, also adopted by several authors, e.g. (Segundo et al., 2017; Ferreira, 2007), of statistical modeling using mean ($\mu$) and variance ($\sigma^2$) vectors and covariance matrices ($C$). Distances are found using the Euclidian-based Mahalanobis metric

$$d^2 = (x - \mu)^T C^{-1} (x - \mu).$$

Since our training and test conditions are symmetric, we use a more general definition that expresses symmetric distance. Assuming we want to find the distance between speaker $\ell$ using data pertaining to his/her conversation $A$ (please note that as indicated in Section 2, two similar but different recordings exist for the same speaker, for simplicity we denote his/her conversations as $A$ and $B$), and speaker $\ell$ using data pertaining to his/her conversation $B$, distances are actually computed using

$$d^2_{k,\ell} = (x_{k,A} - \mu_{\ell,B})^T C_{\ell,B}^{-1} (x_{k,A} - \mu_{\ell,B}) + (x_{\ell,B} - \mu_{k,A})^T C_{k,A}^{-1} (x_{\ell,B} - \mu_{k,A}).$$

It should be noted that, in general, $d^2_{k,\ell} \neq d^2_{\ell,k}$. In most cases in the literature, the covariance matrices are forced to be diagonal. This makes that correlations between different coefficients in the feature vector are ignored and, therefore, distances are normalized Euclidian. This has significant computational advantages as the inverse of a diagonal covariance matrix is easy to compute, and all values contributing to $d^2_{k,\ell}$ in (2) are positive. In Section 7 we will redefine (2) such that full covariance matrices are not singular and all values involved in the computation of $d^2_{k,\ell}$ are positive.

A matrix of size $37 \times 37$ and including the distances for all pairs of speakers, is used to produce a match matrix by looking at distances along the rows and along the columns and by setting the identification according to the minimum distance found. Ideally, this matrix should be diagonal and contain the value 2 along the diagonal. The percent correct identification is found by summing all values along the main diagonal and dividing the result by the sum of all values in the match matrix.

The matrix containing all distances can also be converted into a ‘score’ matrix by just making all distances negative. It becomes then possible to compute other performance metrics such as the Equal Error Rate (EER). This performance criterion will be used in Sec. 5.1 and Sec. 7.

5 PERFORMANCE OF INDIVIDUAL FEATURES

In this section, we present the performance results for each individual feature type (NRD, MFCC, F0 and F0std). Before we address each feature type individually, a few preliminary considerations are in order concerning the reliability of the phase information according to the specific vowel.

Overlapping the average NRD feature vectors for different vowels uttered by the same speaker, we were expecting to observe a clear consistent trend as the preliminary results in (Ferreira, 2014) suggested. In most cases we indeed observed that trend as the examples illustrated in Figs. 3 and 4 confirm.

However, in a number of cases, we also observed a significant deviation of the mean NRD feature vector for vowels /l/ and /d/, from the trend defined by the mean feature vectors found for vowels /r/ and /l/, Figures 5 and 6 provide an illustration of this outcome.

An analysis of this outcome led to the conclusion that, as already noted earlier in this paper (Section 3.1) and as further discussed in (Ferreira and Tribolet, 2018), the relative magnitude of the different harmonics plays an important role. In fact, of the five
tonic vowels considered in this paper, vowel /u/ is the one whose spectral decay is the steepest from low frequencies. This means that harmonics whose order is higher than one have a very small magnitude and, as a consequence, phase estimation is adversely affected. On the other hand, vowel /i/ is the one with the widest separation between the two important resonant frequencies (in the literature this is also referred to as F1 and F2 formant frequencies separation). This also creates a long spectral valley in which harmonics have a reduced magnitude which also adversely affects phase estimation.

This outcome suggested, however, that speaker identification performances may depend on either using data from just three vowels (/a/, /e/ and /o/), or from all five vowels, in order to build speaker models. This will be addressed in the following subsections.

5.1 Performance of NRD Features

It has been illustrated in Sec. 3.1 that, in most cases, NRD coefficients are reliable and stable up to harmonic order 20 and even beyond, especially in the case of male voices, whose spectrum is known to be less sparse than in the case of female voices. It is thus an interesting matter to assess what the percent correct identification is when NRD coefficients are used alone, and how that depends on the size of the NRD feature vector. We studied these alternatives using the distance metric given by Eq. 2, the performance criterion defined in Sec. 4, and using diagonal covariance matrices.
Figure 7 represents the percent correct speaker identification when the size of the NRD feature vector varies between 1 and 19, and when three vowels (/a/, /e/ and /o/) are used for speaker modeling, or when all five vowels are used. It can be concluded that speaker modeling using data from just three vowels is especially beneficial when the NRD feature vector size exceeds 14. This is to be expected as the higher the harmonic number, the less reliable the phase estimation process is, especially for vowels /u/ and /i/, as noted before. The lesson learned at this point is that, quite conveniently, a vowel-oriented phonetic segmentation scheme is not strictly required for phase-based speaker modeling.

Secondly, it can be observed in Fig. 7 that the percent correct speaker identification using NRD features only varies between 32% and around 42%. Although this performance level is not impressive, it is significant and suggests that NRDs may positively contribute to the speaker identification performance when different features are combined.

The simplistic statistical modeling that is adopted in this paper, and whose motivation is to focus on the intrinsic discriminative capabilities of different features, as it was explained in Sec. 4, does not make it easy to compare our results against other results in the literature. Even so, for example Rajan et al. (Rajan et al., 2013) indicate that the EER is 32.9% when using standard (18-dimensional) group-delay features, a 128-mixture GMM-UBM, the NIST SRE 2010 data and normal vocal effort conditions. In order to obtain EER-like scores from our data, as we indicated in Sec. 4, we converted the distance values into negative values and took the resulting score matrix to the Biometrics software for analysis. The result for the 3-vowel speaker modeling condition is represented in Fig. 8. Results for 3-vowel and 5-vowel speaker modeling are presented in Table 1. In another result, Wang et al. (Wang et al., 2010) report that using 128-mixture GMM speaker modeling (and diagonal covariance matrices), a database containing 35 speakers, and a 12-dimensional phase-related feature vector, the achieved correct identification varies between 63.4% and 73.4%. These results are better than those we obtained which is probably due to the sophisticated statistical modeling that is used in (Wang et al., 2010), relatively to ours.

Lastly, we emphasize that our results have been obtained using diagonal covariance matrices. We tested full covariance matrices but these were found to be singular which confirms that a linear dependency exists among different NRD coefficients.

### 5.2 Performance of MFCC Features

In this section, we report on the speaker identification results using MFCC coefficients alone. We were motivated by the same concern in Sec. 5.1 in evaluating how results vary as a function of the feature vector size and according to the two possibilities of 3 or 5 vowel speaker modeling.

As in Sec. 5.1, we also consider here the distance metric given by Eq. 2, the performance criterion defined in Sec. 4, and diagonal covariance matrices.

Figure 9 represents the percent correct speaker identification when the size of the MFCC feature vector varies between 1 and 19, and when three vowels (/a/, /e/ and /o/) are used for speaker modeling, or when all five vowels are used. A first important outcome is that results for 5-vowel speaker modeling are almost always better than those that are obtained for 3-vowel speaker modeling. This is particularly notorious for MFCC feature sizes larger than 10. This is somewhat expected and just confirms that a richer diversity in the data is beneficial. Secondly, the highest speaker identification performance is obtained for
MFCC feature sizes between 13 and 14. Although this is perfectly in line with the typical 13-coefficient MFCC feature size commonly found in the literature and currently used by actual software and hardware systems, we were expecting to see a different number given that the speaker modeling conditions are peculiar. Lastly, the best percent correct identification is 77% which is fair but clearly not competitive, as we have anticipated already, and which can be explained by the fact that (deliberately) we use a very simple, Euclidian-based, distance metric.

It is also worth stressing that MFCC results have been obtained using diagonal covariance matrices. We also tested with full covariance matrices but these were found to be singular which suggests a linear dependency may exist among different MFCC coefficients.

### 5.3 Performance of F0 & F0std Features

Table 2 presents the percent correct speaker identification results when the average fundamental frequency (F0) alone is used, when the F0 standard deviation is used, when both values are used and the covariance matrices are forced to be diagonal, and when full covariance matrices are allowed in the computation of the distance metric (2). The most relevant conclusion is that both F0 and F0std possess a visible potential helping the speaker discrimination task, and that that potential is even more expressive when both values are combined.

<table>
<thead>
<tr>
<th>F0</th>
<th>F0std</th>
<th>F0+F0std</th>
<th>F0+F0std (full)</th>
</tr>
</thead>
<tbody>
<tr>
<td>29.73%</td>
<td>25.68%</td>
<td>39.19%</td>
<td>40.54%</td>
</tr>
</tbody>
</table>

### 6 PERFORMANCE WHEN FEATURES ARE COMBINED

We extended our simulation environment to allow any combination of any number (from 1 to 19) of NRD coefficients, any number (from 1 to 19) of MFCC coefficients, and any number of F0-related features (i.e. from 1 to 2, 1 meaning just F0 and 2 meaning F0 plus F0std) in an extended feature vector. Iterating over all possibilities looking for the maximum overall identification performance, and using diagonal covariance matrices, we were surprised to find that the best results were even poorer that those achieved with individual features. For example, we obtained 67.57% which is less than the best results (77%) obtained using MFCCs alone (as reported in Sec. 5.2). In short, using diagonal covariance matrices, data fusion at the feature level, when all three types of features are simultaneously present in the feature vectors, does not appear to lead to improvements.

As expected, using full covariance matrices leads to numerical errors as covariance matrices are singular.

Before moving to a different fusion strategy, we tried to arrange the covariance matrices so that they are diagonal only in those regions where covariance elements relate feature coefficients of the same type. In other words, considering that each feature vector includes NRD, MFCC and F0-related coefficients, the overall covariance matrix can be split into 9 submatrices, only the three of which that lie along the main diagonal, are forced to be locally diagonal. Although the number of cases in which the overall covariance matrix is singular is smaller, the problem still persists.

### 7 PERFORMANCE WHEN DISTANCES ARE COMBINED

Since our attempts to ‘fuse’ features into extended feature vectors did not produce useful results, we moved to a new approach of “score fusion” which is a more promising approach (Ramachandran et al., 2002). According to this approach, distances (or scores) for speaker identification are obtained separately for different types of features (in our case we have three: NRD, MFCC and F0-related features). These distances are then combined, or ‘fused’, giving rise to an overall distance which determines a successful or unsuccessful speaker identification.

In this process, we also investigated why full covariance matrices did not produce useful results as re-
Let us admit that we deal with a full-rank covariance matrix $C$. Simple examples may help to highlight the fact that even when all elements in $C^{-1}$ are positive-valued (which is not always guaranteed), then there are good changes that some parcels in computing $d^2$ according to Eq. (1) and involving off-diagonal elements in $C^{-1}$, are in fact negative, which is against the concept of distance that, by definition, is always positive. As a consequence, we redefined Eq. (1) according to two simple and fair principles:

- the new distance metric should reduce to Eq. (1) as a particular case when diagonal covariance matrices are used;
- it should involve only positive values in the computations.

Hence, considering that when diagonal covariance matrices are used, Eq. (1) delivers a variance-normalized Euclidian distance, we extended this concept such that when products of difference factors are involved that pertain to different feature coefficients, the absolute value of those difference factors is considered instead, which is followed by a normalization using the standard deviation of the feature coefficients involved. Thus, the modified distance is computed as follows:

$$d^2 = |x - \mu|^T S |x - \mu|,$$

(3)

where $S$ is first obtained as the outer product between the standard deviations of the feature vector, i.e. $S = \sigma \sigma^T$, and finally all elements in $S$ become their reciprocal, i.e. $s_{ij} = (s_{ij})^{-1}$. Clearly, when $C$ is diagonal, then $S = C^{-1}$ and Eq. (3) gives rise to the same result as Eq. (1).

When the modified distance metric according to Eq. (3) is introduced in the distance metric defined by Eq. (2), new results are obtained for the three types of features. Those concerning NRD and MFCC are represented in Figs. 10 and 11, respectively. The results in these figures for diagonal $S$ matrix are exactly the same as those represented in Figs. 7 and 9 for the case of 5-vowel speaker modeling. It can be concluded that concerning NRDs, the maximum performance increases slightly (from about 42% to 43%) and then performance decreases for feature vector sizes larger than 14. Concerning MFCCs, results for full $S$ matrix are almost always slightly above those obtained for diagonal $S$ matrix and, in particular, the maximum performance increases from around 77%, as already seen in Sec. 5.2, to around 84%. Finally, the results regarding F0-related features are presented in Table 3. The only new fact in this case and taking into consideration the results presented in Table 2, is that the results for full $S$ matrix are even better than the results that were obtained with full covariance $C$ matrix.

According to Ramachandran et al. (Ramachandran et al., 2002), improvements in fusion should be expected only when data is such that it leads to uncorrelated errors when considered individually. We have thus analysed the behaviour of distances for those cases of correct identification using each feature type individually. These results are shown in Fig. 12. The feature vector size is 14 in the case of NRD and MFCC, and 2 in the case of F0-related features. Several interesting conclusions can be extracted from Fig. 12. First, when MFCC features are used, speakers whose number is 2, 6, 16, 17 and 18 are not correctly identified and so it also happens for NRD and F0-related features, with exception for speaker number 18 who is correctly identified using NRD features. This shows however that identification errors for different features are not truly uncorrelated, which sug-

![Figure 10: Percent correct speaker identification when NRD features based on 5 vowels are used for speaker modeling. Results are presented when the NRD feature vector size varies between 1 and 19, and when the modified distance metric uses a full or diagonal $S$ matrix.](image)

![Figure 11: Percent correct speaker identification when MFCC features based on 5 vowels are used for speaker modeling. Results are presented when the MFCC feature vector size varies between 1 and 19, and when the modified distance metric uses a full or diagonal $S$ matrix.](image)
Figure 12: Distances associated with correct identification cases when NRD features are used (top panel), when MFCC features are used (middle panel) and when F0-related features are used (lower panel). The numbers in the horizontal represent the speaker number. Please note that no bar means that the speaker has not been correctly identified.

Our attempts to fuse distances involved additive and multiplicative combinations as we were looking for the simplest possible ways. Only multiplicative combinations produced useful results. We started by combining MFCC and NRD distances and enforcing a saturation point on the NRD distance. We allowed our simulation environment to search for the maximum performance using any combination of feature vector sizes. We concluded that the maximum percent correct speaker identification was 86.48%. As Fig. 13 illustrates, an analysis of the resulting score matrix (after simple conversion of distances to scores, as suggested in Sect. 4), leads to an EER=8.3%. For a given saturation threshold (25), this result emerged by using 12-dimensional NRD vectors and 14-dimensional MFCC vectors. Interestingly, the same correct identification performance (86.48%) was also obtained for other saturation levels, e.g. 35, in which case the dimension of NRD vectors is 15, and that of MFCC feature vectors is 14.

Trying to combine in a multiplicative way the distances due F0-based modeling, we have observed that results do not improve. In fact, they drop instead to 81.1% correct identification. Using the best scenario obtained so far combining NRD and MFCC features, we also assessed the impact of using diagonal S matrices. We concluded that the correct identification level dropped significantly from 86.48% to 74.3%.

Quick overall conclusions are as follows:

- despite the deliberate simplistic statistical modeling conditions in this paper, the best speaker identification score that we achieved, in the order of 86.5%, can be considered fairly good especially in face of the fact that about half of the subjects in the database are twins, and that recordings for speaker model training and testing consist of five sustained vowels each about 1 second long.

- mixing acoustic features of different types does not appear to add constructively in the same feature vector, which possibly explains why only MFCC-related features are used by most speaker identification systems,
• when speaker modeling and identification is implemented separately using different categories of features, and the performance of the individual methods is quite asymmetric, their combination is not guaranteed to deliver improved results, on the contrary, chances are that the opposite happens,
• while improving fusion at the score level or at the distance level is beneficial, optimizing fusion too much can turn into a kind of black magic that serves rather the purpose of overfitting the training and testing data,
• our results confirm that even for very special conditions governing data base construction, MFCC features deliver the best performance,
• despite the fact that the innovative time-shift invariant phase-related feature, as well as F0-related features, exhibit a potentially interesting speaker discrimination capability when they are considered separately for speaker modeling and identification, further research is needed to constructively combine them such as to improve their overall performance.

8 CONCLUSIONS

In this paper we described a number of speaker identification experiments which focused on simple methods evaluating the performance of three types of acoustic features, notably an innovative, time-shift invariant, phase-related feature. We assessed the speaker identification performance of all three types of features individually considered, and studied feature fusion and distance fusion methods looking for improved performance. Immediate future work will address assessing how the performance in speaker identification is affected when the high-quality voice recordings we have used in this paper are replaced by their corresponding telephonic versions. More long-term future work will concentrate on extended, refined or new features that possess a psychoacoustical meaning and allow to effectively capture speaker idiosyncratic traits (or gestures) without requiring sophisticated statistical modeling approaches. Of particular interest are ‘minutia level’ features, namely pitch striations (Hansen and Hasan, 2015).

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