Using Machine Learning for Recommending Service Demand Estimation Approaches - Position Paper

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Abstract: Service demands are key parameters in service and performance modeling. Hence, a variety of different approaches to service demand estimation exist in the literature. However, given a specific scenario, it is not trivial to select the currently best approach, since deep expertise in statistical estimation techniques is required and the requirements and characteristics of the application scenario might change over time (e.g., by varying load patterns). To tackle this problem, we propose the use of machine learning techniques to automatically recommend the best suitable approach for the target scenario. The approach works in an online fashion and can incorporate new measurement data and changing characteristics on-the-fly. Preliminary results show that executing only the recommended estimation approach achieves 99.6% accuracy compared to executing all approaches available, while speeding up the estimation time by 57%.

1 INTRODUCTION

Optimizing performance of applications in modern day cloud environments usually aims at minimizing the allocated resources while still complying with certain Service Level Objectives (SLOs). Service demands (also known as resource demands) can help to reach that goal. A service demand is the average time a unit of work (e.g., request or transaction) spends obtaining service from a resource (e.g., CPU or hard disk) in a system over all visits excluding any waiting times (Menascé et al., 2004). Requests can be grouped into different workload classes with similar service demands.

Timely and precise service demands can be utilized by other tools optimizing the resource allocation in a cloud environment, including proactive autoscaling mechanisms used for elastic resource provisioning (Bauer et al., 2017), stochastic performance models such as Queueing Networks (QN) (Bolch et al., 1998), Queueing Petri Nets (QPN) (Bause, 1993), or architecture-level performance models such as the Descartes Modeling Language (DML) (Kounev et al., 2016).

Over the years, a number of approaches to Service Demand Estimation (SDE) have been proposed using different statistical estimation techniques (e.g., linear regression (Rolia and Vetland, 1995; Brosig et al., 2009) or Kalman filters (Wang et al., 2012; Zheng et al., 2008) and based on different laws from queueing theory. When selecting an appropriate approach for a given scenario, a user has to consider different characteristics of the estimation approach, such as the expected input parameters, its accuracy and its robustness to measurement anomalies. Depending on the constraints of the application context, only a subset of the estimation approaches may be applicable (Spinner et al., 2015).

Naturally, one wants to select the suitable (e.g., best, fastest or a combination of both) approach for a given scenario. This is especially challenging in online settings, where the load patterns, the system structure and even the application architecture and therefore the characteristics of the service demand estimates may not be known in advance and may change frequently. This also eliminates the possibility for an expert guess, since this guess has to be repeated in certain periods.

We therefore propose the use of machine learning techniques to select the suitable approach in this context. Given a representative data set, we can train different Machine Learning Algorithms (MLAs) with the performance and the time-to-result of different estimators. During live production, the pre-trained MLA can be used to predict the most suitable approach (subject to certain criteria) in the current scenario.

This work aims at providing a proof-of-concept. Our contributions in this paper are:

1. We list the features that proved to be useful for the
recommendation of SDE approaches.

2. We evaluate three MLAs (Decision Tree (DT), Support Vector Machine (SVM), Neural Network (NN)) with regard to their recommendation capabilities.

3. We show the benefit (time saving) and the drawback (accuracy loss) of recommendation for SDE.

The remainder of the paper is structured as follows. We list the related work and the approaches considered in this paper in Section 2. Section 3 explains our approach in more detail. We present preliminary results in the offline scenario in Section 4 and give a small outlook into our future planned work in Section 5. We summarize our statements in Section 6.

2 RELATED WORK

Next to Filling-the-Gap (Wang et al., 2015), the only publicly available tool providing different ready-to-use approaches to service demand estimation is the Library for Resource Demand Estimation (LibReDE) by (Spinner et al., 2014). LibReDE currently supports implementations of the following eight estimation approaches:

- Service Demand Law (Brosig et al., 2009)
- Approximation with response times (Brosig et al., 2009)
- Least Squares (LSQ) regression using queue-lengths and response times (Kraft et al., 2009)
- LSQ regression using utilization law (Rolia and Vetland, 1995)
- Kalman Filter (KF) using utilization law (Wang et al., 2012; Wang et al., 2011)
- KF using response times and utilization (Zheng et al., 2008; Kumar et al., 2009)
- Recursive optimization using response times (Menascé, 2008)
- Recursive optimization using response times and utilization (Liu et al., 2006)

Further approaches for SDE can be found in this survey (Spinner et al., 2015). For lack of space, we can not go into detail about the used approaches and refer to the original papers or the LibReDE user guide (Spinner et al., 2014).

Note that there are different methodologies (simple approximation, LSQ regression, KF and mathematical optimization) involved. This leads to a wide diversity in terms of run-time and estimation quality in different scenarios. This was established by comparing the performance of the estimators in different scenarios, e.g. by varying resource utilization or the number of workload classes (Spinner et al., 2015).

Linear Regression (LR) techniques were quite thoroughly investigated in literature, including the impact of different factors and limitations of LR in service demand estimation (Rolia and Vetland, 1995; Rоля and Vetland, 1998; Pacifici et al., 2008; Casale et al., 2008; Casale et al., 2007; Stewart et al., 2007). Other works compare LSQ regression with Maximum Likelihood Estimation (MLE) (Kraft et al., 2009) or Independent Component Analysis (ICA) (Sharma et al., 2008). The performance of KFs for service demand estimation is investigated by (Zheng et al., 2005; Zheng et al., 2008; Kumar et al., 2009).

In our prior work (Grohmann et al., 2017), we used generic optimization methods to optimize the parameter settings of the aforementioned approaches for the given target scenario. Our work in this paper can be seen as orthogonal and complementary to this, since the recommendation uses the approaches as-is.

3 APPROACH SELECTION

METHODOLOGY

This section describes our idea for using MLAs for the selection of SDE approaches at run-time.

In order to be able to predict the best SDE approach, we need to create a model on a labeled training set. This training set consists of time series of system metrics. We use these traces to estimate service demands using the different approaches and validate the results via cross-validation.

After running all estimation approaches, we can extract several features about each trace. These features can be used to characterize and categorize the traces. The MLAs are fed with the extracted features, as well as with the approach that worked best on the respective trace. After the training is completed, the defined features can also be extracted for new and so far unseen traces. With these, the trained MLAs model can predict the approach that should work best on the respective trace.

We define the machine learning problem as a classification problem. We have a labeled data set \( \{(x_1, y_1), \ldots, (x_n, y_n)\} \) assigning each feature vector \( x_i \) a label \( y_i \). The label represents the best SDE approach in the given situation (based on the minimum...
cross-validation error). Given that we consider 8 different SDE approaches in our experiments, we distinguish between 8 different classes. The vectors $x_i$ contain one real number for each feature, i.e. $x_i \in \mathbb{R}^k$, where $k$ is the number of features.

After the training is complete, the obtained model can be used to select the best suitable SDE approach at run-time. The training set can consist of an offline data set, which was collected beforehand or it can be extended dynamically in an online fashion. If the training set is augmented during live production, training processes can be repeated arbitrarily often although this might take up some time depending on the size of the training set and the complexity of the used features.

The intervals of when a current trace should be archived to the training set, when the model should be retrained and when the selection of the current approach should be executed are variable. This opens room for configuration and experimentation.

Note that due to the use of cross-validation to rank the different SDE approaches, no manual labeling or interaction is required during the creation of the training set. Since all approaches can be tried and the one with the highest score is chosen.) Hence, large amounts of data from different computing clusters of the cloud can be used as training set very easily. Also, the model is able to increase it’s training set continuously during production and therefore learn from its own mistakes.

We list the features, we consider in Section 3.1 and describe different MLAs we use for recommendation in Section 3.2

### 3.1 Features

This section contains the list of features we extract to train the algorithms. Features are certain characteristics of the input traces used by the system to extract knowledge about the traces.

The MLAs are heavily dependent on those features and a careful selection as well as the right amount is crucial for a satisfactory outcome. Since the MLAs try to distinguish between different classes of traces, too many features can actually be harmful. However, it is generally a good idea to collect as many features as possible at first and then decide later, which are the most informative. In some cases, this decision can even be left to the MLA itself.

In the following, trace refers to one training example of our data set. A trace usually consists a time series of the CPU-utilization of each resource, the response time and the arrival rate of each request of the respective workload classes for feature generation.

The extracted statistical features for the set of data points $d = (d_1, \ldots, d_n)$ are:

- The number of samples $n$ per trace.
- The arithmetic average: $\bar{d} = \frac{1}{n} \sum_{i=1}^{n} d_i$.
- The geometric average: $\hat{d} = (\prod_{i=1}^{n} d_i)^{\frac{1}{n}}$.
- The standard deviation: $\sigma = \sqrt{\frac{1}{n} \sum_{i=1}^{n} (d_i - \bar{d})^2}$.
- The quadratic average or Root Mean Square (RMS): $x_{\text{rms}} = \sqrt{\frac{1}{n} (d_1^2 + d_2^2 + \cdots + d_n^2)}$.
- The minimum value in $d$.
- The maximum value in $d$.
- The CPU-utilization measures the average utilization of the CPU for a certain interval, the response time contains the response time of each request and the arrival rate holds the number of incoming requests for a certain interval. These traces are given to the SDE approaches for their estimations. For each trace, we want to create a feature representation $y_i$ (see previous section) that captures the characteristics of this trace.

Furthermore, we have some general meta-information about the traces holding the number of resources (e.g. number of CPUs and/or CPU cores) and the number of different workload classes (i.e. different request types/methods). The number of workload classes already has a direct impact on the performance of the estimators as shown by (Spinner et al., 2015). Therefore, we include this meta-information as features.

Additionally, we extract statistical information about the traces as features. (Spinner et al., 2015) show for example that the utilization has a significant impact on some of the estimators. It is therefore useful to include information about the average utilization of the available resources as well as the minimum and the maximum utilization.

However, it does not seem useful to average this information over all resources. Especially the different workload classes are characteristic for having different values. We therefore define a set of statistical features, extract those for each resource (utilization features) and workload class (arrival rate and response time features) and concatenate them to one feature vector $y_i$.

This limits the number of maximum resources and workload classes to process. In order to be able to concatenate all features to one vector, we need to define a maximum number of resources and workload classes used for training. If a trace has less statistical features, the remaining values can be filled with zeros.

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- The quadratic average or Root Mean Square (RMS): $x_{\text{rms}} = \sqrt{\frac{1}{n} (d_1^2 + d_2^2 + \cdots + d_n^2)}$.
- The minimum value in $d$.
- The maximum value in $d$.
The kurtosis of \( d \), a measure for the tailedness of the graph of \( d \), see (Westfall, 2014):
\[
k = \frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^{n} (d_i - \bar{d})^4 \right) - 3.
\]

The skewness of \( d \), a measure for asymmetry. See (Joanes and Gill, 1998):
\[
s = \frac{1}{n} \left( \frac{1}{n} \sum_{i=1}^{n} (d_i - \bar{d})^3 \right) / \sigma^3.
\]

The 10\(^{th}\) percentile. Below this point are 10% of the total points in \( d \).

The 90\(^{th}\) percentile. Below this point are 90% of the total points in \( d \).

**Omitted features:** Furthermore, it seems useful to include correlation information about the traces. However, as the whole idea of the online selection is to improve the speed of the SDE, the feature calculation (which is done online as well) has to be reasonably fast as well.

We experimented with features regarding the correlations and the variances between the traces, the Variance Inflation Factor (VIF) and information about the statistical distributions. However, those are costly to calculate and as they did not show any improvements in our experiments, we decided not to include them in the feature set. Instead, we focus on the features mentioned above. For the results of the augmented feature set, see (Grohmann, 2016).

The total number of features is therefore \( k = 2 + 11 \cdot r + 22 \cdot w \), with \( r \) being the number of resources and \( w \) being the number of workload classes in the training set.

### 3.2 Algorithms

For our proof-of-concept, we limit ourselves to implement three MLAs.

**Decision Tree:** DTs are a well-known and intuitive way to cluster information that is quite easy to understand for a human supervisor (Breiman et al., 1984). For splitting decisions we use the Gini impurity \( I_G \) by (Breiman et al., 1984). It measures how pure a split is, i.e. the average probability of an an element of the node to be labeled wrong if it was randomly classified according to the relative frequencies of the node. It is calculated with
\[
I_G(f) = \sum_{i=1}^{J} f_i (1 - f_i),
\]
if \( J \) is the number of classes and \( f_i \) the fraction of classes labeled with label \( i \), i.e. the probability to randomly draw class \( i \) for a given element. Note that \( I_G \) reaches its minimum value at zero if all the elements belong to the same class. The Gini impurity has therefore to be minimized, in order to create pure trees.

To avoid over-fitting, we limit the amount of nodes in the DT to 100.

**Support Vector Machines:** SVMs have many parameters and configuration options (Russell and Norvig, 2009). The correct configuration of them poses an optimization problem itself. For our experiments we use a Gaussian kernel function
\[
K(x, y) = \exp \left( \frac{\|x - y\|^2}{\sigma} \right),
\]
with \( \sigma = 8 \) and a soft-margin penalty of 5. We face the multi-class problem with the one-vs-all strategy. According to a small grid-search, this proved to perform best on our data set.

**Neural Networks:** Our implementation of a NN is a multi-layer sigmoid-perceptron with its nodes fully connected by acyclic arcs, prohibiting feedback loops. We decided to use two inner layers (since two inner layers are enough to represent any kind of function (Cybenko, 1988)), resulting in a total of four layers if we add the input and the output layer. We limit ourselves to 100 neurons excluding the input layer in order to ensure the fast processing of the recommendation algorithm. Therefore, we kept the number of neurons (and especially the number of layers) reasonably small.

The output layer consists of one node for each available estimator (currently eight), resulting in 46 fully connected nodes for each of the inner layers.

We use the back-propagation algorithm (Bryson and Ho, 1969) with five epochs for training. LSQ serves as error function and the sigmoid function in equation 3 as activation function for each neuron:
\[
S(t) = \frac{1}{1 + e^{-t}}.
\]

The sigmoid function is a popular choice in the literature as it offers nice mathematical properties (Russell and Norvig, 2009).

For selection, every output neuron represents one approach. The NN recommends the approach with the highest value of its respective output node.
4 EXPERIMENTS IN OFFLINE SCENARIO

In this section, we evaluate the performance of the different MLAs selecting or recommending SDE techniques. We compare the estimation error as well as the runtime when running all approaches in parallel vs recommending one approach and running just this one. We distinguish between the utilization error $E_U$ and the response time error $E_R$ as defined in the following section, since different use cases stress both errors differently.

Note that the experiments in this section just consider the offline case (existing non-changing data set) which leads to better replicability and transparency. However, the result are still transferable to an online scenario.

4.1 Experiment Design

Our training set consists of measurements obtained from running micro-benchmarks on a real system. The micro-benchmarks generate a closed workload with exponentially distributed think times and service demands. As mean values for the service demands, we selected 14 different subsets of the base set $[0.02s, 0.25s, 0.5s, 0.125s, 0.13s]$ with number of workload classes $C = \{1, 2, 3\}$. The subsets were arbitrarily chosen from the base set so that the service demands are not linearly growing across workload classes. The subsets intentionally also contained cases where two or three workload classes had the same mean value as service demand. The mean think times were determined according to the targeted load level of an experiment. We varied the number of workload classes $C = \{1, 2, 3\}$ and the load level $\{20\%, 50\%, 80\%\}$. The traces were already used by (Spinner et al., 2015), where a more detailed description of the test environment can be found.

In total, 210 traces of approximately one hour runtime were collected: They were randomly split into training ($80\%$) and validation set ($20\%$), resulting in a total of 168 training traces and 42 validation traces. Therefore, we execute all estimation algorithms on the 168 training traces, extract the features and use those pairs to train the different MLAs. After that, we show the trained algorithm one of the 42 validation traces and compare its prediction with the actual performance of the different estimators.

The run-time measurements include feature extraction, MLA execution and SDE of the selected approach. The training, the recommendation and the estimations are performed on a virtual machine hosted on a XenServer hypervisor. The VM is running Windows 10 (64 Bit), assigned with 6 Cores of an Intel® Xeon® E5-2640 v3 @ 2.6 GHz processor and 32 GB of RAM.

For error analysis we separate between the relative response time error $E_R$ and the absolute utilization error $E_U$ shown in Equation 4:

$$E_R = \frac{1}{C} \sum_{c=1}^{C} \left| \frac{\tilde{R}_c - R_c}{R_c} \right|,$$

$$E_U = \left| \sum_{c=1}^{C} (X_c \cdot \tilde{D}_c) - U \right|,$$

with $C$ being the number of workload classes, $R_c$ the average measured response time of workload class $c$ over all resources, $\tilde{R}_c$ the predicted average response time based on the estimated service demands, $X_c$ the measured throughput of workload class $c$, $\tilde{D}_c$ the estimated service demand of workload class $c$ and $U$ the average measured utilization over all resources.

4.2 Experiment Results

Table 1 shows the results of the different MLAs. We compare the three approaches DT, SVM and NN introduced in Section 3.2 with the default variant. The default executes all approaches at the same time and chooses the one with the best accuracy (after all approaches finish) based on their cross-validation results. In practice, this is a reasonable approach, since the use of parallelization makes this feasible and wrong/worse predictions can be quite costly. We refer to this method as a-posteriori and use it as baseline.

Next to the time spent training, the improvements of error and estimation time, we show the hit-rate of each algorithm. By hit-rate we refer to the ratio of traces in which the MLA actually recommended the approach that proved to be the one with the best accuracy, i.e., the one chosen by a-posteriori.

If we first look at the training times of all three algorithms, we see that the required training time is comparable along the algorithms. Surprisingly, NN is notably faster than the other two approaches. However, the training times are all acceptable in an online scenario (given that the training can actually run in the background).

After the training is complete, all recommendation algorithms run faster than the a-posteriori algorithm, since they only execute one algorithm instead of all. This is not very surprising. However, it is nice to confirm that the feature generation and the execution of the algorithm does not generate unsustainable overhead. Again DT, SVM and NN behave comparably, with NN in the lead.
However, the gain in estimation time is not as great as one might expect. This is due to mainly three reasons: First, as already mentioned, the feature generation and the actual recommendation introduce some overhead in the estimation process. Secondly, the optimization approaches (see Section 2) are considered to be the more accurate, but at the same time the most expensive estimators. Due to its good results, the MLAs tend to choose the optimization approaches. Therefore, only the fast estimators are saved which of course decreases the gain.

Lastly, while the relative gain of around 57% (for NN) is quite notable, the short overall run-time of under two seconds for the a-posteriori algorithm leads to a relatively small absolute improvement of around 1 second. Note that the execution of all estimators is usually much faster than the sum of all individual estimation times, due to the use of multi-threading and caching effects. However, with bigger or more complex traces this gain will most probably increase, since the fraction of time used for feature generation decreases and the penalty for unnecessary estimation runs increases due to increasing estimation time.

If we look at the estimation error, we observe that all of our MLAs performed worse than the a-posteriori algorithm. This is not surprising, as we do not expect to be able to make a perfect prediction for every trace. However, the relative errors are quite small compared to the gain in estimation time. The DT has an average estimation error of under 0.19 which is less than 4% worse than the baseline approach. SVM and NN perform even better. Their average estimation error is only 0.4% higher than the baseline error.

This is especially interesting, since DT actually has a higher hit-rate than SVM and NN. It selects the best approach in 76% of all cases, while the other two approaches select only 62% times the best approach. Nevertheless, performances of SVM and NN are better. We conclude that both techniques make less fatal mistakes: While DT makes less mistakes, the ones it does are more severe and choose estimators that are way worse than the best ones for the respective traces. In contradiction, most cases where SVM and NN do not choose the best estimator, they choose one that is almost as good as the best for the analyzed scenario.

It is also interesting that NN and SVM perform exactly identical on this test set. They probably learn the same function, since our training set is very limited. To summarize, we can say that the NN estimates more than twice as fast than the a-posteriori algorithm, while delivering comparable results.

### 4.3 Threats to Validity

Although the presented results are quite promising, we only showed analyses on one type of trace. We want to increase variability (number and type of resources or workloads) in future work, but believe this preliminary results still prove our point.

We included only one individual training/recommendation run in Table 1. We repeated the experiments several times with shuffled training and validation data sets in order to validate the results. However, the random shuffling of training and validation data set made it impractical to add different runs to our evaluation.

We did very limited amounts of feature engineering as well as algorithm parameter tuning. However, we think that in this stage of the experiments and for the limited amount of training data, this could very easily lead to overfit to this kind of data.

### 5 NEXT STEPS

Our experiments show the applicability of the SDE selection approach. We now address challenges for the implementation of those approaches in an online scenario with a distributed micro-service based application architecture.
5.1 Trade-off Support

Section 4.2 shows that the best approach in terms of accuracy is sometimes also the slowest approach. Therefore, selecting the suitable approach poses a different challenge. What if the slowest approach is too slow? What if the estimation is needed faster than a given threshold or the second best (but way faster) approach might work well enough for a specific scenario?

To tackle this, we want to incorporate a trade-off algorithm as shown in Figure 1. This algorithm basically consists of two complementary MLA, basically regressing or ranking the different approaches by error and the run-time. (They in turn might consist of multiple MLAs internally.) After doing so, an arbitrary decision process can be inserted to select suitable approach based on the user.

However, this requires that both algorithms are accurate enough to be trustworthy.

5.2 Towards Online SDE Selection

Some other challenges arise, when applying SDE in an online fashion. As already mentioned in Section 3, further questions have to be answered when live data is incorporated into the training set: What length should the traces be? How often should the MLA be retrained? In which intervals should the selection be repeated?

Further technical challenges involve proper parallelization (in order to train the MLAs in the background) as well as memory management and cut-off, to avoid ever-increasing run-times.

We further plan to include the integration with our optimization algorithms (Grohmann et al., 2017). They optimize the parameter configurations based on a historical data set. Although both approaches can be used independently from each other, they complement each other really well. The optimization can run in parallel to the recommendations and trigger a retraining, if improved parameter settings have been found.

6 SUMMARY

This paper introduces the use of Machine Learning Algorithms in order to recommend or select the best Service Demand Estimation approach. We develop a feature set and evaluate the performance of Decision Trees, Support Vector Machines and Neural Networks on an offline data set.

The main takeaways are:

- The use of machine learning for the selection of a Service Demand Estimation (SDE) approach can improve the estimation time by more than 57%. The resulting accuracy decrease is less than 0.5%.
- A relatively small set of statistical features is enough to enable the selection algorithm of producing reasonable selections.
- Our experiments show that NN and SVM are capable of producing excellent result, with NN being superior in run-time.
- Further work may support a threshold or trade-off algorithm to recommend the best suitable approach in a time-critical scenario.

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