Land Change Modeling Handling with Various Training Dates

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Abstract: Popular modeling tools for land change simulation, especially those using Markov chains, undertake model training based only on two land use / cover (LUC) maps. This paper analyses uncertainty and potential errors caused by taking into account only two former, model known, LUC maps. This is illustrated by a simple data set of six LUC maps allowing various Markovian transition matrices; a range even larger by considering different confidence levels. Results underline the randomness in choice of only two training dates. Authors propose alternative methods to Markov chains integrating all available LUC maps in order to simulate forecasting scenarios. To do so, they incorporate all possible LUCC (land use / cover change) budgets to perform simple arithmetic combinations between the six training dates. Comparing Markov chain transitions based on two training dates and alternatively performed change rates taking into account all training dates results to important differences. This study underlines the importance of the choice of training dates during model calibration for path-dependent simulations.

1 INTRODUCTION

Land change modeling consists in simulation of its change in terms of quantity and allocation. The amount of changes during the simulation step depends on the modeling objective. For plausible land change scenarios, the modeler designs different solutions implementing alternative hypotheses about future (e.g. business as usual scenario, sustainable development scenario, …) and therefore introduce various quantities of LUC. In this context, the model answers the question "what will be the spatial impact if so?". At the opposite, if the objective is prediction or forecasting, expected LUC or transition quantities are calculated. Quantity prediction is often done by probabilistic approaches such as Markov chains. Some geomatic LUCC modeling software such as CA-Markov, Land Change Modeler (both implemented in Terrset) and Dinamica Ego (Mas et al., 2014) but also LucSim calculate Markovian conditional transitions. They perform this extrapolation in time by using only two training dates (TD). This is a risk-taking approach because model training depends on only two time points in the past. What happens if at least one of the two TD does not match key points in the time series? Considering only two maps as a long time series also increases the impact of data error due to classification or photo interpretation. Several studies emphasize the impact of temporal data resolution (Allen and Starr, 1982, Kim, 2013) and study the impact of time intervals on the amount of change (Burnicki et al., 2007, Lee et al., 2009, Lieu & Deng, 2010). The authors note that n-order Markov chains are currently employed, often in a spatially non explicit context. Generally, these n-order MC are based on a rather eventful multi-temporal database (cf. Ju et al., 2003). Nevertheless, n-order MC are more complex to handle and not included in popular GIS software.

Authors present test areas and data before illustrating the random character by taking into account only two training maps. Then they test simple techniques to introduce multitemporal knowledge in predictive models. Authors do this at global and categorical as well as on transition level. Coupling different training dates (TD) and confidence levels within a Markov chain process as proposed alternatives integrating more than two TD may inform the modeler when designing simulation models.

2 TEST AREA AND DATASET

The test area is an 8 750 ha catchment located in the western part of the French Department Pyrénées Orientales called Garrotxes. The altitude ranges
from 650m (SE, Mediterranean climate) to 2400 m (N, mountain climate). The western part, on granitic substratum, was used for agriculture and is mostly wooded today while the eastern bank, overlying schist, forms large summer pastures. The population of the 5 municipalities pulled down from 1 832 inhabitants in 1826 to about 100 today. At the beginning of the 19th century about a quarter of land was used by crops on terraces (Napoleon cadaster). Afterwards crops, currently marginal, became transformed into pasture, shrubs or woody land. Actual activities are pasture, timber extraction and touristic activities.


3 METHODOLOGY

3.1 Measuring the Impact of Multiple Training Dates (TD)

Land change is analysed by the technique of LUCC budget (Pontius et al., 2004b and 2008). Its components gain, loss, total change, net change and swap are calculated for the five periods of the training LUC maps time series. Authors convert coarse time interval dependent indicators into mean annual rates for comparison.

Most quantity prediction in business as usual (BAU) simulation scenarios are performed by using Markov (first order Markov chain) where \( t_1 \) and \( t_2 \) are TD and \( T \) the simulation date. To highlight the impact of TD, authors test both: various combinations of two TD for MC transition matrices and different confidence in these training data. First we form all possible pairs of TD possible pairs of TD except the last one (2009). For each of these pairs we compute MC expected transitions for model unknown \( T \) (2009). We refine this analysis by introducing two confidence levels applied to input training data. The default option of several software, consisting in applying 0.0% of proportional error is compared to 90% confidence level (proportional error of 0.1).

In parallel, authors compute the overall and LUC specific annual change rates (%).

3.2 Computing Transition Rates including All TD versus Markov Chains

Authors propose some alternative and simple techniques to extrapolate future LUC by computing transition matrices between 2009 (last known date) and 2020 (simulated LUC) using all known LUC maps. This means that our approach includes five training periods (six TD). These techniques only differ by weighting the impact of individual training periods. The starting point are observed annual transition rates by period.

Figure 1: Garrotxes test area. LUC in 1942 and 2009.
Weighing of multiple transition periods:

- Average: the sum of transition rates over six TD for a specific cell into the transition matrix for T is divided by the number considered periods (five).
- Time distance weighted average: the impact of a period decreases proportionally with remoteness to the present. For a series of n time intervals, the weight of the farthest time interval equals 1, the weight of the most current time interval equals n. The annual rates are this way weighted and summed before being divided by the sum of weights. Authors are conscious that this weighting scale could be enhanced by numerous ways such as considering equal time intervals or varying individual weights by the corresponding length of interval.

where sum of weights:

\[ \sum_{n=1}^{n} = \frac{(1+n) \times n}{2} \]

- Linear trend: the best linear fit (linear regression)
- Exponential trend: weights are obtained by geometric exponential trend

Every weighting technique is applied to each transition except persistence (diagonal cells). To compute:

- Define a simulation date: 2020. This means last known LUC (2009) updated by 11 times expected annual change rate. Because periods have different lengths, results are expressed as annual rates. For total change, the mean annual rate was less than 20 ha / year during the 1980s while exceeding 40 ha / year through the periods 1962 – 1980 and 1989 – 2000. The fraction of net change is differing from less than 50 % (1980s) up to 90 % during the last period. During the three other periods net change was about 75 % of total change. LUCC budgets show that land change and particularly the proportion of net change to swap was not linear during the last seven decades.

When considering change rates on the categorical level, the situation is even more contrasting. First most dynamic periods (1962 – 1980; 1989 – 2000) on the global level are only the most dynamic for coniferous forest. Other LUC categories show different trends: evidently broomland becomes more dynamic with time while decreasing for grassland. Deciduous forest had two more dynamic periods (1942 – 1962 and 1989 – 2000) whereas results for crops are difficult to interpret of cause disappearing during the period 1980 – 1989. We also notice different levels of change rates depending on LUC categories. Wood recolonization is the most dynamic category while coniferous and deciduous forest are more stable.

4 RESULTS

4.1 Measuring the Impact of Multiple Training Dates (TD)

4.1.1 LUCC Budgets

For each of the five training periods LUCC budgets were computed. Because periods have different lengths, results are expressed as annual rates. For total change, the mean annual rate was less than 20 ha / year during the 1980s while exceeding 40 ha / year through the periods 1962 – 1980 and 1989 – 2000. The fraction of net change is differing from less than 50 % (1980s) up to 90 % during the last period. During the three other periods net change was about 75 % of total change. LUCC budgets show that land change and particularly the proportion of net change to swap was not linear during the last seven decades.

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4.1.2 Markov Chains and Variation of Confidence Levels

When considering the penultimate date (2000) as last training date in order to extrapolate on the last, model unknown, date (2009) to allow comparisons with real LUC in 2009, ten MC couples may be constituted. For instance, beginning with 1942, we
have four possibilities (selecting 1962, 1980, 1989 or 2000 as second training date) to perform Markov chain while the date of 1989 as starting point only offers 2000 as second training date.

All ten Markov chains were computed twice: first with a 0.0 % proportional error, then with 10 % proportional error in order to analyze the impact of confidence in data. We compared Markov chain predicted LUC with 2009 observed LUC and we added the absolute difference predicted minus observed for each category shown in fig. 2.

Considering the 100 % confidence level in LUC maps, the choice of a couple of TD makes that the quantitative prediction error may be near to 5 % (choosing 1980 and 200) or almost four times higher (1942 and 1962). We notice that limited confidence in training data (10 % error) give in nine MC out of ten closer results to observed LUC in 2009 as entire confidence in data.

4.2 Computing Transition Rates including All TD versus Markov Chains

The comparison of the four alternative simulated transition rates for 2020 (average, time distance weighted average, linear and exponential trend) and two Markov chain matrices (one considering 1989 and 2009 as TD, the other 2000 and 2009, cf. methodological section) of expected changes to 2020 shows that global persistence is very uniform and important (varying from 95.06 to 96.71 %). At the categorical level, the comparison leads to more contrasted results as summarized in table 1.

Table 1: Absolute differences (% of entire area) between Markov chain (MC) performed transition matrices and four alternative methods (alternatively computed by average, time distance weighting, linear or exponential trend) including the entire set of available TD for 2020. For each comparison, we summed the absolute differences of transition rates between the different LUC categories. The left column shows the difference based on MC using 1989 and 2009 as TD while the right column indicates differences based on MC using 2000 and 2009 as TD.

<table>
<thead>
<tr>
<th></th>
<th>Average</th>
<th>Time distance weighted</th>
<th>Linear trend</th>
<th>Exponential trend</th>
</tr>
</thead>
<tbody>
<tr>
<td>MC (1989-2009)</td>
<td>2.04</td>
<td>0.95</td>
<td>5.37</td>
<td>3.36</td>
</tr>
</tbody>
</table>

Table 1 inform us that the differences are less important while using Markov chain transitions for 2020 based on a training period close to the average of total time extent (1989 – 2009, left) than considering the last available training period (2000 – 2009, right). For each pair of TD, Markov chain predicted transitions are closest to time distance weighted average as technique integrating all TD. The most important differences result from comparison Markov minus Linear Trend.

Fig. 3 informs us about differences on the transitional level. Here we examine differences for individual transitions between alternative method and MC based last available TD (2000 and 2009).

Graphics in fig. 3 show the difference between Markov chain expected transition rates (%) and alternatively performed transition rates (%). A
positive number means that Markov chain simulated transition is more voluminous. A negative result indicates that Markov chain predicted transition affects less surface than alternatively calculated. At the individual transition level, fig. 3 points out that:

- Differences do not surpass more than 2 % of total area.
- Differences affects in a specific way LUC transitions: especially wood recolonization (third row) is a 'gaining category'. This means that Markov chain predicted amount of change is higher than alternatively calculated amount of change. On the other hand, transitions from grassland to other LUC (fifth column) are generally negative (i.e. alternatively computed transition rates are more voluminous than by Markov chain) while persistence (lowest right cell) balances this.

5 DISCUSSION

Various approaches intend to analyze occurred land change in order to simulate those in the future. Authors quote the wide field of techniques able to describe dynamics such as LUCC – budget (Pontius, 2000; Pontius et al., 2004a, 2004b) and intensity analysis (Aldwaik & Pontius, 2012; Pontius et al., 2013). Other techniques such as sensitivity analysis (Pontius et al., 2006; Jokar Arsanjani et al., 2012, Paegelow et al., 2014) target to test the robustness of model data and drivers by analyzing, among other aspects, the significance of used data such as TD.

5.1 Measuring the Impact of Multiple Training Dates (TD)

LUCC budgets underline that land change was not a linear process and its composition either. In this context, it is important to notice that computed LUCC budget indicators are quite average land change indicators. As mentioned, the situation is even more contrasted on the categorical level as illustrated for the mean annual net gain (ha) of coniferous forest expressed in fig. 4. If the modeler chooses 2000 and 2009 as TD for a BAU scenario, the amount of simulated land change will be less and specific net gain for coniferous forest near zero. However, during this period (2000 to 2009) land changed tending towards forest. The average net gain for wood recolonization was the highest one for this period. At the opposite, if the modeler takes 1962 and 1980 as TD, the BAU scenario would be...
very dynamic while wood recolonization was registering an average net loss of about 9.6 ha/year. This example shows both, that the most actual data are not even representative and that land change for a specific land use/cover category cannot be understood if disconnected from other.

Transitions simulated by Markov chains (MC) and comparison to observed land change points out that the most recent TD are not per se the closest to reality. At the opposite, this data set underlines that the use of the last available training date (2000) reduces the absolute difference between observed and MC predicted LUC and this independently of the duration of the training period.

Figure 4: average annual net gain in ha of coniferous forest per period.

Knowing that the choice of TD for MC prediction determines quantitative accuracy of BAU scenarios, disposing of only two TD may lead to random results still increased by applying different confidence levels to training data.

The comparison by period of average annual transition rates at global level and categorical level (Fig. 2) illustrate the heterogeneity of speed and tendencies in land change. The choice of accurate TD is complex and picking only two TD may exceedingly impoverish real dynamics. To overcome this problem, authors propose alternative forms consisting in the integration of multi-temporal data as training basis of quantitative simulation.

5.2 Computing Transition Rates including All TD versus Markov Chains

The integration of multiple TD exhibits the possibility to overcome the two TD restriction of commonly used MC to quantitative land change prediction. Results on this data set are, depending on weighting individual dates, rather close to MC generated transition matrices. This effort to compare them underlines the methodological difficulty to relate a 2 TD based approach to another one integrating 2 + n TD. The Markovian choice of a couple of dates unavoidably induces data reduction. On the other hand, taking into account a memory in the simulation process by proposed alternatives is, theoretically, an improvement. In contrast, using all available LUC maps necessitate to supervise this process to avoid illogical transitions as shown for crops for this data set and may make adjustments necessary.

Applied weighting techniques are still a small and simple sample among a wide range of possibilities. Because of necessary supervision, we consider that applying these alternative techniques are nearby to the frontier between land change prediction and forecasting scenarios.

6 CONCLUSION

In simple words, land change models accomplish only two tasks: calculating expected quantities and allocating them into the map. With regard to the first task a considerable number of studies reveal the use of Markov chain simulated transitions based only on two training dates. This contribution first highlights the randomness of picking out two training dates when disposing of a larger series or the uncertainty when holding only two dates and its consequences on Markov chain predicted land change. The complexity of LUCC is illustrated by computing annual transition rates on three levels: global, categorical and transitional. Subsequent, authors describe simple alternative methods to overcome Markov chains, considering only one training period, by using all available dates and weighing them differently. This approach generates a new difficulty. Modelers have to supervise and, if necessary, adjust the generation of transition matrices to avoid illogical transitions. The range of results underlines the caution that must show a modeler and the critical sense with which recipients have to interpret correctly a simulation that is never more than a plausible future. Therefore, one key for correct understanding is transparency on both: available as used data for potential and operated methodological choices.
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