

# A Comparative Study of Clustering versus Classification over Reuters Collection<sup>1</sup>

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**Abstract.** People have plenty of information at their disposal. The problem is that, even with the advent of search engines, it is still complex to analyze, understand and select relevant information. In this sense, clustering techniques sound very promising, grouping related information in an organized way. This paper address some problems of the existing document clustering techniques and present the “best star” algorithm, which can be used to group and understand chunks of information and find the most relevant ones.

## 1 Introduction

The amount of information available today is as huge as never was it before and it is increasing every day. Even with the aid of search engines it is common to find users “lost in the cyber space” [1] because of the “information overload” [4]. An interesting and confusing point is that each search engine has its own ranking mechanism, which is usually different from the others. Due to the criteria adopted, the results are not always organized in a clear and pertinent way from the user’s point of view. Therefore, to identify relevant information and comprehend the relations and the content of a large group of documents is a very complex task. In this context, clustering techniques [3], which are able to identify elements with common content and create clusters (i.e. groups) of related information, are one possible solution.

On the other hand, there are many clustering algorithms and each of them has different parameters to be tuned. Each adjustment obtains a different result, and it is difficult to the user to choose the best values of them for each data. In this paper, we present a clustering algorithm that minimizes this problem, so the user don’t need to choose the number of clusters to be found neither the threshold of similarity among objects. Besides, we find results comparables to the application of classification techniques over the same data, using Reuter’s collection.

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## 2 Related Work

Clustering is an exploratory technique because it allows the researcher to analyze a large amount of data that is unknown *a priori*, and to make suppositions about it. In the Computer Science field, until recently, it was used to group similar data, allowing better organization and retrieval efficiency on storage devices. The same idea may be applied on text mining and information retrieval systems to group items that have similar content, and also on search engines in order to cluster the results of a query to help navigation and browsing [13].

*K-means* [6, 12] is a very known and used clustering algorithm. It consists on establishing *a priori* the number of clusters that must be identified (that is why its name, whose  $k$  is the number of clusters to be found). The algorithm then aggregates the given elements into these  $k$  clusters. Another similar algorithm is *Buckshot* [2], in which the user also establishes the number of clusters to be found and the objects are distributed accordingly. The biggest problem of these algorithms is the definition (imposition) of the number of clusters to be found. The user hardly knows how many  $k$  exist in the set of documents. It is somehow contradictory with the idea of clustering, which is to explore a set of unknown elements. We designed a variation of an existing algorithm from the graph theoretic family, which identifies relevant clusters without the need of a specific  $k$ .

## 3 The Clustering Process

There are different methods and approaches for clustering, usually described as families of clustering algorithms (see [3, 6] for details). Some of them require that the user guess how many clusters can better represent the collection of documents (i.e.,  $k$ -means family). Others require that the user guess the minimum threshold of similarity that a document must have to be in some cluster (i.e., graph theoretic family). Most approaches found in the text-mining field use the  $k$ -means algorithm or one of its variations. Almost all techniques apply the following stages to cluster documents: (i) feature selection; (ii) similarity identification, (iii) cluster identification and analysis, and (iv) clustering evaluation.

In the **Feature selection** stage, the document features that will be employed to identify the document's contents are selected. This is based on the discrimination capability of each term, which is traditionally identified by the Relative Frequency (RF) of the term in a given document (i.e., frequency of the term divided by the frequency of all terms in the document). The RF is then considered as the weight of the term in a document. There are many other weighting schemes, such as TF-IDF, information gain, and LSI (see [14]), but we have found no concluding study to show that the use of one is significantly better than the others. Since RF is the most simple to calculate, it was the scheme used in this paper.

After the terms are weighted, it is possible to filter them in order to minimize the number of features used to represent each document. In this paper, we only excluded the stop-words, which are very common terms with no discriminating capabilities, such as prepositions and conjunctions. We used the stop-word list proposed by [9].

The result of this stage is a vector of terms representing each document, all with its corresponding weight.

Once the discriminating terms for each document are identified, they can be used to **identify similarities** among documents. Again, many approaches can be used [14]. We have chosen the *grade of similarity* ( $gs$ ), which is based in the fuzzy theory and was already used by us with promising results [11, 13, 14]. Equation 1 shows its formula.

$$gs(X,Y) = \left( \sum_{h=1}^k gi(a,b) \right) / n \cdot \quad (1)$$

In this equation,  $X$  and  $Y$  are the vectors that represent each document;  $k$  is the number of elements they have in common;  $n$  is the amount of terms present on  $X$  and  $Y$ ; and  $gi$  is the grade of equality ( $gi$ ) among the weights of the  $h^{\text{th}}$  element ( $a$  in  $X$ ; and  $b$  in  $Y$ ). Equation 2 shows  $gi$ , stated in fuzzy algebra (according to [10]).

$$gi(a,b) = \frac{1}{2} \left[ (a \rightarrow b) \wedge (b \rightarrow a) + (\bar{a} \rightarrow \bar{b}) \wedge (\bar{b} \rightarrow \bar{a}) \right] \cdot \quad (2)$$

There,  $\rightarrow = 1 - x$ ;  $a \rightarrow b = \max\{c \in [0, 1] \mid a * c \leq b\}$ ; and  $\wedge = \min$ . It takes in account that an attribute may have different degrees of importance in different vectors (documents). In this sense, instead of calculating the average or the product between two degrees, the function determines the degree of equality between them. Then we perform the identification of the similarity among all documents and generate a matrix of similarity that allows us to apply different clustering algorithms or test different parameters without calculating similarity again.

The next step consists on the **clustering identification and analysis**. In this paper we use clustering algorithms that falls in the *graph-theoretic* family [7]. In this family of clustering, each object is a node and nodes that belong to the same cluster are linked. The following algorithms were employed: Stars, Cliques, Best-star and Full-stars. Cliques and Stars were used as defined in [8]. Best-star and Full-stars are two variations of the Stars algorithm, created by us (details in [11]).

Stars is creates clusters where the resulting format is like a star of correlated objects. It selects one element to be the center of the star and tries to find other unprocessed elements that are similar to it, according to a predefined threshold. The quality of the cluster depends on this threshold, and the greater it is, the more coherent are its elements. Once all elements are compared to the center, another un-clustered element is selected as star and the process continues until all elements are analyzed.

Cliques is very similar, but the elements are added only if they satisfy the threshold of similarity among all elements already in the cluster. In this case, the elements are more tightly coupled and the quality of the resulting clusters is better.

The main problem with the previous algorithms is that the user has to set the threshold of similarity. This is similar to the problem of the  $k$  in the  $k$ -means approach. Besides, the order in which the elements are selected as star centers also influences the clustering result. The Best-star algorithm intends to solve these problems, analyzing the elements already allocated each time a new center is selected, re-allocating elements to the nearest star as necessary, even if they are already clustered. The side effect is that the user does not need to set the threshold.

The previous algorithms do not create overlapped clusters (i.e., clusters with elements in common) but sometimes elements may fall to more than one cluster and

the user wants to know this information. The Full-Stars algorithm solves this problem allocating elements on all clusters that its similarity is greater than the threshold.

The last stage consists on the **clustering evaluation**. Some methods can be used to evaluate the clustering process. In this paper we use what [5] calls *external criteria*. In this case, the clustering result is compared to a pre-existing structure. We used the experiment of [9] as base-line.

Recall and precision are traditional metrics in information retrieval systems, and are used to measure their ability to recover correct and accurate results. In our context, recall is the number of documents attributed in a cluster (or category) divided by the number of documents that should be attributed on it; precision is calculated by taking the number of documents correctly attributed to one cluster or category and dividing it by the number of documents attributed to it. As we have multiple clusters, it is necessary to analyze them together to have a clue about the overall result. Macro and micro-averaging are techniques used in the evaluation of categorization systems to give a unique index of recall or precision for all categories (or clusters) as a whole.

According to the concept given by [9], macro-average recall (MAR) can be obtained by Equation 3. In this equation,  $n$  is the number of categories or clusters and  $R_i$  is the *Recall* of the  $i^{th}$  category or cluster. The macro-average precision (MAP) is very similar, and  $R_i$  is changed by  $P_i$  (the precision of each group or category).

$$MAR = \left( \sum_{i=1}^n R_i \right) / n . \quad (3)$$

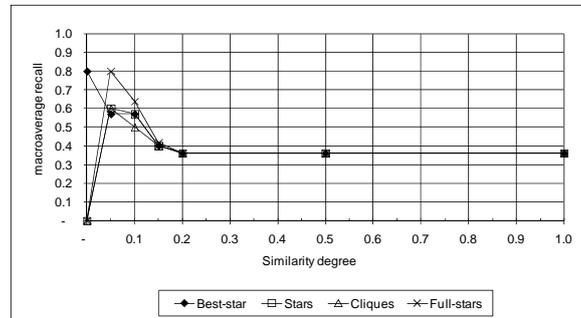
Micro-average does not consider individual results (groups), and takes in account the whole result. Micro-average recall, for example, can be found by dividing the number of classified documents by the number of unclassified documents. In our case, the unclassified documents are those not allocated in a cluster. Micro-average precision is obtained when the number of documents correctly classified is divided by the number of documents classified. In the approach here described, documents are correctly attributed when they can be found in a cluster in which the majority of its elements are in the same subject. Clusters with just one document are considered incorrect in our approach.

## 4 Experimental Analysis and Evaluation

The first experiment was performed in a group of email messages containing four different subjects. Macro-average was used to evaluate the results of each algorithm. These algorithms do not need the number of clusters to be found, but require a minimum threshold of similarity among the elements that will fall in the same cluster. We have tested different threshold levels: 0.0, 0.05, 0.1, 0.15, 0.2, 0.5 and 1.0.

Fig. 1 shows the macro-average recall achieved by each algorithm on each level. The best algorithm is the one that achieves the best macro-average among all levels. We can perceive that, as the similarity degree grows, it is more difficult to find relationship among documents (in fact, when the threshold is greater than 0.2, no relationship can be found among documents and each cluster contains one single element). We can also notice that Best-stars present the highest scores among all points. Fig. 2 shows the general performance of each algorithm, i.e., the macro-

average recall for each algorithm on all points. It is clear that the Best-Stars algorithm presents the best performance, followed by the Full-stars. The Cliques algorithm presents the worst performance, since it is the most restrictive of them.



**Fig. 1.** Comparison of clustering algorithms using macro-average recall for each threshold.

In order to evaluate our approach with traditional classification techniques we selected the Reuters-21579 collection, distribution 1.0, which is a corpus of 21579 English news documents prepared to be used in document understanding systems, classification and information retrieval or extraction tasks. In this collection, documents are pre-classified, which makes them easier to analyze and compare. Many experiments use this collection [9, 15], but none focus on clustering. This collection has five categories, and documents were manually indexed on these categories. In our experiment we adopted the 722 documents of the HAYES SPLIT sub-collection test-set, which was used in the CONSTRUE system evaluation [9].



**Fig. 2.** Comparison of clustering algorithms using their average macro-average recall.

Using the Best-Star algorithm without setting a threshold, we have found 266 documents. The MAR obtained was of 0.95 and the MAP was 0.43. The CONSTRUE system achieved 0.89 MAR points and 0.92 MAP points. It is important to state that on classification it is easy to identify if a document was correctly classified or not. On clustering, we must define rules to identify each cluster subject and to identify if each of its documents is or not on this subject. We defined that the most appropriate cluster for a document was that in which all the other documents of the same cluster were under the same subject. Another important point was that many *a priori*

“uncategorized” documents (about 139) were clustered among other categories, and then considered incorrect according to our rules.

## 5 Conclusions

In this paper, we presented and compared some clustering algorithms (stars, cliques, best-star and full-stars) that can be applied over text collections to organize texts of the same subject. We have found that the Best-Stars is the most interesting among them to perform this task without needing much information and adjustments from the user. Our experiments showed that clustering achieves similar or better micro-average recover than the CONSTRUE system, but lacks precision. However, it can be used to suggest appropriated categories for documents that the category is unknown.

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