MULTI-CRITERION GENETIC PROGRAMMING WITH NEGATIVE SELECTION FOR FINDING PARETO SOLUTIONS

Jerzy Marian Balicki
Naval University of Gdynia, Smidowicza Street, Gdynia, Poland

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Abstract: Multi-criterion genetic programming (MGP) is a relatively new approach for a decision making aid and it can be applied to determine the Pareto solutions. This purpose can be obtained by formulation of a multi-criterion optimization problem that can be solved by genetic programming. An improved negative selection procedure to handle constraints in the MGP has been proposed. In the test instance, both a workload of a bottleneck computer and the cost of system are minimized; in contrast, a reliability of the distributed system is maximized.

1 INTRODUCTION

Genetic programming is a software technique for getting computers to automatically solve a problem (Koza, 1992). This approach starts from a high-level statement of what needs to be done and automatically creates a computer program. One of the essential challenges of computer science is to get a computer to solve a difficulty without explicitly programming it to do so. Paraphrasing Arthur Samuel – founder of the field of machine learning – this challenge is “How can computers be made to do what needs to be done, without being told exactly how to do it?” (Samuel, 1960).

Genetic programming uses the Darwinian principle of natural selection along with models of crossover, mutation, and mechanisms of biology to obtain a population of programs. Genetic programming has been successfully applied to a wide variety of problems from numerous different fields (Koza et al., 2004).

Multi-criterion genetic programming (MGP) is a relatively new approach for a decision making aid and it can be applied to determine the Pareto solutions (Balicki, 2006). This purpose can be obtained by formulation a multi objective optimization problem that can be solved by adjusted genetic programming.

In this paper, genetic programming paradigm is implemented as a genetic algorithm written in the Matlab language. Chromosomes are generated as the functions, and then genetic operators are applied for finding functions that produce Pareto-suboptimal solutions.

2 GENETIC PROGRAMMING

Genetic programming is an appealing paradigm of an artificial intelligence (Koza et al., 2004). Solutions to several problems have been found for instances from different areas like optimal control, planning and sequence induction. Genetic programming permits finding solutions to symbolic regression, automatic programming or discovering a game playing strategy.

Furthermore, problems related to empirical discovering and forecasting, symbolic integration or differentiation, discovering mathematical identities or classification and decision tree induction can be solved by this approach. Evolution of emergent behaviour and also automatic programming of cellular automata are on the list of problems that have been solved successfully.

Figure 1 shows an example of a tree of the computer program performance. This tree corresponds to the program written in the LISP language, as follows:

\[(\text{GT} (\ast -1.5 \text{ x}) (\text{LOG} \text{ y} (\text{SQRT} \text{ y})))\]

Above program calculates both the value \(-1.5x\) and \(\log(y\sqrt{y})\), and then compares \(-1.5x\) to \(\log(y\sqrt{y})\). If \(-1.5x\) is greater than \(\log(y\sqrt{y})\), then...
an outcome of the GT function is equal to 1. However, in the other case, the result is −1.

Generation of the tree is an important step for finding solutions. The size of the generated tree is limited by the number of nodes or by the number of the tree levels. Nodes in the tree are divided on functional nodes and terminal ones. A functional node represents the procedure randomly chosen from the primary defined set of functions:

\[
F = \{ f_1, \ldots, f_n, \ldots, f_N \} \tag{1}
\]

Each function should be able to accept, as its arguments, any value and data type that may possible be returned by the other procedure (Koza, 1992). Because a procedure is randomly chosen from the set, and then it is returned, each function should be able to accept, as its arguments, any value and data type that may possible be returned by itself. Moreover, each procedure should be able to accept any value and data type that may possible be assumed by any terminal in the terminal set:

\[
T = \{ a_1, \ldots, a_m, \ldots, a_M \} \tag{2}
\]

An above quality of procedure is called a closure condition because each function should be well defined and closed for any arrangement of arguments that it may come across.

Another quality, called the sufficiency condition, requires that the solution to the problem should be expressed by the combination of the procedures from the set of functions and the arguments from the set of terminals. For example, the set of functions \( F = \{ \text{AND, OR, NOT} \} \) is sufficient to express any Boolean function. If the logical operator \( \text{AND} \) is removed from this set, the remaining procedure set is still satisfactory for realizing any Boolean function. A sufficient set is \( \{ \text{AND, NOT} \} \) as well.

Let the following set of procedures be considered for the problem of finding trajectory for the underwater vehicle (Balicki, 2006):

\[
F = \{ \text{IF_OBSTACLE, MOVE, IF_END} \} \tag{3}
\]

The procedure \( \text{IF_OBSTACLE} \) takes two arguments. If the obstacle is recognized ahead the underwater vehicle, the first argument is performed. In the other case, the second argument is executed. The function \( \text{MOVE} \) requires three arguments. It causes the movement along the given direction with the velocity equals the first argument during assumed time \( \Delta t \). The time \( \Delta t \) is the value that is equal to the division a limited time by \( M_{\text{max}} \).

The direction of the movement is changed according to the second and third arguments. The second argument is the angle of changing this direction up if it is positive or down if it is negative. Similarly, the third argument represents an angle of...
changing the direction to the left if it is positive or
to the right if it is negative.
The last procedure $IF_{END}$ ends the trajectory
of the underwater vehicle if it is in the destination
region or the expedition is continued if it is not
there. The set of arguments consists of the real
numbers generated from the interval (-1; 1).

A multi-criterion genetic algorithm has been
applied for operating on the population of the
computer procedures written in the Matlab language.
Numerical experiments confirm that feasible, sub-
optimal in Pareto sense, trajectories can be found by
genetic programming. Although, the quality of
obtained trajectories was a little lower than the
trajectories determined by an evolutionary algorithm
(Balicki, 2005), a paradigm of genetic programming
gives opportunity to solve that control problems for
changing environment.

3 NEGATIVE SELECTION
ALGORITHM

Multicriterion genetic programming is based on
using a genetic algorithm and to some extend it
inherits some disadvantages of that approach. One of
them is the weak efficiency for finding the
admissible solutions in optimization problems. To
improve this calculation situation, we propose the
development of the negative selection algorithm
from an immune system.

The immune system can be seen as a distributed
adaptive system that is capable for learning, using
memory, and associative retrieval of information in
recognition (Jerne, 1984). Many local interactions
provide, in consequence, fault tolerance, dynamism
and adaptability.

The negative selection algorithm (NSA) for
detection of changes has been developed (Forest and
Perelson, 1991). This algorithm is based on the
discrimination principle that is used to know what is
a part of the immune system is.

Detectors are randomly generated to reduce
those detectors that are not capable of recognising
themselves. Subsequently, detectors proficient to
distinguish trespassers are kept. An adjusted
detection is performed probabilistically by the NSA
(Benaschi et al., 1999).

An antigen is a molecule that stimulates
a response against trespassers. The term originated
from the notion that they can stimulate antibody
generation. Moreover, the immune system consists
of some viruses as well as bacteria (Kim and
Bentley, 2002).

An antibody (an immunoglobulin) is a large
Y-shaped protein used to identify and neutralize
foreign objects like bacteria and viruses. The antibody recognizes a specific target - an antigen.

The negative selection can be used to manage
constraints in an evolutionary algorithm by isolating
the contemporary population in two groups
(Wierzchon, 2005). Feasible solutions called
“antigens” create the first cluster, and the second
cluster of individuals consists of “antibodies” -
infeasible solutions. For that reason, the NSA is
applied to generate a set of detectors that verify the
state of constraints.

We assume the initial fitness for antibodies is
equal to zero. Then, a randomly chosen antigen $G^-$
is compared to the selected antibodies. After that,
the distance $S$ between $G^-$ and the antibody $B^-$ is
calculated due to the amount of similarity at the
genotype level. The measure of genotype similarity
between the antigen and the antibody depends on
their representation. This assessment of similarity
for the integer version is, as follows (Balicki, 2005):

$$S(G^-, B^-) = \sum_{m=1}^{M} |G_m^- - B_m^-|,$$

where

$M$ - the length of the solution,

$G_m^-$ - value of the antigen at position $m$, $m = 1, M$,

$B_m^-$ - value of the antibody at position $m$, $m = 1, M$.

The negative selection can be implemented by
a modified genetic algorithm. In that approach,
infeasible solutions that are similar to feasible ones
are preferred in the current population. Although,
almost all the random choices are based on the
uniform distribution, the pressure is directed to
improve the fitness of appropriate infeasible
solutions.

4 RANKING PROCEDURE FOR
NSA

The situation that the fitness of the winner is
increased by adding the magnitude of the similarity
measure may pass over a non-feasible solution with
the relatively small value of this assessment (1).
Nevertheless, some constraints may be satisfied by
this alternative.

What is more, if a constraint is exceeded and the
others are not, the value of a similarity measure may
be lower for some cases. The first of two similar
solutions, in genotype sense, may not satisfy this
constraint and the second one may satisfy it.

To avoid this limitation of the NSA, some
distance measures can be applied from the state of
an antibody to the state of the selected antigen, according to the constraints.

Equalities and inequalities that are of interest to us are, as follows:

\[ g_k(x) \leq 0, \quad k = 1, K, \quad (5) \]

\[ h_l(x) = 0, \quad l = 1, L. \quad (6) \]

The distance measures from the state of an antibody \( B^- \) to the state of the selected antigen \( G^- \) are defined, as below:

\[
 f_n(B^-, G^-) = \begin{cases} 
 g_k(B^-) - g_k(G^-), & k = 1, K, n = k, \\
 h_l(B^-), & l = 1, L, n = k + l, 
\end{cases} \quad (7)
\]

The distance \( f_n(B^-, G^-) \) is supposed to be minimized for all the constraint numbers \( n \). If the antibody \( B^- \) is marked by the smaller assessment \( f_n(B^-, G^-) \) to the antigen than the antibody \( C^- \), then \( B^- \) ought to be preferred \( C^- \) due to the improvement of the \( n \)th constraint. Moreover, if the antibody \( B^- \) is characterized by all shorter distances to the antigen than the antibody \( C^- \), then \( B^- \) should be preferred for all constraints.

However, some situations may occur when \( B^- \) is characterized by the shorter distances for some constraints and the antibody \( C^- \) is marked by the shorter distances for the others. In this case, it is difficult to select an antibody. We suggest introducing a ranking procedure to calculate fitness of antibodies and then to select the winner.

In the improved negative selection algorithm with ranking procedure denoted as NSA*, distances between the chosen antigen and some antibodies are calculated. Afterwards, the nondominated antibodies are determined according to their distances (7) to the antigen, and then, they get the rank equal to 1. Next, they are temporarily eliminated from the subset of antibodies. Subsequently, the new nondominated antibodies are determined from the reduced subset and they get the rank equal to 2. In this procedure, that level is increased and it is repeated until the subset of antibodies is exhausted. All the nondominated antibodies have the same fitness because of the equivalent rank. The last market antibody gets the rank equal to \( r_{max} \).

If \( B^- \) is characterized by the rank \( r(B^-) \), then \( 1 \leq r(B^-) \leq r_{max} \) and the increment of the fitness function value is estimated, as below:

\[
 \Delta f(B^-) = r_{max} - r(B^-) + 1. \quad (8)
\]

Afterwards, the fitness values of all selected antibodies are increased by adding their assigned increments. The antibodies are returned to the current population and this process is repeated typically three times the number of antibodies. Each time, a randomly chosen antigen is compared to the same subset of antibodies.

Afterwards, a new population is constructed by reproduction, crossover and mutation without calculations of fitness. That process is repeated until a convergence of population emerges or until a maximal number of iterations is exceeded. At the end, the final population as outcomes from the negative selection algorithm is returned to the external evolutionary algorithm.

5 OPTIMIZATION OF DISTRIBUTED SYSTEM

To test the ability of the MGP with NSA* for handling constraints, we consider a multi-criterion optimisation problem for task assignment in a distributed computer system (Balicki, 2005).

Finding allocations of program modules may decrease the total time of a program execution by taking a benefit of the particular properties of some workstations or an advantage of the computer load. An adaptive evolutionary algorithm has been considered for solving multi-objective optimisation problems related to task assignment that minimize \( z_{max} - \) a workload of a bottleneck computer and \( C \) – the cost of machines. The total numerical performance of workstations is another criterion for assessment the quality of a task assignment and it has been involved to multi-criterion problem. Moreover, a reliability \( R \) of the system is an additional criterion that is important to assess the quality of a task assignment.

In the considered problem, both a workload of a bottleneck computer and the cost of machines are minimized; in contrast, a reliability of the system is maximized. In addition, constraints related to memory limits and computer locations are imposed on the feasible task assignment. A set of program modules \( \{ M_1, M_2, ..., M_M \} \) communicated to each other is considered among the coherent computer network with computers located at the processing nodes from the set \( W = \{ w_1, w_2, ..., w_W \} \). A set of program modules is mapped into the set of parallel performing tasks \( \{ T_1, ..., T_n \} \). Some task scheduling algorithms based on tabu search are proposed in (Weglarz et al., 2003).

Let the task \( T_i \) be executed on some computers taken from the set of available computer sorts \( \Pi = \{ \pi_1, ..., \pi_j, ..., \pi_f \} \). The overhead performing time of the task \( T_i \) by the computer \( \pi_j \) is represented by an item \( t_{ij} \).
Let $\pi_j$ be failed independently due to an exponential distribution with rate $\lambda_j$. We do not take into account of repair and recovery times for failed computer in assessing the logical correctness of an allocation. Instead, we shall allocate tasks to computers on which failures are least likely to occur during the execution of tasks. Computers and tasks can be allocated to nodes in purpose to maximize the reliability function $R$ defined, as below (Balicki, 2005):

$$R(x) = \prod_{v=1}^{V} \prod_{i=1}^{I} \prod_{j=1}^{J} \exp(-\lambda_{ij}x_{vi}^{m}x_{ij}^{\pi}),$$  

(9)

where

$$x_{ij}^{\pi} = \begin{cases} 1 & \text{if } \pi_j \text{ is assigned to the } w_i, \\ 0 & \text{in the other case.} \end{cases}$$

$$x_{vi}^{m} = \begin{cases} 1 & \text{if task } T_i \text{ is assigned to } w_j, \\ 0 & \text{in the other case,} \end{cases}$$

$$x = [x_{i1}^{m}, \ldots, x_{ii}^{m}, \ldots, x_{ij}^{m}, x_{i1}^{\pi}, \ldots, x_{ij}^{\pi}, \ldots, x_{jj}^{\pi}]^T.$$

A computer with the heaviest task load is the bottleneck machine and its workload is a critical value that is supposed to be minimized. The workload $Z_{\text{max}}(x)$ of the bottleneck computer for the allocation $x$ is provided by the subsequent formula:

$$Z_{\text{max}}(x) = \max_{i \in I, j \in J} \left\{ \sum_{v=1}^{V} \sum_{j=1}^{J} c_{vp}x_{vi}^{m}x_{ij}^{\pi} + \sum_{v=1}^{V} \sum_{u=1}^{I-1} \sum_{k=1}^{I} \tau_{vik}x_{vi}^{m}x_{uk}^{m} \right\},$$  

(10)

where $\tau_{vik}$ – the total communication time between the task $T_v$ assigned to the $i$th node and the $T_u$ assigned to the $j$th node.

Figure 2 shows the workload of the bottleneck computer in the distributed computer system for generated task assignments in a systematic way. The function $Z_{\text{max}}$ takes value from the period $[40; 110]$ for 256 solutions. What is more, even a small change in task assignment related to the movement of a task to another computer or a substitution of computer sort can cause a relatively big alteration of its workload.

A computer is supposed to be equipped with necessary capacities of resources. Let the following memories $z_1, \ldots, z_r, \ldots, z_R$ be available in the distributed system and let $d_{jr}$ be the capacity of memory $z_r$ in the workstation $\pi_j$. We assume the task $T_v$ reserves $c_{vp}$ units of memory $z_r$ and holds it during a program execution. The memory limit in a machine cannot be exceeded in the $i$th node, what is written, as bellows:

$$\sum_{v=1}^{V} c_{vp}x_{vi}^{m} \leq \sum_{j=1}^{J} d_{jr}x_{ij}^{\pi}, \quad i = 1, I, \quad r = 1, R.$$  

(11)

Measure of the task assignment is a cost of computers:

$$C(x) = \sum_{i=1}^{I} \sum_{j=1}^{J} \kappa_{ij}x_{ij}^{\pi}$$  

(12)

where $\kappa_{ij}$ corresponds to the cost of the computer $\pi_j$.

6 ADAPTIVE EVOLUTIONARY ALGORITHM

The total computer cost is in conflict with the numerical performance of a distributed system, because the cost of a computer usually depends on the quality of its components. The faster computer or the higher reliability of it is, the more expensive it is. Additionally, the workload of the bottleneck computer is in conflict with the cost of the system. Let $(X, F, P)$ be the multi-criterion optimisation question for finding the representation of Pareto-optimal solutions (Coello Coello et al., 2002). It is established, as follows:

1) $X$ - an admissible solution set

$$X = \{x \in B I(V+J)\}$$

$$\sum_{v=1}^{V} c_{vp}x_{vi}^{m} \leq \sum_{j=1}^{J} d_{jr}x_{ij}^{\pi}, \quad i = 1, I, \quad r = 1, R.$$  

Figure 2: Workload of the bottleneck computer for generated solutions.
\[ \sum_{i=1}^{I} \chi_{i}^{m} = 1, v = I, \sum_{j=1}^{J} \chi_{ij}^{p} = 1, i \in I \}\]

where \(B = \{0, 1\}\)

2) \(F\) - a quality vector criterion

\[ F : X \rightarrow \mathbb{R}^{3} \] (13)

where \(\mathbb{R}\) – the set of real numbers,

\[ F(x) = [-R(x), Z_{\text{max}}(x), C(x)]^T \text{ for } x \in X, \]

\(R(x), Z_{\text{max}}(x), F_{2}(x)\) are calculated by (9), (10) and (12), respectively

3) \(P\) - the Pareto relation (Deb, 2001).

An analysis of the task assignments has been carried out for two genetic approaches (Zitzler et al., 2000). The first one was an adaptive multi-criterion evolutionary algorithm with tabu mutation AMEA\(^*\) (Balicki, 2005). Tabu search procedure was applied as an additional mutation operator to decrease the workload of the bottleneck computer. Moreover, we suggest introducing a negative selection algorithm with ranking procedure to improve the quality of obtained solutions.

Better outcomes from the NSA\(^*\) are transformed into improving of solution quality obtained by the adaptive multi-criterion evolutionary algorithm with tabu mutation AMEA\(^*\). This approach gave better results than the previous version of that algorithm named AMEA\(^+\). After 200 generations, an average level of Pareto set obtaining was 1.5% for the AMEA\(^*\), 1.9% for the AMEA\(^+\) (Figure 3).

Fifty test preliminary populations were prepared, and each algorithm started from these solutions. For integer constrained coding of chromosomes there were 12 decision variables in the test optimisation problem. The binary search space consisted of \(1.0737 \times 10^9\) chromosomes and included 25 600 admissible solutions.

7 MULTI-CRITERION GENETIC PROGRAMMING

Genetic programming paradigm can be implemented as a genetic algorithm written in the Matlab language. Chromosomes are generated as the Matlab functions and then genetic operators are applied for finding Pareto-suboptimal solutions. Results may be compared with outcomes obtained by AMEA\(^*\).

\[ f(x) = r_{\text{max}} - r(x) + P_{\text{max}} + 1, \] (16)

\[ T = D \cup L, \] (15)

where \(L\) – set of \(n\) random numbers, \(n = D\).

If \(x\) calculated by the program is admissible, then the fitness function value (Fig. 4, line 4) is estimated, as below:
where \( r(x) \) denotes the rank of an admissible solution, \( 1 \leq r(x) \leq r_{\text{max}} \).

1. BEGIN
2. \( t:=0 \), set the even size of population \( P \), \( p_w:=1/(\text{ML}) \)
3. generate initial population of programs \( P(t) \)
4. run programs, calculate ranks \( r(x) \) and fitness \( f(x), x \in P(t) \)
5. \( \text{finish} := \text{FALSE} \)
6. WHILE NOT \( \text{finish} \) DO
7. \( \text{BEGIN} /* \text{new population} */ \)
8. \( t:= t+1, P(t):= \emptyset \)
9. calculate selection probabilities \( p_w(x), x \in P(t-1) \)
10. FOR \( i := 1 \) TO \( L/2 \) DO
11. \( \text{BEGIN} /* \text{reproduction cycle} */ \)
12. \( 2\text{WT-selection} \) of a potential parent pair \( (a, b) \) from the population \( P(t-1) \)
13. \( S\text{-crossover} \) of a parent pair \( (a, b) \) with the adaptive crossover rate \( p_c, p_c := e^{t/T_{\text{max}}} \)
14. \( S\text{-mutation} \) of an offspring pair \( (a', b') \) with the mutation rate \( p_m \)
15. \( P(t):=P(t-1)\cup (a', b') \)
16. END
17. calculate ranks \( r(x) \) and fitness \( f(x), x \in P(t) \)
18. IF \( (P(t) \) converges OR \( t \geq T_{\text{max}} \) \) THEN
19. \( \text{finish} := \text{TRUE} \)
20. END

Figure 4: Multi-criterion genetic programming MGP*.

Another ranking procedure assigns each individual a rank based on the number of other individuals by which it is dominated (Fonseca and Fleming, 1995). A niching procedure modifies it. The surface region of the Pareto front is divided by the size of the population. The number of other member’s falling within the sub-area of any individual is taken to establish the penalty for it.

In the two-weight tournament selection (Fig. 4, line 12), the roulette rule is carried out twice. If two potential parents \( (a, b) \) are admissible, then a dominated one is eliminated. If two solutions non-dominate each other, then they are accepted. If potential parents \( (a, b) \) are non-admissible, then an alternative with the smaller penalty is selected.

The fitness sharing technique can be substituted by the adaptive changing of main parameters. The quality of attained solutions increases in optimisation problems with one criterion, if the crossover probability and the mutation rate are changed in an adaptive way (Sheble and Britting, 1995). The crossover point is randomly chosen for the chromosome \( X \) in the \( S\text{-crossover} \) operator (Fig. 4, line 13). The crossover probability is 1 at the

initial population and each pair of potential parents is obligatory taken for the crossover procedure.

A crossover operation supports the finding of a high-quality solution area in the search space. It is important in the early search stage. If the number of generation \( t \) increases, the crossover probability decreases according to the formula \( p_c := e^{t/T_{\text{max}}} \).

The search region or some search areas are identified after several crossover operations on parent pairs. That is why, value \( p_c \) is smaller and it is equal to 0.6065, if \( t=100 \) for maximum number of population \( T_{\text{max}}=200 \). The final smallest value \( p_c \) is 0.3679. A crossover probability decreases from 1 to \( \exp(-1) \), exponentially. During \( S\text{-crossover} \), a subtree with the randomly selected root from program \( a \) is exchanged with another subtree from tree \( b \).

In \( S\text{-mutation} \) (Fig. 4, line 14), the random node is chosen, the related subtree is removed, and then a new subtree is generated. A mutation rate is constant in the MGP and it is equal to \( 1/M \), where \( M \) represents the number of decision variables.

8 NUMERICAL EXPERIMENTS

Better outcomes from the NSA* are transformed into improving of solution quality obtained by the MGP*. This approach gives similar results than the AMEA*. After 200 generations, an average level of Pareto set obtaining is 1.3% for the MGP*, 1.5% for the AMEA*. All points have been found by MGP* for that instance.

For the other instance with 15 tasks, 4 nodes, and 5 computer sorts, there are 80 binary decision variables. An average level of convergence to the Pareto set is 17.7% for the MGP* and 17.4% for the AMEA*. A maximal level is 28.5% for the MGP* and 21.1% for the AMEA*. For this instance the average number of optimal solutions is 19.5% for the MGP* and 21.1% for the AMEA*.

Figure 5 shows the process of finding efficient task assignment by MGP* for the cut obtained from the evaluation space according to the cost criterion \( C \) and the workload of the bottleneck computer \( Z_{\text{max}} \).
An average level of convergence to the Pareto set, an maximal level, and the average number of optimal solutions become worse, when the number of task, number of nodes, and number of computer types increase. An average level is 37.7% for the MGP* versus 35.7% for the AMEA*, if the instance includes 50 tasks, 4 nodes, 5 computer types and also 220 binary decision variables.

9 CONCLUDING REMARKS

Genetic programming is relatively new paradigm of artificial intelligence that can be used for finding Pareto-optimal solutions. A computer program as a chromosome is a subject of genetic operators such as recombination, crossover and mutation. It gives possibility to represent knowledge that is specific to the problem in more intelligent way than for the data structure. A genetic algorithm has been applied for operating on the population of the computer procedures written in the Matlab language.

Initial numerical experiments confirm that feasible, sub-optimal in Pareto sense, task assignments can be found by genetic programming. That approach permits for obtaining comparable quality outcomes to advanced evolutionary algorithm.

Our future works will focus on testing the other sets of procedures and terminals to find the Pareto-optimal task assignments for different criteria and constraints.

REFERENCES


